

# The $\mu^3e$ Experiment: How to design an experiment searching for $10^{-16}$ ?



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Statistical Methods in particle Physics 2012/13





## Overview

# How is an experiment conceived?

- Where  
to look for new physics?
- What  
constrains the experiment?
- How  
to get the required performance?



## Caveat

**μ3e**  
is work in progress

- No  
guarantee that it will work out
- No  
unique solution to the problem
- Questions  
often more important than answers



The Standard Model of particle physics  
works almost too well...

...but it can't be all there is



Search for new physics!

Where?

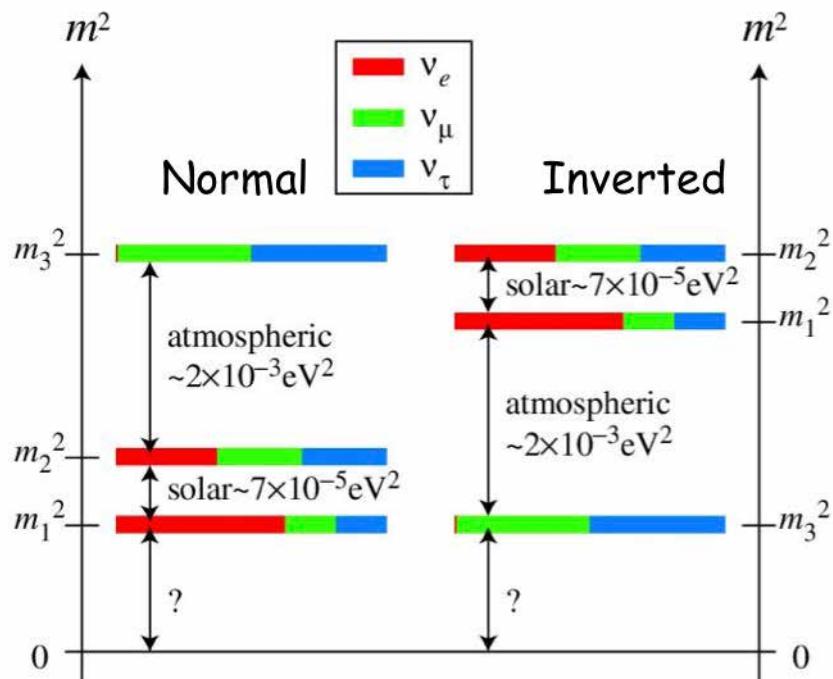
Hints?



# Neutrino Oscillations!



# Neutrinos



Neutrinos always seem good for a surprise

- They have mass
- They mix maximally
- What next?

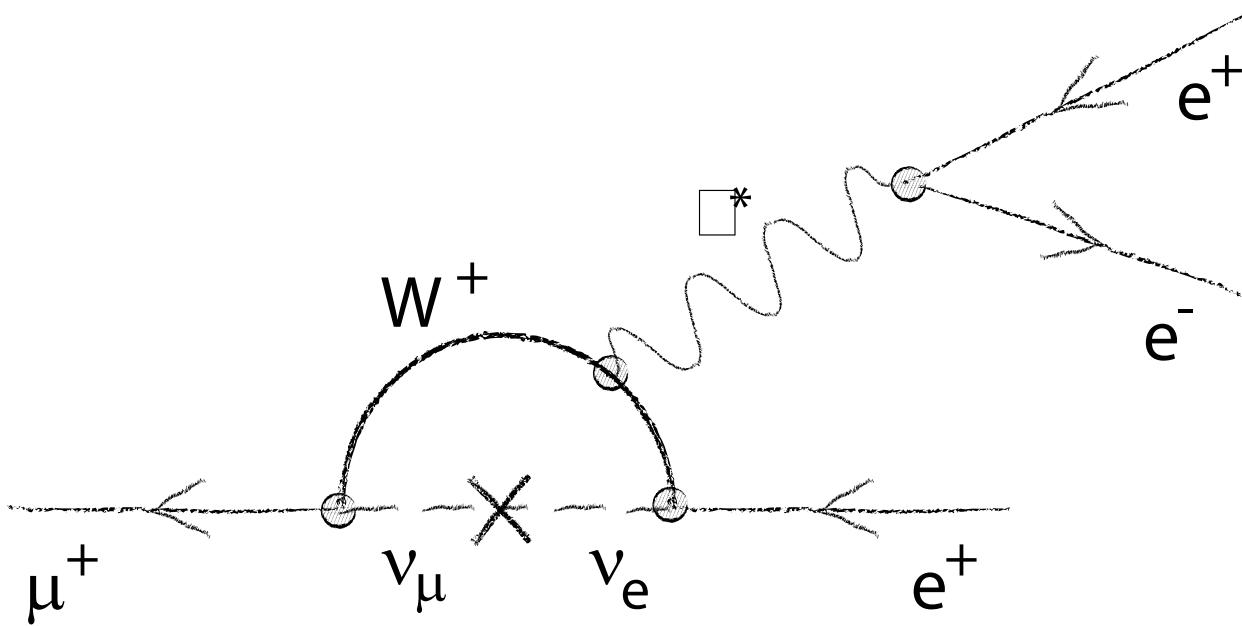
What to do about it?

- Do more neutrino experiments:  
CP-Violation, sterile neutrinos etc.  
(However: Big and low rates)
- Look in the vicinity...



# Charged leptons?

- What about charged leptons?
- Charged lepton-flavour violation through neutrino oscillations heavily suppressed ( $\text{BR} < 10^{-50}$ )
- Observation clear sign for new physics
- No observation so far...





# Where to search for LFV?

## Lepton decays

- $\mu \rightarrow e\gamma$
- $\mu \rightarrow eee$
- $\tau \rightarrow l\gamma$
- $\tau \rightarrow ll \quad l = \mu, e$
- $\tau \rightarrow lh$

Fixed target experiments  
(proposed)

- $eN \rightarrow \mu N$
- $eN \rightarrow \tau N$
- $\mu N \rightarrow \tau N$

## Meson decays

- $\phi, K \rightarrow ll'$
- $J/\psi, D \rightarrow ll'$
- $\Upsilon, B \rightarrow ll'$

LFV

## Conversion on Nucleus

- $\mu N \rightarrow e N$

## Collider experiments

- $ep \rightarrow \mu(\tau) X \quad (\text{HERA})$
- $Z' \rightarrow ll' \quad (\text{LHC})$
- $X^{0,\pm} \rightarrow ll' X \quad (\text{LHC})$



# Experimental Status

## Purely leptonic LFV

- $\text{BR}(\mu \rightarrow e\gamma) < 2.4 \times 10^{-12}$  (MEG 2011)
- $\text{BR}(\tau \rightarrow e(\mu)\gamma) < \sim 4 \times 10^{-8}$  (B-Factories)
- $\text{BR}(\mu \rightarrow eee) < 10^{-12}$  (SINDRUM)
- $\text{BR}(Z \rightarrow e\mu) < 10^{-6}$  (LEP)

## Semi-hadronic LFV

- $\text{BR}(K \rightarrow \pi e\mu) < \sim 10^{-11}$
- $\text{BR}(\mu N \rightarrow e N) < \sim 10^{-12}$  (SINDRUM 2)



We want discovery potential:

Push significantly beyond these limits

But there are constraints...



# Constraints

Technology

(Rates, resolution)

Money

(Accelerator, experiment)

Expertise

(Why can we do it better than others?)



# Which lepton?

Electrons are stable...

Muons or Taus?



# Which lepton?

Electrons are stable...

Muons or Taus?

B-factories and super B-factories are hard to beat for taus - potential of one order of magnitude



# Which channel?

$\mu \rightarrow e\gamma$

(being measured, hitting limitations)

$\mu \rightarrow eee$

(last measured 25 years ago)

$\mu N \rightarrow eN$

(last measured 20 years ago, new plans)



When is a  $\mu \rightarrow \text{eee}$  experiment **competitive**?

Compare with other limits...



$10^{-15}$  a must,

$10^{-16}$  as a goal



What does this mean for the experiment?

Observe several  $10^{16}$  muon decays:

High rate

Suppress background to less than  $10^{-16}$

High precision



## Muons: What rate is needed?

$$10^{16} / 100 \text{ days} = 1 \text{ GHz}$$

Billions of muons per second...



# High rate: Muons from PSI

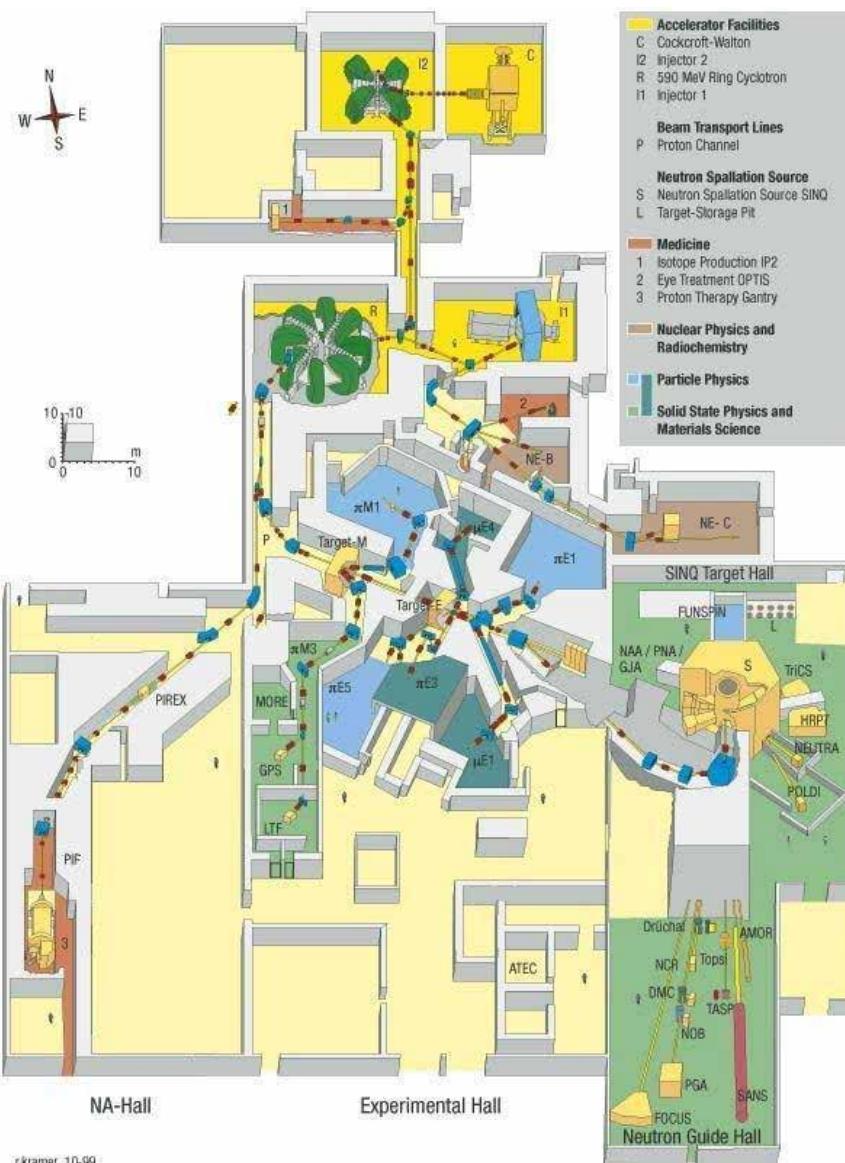


- The Paul Scherrer Institut (PSI) in Villigen, Switzerland has the world's most powerful DC proton beam (2.2 mA at 590 MeV)
- Pions and then muons are produced in rotating carbon targets





# Muons from PSI



DC muon beams at PSI:

- $\mu$ E1 beamline:  $\sim 5 \times 10^8$  muons/s
- $\pi$ E5 beamline:  $\sim 10^8$  muons/s  
(MEG experiment)
- $\mu$ E4 beamline:  $\sim 10^9$  muons/s
- SINQ (spallation neutron source) target could even provide  
 $\sim 5 \times 10^{10}$  muons/s
- Requires investment from PSI: Need to demonstrate that the experiment works...



And now for the hard part...

Suppress background by 16 orders of magnitude...

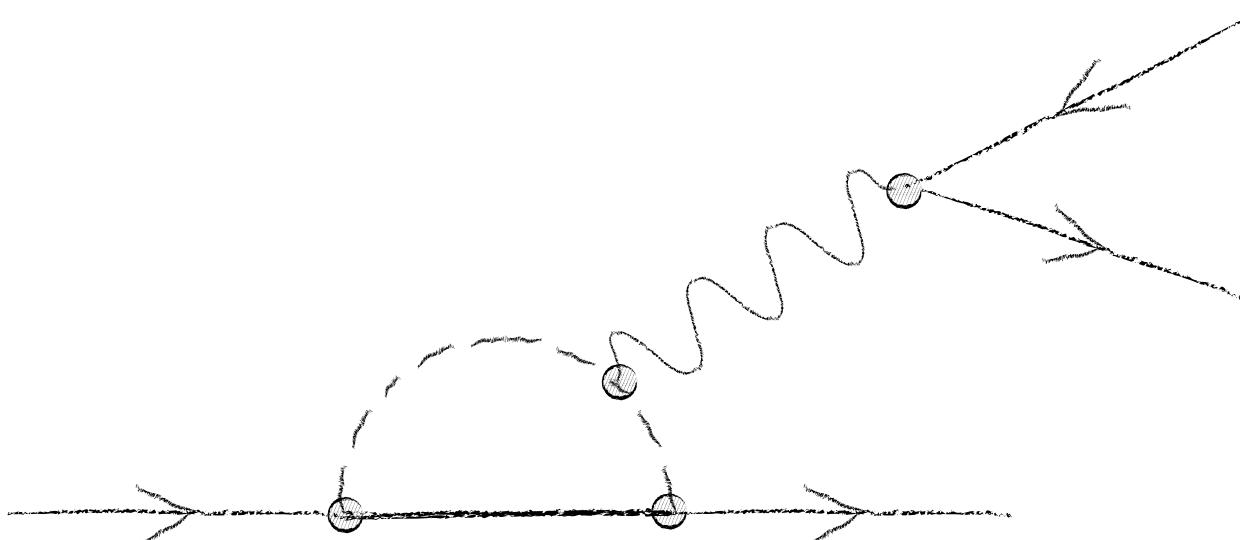
...at several GHz muon rate...

...and not miss the signal



# The Signal

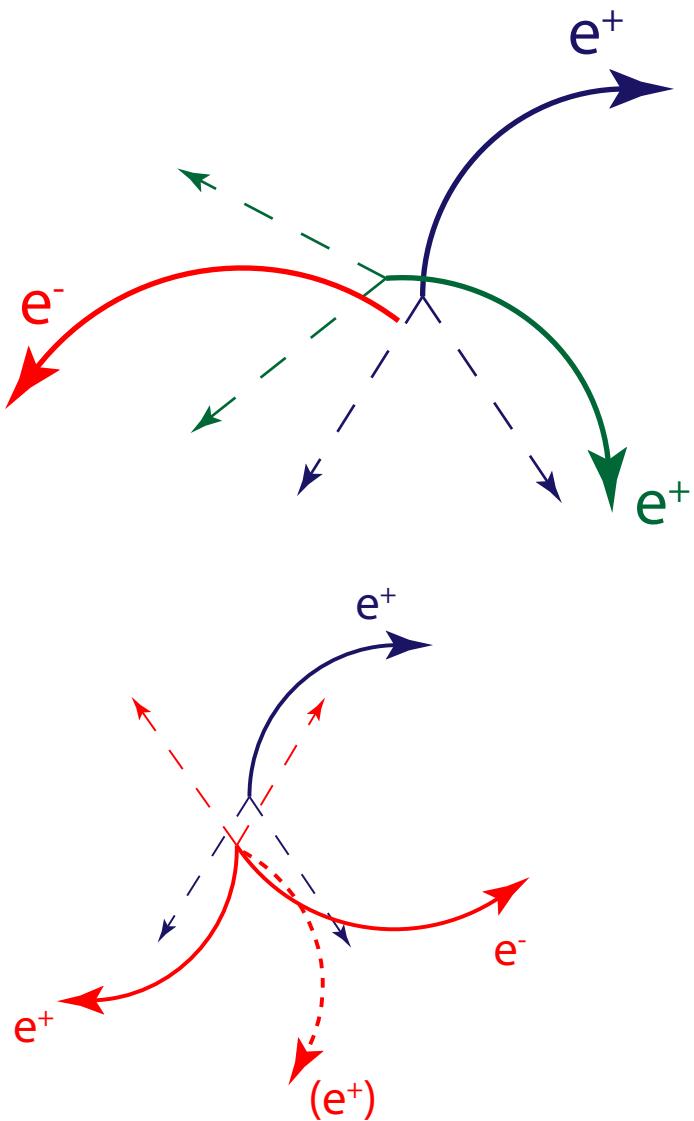
- Two positrons and one electron
- Coincident in time and vertex
- In a plane
- Energies sum up to muon mass



Need a precise, efficient tracker



# Background: Accidental



- Overlays of two normal muon decays with an electron
- Electrons from Bhabha-scattering, photon conversion, mis-reconstruction

Need excellent:

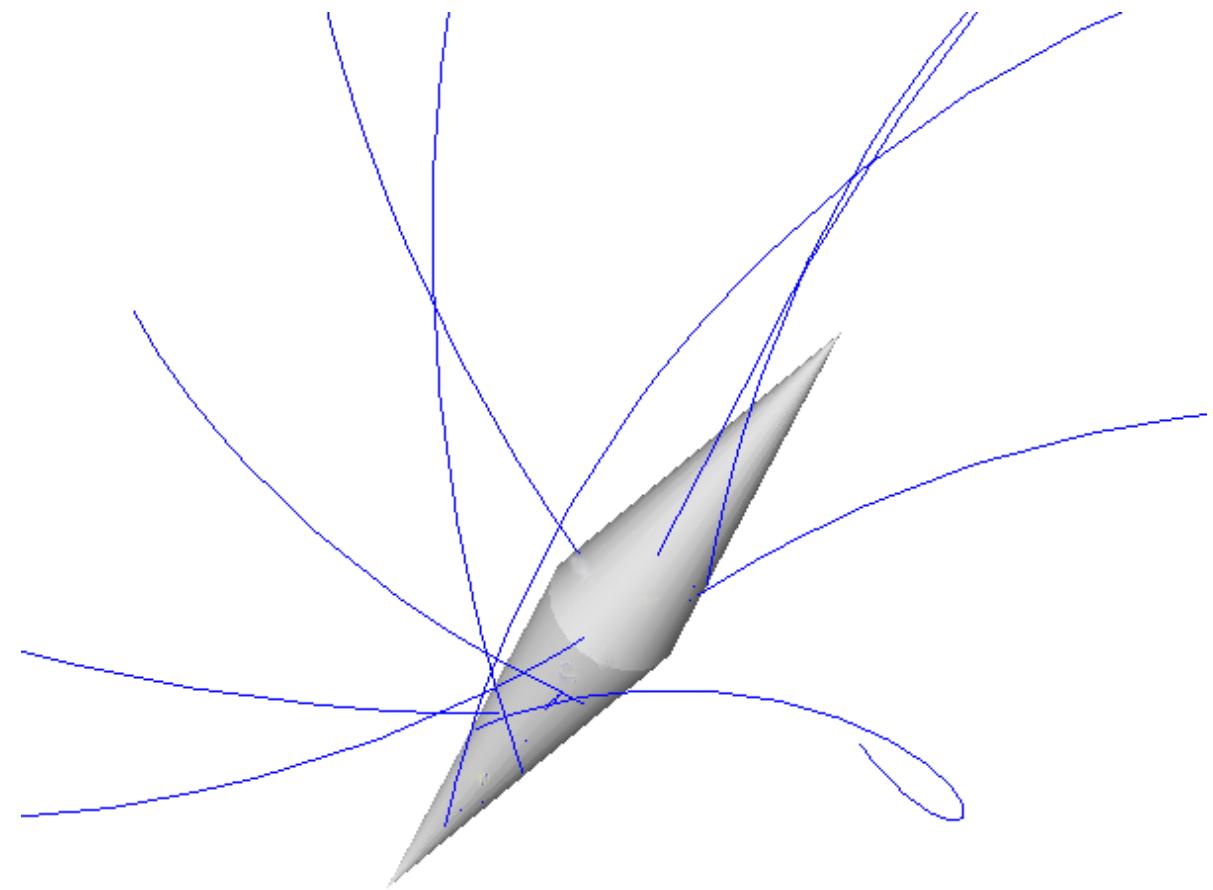
- Vertex resolution
- Timing resolution
- Kinematics reconstruction



Spread events as much as possible in space and time:

Large stopping target

DC muon beam (PSI!)

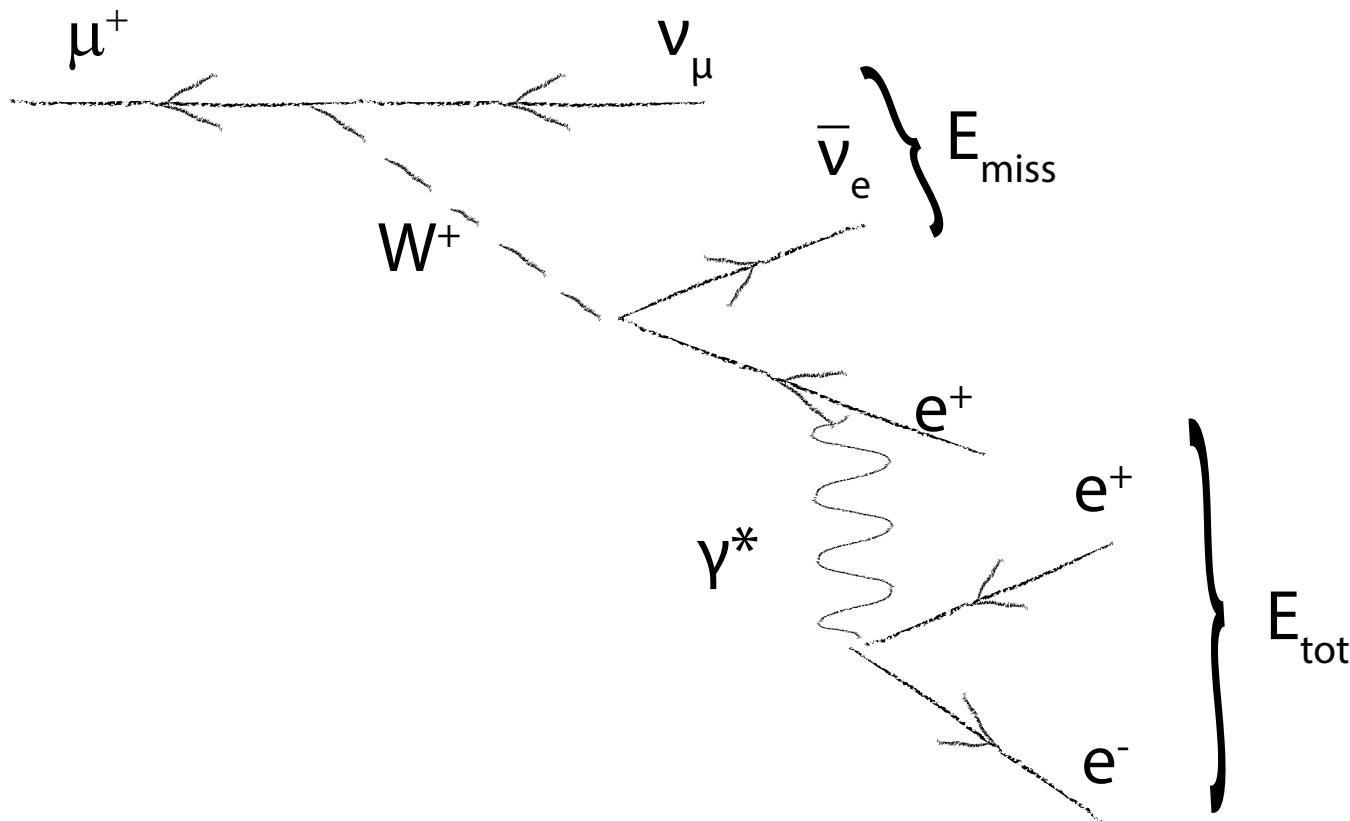




# Internal Conversion Background

Radiative muon decay with internal conversion

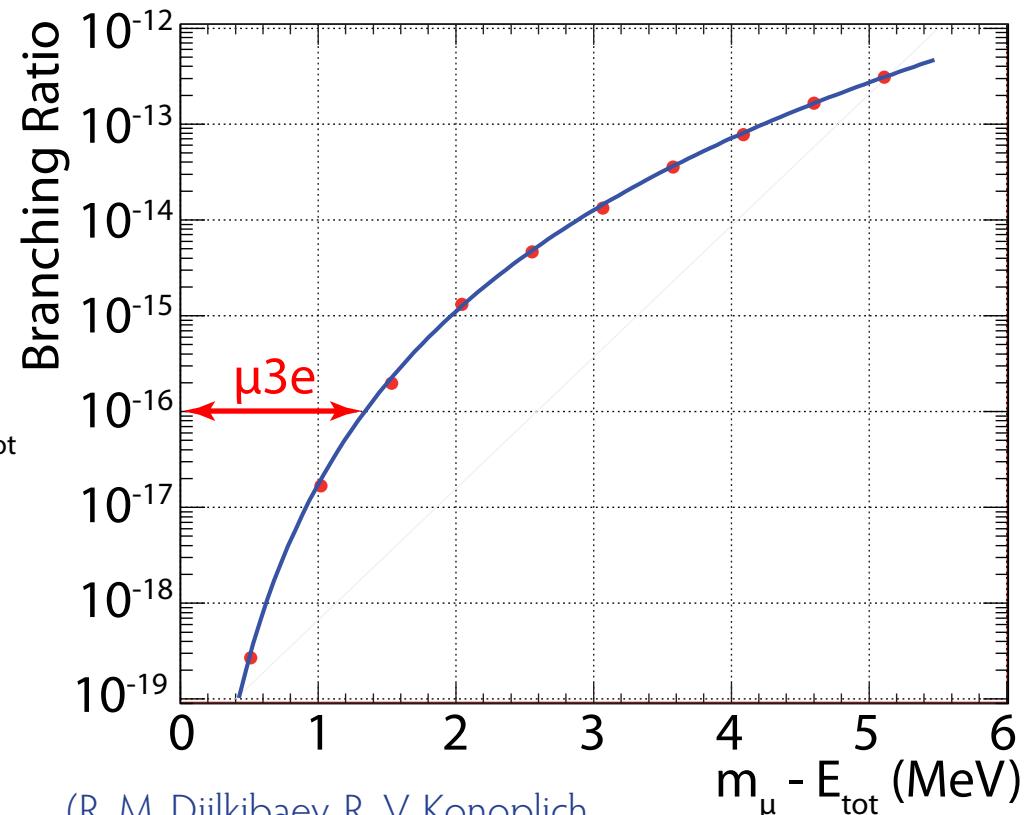
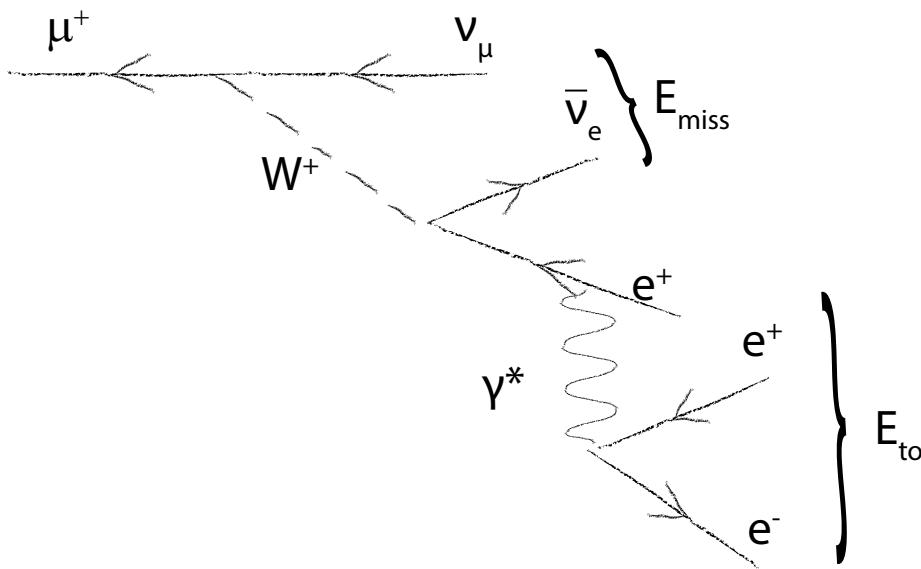
- Looks like signal
- Except for missing energy





# Internal Conversion Background

- Branching fraction  $3.4 \times 10^{-5}$
- Need excellent momentum resolution to reject this background



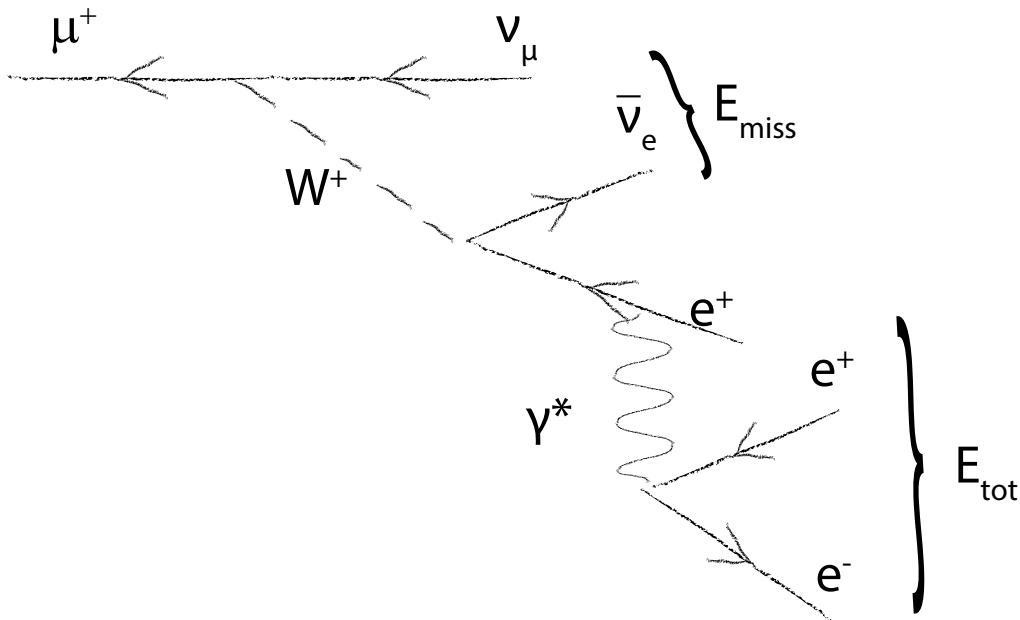
(R. M. Djilkibaev, R. V. Konoplich,  
Phys.Rev. D79 (2009) 073004)



# Statistical aside: Hit and miss generator

Aside on internal conversion simulation

- 5-particle final state...  
... 11-dimensional phase space



- Have to generate events equi-distributed in phase space (RAMBO)
- Calculate matrix element  
(a few 100 lines of ugly FORTRAN)
- Then perform hit-and-miss
- With a matrix element varying by 16 orders of magnitude over phase space



We need the best possible tracker for  
low momentum electrons

(and it should be fast and cheap...)

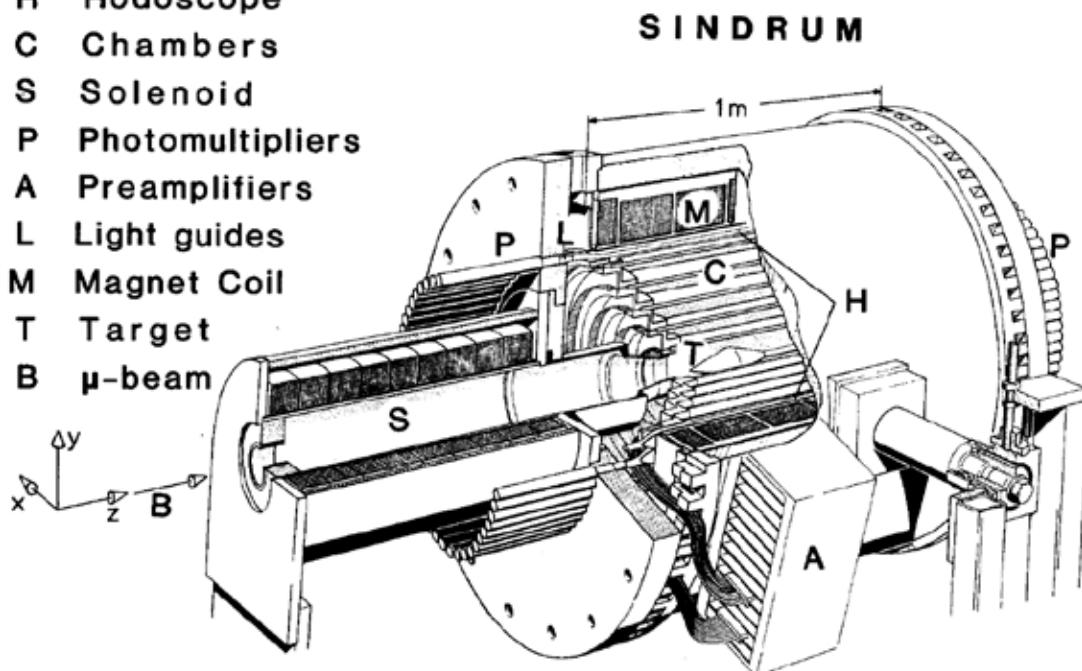


# Last Experiment: SINDRUM

SINDRUM (1988)

- $\sigma_p/p$  (50 MeV/c) = 5.1%
- $\sigma_p/p$  (20 MeV/c) = 3.6%
- $\sigma_\theta$  (20 MeV/c) = 28 mrad
- Vertex:  $\sigma_d \approx 1$  mm
- $X_0$  (MW/PC) = 0.08 - 0.17% per layer

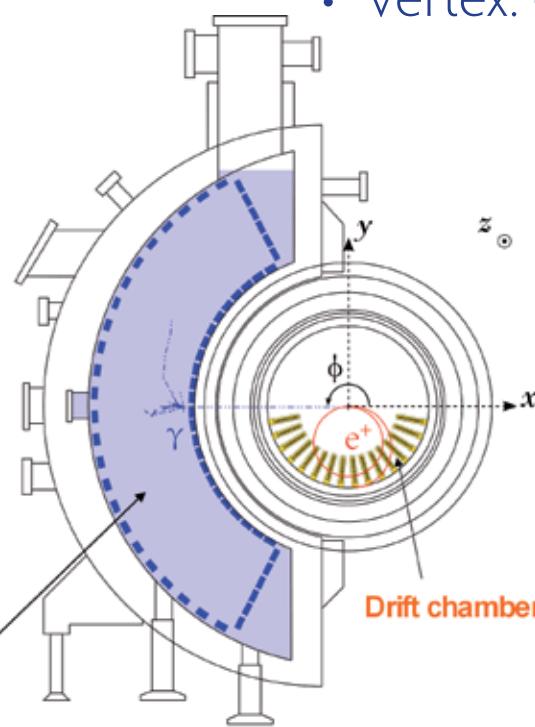
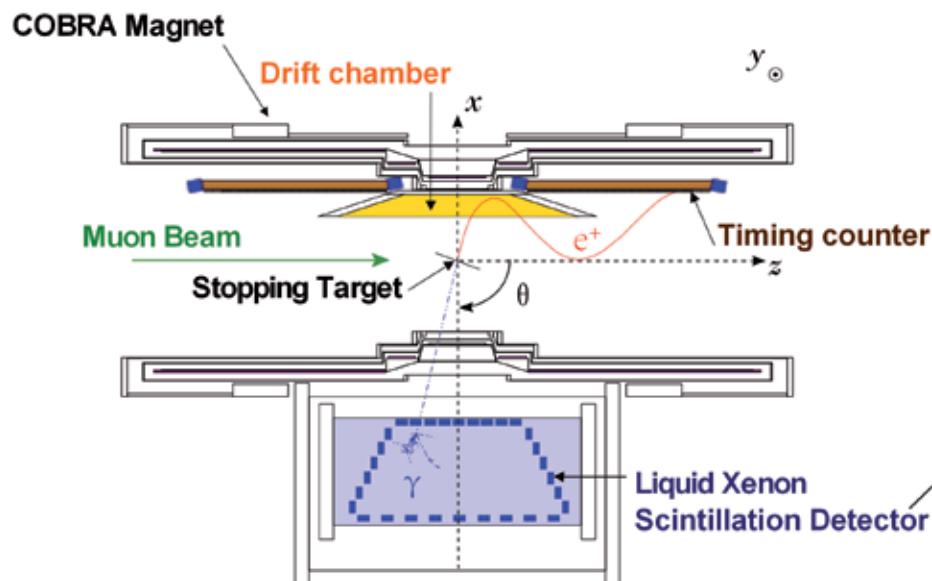
H Hodoscope  
C Chambers  
S Solenoid  
P Photomultipliers  
A Preamplifiers  
L Light guides  
M Magnet Coil  
T Target  
B  $\mu$ -beam





# State of the art: MEG

1m



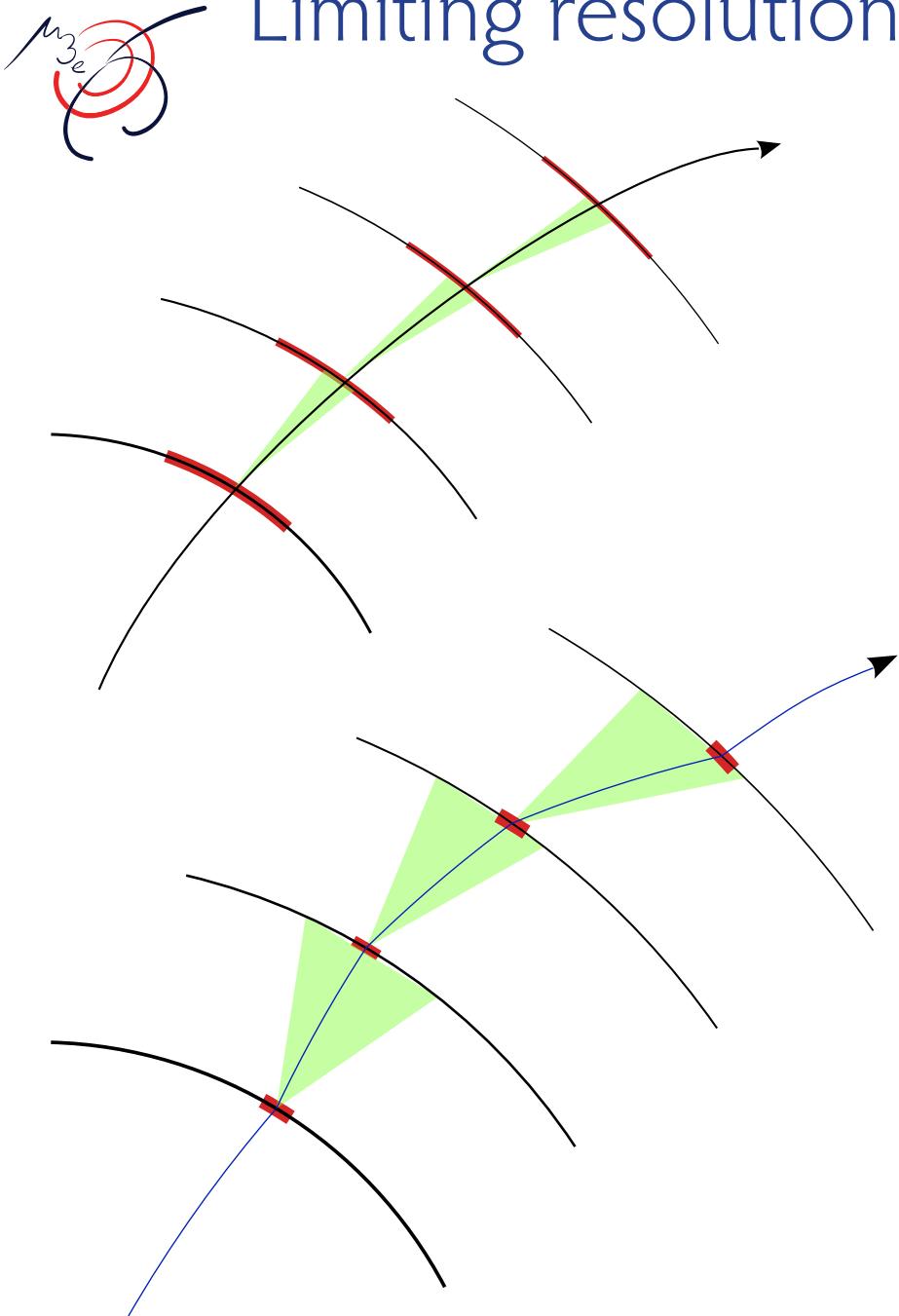
MEG (2010)

- $\sigma_p/p$  (53 MeV/c) = 0.6 %
- $\sigma_\theta$  (53 MeV/c) = 11 mrad
- $\sigma_\phi$  (53 MeV/c) = 7 mrad
- Vertex:  $\sigma_r \approx 1.1$  mm,  $\sigma_z \approx 2.0$  mm

Experiment limited by  
accidentals

At the limit of drift  
chamber technology

# Limiting resolution: Multiple scattering



- Decay particles are electrons with momenta  $< 53 \text{ MeV}/c$
- Strong multiple scattering
$$\propto \sqrt{\chi/\chi_0} \times 1/p$$
- Need a thin, fast, high resolution detector
- Rates and aging speak against a gaseous detector
- Silicon is heavy - or is it?



# Silicon detector technologies

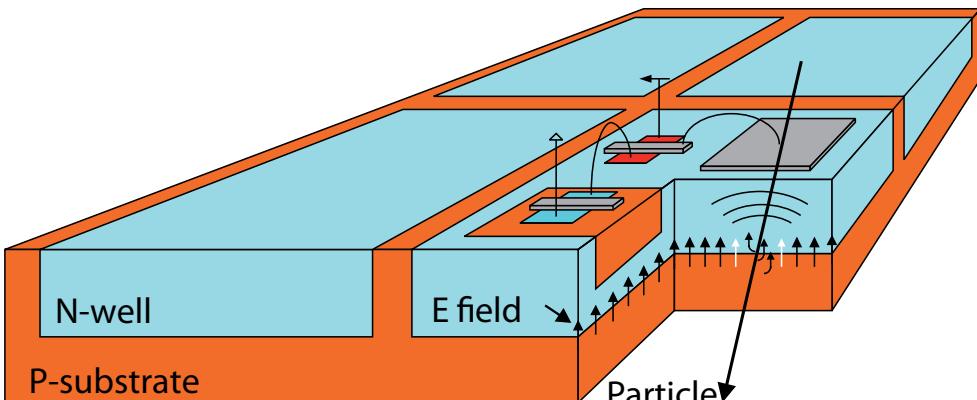
Technology	Thickness	Speed	Readout
ATLAS pixel	260 µm	25 ns	extra RO chip
DEPFET (Belle II)	50 µm	slow (frames)	extra RO chip
MAPS	50 µm	slow (diffusion)	fully integrated
HV-MAPS	> 30 µm	O(100 ns)	fully integrated



# HV-MAPS

High voltage monolithic active pixel sensors

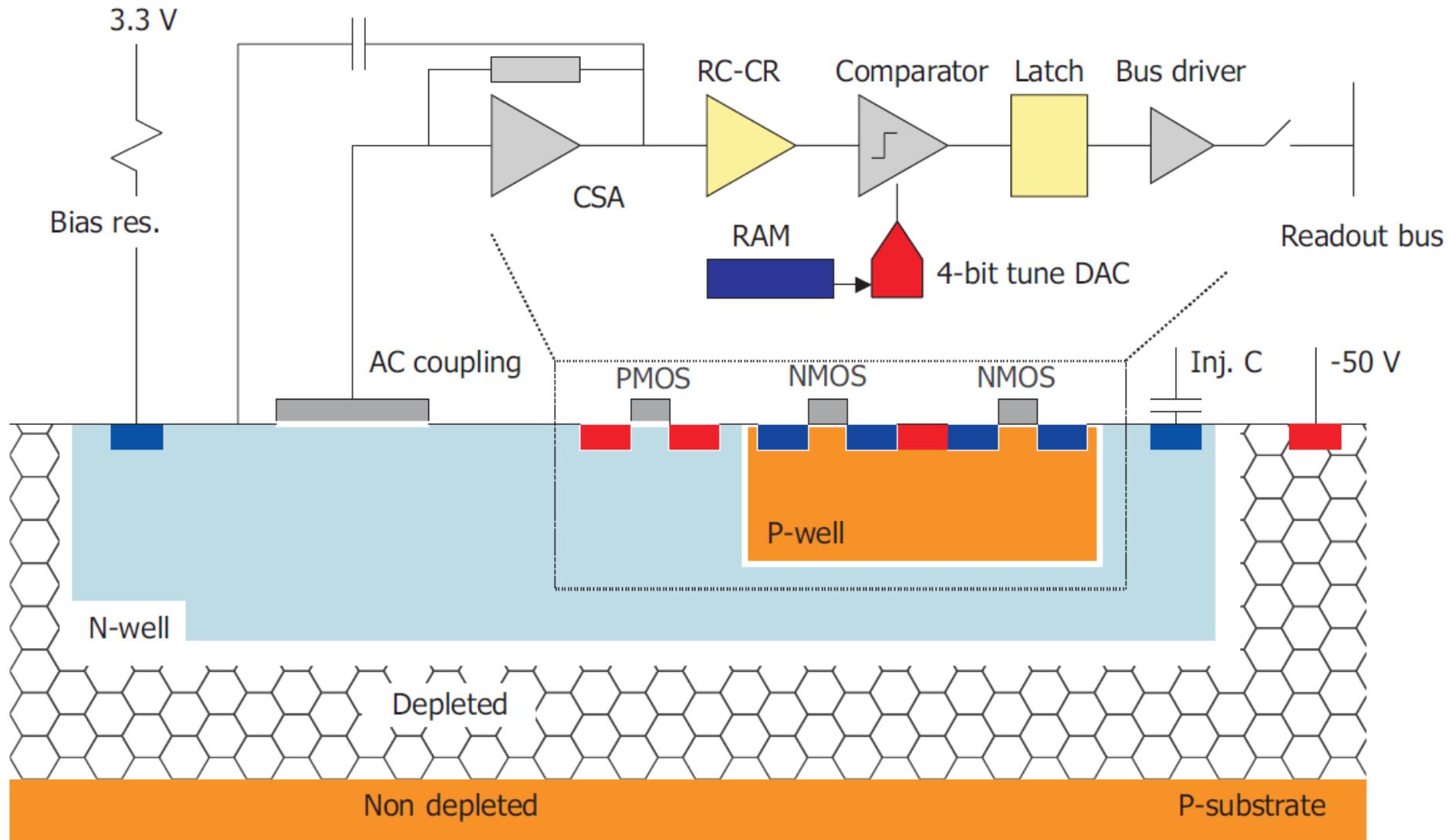
- Implement logic directly in N-well in the pixel - smart diode array
- Use a high voltage commercial process (automotive industry)
- Small active region, fast charge collection via drift
- Can be thinned down to  $< 50 \mu\text{m}$
- Low power consumption



(I.Peric, P. Fischer et al., NIM A 582 (2007) 876  
(ZITI Mannheim, Uni Heidelberg))

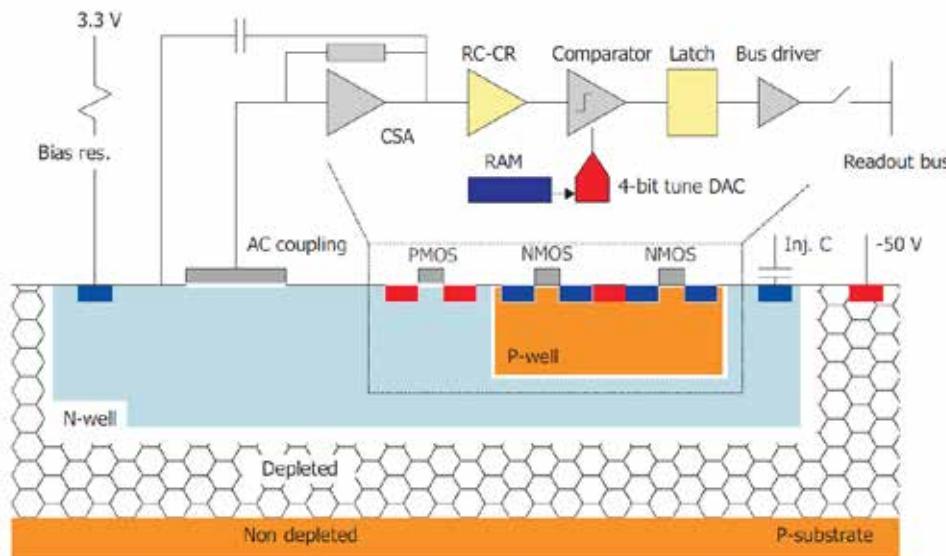


# HV-Maps





# Sensor Specs



- Module size  $6 \times 1$  cm (inner layers)  
 $6 \times 2$  cm (outer layers)
- Pixel size  $80 \times 80 \mu\text{m}$
- Goal for thickness:  $50 \mu\text{m}$
- 1 bit per pixel, zero suppression on chip
- Power:  $150 \text{ mW/cm}^2$
- Data output up to  $3.2 \text{ Gbit/s}$
- Time stamps every  $50 \text{ ns}$   
( $20 \text{ MHz}$  clock)



# Can we use this to build a detector?



- 50  $\mu\text{m}$  silicon is not self-supporting  
Need support structure
- Cooling?  
Liquids and pipes to heavy - gas  
Limit sensor power consumption
- Signals and Power?  
No big cables possible  
High rate links needed



# Our idea: Kapton flexprint



Use 25  $\mu\text{m}$  Kapton for support

- Very light
- Can print signal and power lines (in Al)
- First prototypes very promising

$\mu_{3e}$



Niklaus Berger – SMIPP 2012/13 – Slide 39

$\mu_3 e$

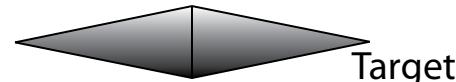
# Cooling



- No fluid coolant
- Put detector in helium atmosphere (high mobility, low multiple scattering)
- Reduce clock frequency of chips to 10 or 20 MHz
- Will need an additional timing detector

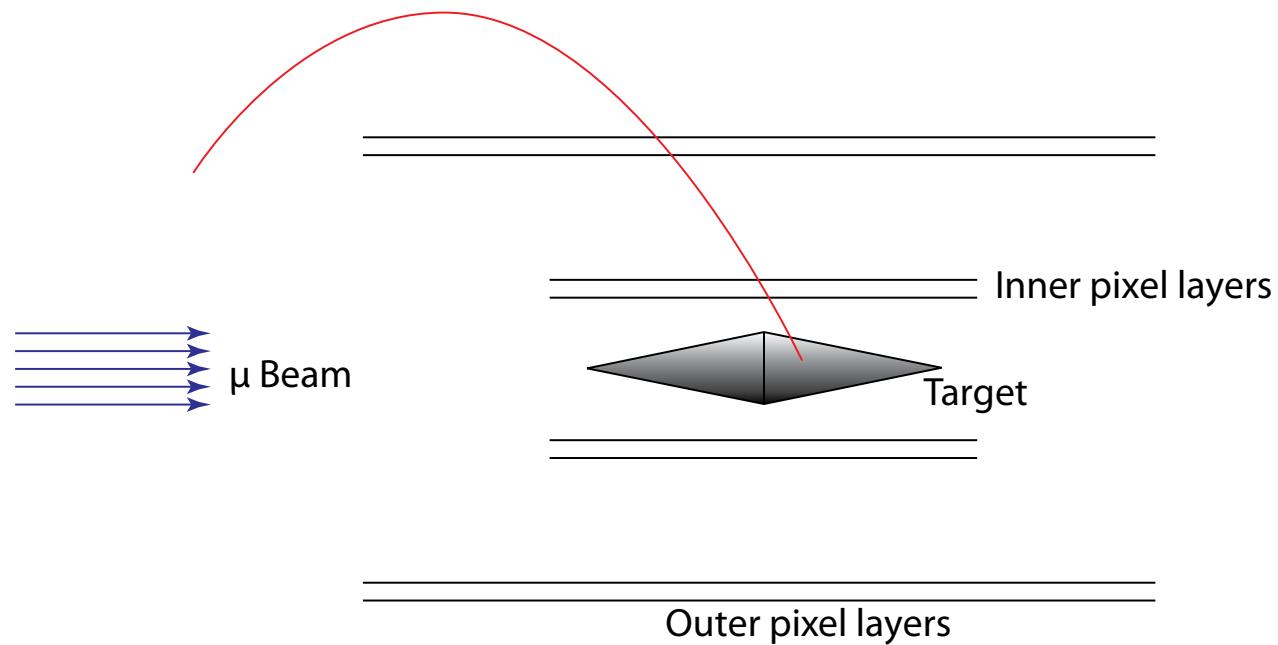


# Detector concept



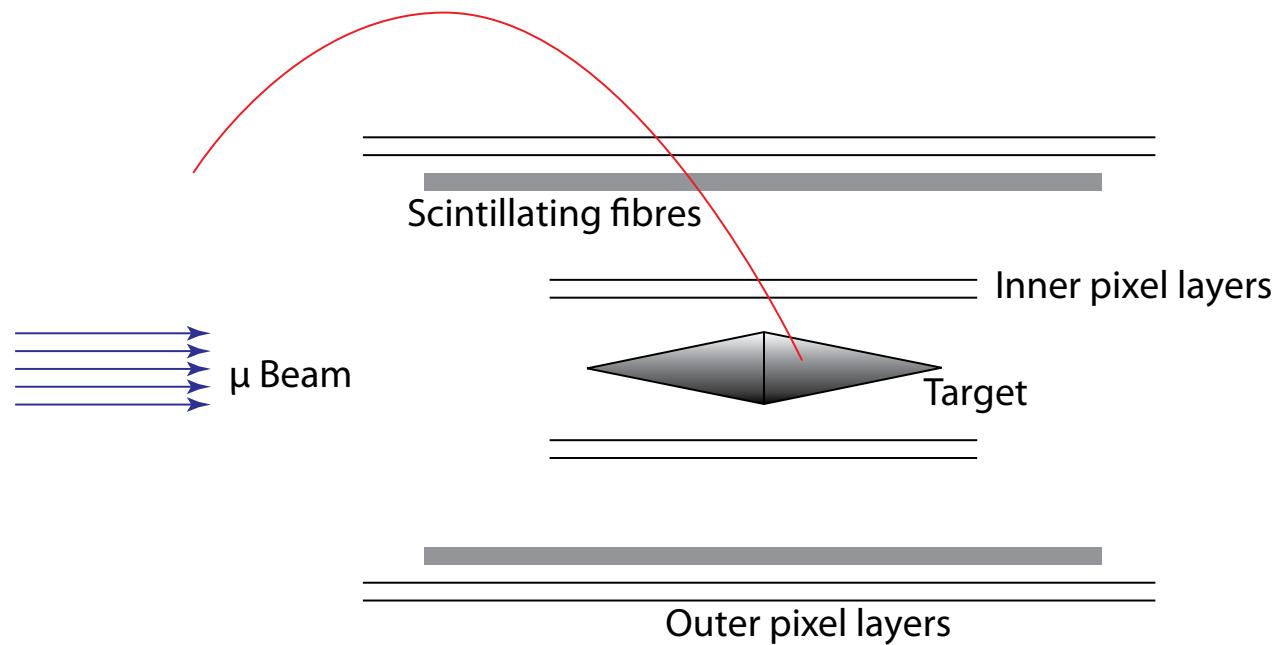


# Detector concept





# Detector concept



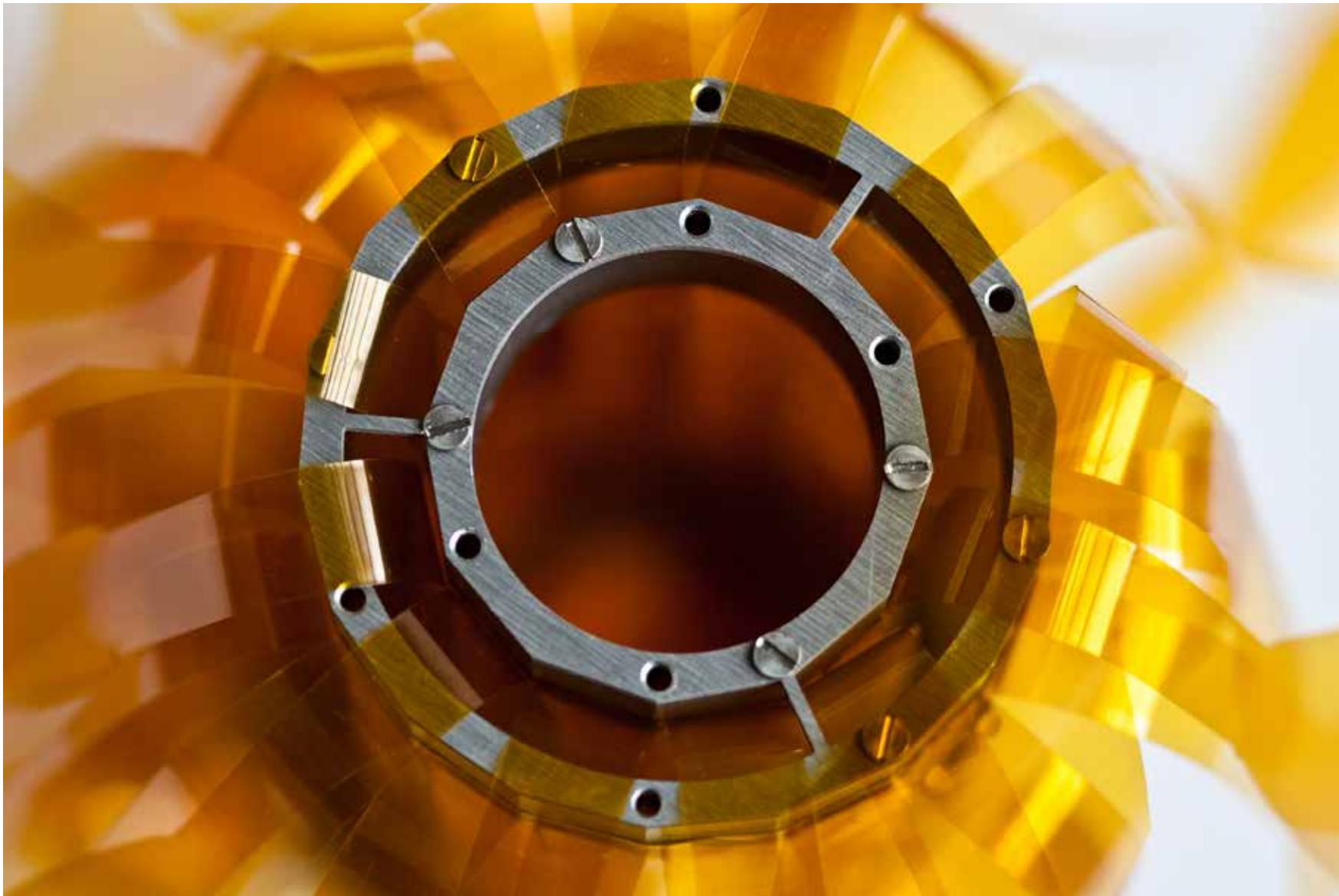


# Mechanics





# Mechanics





Does this work?

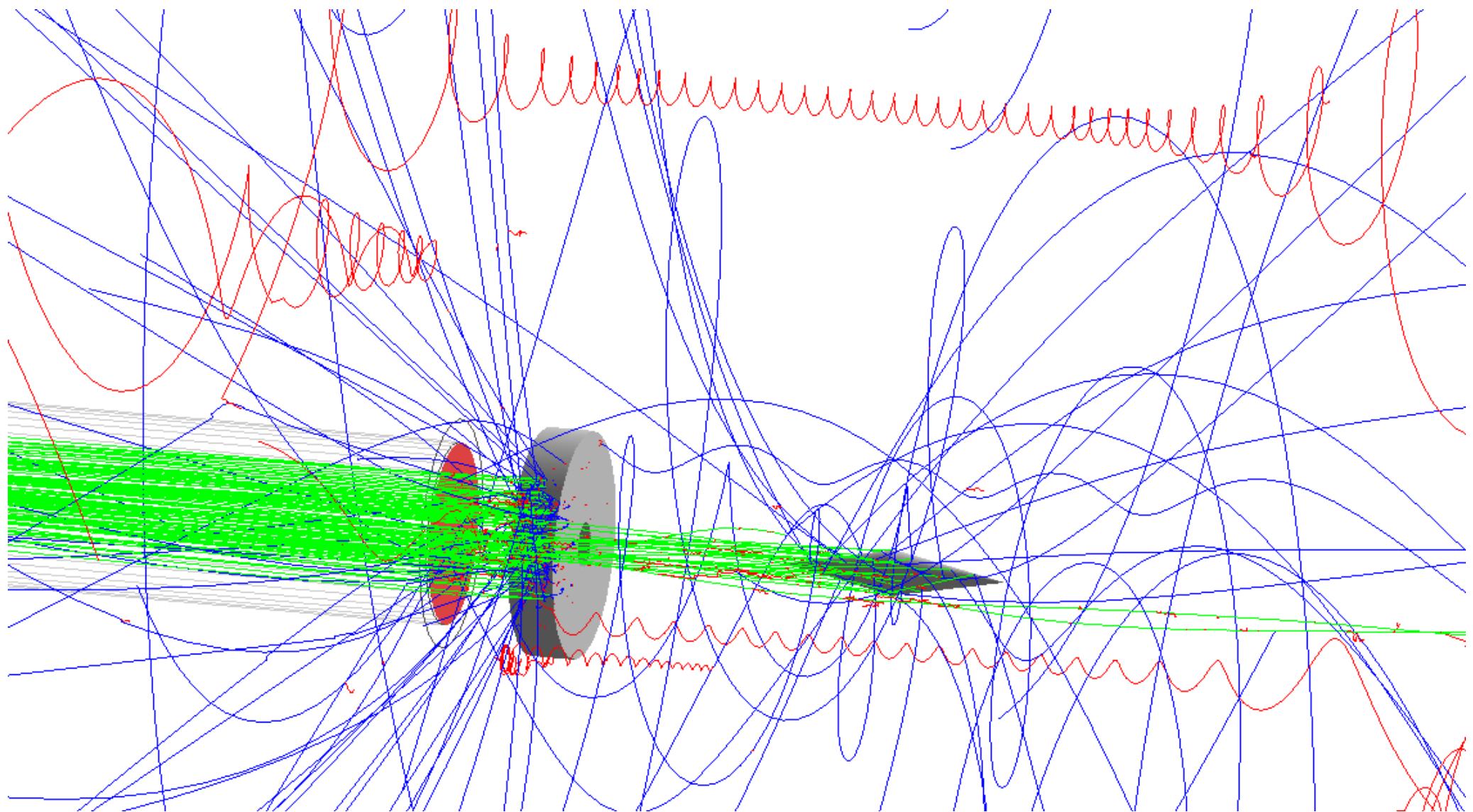
Where to put the layers? What magnetic field?

How about track finding?

Simulation!

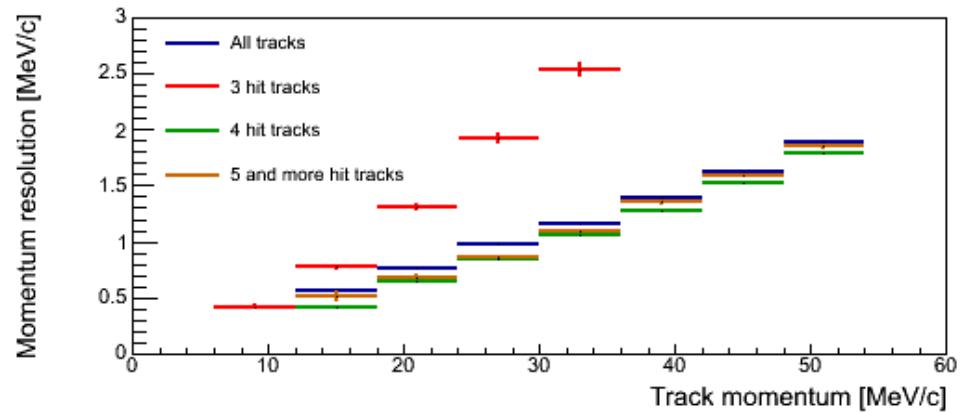
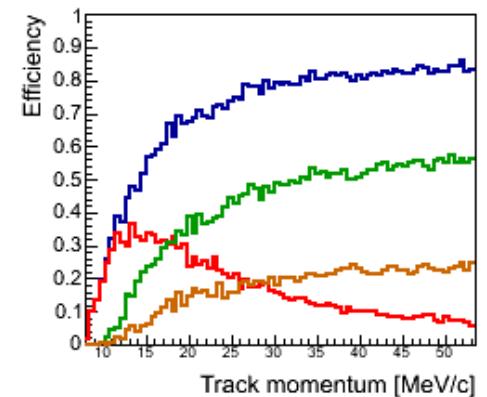
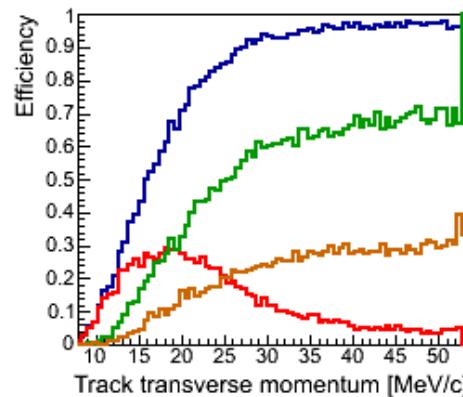
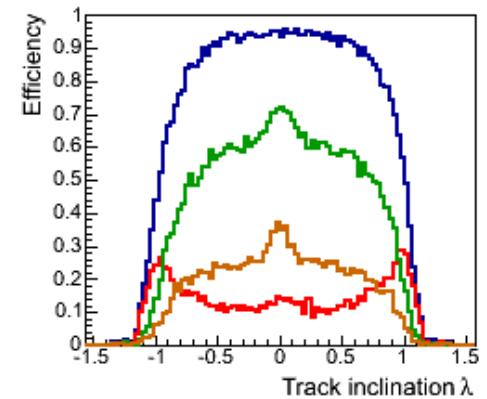
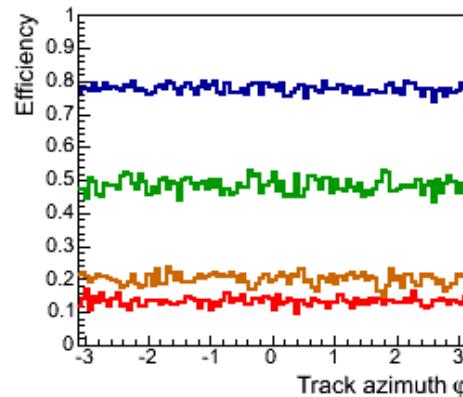
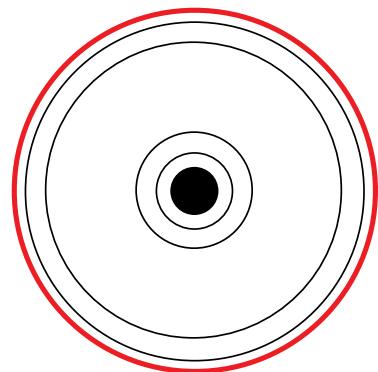
$m_3e$

Write a few 10'000 lines of code using Geant4



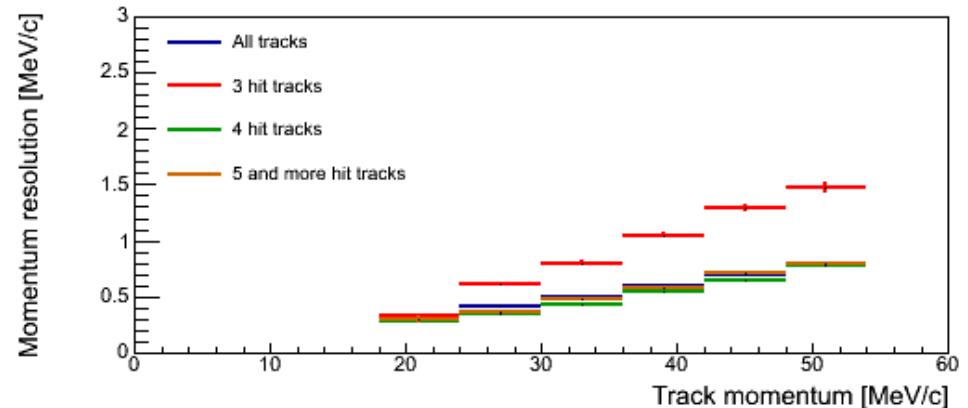
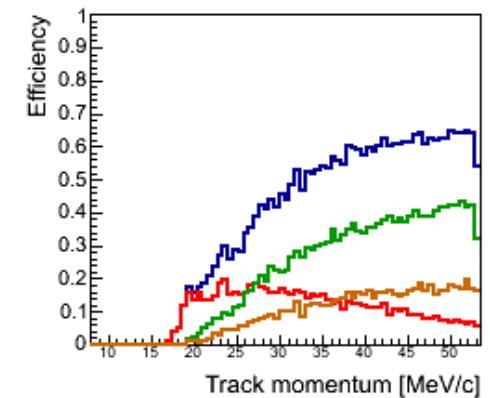
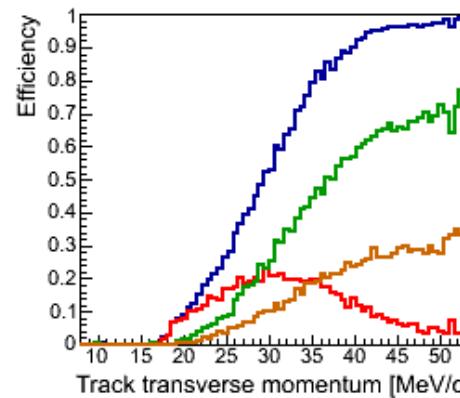
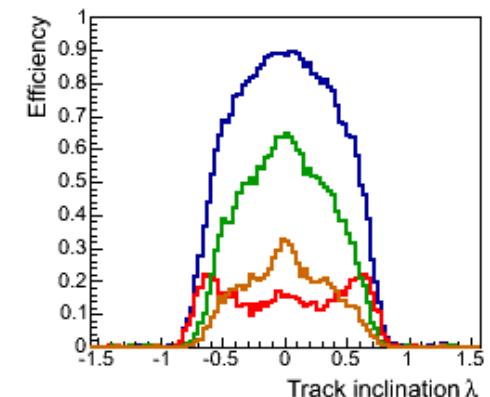
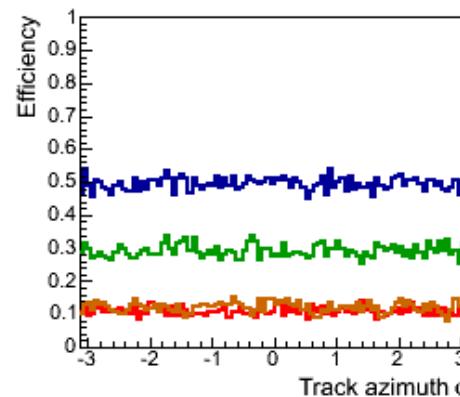
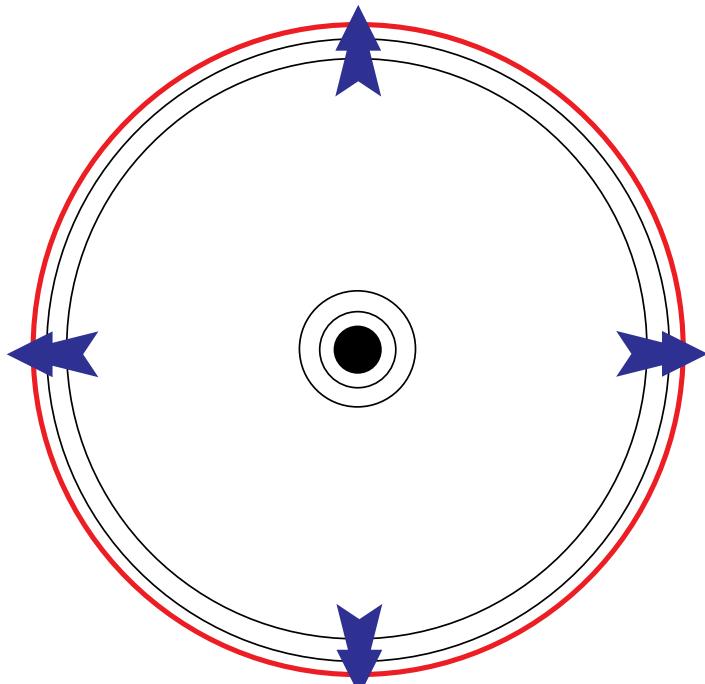


- Minimal detector,  
outer layers at  $r = 6.14$  and  $7.03\text{cm}$ ,  
 $24\text{ cm long}$
- Fibres just outside last layer
- Very high acceptance
- Very limited resolution due to small lever arm

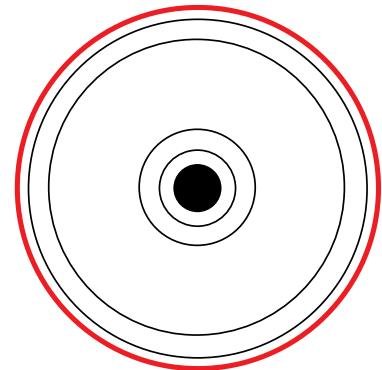




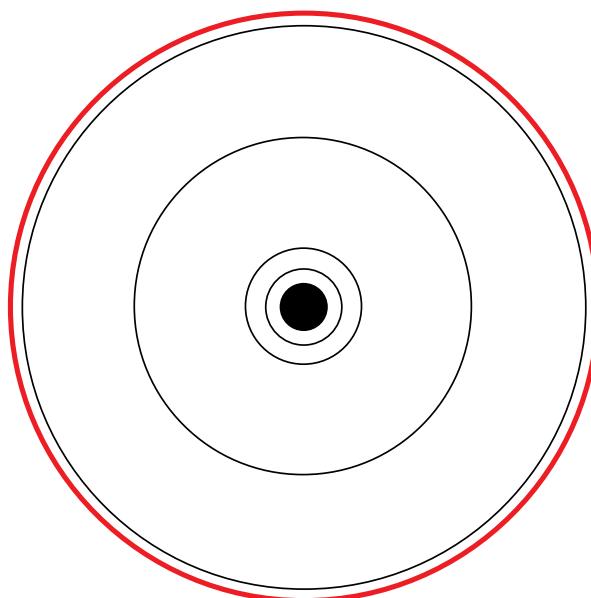
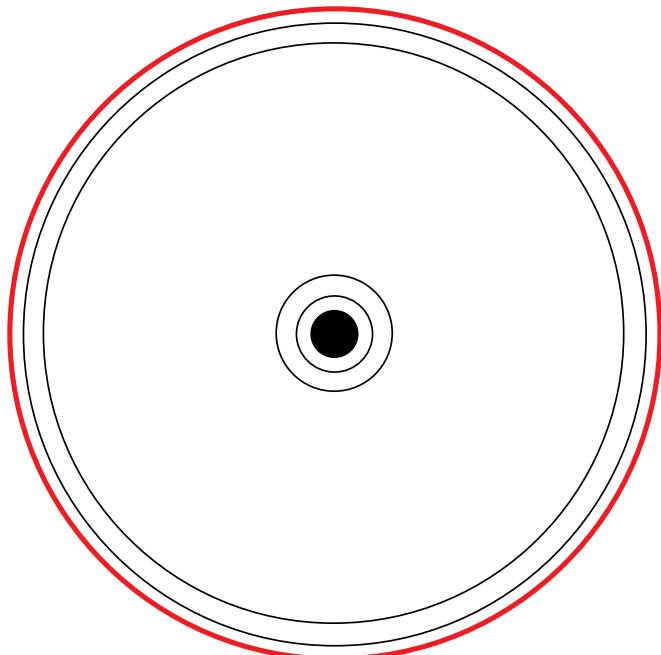
- Outer layers now at  $r = 12.1$  and  $12.9$  cm,  
24 cm long
- Fibres just outside last layer
- Detector **too short, blind at low  $p_T$**
- Improved resolution, but still **not sufficient**



$\mu_{3e}$



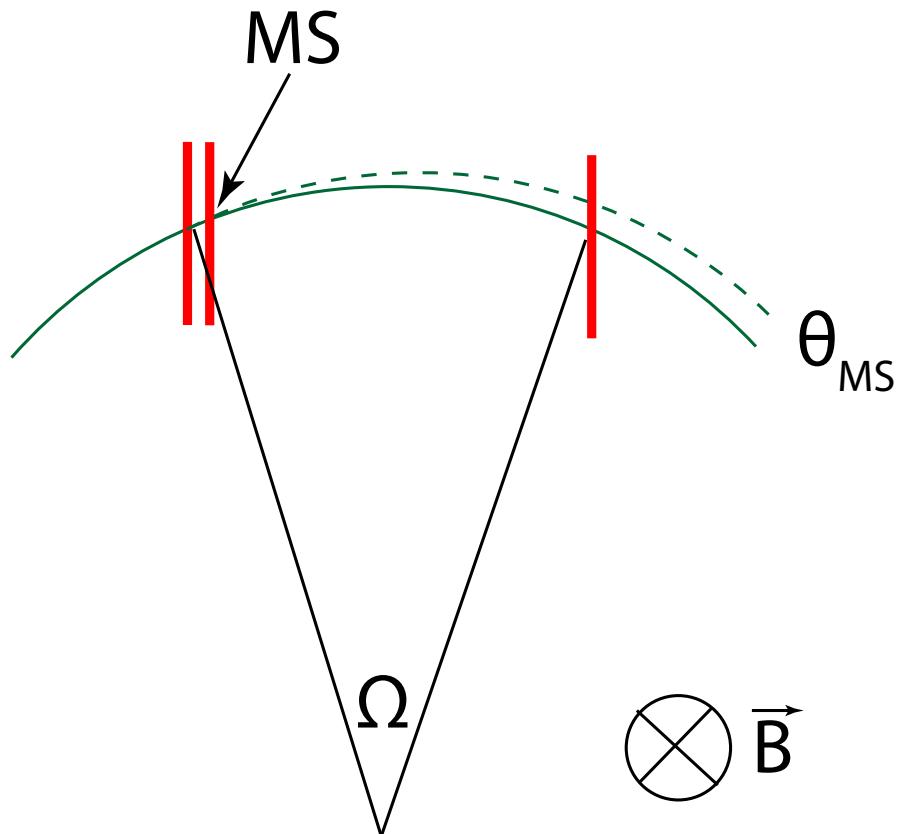
- Trade-off between lever arm and acceptance
- Due to large angle scatters, "lonely layers" very difficult for reconstruction with multiple tracks
- Fibres are heavy - bad for scattering, good for stopping curlers





# Momentum measurement

Momentum resolution given by (linearised):



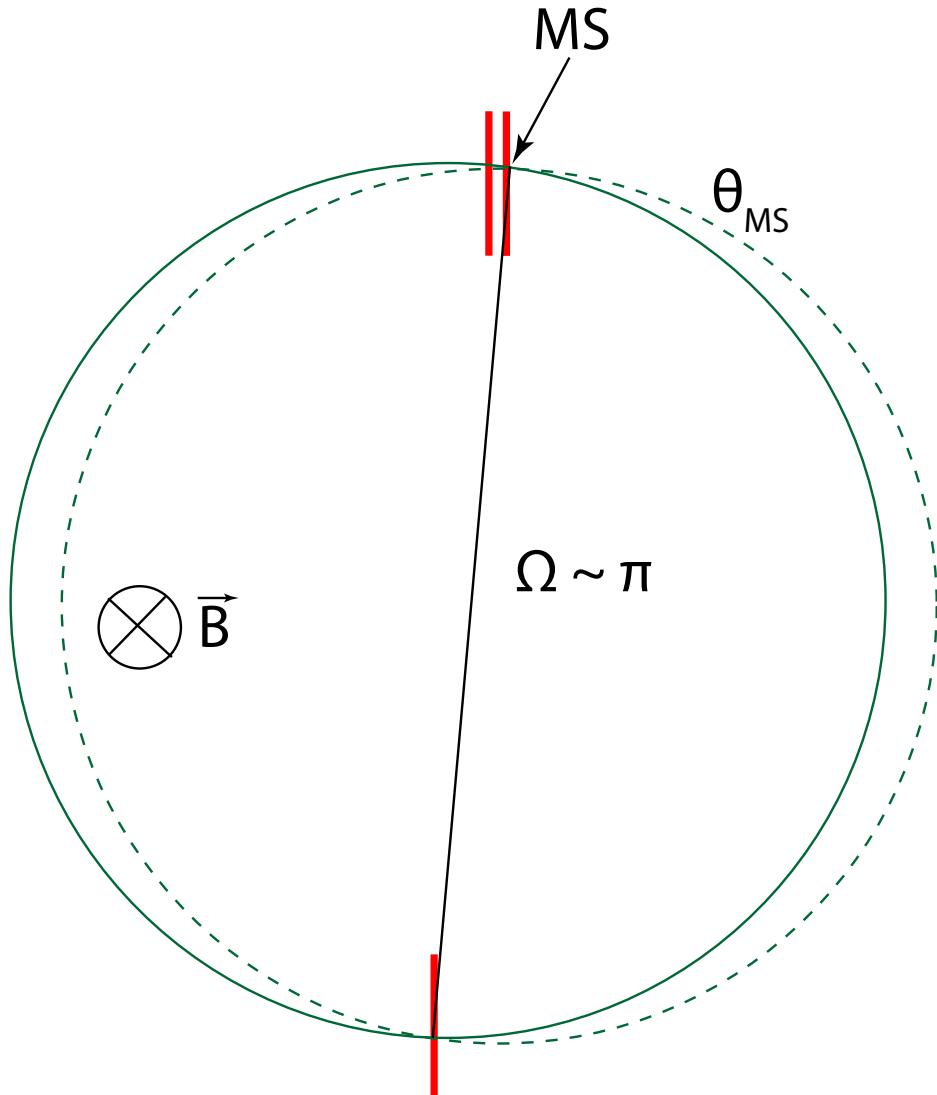
$$\sigma_p/p \sim \theta_{MS}/\Omega$$

- Precision requires **large lever arm** (large bending angle  $\Omega$ )



# Momentum measurement

Momentum resolution for half turns given by

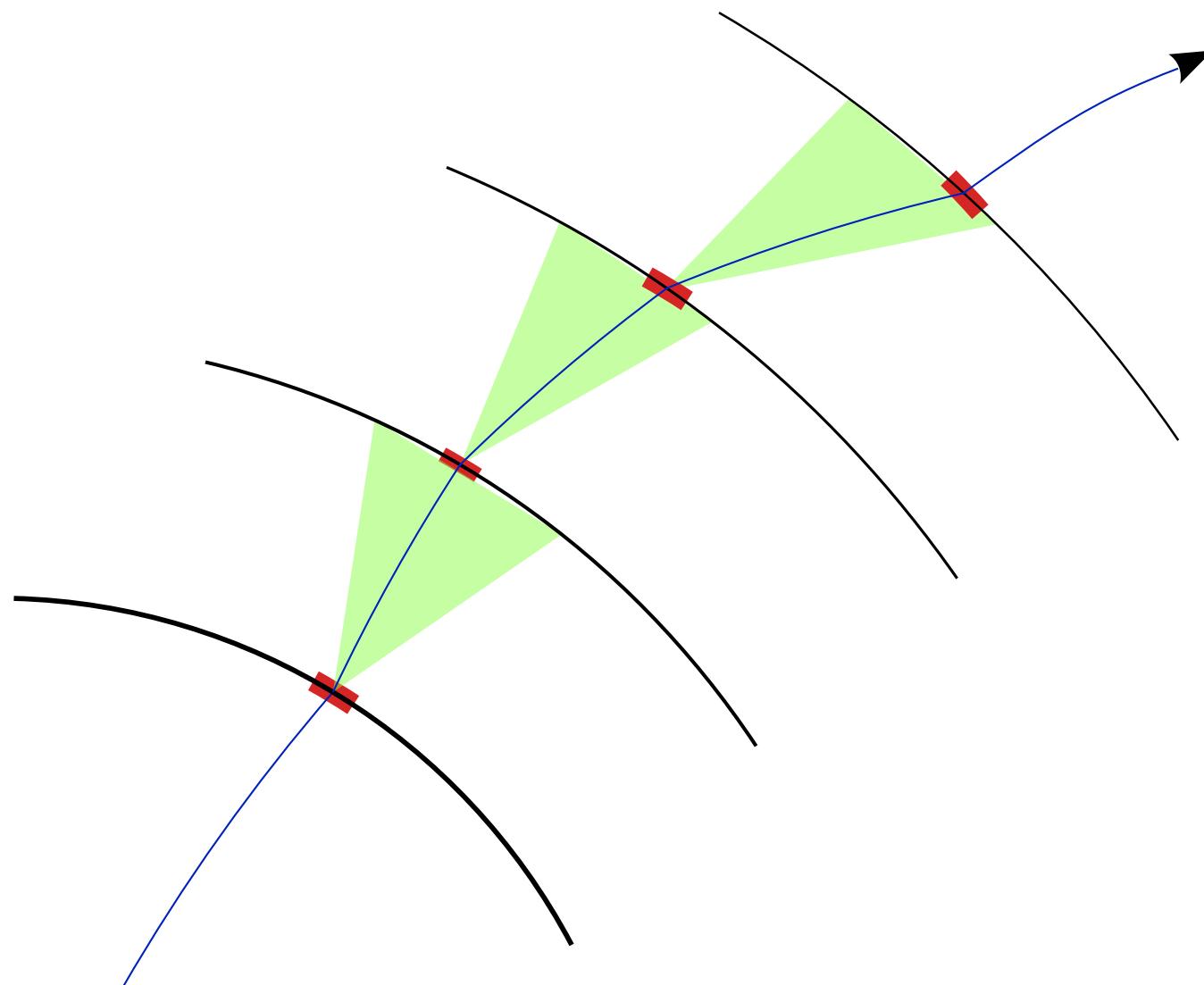


$$\sigma_p/p \sim O(\theta_{MS}^2)$$

- Best precision for half turns
- Design tracker to measure recurlers



# Advanced error propagation



### JACOBIAN COORDINATES $\rightarrow$ CARTESIAN

Standard unit vec (1000)

$$\frac{\partial \lambda}{\partial x_1} = 0 \quad (\text{in UV})$$

$$\frac{\partial \lambda}{\partial x_2} = \cos \theta (\sin \lambda \cos \theta + \cos \lambda)$$

$$\omega \lambda = 0 \quad (\tau_{\lambda} \sin \lambda - \lambda \omega)$$

$$+ (1-\cos \lambda) (\tau^2 \cos^2 \lambda) = 0$$

$$= \sin^2 \lambda \cos^2 \theta + \cos^2 \theta$$

$$+ \sin^2 \lambda \sin^2 \theta + \cos^2 \lambda = \cos^2 \theta$$

$$= 1$$

$$\frac{\partial \lambda}{\partial x_3} = \cos \lambda [\cos \theta (\sin \lambda \cos \theta) + \sin \theta (\sin \lambda \sin \theta)]$$

$$+ (1-\cos \lambda)^2 = 0$$

$$- \sin \lambda [\sin \lambda \cos \theta + \cos \lambda \sin \theta] = 0$$

$$\frac{\partial \lambda}{\partial x_{4,5}} = 0$$

$$g = k \cdot s$$

$$= -k \frac{\partial \lambda}{\partial x_1}$$

$$\frac{\partial \phi}{\partial x_1} = -\frac{\omega \lambda}{\cos \lambda} \left[ \begin{matrix} \sin \theta & \cos \theta \\ \cos \theta & -\sin \theta \end{matrix} \right] \sigma (\tau \cos \lambda)$$

$$\frac{\partial \phi}{\partial x_2} = \frac{1}{\cos \lambda} \left[ \begin{matrix} \cos \theta (\sin \lambda \cos \theta) \\ -\sin \lambda \cos \theta \end{matrix} \right]$$

$$+ (1-\cos \lambda) \left[ \begin{matrix} \cos \theta / \theta \\ -\sin \lambda \cos \theta \end{matrix} \right]$$

$$+ \omega \lambda \left[ \begin{matrix} \cos \theta (\sin \lambda \cos \theta) \\ -\sin \lambda \cos \theta \end{matrix} \right]$$

$$= \cos \lambda \sin \lambda \left[ \begin{matrix} \cos \theta / \theta \\ -\sin \lambda \cos \theta \end{matrix} \right]$$

$$\frac{\partial \phi}{\partial x_3} = -\frac{\omega \lambda}{\cos \lambda} \left[ \begin{matrix} \cos \theta & 0 \\ 0 & \cos \theta \end{matrix} \right]$$

$$+ (1-\cos \lambda) \left[ \begin{matrix} \cos \theta & 0 \\ 0 & \cos \theta \end{matrix} \right]$$

$$+ K \sin \lambda \cos \theta$$

$$+ \frac{K}{2} \sin(2\lambda) \cos \theta$$

$$\frac{\partial \phi}{\partial x_4} = \frac{\cos \lambda}{\cos \lambda} \left[ \begin{matrix} \cos \theta \cos \lambda + \sin \lambda \sin \theta (\tau \sin \theta) \\ \sin \lambda \cos \lambda + \cos \lambda \sin \theta (\tau \sin \theta) \\ \cos \lambda \cos \lambda - \sin \lambda \sin \lambda (\tau \cos \theta) \\ -\sin \lambda \cos \lambda - \cos \lambda \sin \lambda (\tau \cos \theta) \end{matrix} \right]$$

$$= 1 \left[ \begin{matrix} \cos \theta + \sin^2 \theta - \cos^2 \lambda \cos^2 \theta \\ + \cos^2 \lambda \cos \theta - \cos^2 \lambda \cos^2 \theta \end{matrix} \right]$$

$$= 1 - \cos^2 \lambda + \cos^2 \lambda \cos \theta + (1-\cos \lambda)(\cos \theta - 1)$$

$$\frac{\partial x_1}{\partial x_4} = \frac{\cos \lambda}{\cos \lambda} \sin \lambda \sin \theta + \frac{(1-\cos \lambda)}{\cos \lambda} (-\sin \lambda \cos \theta) = 0$$

$$\frac{\partial x_2}{\partial x_4} = \cos \lambda \left[ \begin{matrix} \frac{\cos \lambda}{\cos \lambda} \cos \theta + \frac{1-\cos \lambda}{\cos \lambda} \tau \sin \theta + 0 \\ \sin \lambda \cos \theta + \tau \sin \theta - \cos \lambda \sin \theta \end{matrix} \right]$$

$$= \frac{\cos \lambda}{\cos \lambda} \cos \theta$$

$$\frac{\partial x_1}{\partial x_5} = \cos \theta$$

$$\frac{\partial x_2}{\partial x_5} = \sin \lambda \cos \theta$$

$$\frac{\partial x_3}{\partial x_5} = \sin \lambda \sin \theta$$

$$\frac{\partial x_4}{\partial x_5} = 0$$

$$\frac{\partial x_5}{\partial x_5} = 1$$

$$\frac{\partial y_1}{\partial x_5} = \frac{\sin \lambda}{\cos \lambda} (\sin^2 \lambda \cos \theta + \cos^2 \lambda)$$

$$+ \frac{(1-\cos \lambda)}{\cos \lambda} \sigma \sin^2 \lambda \cos \theta$$

$$+ \frac{\sigma(\lambda-\cos \lambda)}{\cos \lambda} (\tau \cos \lambda) / (\sigma \cos \lambda)$$

$$= \frac{1}{K} \left( \sin^2 \lambda \cos^2 \theta + \cos^2 \lambda \sin^2 \theta + \sin^2 \lambda \sin^2 \theta - \cos^2 \lambda \cos^2 \theta - \sin^2 \lambda \cos^2 \theta - \cos^2 \lambda \sin^2 \theta \right)$$

$$= \frac{1}{K} (\sin^2 \lambda \sin^2 \theta - \cos^2 \lambda \theta)$$

$$\frac{\partial y_2}{\partial x_5} = \cos \lambda \left[ \begin{matrix} \frac{\cos \lambda}{\cos \lambda} (-\tau \sin \theta) \\ \frac{(1-\cos \lambda)}{\cos \lambda} \tau \sin \theta + 0 \end{matrix} \right]$$

$$= \frac{\cos \lambda}{\cos \lambda} (-\tau \sin \theta) + \frac{(1-\cos \lambda)}{\cos \lambda} \tau \sin \theta + 0$$

$$= \frac{\cos \lambda}{\cos \lambda} (\cos \lambda \sin \theta - \sin \lambda \cos \theta)$$

$$= \frac{\cos^2 \lambda}{\cos \lambda} \sin \theta$$

$$\frac{\partial y_3}{\partial x_5} = 0$$

$$\frac{\partial y_4}{\partial x_5} = -\sin \lambda \cos \theta$$

$$\frac{\partial y_5}{\partial x_5} = \sin^2 \lambda \cos \theta + \cos^2 \lambda$$

$$= \sin^2 \lambda \cos \theta$$

$$= \cos^2 \lambda$$

$$H = \vec{B}/\|\vec{B}\| = \sigma \cdot \vec{e} \quad \sigma = B_z/\|\vec{B}\|$$

$$T = \vec{P}_A(\vec{B}) = \begin{pmatrix} \cos \lambda \cos(\phi + \theta) \\ \cos \lambda \sin(\phi + \theta) \\ \sin \lambda \end{pmatrix}$$

$$N = H \times T / \|H \times T\|$$

$$= \sigma \begin{pmatrix} -\sin(\phi + \theta) \\ \cos(\phi + \theta) \\ 0 \end{pmatrix}$$

$$U = Z \times T / \|Z \times T\| = \sigma N$$

$$\Rightarrow N = \sigma U$$

$$V = T \times U = \begin{pmatrix} -\sin \lambda \cos(\phi + \theta) \\ -\sin \lambda \sin(\phi + \theta) \\ \cos \lambda \end{pmatrix}$$

$$\text{DEF } X_0 = X(\theta = 0)$$

$$U_0, U = \begin{pmatrix} -\sin \phi \\ \cos \phi \\ 0 \end{pmatrix}, \begin{pmatrix} -\sin(\phi + \theta) \\ \cos(\phi + \theta) \\ 0 \end{pmatrix}$$

$$= \cos(\theta - \phi) \vec{e}_x + \sin(\theta - \phi) \vec{e}_y$$

$$V_0, V = \begin{pmatrix} -\sin \lambda \cos(\phi + \theta) \\ -\sin \lambda \sin(\phi + \theta) \\ \cos \lambda \end{pmatrix}$$

$$= \sin \lambda [\cos \theta \sin(\phi + \theta) - \sin \theta \cos(\phi + \theta)]$$

$$U_0, V = \begin{pmatrix} -\sin \phi \\ \cos \phi \\ 0 \end{pmatrix}, \begin{pmatrix} -\sin \theta \cos(\phi + \theta) \\ -\sin \theta \sin(\phi + \theta) \\ \cos \theta \end{pmatrix}$$

$$= \sin \theta [\sin \phi \cos(\phi + \theta) - \cos \phi \sin(\phi + \theta)]$$

$$= \sin \theta \sin(\theta - \phi)$$

$$H \cdot V = H U_0 = \sigma \cdot \cos \lambda$$

$$H \cdot U = H U_0 = 0$$

$$H \times V_0 = \begin{pmatrix} 0 \\ 0 \\ \sigma \end{pmatrix} \times \begin{pmatrix} -\sin \lambda \cos(\phi + \theta) \\ -\sin \lambda \sin(\phi + \theta) \\ \cos \lambda \end{pmatrix} = \sigma \begin{pmatrix} \sin \lambda \sin(\phi + \theta) \\ -\sin \lambda \cos(\phi + \theta) \\ 0 \end{pmatrix}$$

$$H \times U_0 = \begin{pmatrix} 0 \\ 0 \\ \sigma \end{pmatrix} \times \begin{pmatrix} -\sin \phi \\ \cos \phi \\ 0 \end{pmatrix} = \sigma \begin{pmatrix} -\cos \phi \\ 0 \\ 0 \end{pmatrix}$$

$$U_0 = \begin{pmatrix} -\sin \phi \\ \cos \phi \\ 0 \end{pmatrix} = \begin{pmatrix} \cos \phi \\ \sin \phi \\ 0 \end{pmatrix}$$

$$P = \frac{\omega^2 \sin^2 \phi}{2 \pi f}$$

$$\vec{P} = \vec{P}_0 = \frac{2 \pi f}{K} (\theta - \sin \theta) \vec{e}_z + \frac{\sin \theta}{K} \vec{e}_x + \frac{-\cos \theta}{K} (\vec{e}_x \times \vec{P}_0)$$

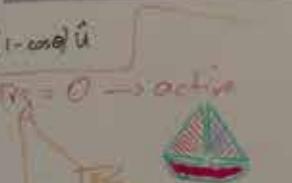
$$2 \times \vec{P}_0 = 2 \pi f \vec{P}_0 \quad \vec{P}_0 = \frac{\cos \lambda}{\sin \lambda} \vec{U}_0$$

$$2 \times \cos \lambda \vec{U}_0 + \sin \lambda \vec{T}_0 = \frac{\cos \lambda}{\sin \lambda} \vec{U}_0$$

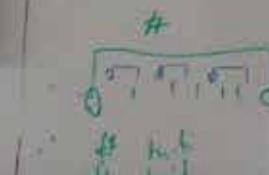
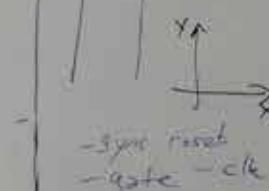
$$+ \frac{\sin \lambda}{\sin \lambda} (\theta - \sin \theta) (\cos \vec{V} + \sin \vec{T}) + \frac{\cos \theta}{\sin \lambda} \cdot \frac{\cos \lambda}{K} (1 - \cos \theta) \vec{U}$$

$$+ \frac{\sin \lambda}{\sin \lambda} (\theta - \sin \theta) \vec{V} + \frac{\sin \lambda (\theta - \sin \theta)}{K} \vec{T} + \frac{\cos \theta}{K} (1 - \cos \theta) \vec{U}$$

$$+ \frac{1}{K} (\sin \theta - \sin \theta) \sin(\theta + \sin \theta)$$



bit mir egal.  
Ich las' das jetzt so.



$$E = 0 \text{ (low)} \Rightarrow 1, 1, 1 \text{ V}$$

$$E = 0 \text{ (high)} \Rightarrow 3, 6 \text{ V}$$

$$\overline{\text{Set}} \rightarrow \overline{Q} = 1$$

$$\overline{\text{Trig}} \rightarrow \overline{I} \rightarrow \overline{Q} = 1 \text{ st}$$

$$\overline{\text{Trig}} = 0 \rightarrow \overline{D} = 1 \rightarrow \overline{Q} = 0$$

$$\rightarrow \overline{\text{Trig}} = 1 \rightarrow \overline{D} = 1 \rightarrow \overline{Q} = 0$$

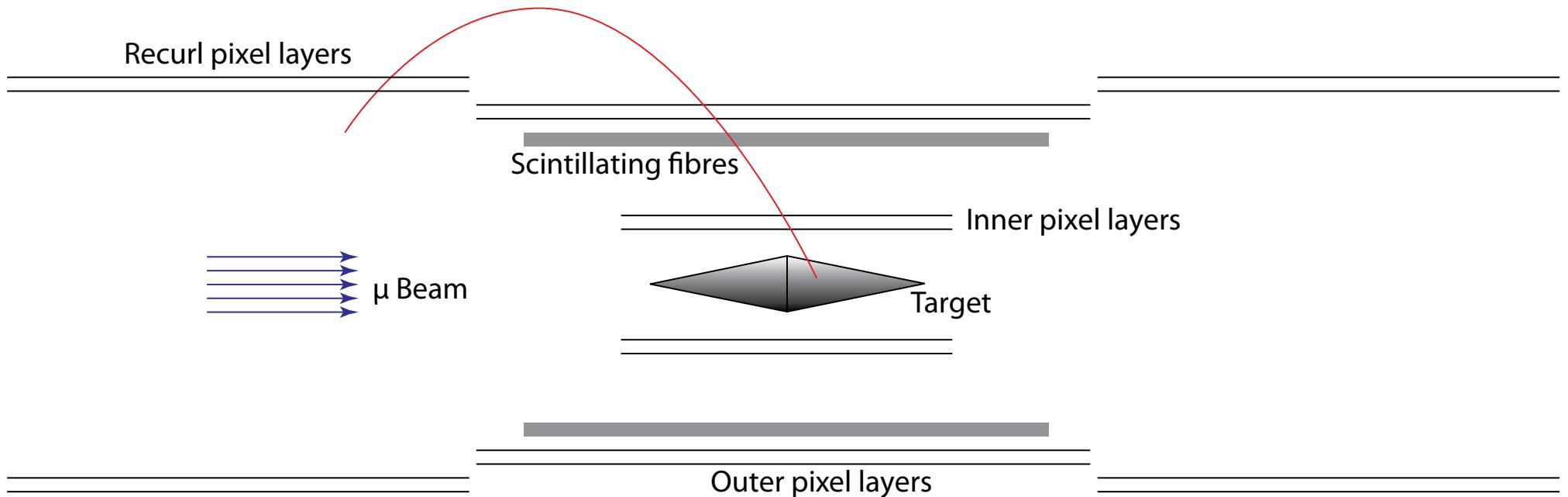
$$-4 \text{ J}$$

$$80 \text{ us}$$

$$10 \text{ us}$$

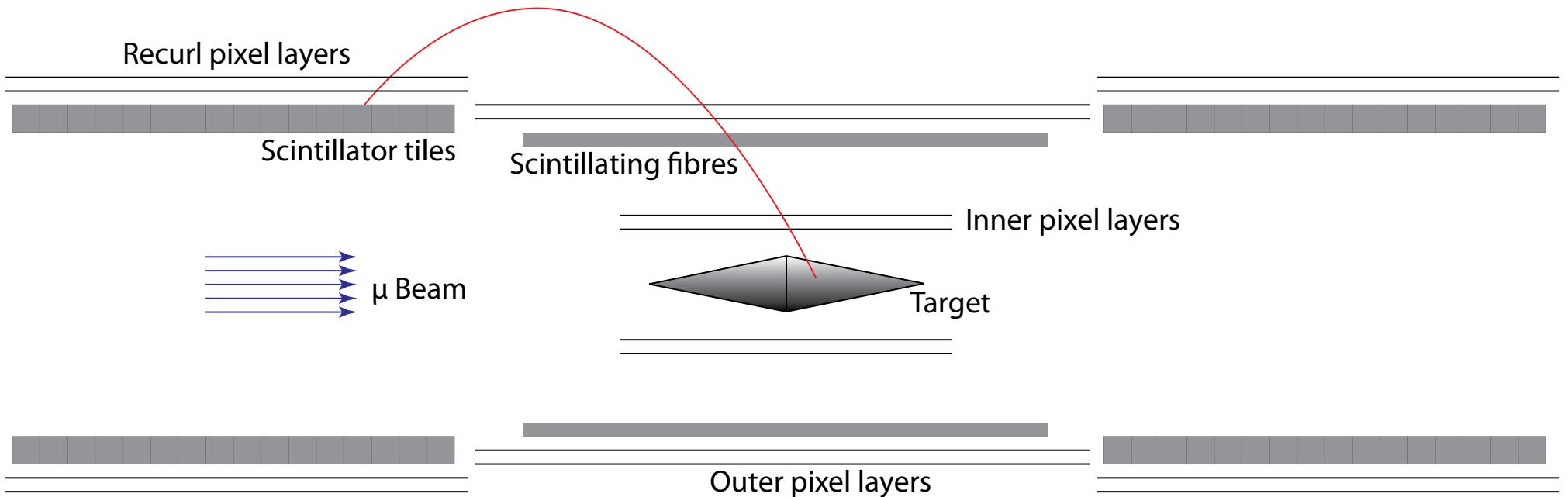


# Detector concept



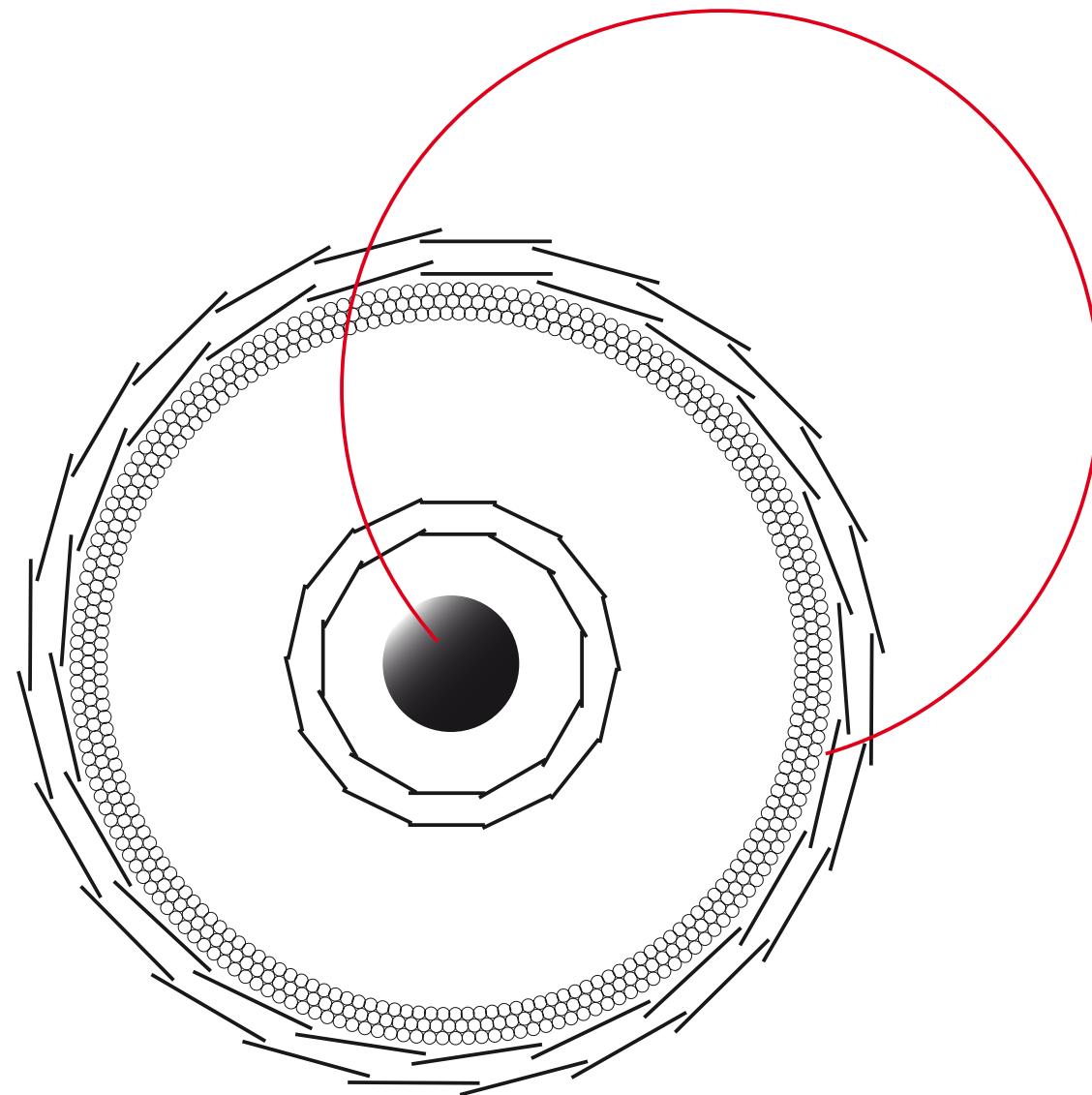


# Detector concept



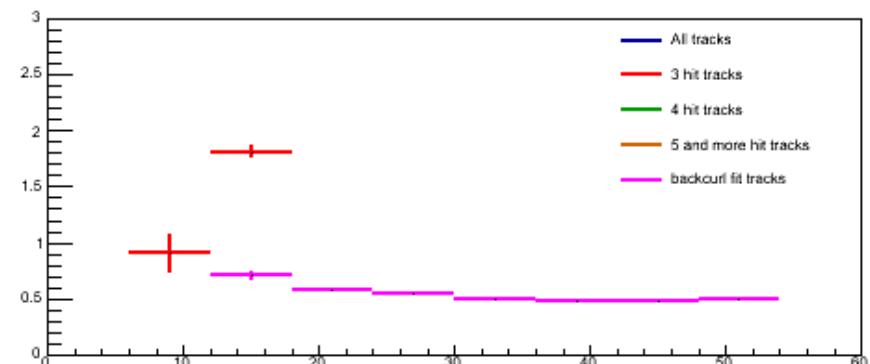
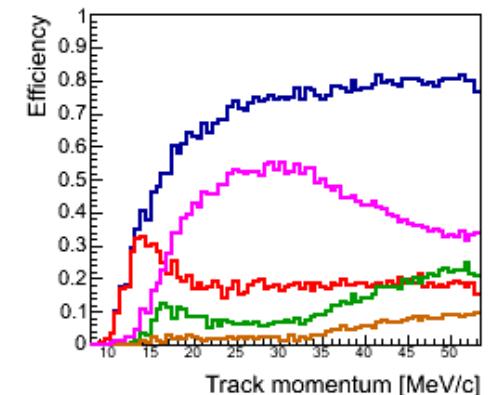
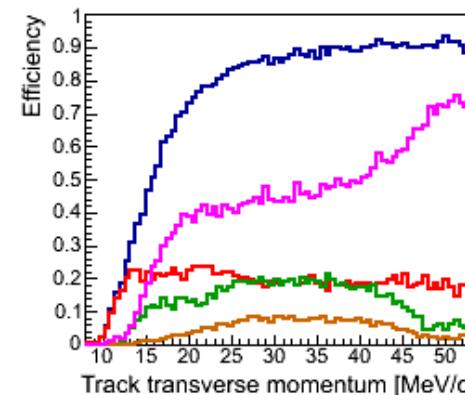
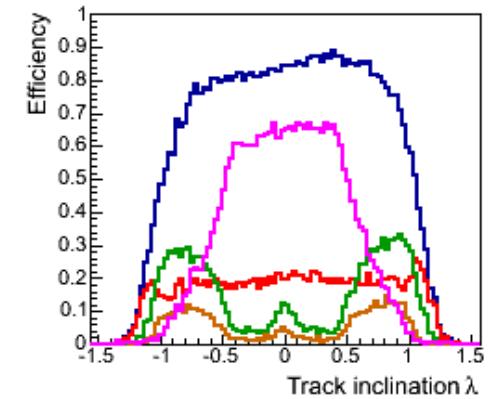
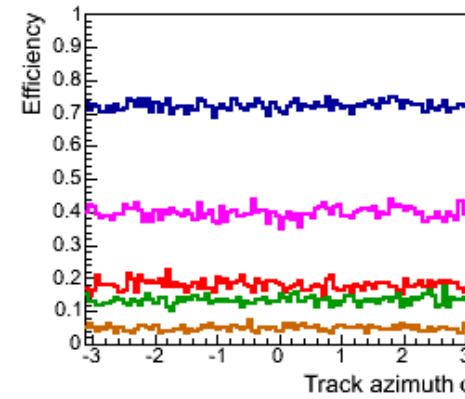
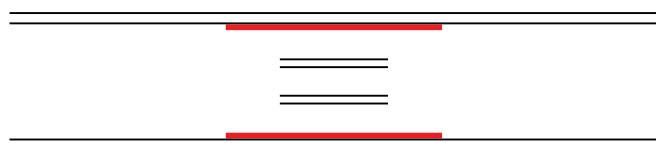
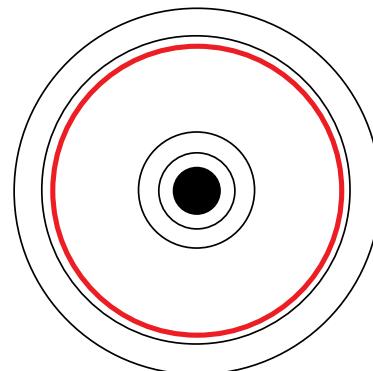


# Detector Concept



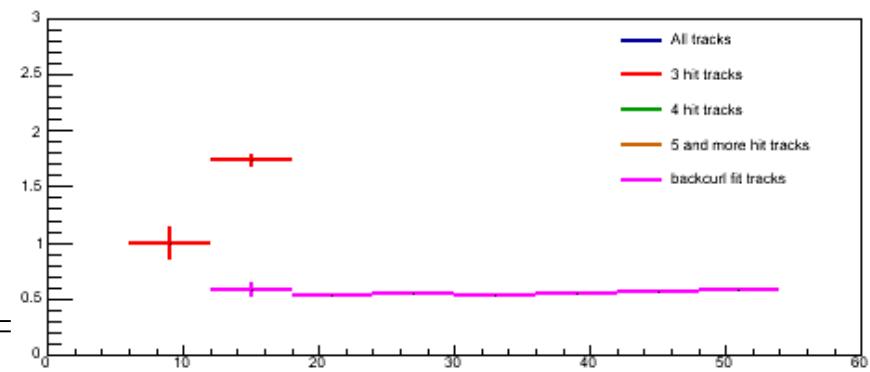
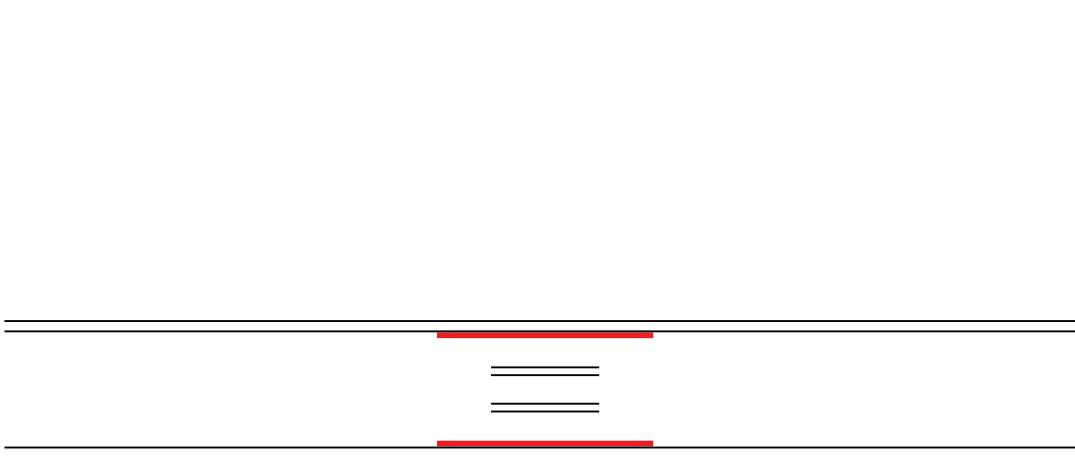
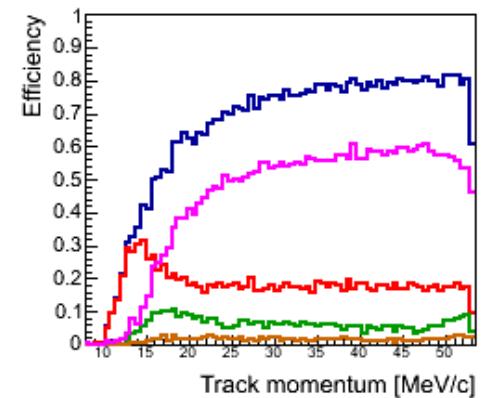
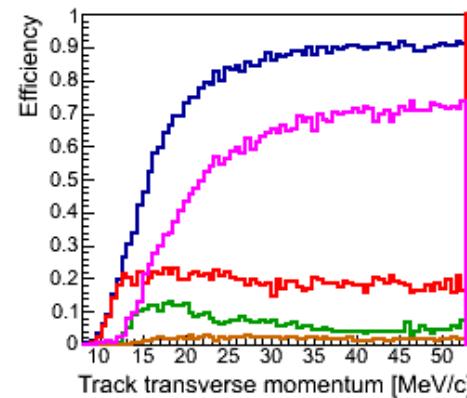
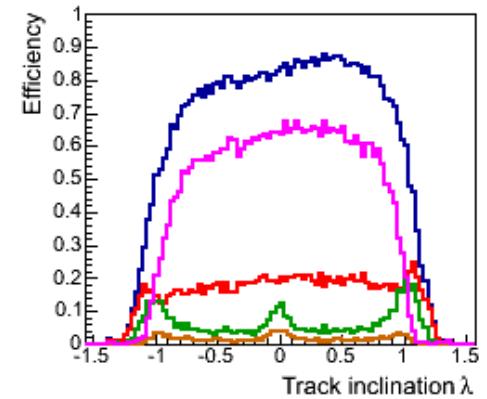
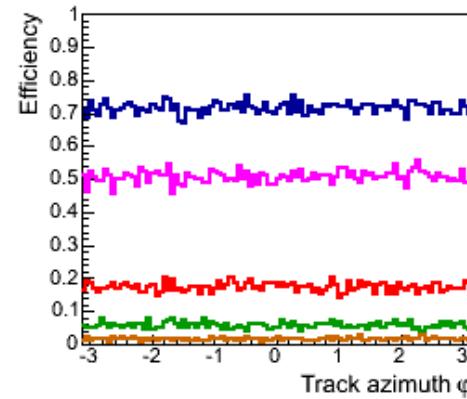


- Use recurlers
- Resolution and momentum reach look very promising
- Here:  
Using 72 cm outer layers: too short

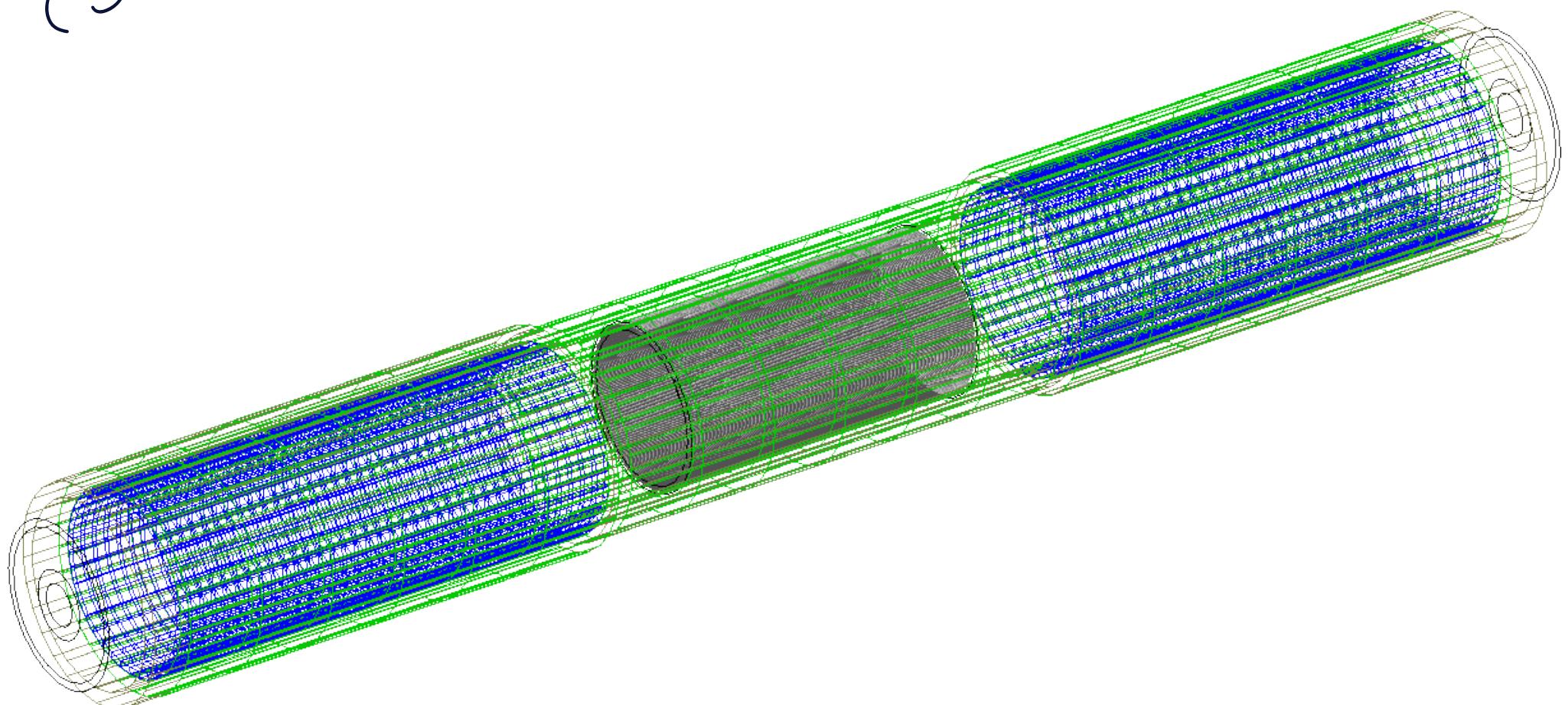




- 120 cm outer layer: long enough
- About 0.5 MeV/c momentum resolution, flat in momentum as expected from calculation
- Seem to have a working concept...

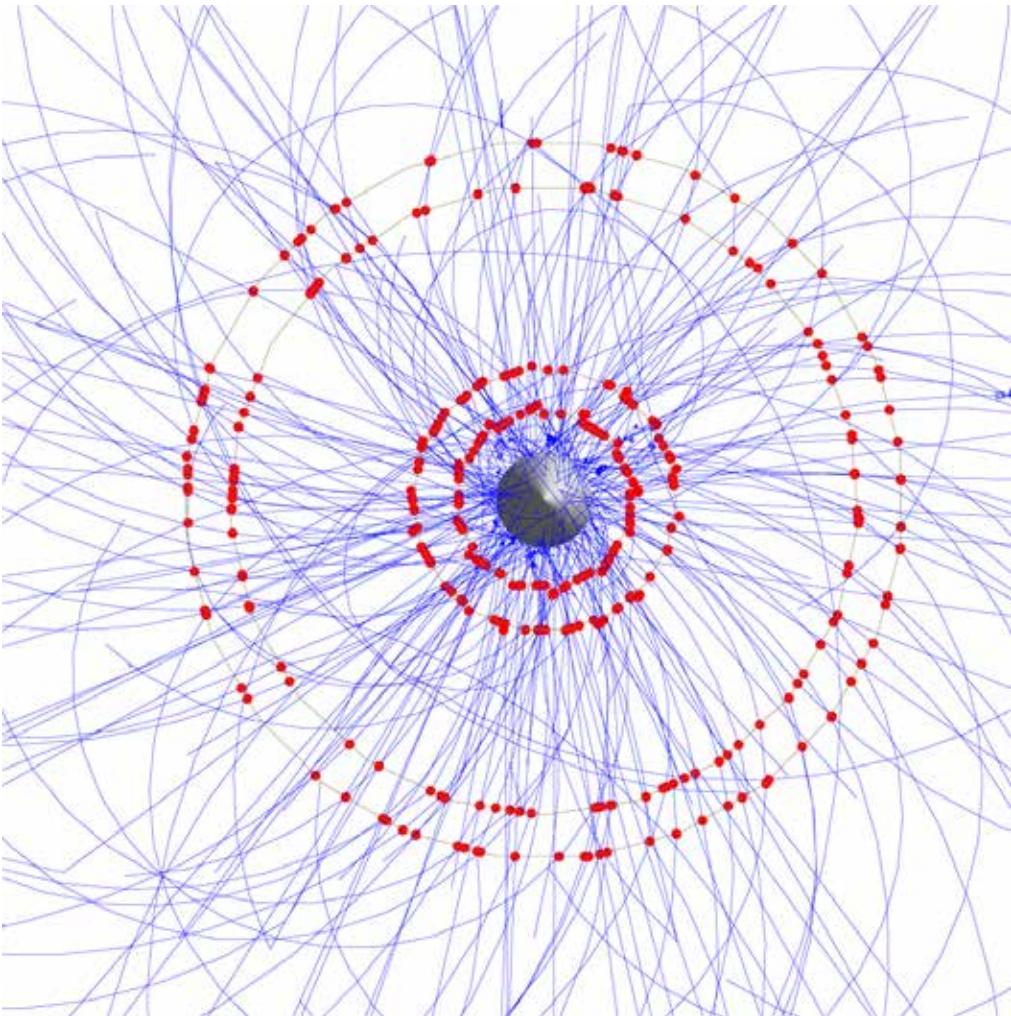


$m_{3e}$





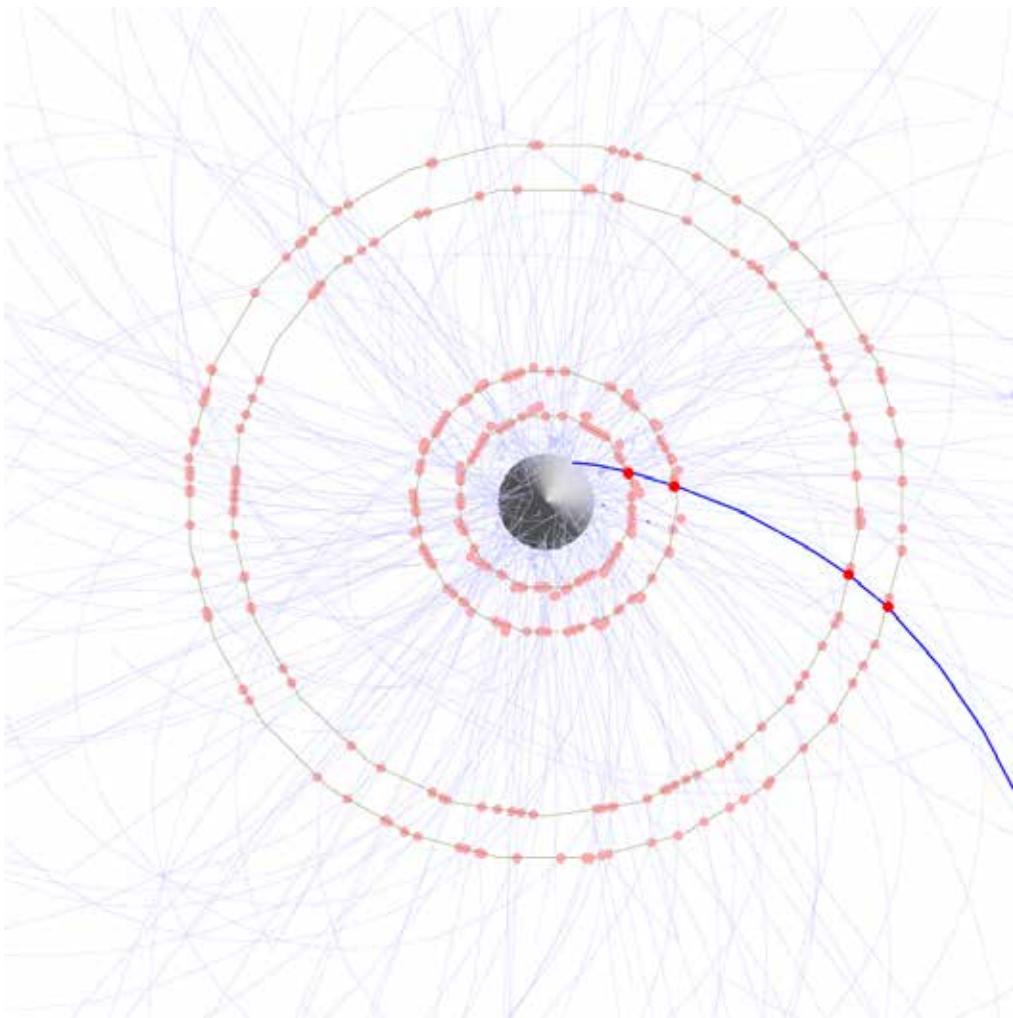
# Timing



- The silicon detector is read out with 20 MHz (power consumption)
- Hundred electron tracks in one frame
- Can be resolved by **hodoscope**
- Scintillating fibres in central part  $\sim 1$  ns
- Scintillating tiles in extensions  $\sim 100$  ps
- Resolution  $\sim 100$  ps - on average one electron



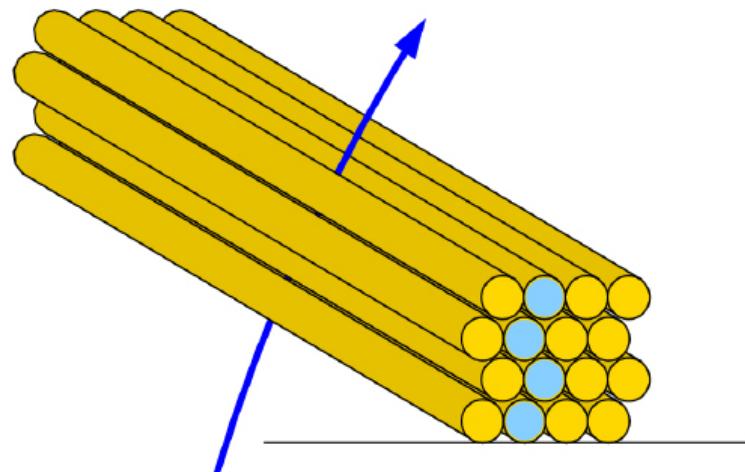
# Timing



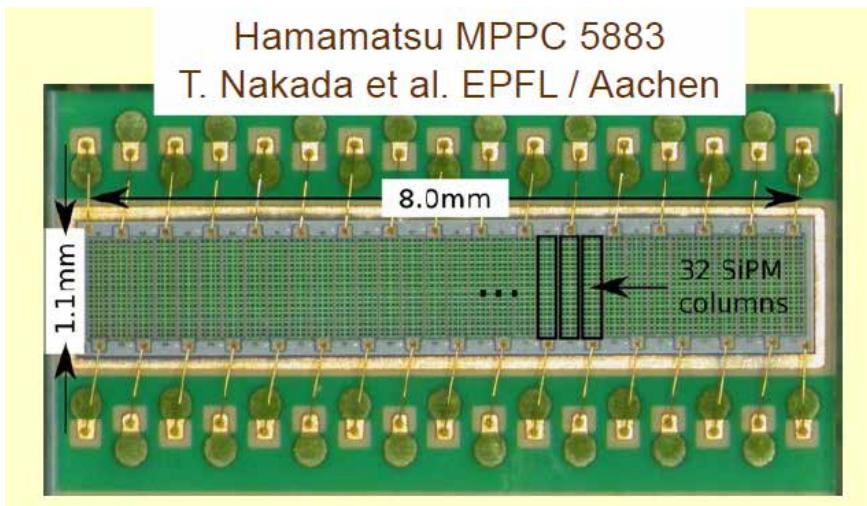
- The silicon detector is read out with 20 MHz (power consumption)
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- Can be resolved by **hodoscope**
- Scintillating fibres in central part  $\sim 1$  ns
- Scintillating tiles in extensions  $\sim 100$  ps
- Resolution  $\sim 100$  ps - on average one electron



# Scintillating fibres



- High spatial resolution for matching with pixels
- 200-250  $\mu\text{m}$  fibres
- Photosensor: SiPM array; high gain, high frequency
- Readout via switched capacitor array (PSI developed DRS5 chip)





And suddenly, we have something rather big...

250 Million Pixels

10'000s of Fibres

What to do with the data?



Can we build a trigger?

Triple coincidence from timing detectors?

Buffering of silicon hit data? Where?

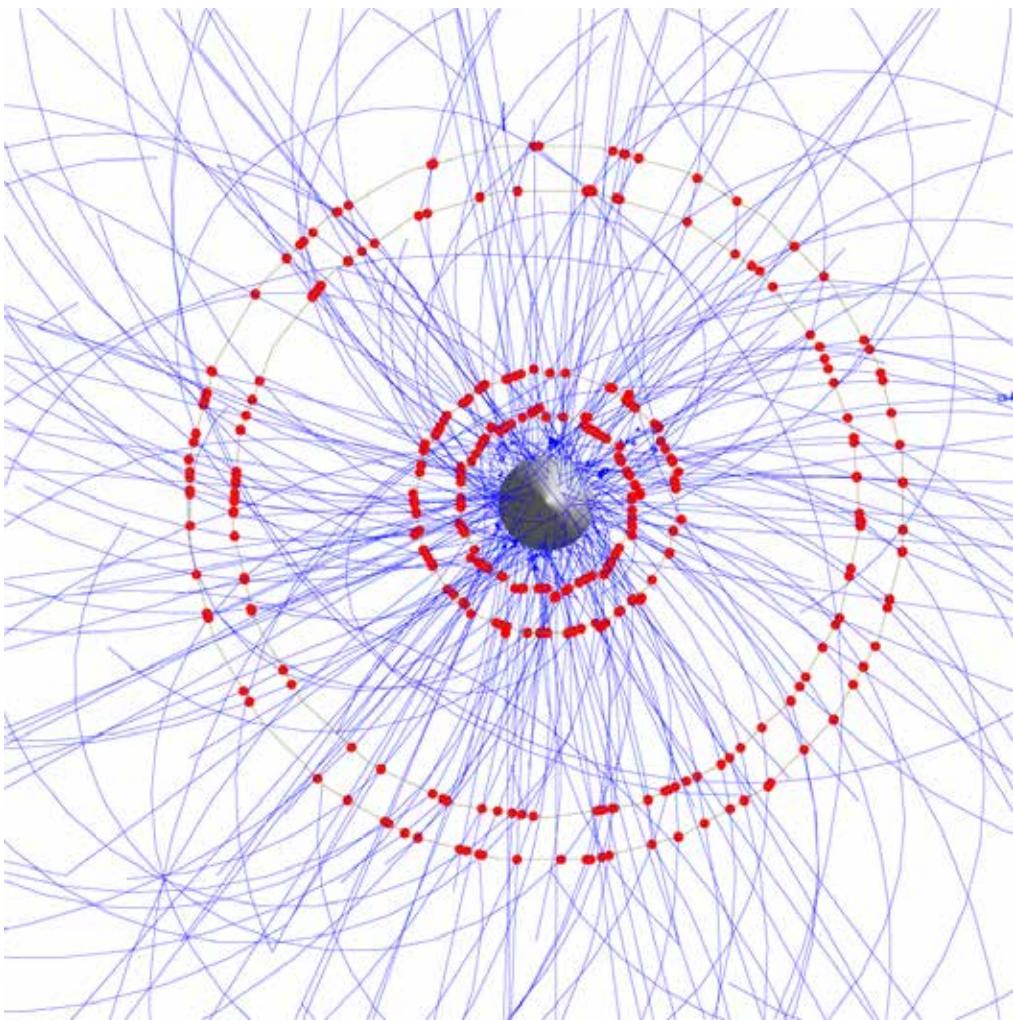


No trigger - push everything out!

> 100 Gbyte/s



# Data acquisition



## Pixel detector:

- 250 million (zero suppressed) channels
- $\sim 2000$  hits per 50 ns frame

## Fibre tracker:

- $\sim 10'000$  (zero suppressed) channels

For a muon stop rate of  $2 \times 10^9/\text{s}$ :

- Data rate  $\sim 150$  Gbyte/s



# Online filter farm



## Online software filter farm

- Continuous front-end readout  
(no trigger)
- FPGAs and Graphics Processing Units  
(GPUs)
- Online track and event reconstruction
- Data reduction by factor ~1000
- Data to tape < 100 Mbyte/s



It could work...

we sent a letter of intent to PSI last January

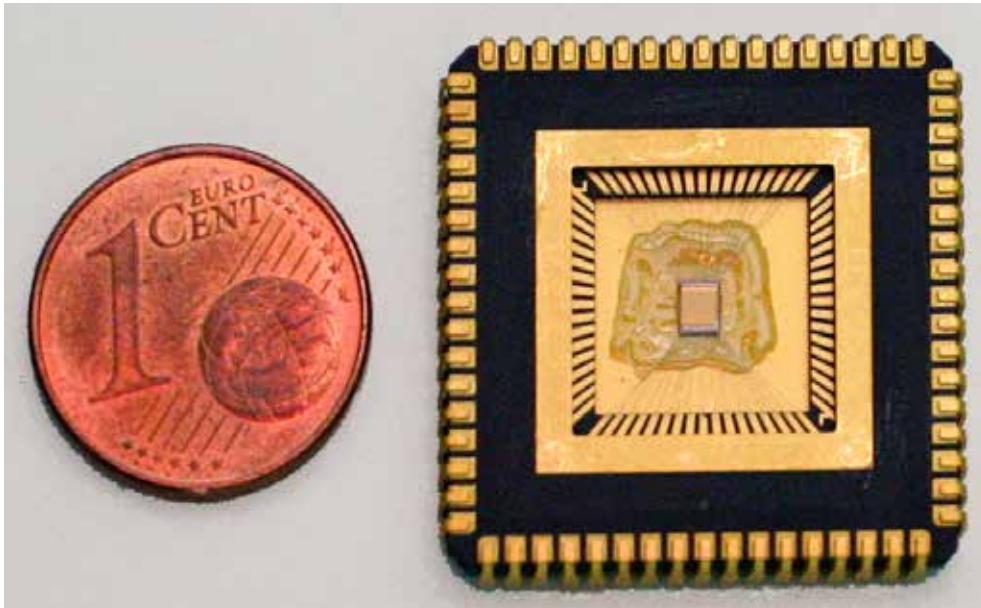
...the real work has started

we want to hand in a full proposal in December

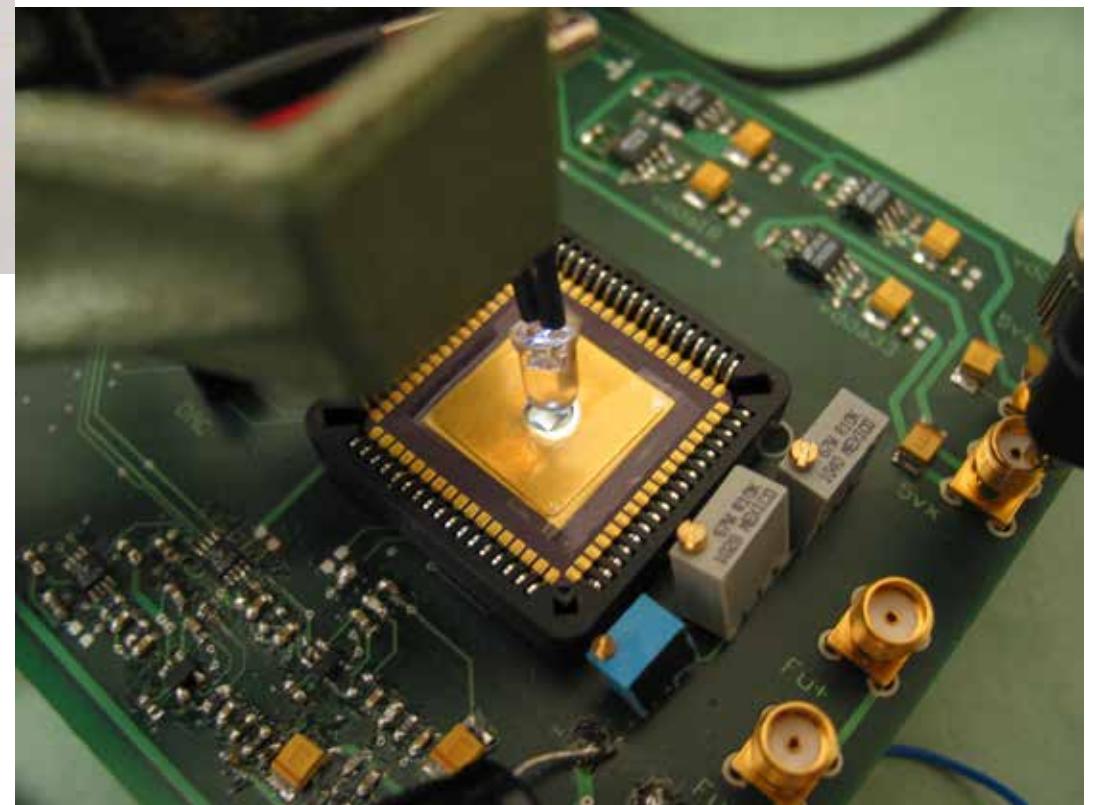


# Sensor prototype tests

University of Heidelberg/ZITI Mannheim

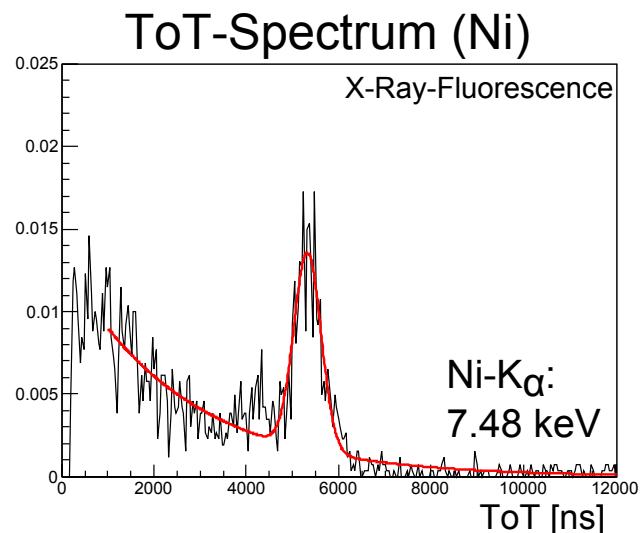
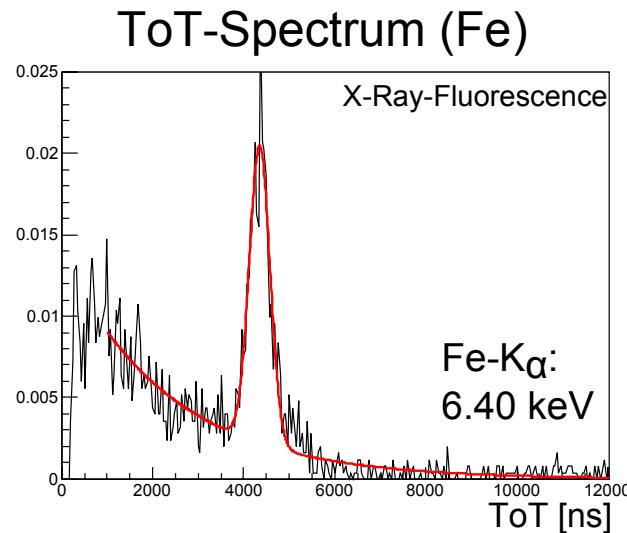


- Second generation prototype in IBM 180 nm process **under test**
- Next submission should come back soon





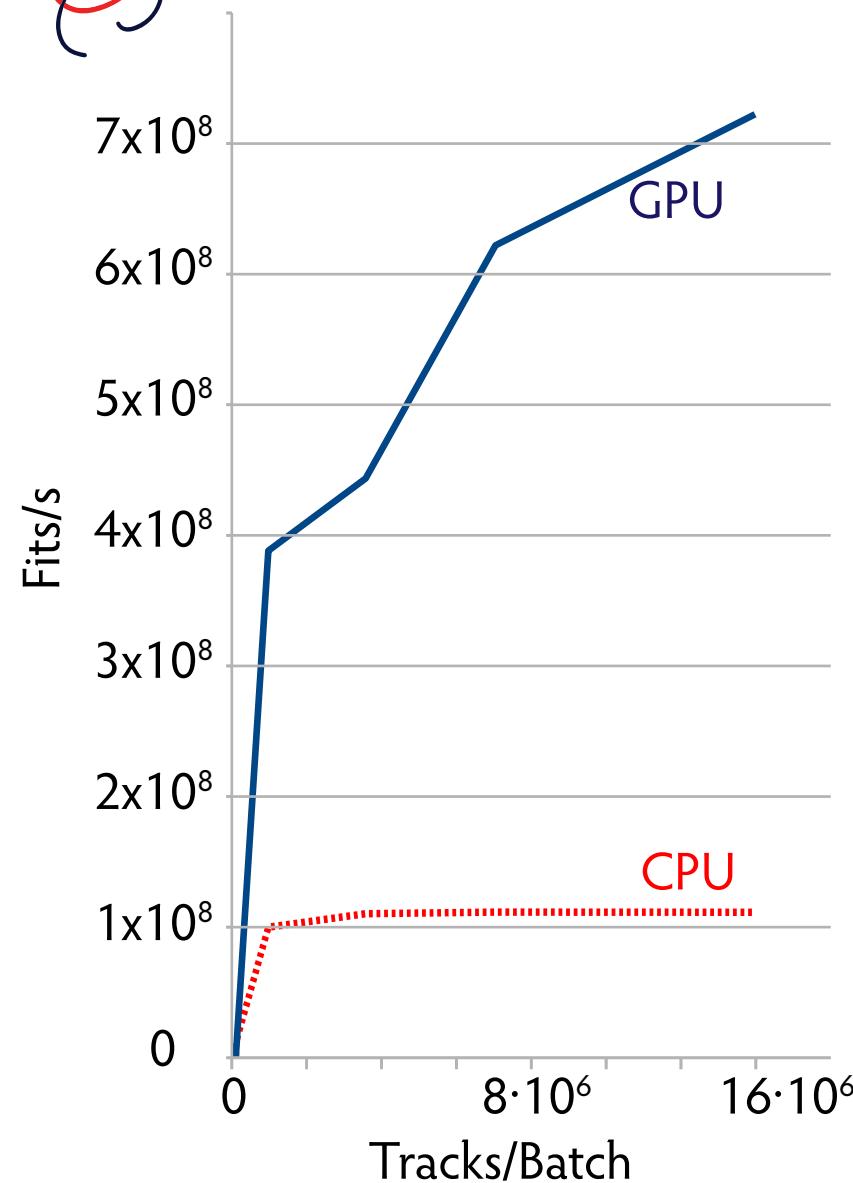
# Sensor tests



Prototype sensors perform well

- Signal/Noise > 40
- Nice time-over-threshold spectra (X-ray fluorescence)

# Starting simple: GPU circle fits



- Send data to GPU - process - return results (double buffered)
- Fit circle to four points
- Using non-iterative algorithm by V. Karimäki (~400 FLOPS/ 32 bytes input)
- OpenCL implementation on AMD Radeon HD 7990 (3 GB) on an AMD FX 8150 system
- Factor 7 faster than 8 core CPU
- Limited by bus speed

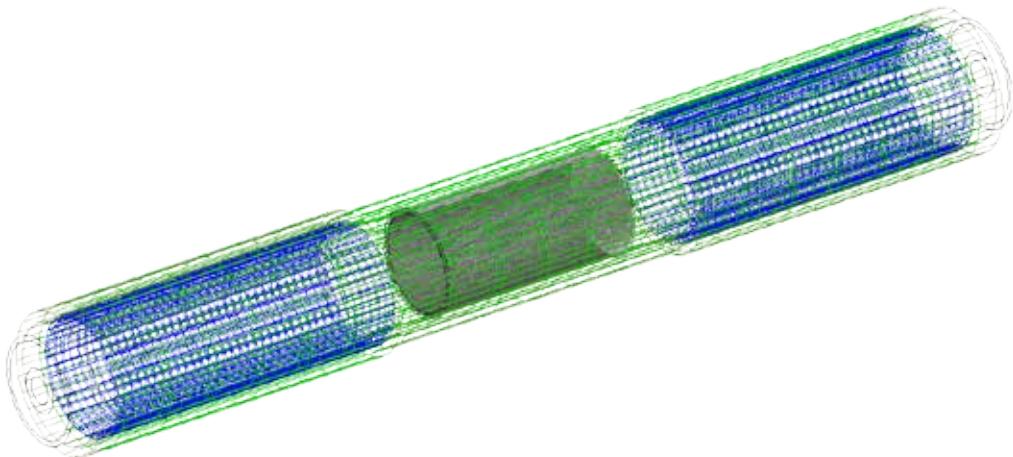


Lots to be done...

...a great team...



# Summary

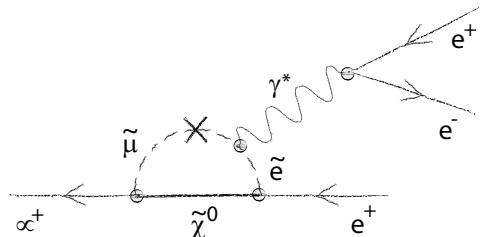


- Lepton flavour violation might be just around the corner
- Novel concept for an experiment searching for  $\mu \rightarrow eee$
- Technologies: HV monolithic pixel sensor and fibre tracker
- Sensitivity of  $10^{-16}$  feasible
- After more than 20 years, time has come to go beyond the very successful SINDRUM experiment





# A general effective Lagrangian



$$L_{\mu \rightarrow eee} = 2 G_F ( m_\mu A_R \bar{\mu}_R \sigma^{\mu\nu} e_L F_{\mu\nu} + m_\mu A_L \bar{\mu}_L \sigma^{\mu\nu} e_R F_{\mu\nu} )$$

Tensor terms (dipole) e.g. supersymmetry

Four-fermion terms e.g. Higgs, Z', doubly charged Higgs....

$$+ g_1 (\bar{\mu}_R e_L) (\bar{e}_R e_L)$$

$$+ g_2 (\bar{\mu}_L e_R) (\bar{e}_L e_R)$$

scalar

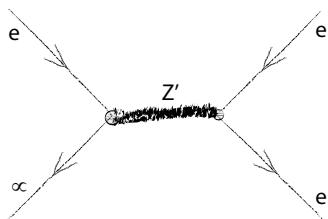
$$+ g_3 (\bar{\mu}_R \gamma^\mu e_R) (\bar{e}_R \gamma^\mu e_R)$$

$$+ g_4 (\bar{\mu}_L \gamma^\mu e_L) (\bar{e}_L \gamma^\mu e_L)$$

$$+ g_5 (\bar{\mu}_R \gamma^\mu e_R) (\bar{e}_L \gamma^\mu e_L)$$

$$+ g_6 (\bar{\mu}_L \gamma^\mu e_L) (\bar{e}_R \gamma^\mu e_R) + \text{H. C.}$$

vector

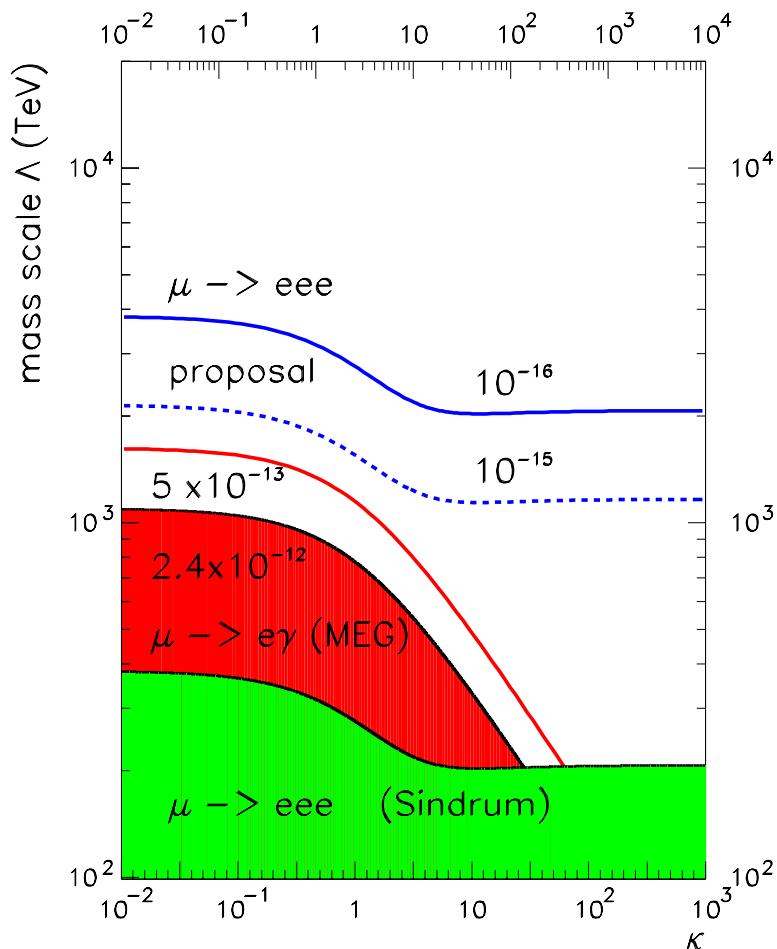


(Y. Kuno, Y. Okada,  
Rev.Mod.Phys. 73 (2001) 151)



# How good would we have to be?

$$\mathcal{L}_{LFV} = \frac{m_\mu}{(\kappa+1)\Lambda^2} A_R \bar{\mu}_R \sigma^{\mu\nu} e_L F_{\mu\nu} + \frac{\kappa}{(\kappa+1)\Lambda^2} (\bar{\mu}_L \gamma^\mu e_L) (\bar{e}_L \gamma^\mu e_L)$$



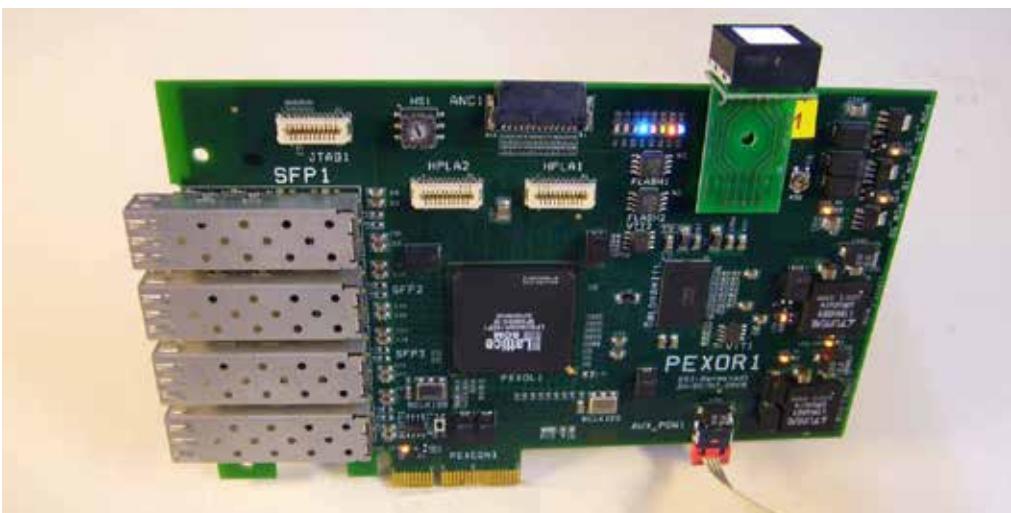
- Retain only one loop term and one contact term
- Ratio  $\kappa$  between them
- Common mass scale  $\Lambda$
- Allows for sensitivity comparisons between  $\mu \rightarrow eee$  and  $\mu \rightarrow e\gamma$
- In case of dominating dipole couplings ( $\kappa = 0$ ):

$$\frac{B(\mu \rightarrow eee)}{B(\mu \rightarrow e\gamma)} = 0.006 \quad (\text{essentially } \alpha_{em})$$



Technical challenge: Getting data into and out of GPU fast enough

- PCIe 3.0
- PCI cards with optical links will do DMA to GPU memory (PANDA development)



Floating point power sufficient to fit  $O(10^{10})$  tracks on  $O(50)$  devices

M. Turany et al., GSI/Giessen University



# Collaboration



UNIVERSITÉ  
DE GENÈVE



PAUL SCHERRER INSTITUT



Eidgenössische Technische Hochschule Zürich  
Swiss Federal Institute of Technology Zurich

A proto-collaboration has formed and submitted a letter of intent to PSI

- University of Geneva
- University of Heidelberg
- Paul Scherrer Institut (PSI)
- University of Zurich
- ETH Zurich

Also in contact with other interested groups

Goal: Detailed Research Proposal by 2013