Physics at the LHC - WS 2021-2022

CP violation in charm decays

Lecture 2/4 - Monday Jan 17th 2022

Martino Borsato

Largely inspired from M.Williams LHCb StarterTalk



Charming physics

• Charm mesons



- Why study charm?
 - Decays by changing flavour
 → involves virtual heavy W
 - Far from QCD scale
 → perturbative calculations
 - Contains up-type quark

 → provides unique probe of flavour structure
 - Complementary to studies in *B* and *K*
 - Often required input for *B* studies



	B^0	D^0
<i>m</i> [GeV]	5,28	1.86
τ [ps]	1.5	0.41

Charm at LHCb

$$\begin{split} & \nabla(PP \rightarrow b\bar{b}X)_{13TeV} = 500 \ \mu b \longrightarrow Very large node of B \\ & \nabla(PP \rightarrow c\bar{c}X)_{13TeV} = 20 \times \nabla(PP \rightarrow b\bar{b}X) \longrightarrow HUGE node \\ & \underline{RATE} \quad d D^{\circ} \quad dt \quad LHCb \\ & \underline{G(PP \rightarrow D^{\circ}X)}_{S(PP \rightarrow X)} = \frac{2 \ mb}{80 \ mb} = \frac{1}{40} \\ & 40 \ MH_{2} \ PP \implies 1 \ MH_{2} \ D^{\circ} \ in \ LHCb \\ \end{split}$$

Triggering charm at LHCb



LHCb Upgraded trigger

LHCb Upgrade Trigger Diagram LHCb 2015 Trigger Diagram 30 MHz inelastic event rate 40 MHz bunch crossing rate (full rate event building) Software High Level Trigger LO Hardware Trigger : 1 MHz readout, high E_T/P_T signatures Full event reconstruction, inclusive and exclusive kinematic/geometric selections 400 kHz 450 kHz 150 kHz h± $\mu/\mu\mu$ e/y Buffer events to disk, perform online Software High Level Trigger detector calibration and alignment Partial event reconstruction, select displaced tracks/vertices and dimuons Buffer events to disk, perform online Add offline precision particle identification detector calibration and alignment and track quality information to selections Output full event information for inclusive triggers, trigger candidates and related Full offline-like event selection, mixture primary vertices for exclusive triggers of inclusive and exclusive triggers 12.5 kHz (0.6 GB/s) to storage 2-5 GB/s to storage

CP Violation

CPV in the Standard Model



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History of CPV

CPV in S quark
 K^o man evgertates K^o, K^o
 Ks → Tt⁺Tt⁻ CP-even
 K_L → Tt⁺Tt⁻ CP-even
 K_L → Tt⁻Tt⁻ CP-odd
 CPV in b-quark

1964 Grow of Fritch

$$0.4\%$$
 of $K_L \rightarrow TLTL$
man signilation \neq CP sign state
 \implies CPV

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Neutral meson oscillations







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3 types of CPV

 $\Gamma(i \rightarrow f) \neq \Gamma(\bar{i} \rightarrow \bar{F})$ 1) CPV in decay $\Gamma(M^{\circ} \rightarrow \overline{M}^{\circ}) \neq \Gamma(\overline{M}^{\circ} \rightarrow M^{\circ})$ Z) CPV in mixing 3) CPV in interf. betw. mixing and decay $M^{\circ} \longrightarrow f$ $\neq \Gamma \left(M^{\circ} \longrightarrow f \right)$ $M^{\circ} \longrightarrow f$ $\neq \Gamma \left(M^{\circ} \longrightarrow f \right)$

Charm flavour tagging $\overline{D^{\circ}} \to K^{\dagger} \overline{L}^{\dagger}$ self tagging $D^{\circ} \rightarrow K^{-} \overline{L}^{+}$ D° -> KKt => flr. lagging $D^{\circ} \rightarrow K^{\dagger}K^{-}$ SECONDAPY CHART PROMPT CMARM $\sqrt{\frac{1}{2}}$ Bx $PP \rightarrow D^{\star +} \rightarrow D^{\circ} \pi t_{m_{\pi}}$ pp -> B -> D° m v pp → D* → D° They pp → B⁺ → D^oµ⁺ v • lifetime unbiased • background to PROMPT CHARM · Higher rate · Wfeline biaring

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Selecting prompt charm



Selecting prompt charm



Background from $B \rightarrow D$

- Irreducible background from displaced D⁰ production in B decays
 Background rate will depend on
 - D^0 decay time
 - Cannot be suppressed completely

LHCb

6 fb⁻

• Studied and modelled as a function of decay time

 f_{B} [%]

3

o - Heide



Nuisance asymmetries





Nuisance asymmetries



Martin Borsato Want to measure CP asymmetries in modes with an odd number

CPV discovery in charm

The discovery mode

$$\begin{split} D^{\circ} \rightarrow K^{\dagger} K^{-} & A_{CP}(\mathcal{L}) = \frac{\Gamma(D^{\circ} \rightarrow \mathcal{L}) - \Gamma(\overline{D^{\circ}} \rightarrow \mathcal{L})}{\Gamma(D^{\circ} \rightarrow \mathcal{L}) + \Gamma(\overline{D^{\circ}} \rightarrow \mathcal{L})} \\ PP \rightarrow D^{\star \dagger} \rightarrow D^{\circ} \pi_{kg}^{\dagger} & PP \rightarrow B \rightarrow D^{\circ} \mu^{\dagger} \bar{\nu} \chi \\ PP \rightarrow D^{\star -} \rightarrow \overline{D^{\circ}} \pi_{kg}^{\dagger} & PP \rightarrow B \rightarrow \overline{D^{\circ}} \mu^{-} \nu \chi \\ A_{Rem}(KK) = A_{CP}(KK) + A_{prod}(D^{\star}, B) + A_{det}(\pi_{kg}^{\dagger}, \mu_{kg}^{\dagger}) \\ A_{Rew}(\pi\pi) = A_{CP}(\pi\pi) + A_{prod}(D^{\star}, B) + A_{det}(\pi_{kg}, \mu_{kg}) \\ A_{rew}(KK) - A_{rew}(\pi\pi) = A_{CP}(KK) - A_{CP}(\pi\pi) \equiv \Delta A_{CP} \\ U - \eta n \Rightarrow A_{CP}(KK) = -A_{CP}(\pi\pi) \\ & T_{HPORY} \end{split}$$

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Time dependence

$$A_{CP}(f;t) \equiv \frac{\Gamma(D^{\circ}(t) \rightarrow f) - \Gamma(\overline{D^{\circ}(t)} \rightarrow f)}{\Gamma(D^{\circ}(t) \rightarrow f) + \Gamma(\overline{D^{\circ}(t)} \rightarrow f)}$$

$$f_{OIRECT CPV}, \quad MIXING CPV, \quad INTERFERENCE CPV$$

$$A_{CP}(f) \approx d_{CP}^{dir}(f) - \frac{\langle t(f) \rangle}{Z(D^{\circ})} A_{P}(f)$$

$$\Delta A_{CP}(\mathbf{f}) \equiv A_{CP}(\mathbf{K}\mathbf{K}) - A_{CP}(\mathbf{\pi}\mathbf{\pi}) \approx \Delta \alpha_{CP} - \frac{\Delta \langle t \rangle}{Z(\mathbf{0}^{\circ})} A_{r}(\mathbf{f})$$

Fiducial region

- Detection asymmetry of π_{tag}^{\pm}
 - Cancels in

$$\Delta A_{CP} = A_{\rm raw}(K^+K^-) - A_{\rm raw}(\pi^+\pi^-)$$

- Cancels when switching magnet polarity
- Does not cancel perfectly
 - Remove region with large det. asymmetry
 - Regions too close to the beam **pipe**
 - Regions close to detector acceptance boundaries





Kinemati 0.008

- Production (D^{*+} and B) and detection (π^{\pm}_{tag} and μ^{\pm}) asymmetries depend on kinematic
- Match kinematics of D^{*+} and *B* in K^+K^- and $\pi^+\pi^-$
 - First subtract background using mass fit
 - Match distributions with per-event weights
 - Match 3D distribution of *p*_T, φ, η



Measurement of ΔA_{CP}



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Pollution from secondary D



Crosschecks



Results

$$\Delta A_{CP}^{\pi\text{-tagged}} = [-18.2 \pm 3.2 \text{ (stat.)} \pm 0.9 \text{ (syst.)}] \times 10^{-4},$$

$$\Delta A_{CP}^{\mu\text{-tagged}} = [-9 \pm 8 \text{ (stat.)} \pm 5 \text{ (syst.)}] \times 10^{-4}.$$

$$\downarrow^{\text{+ previous}}_{\text{measurements}}$$

$$\Delta A_{CP} = (-15.4 \pm 2.9) \times 10^{-4}, \quad \Rightarrow 5.36$$

$$\bullet \text{ Can also get } \Delta a_{CP}^{\text{dir}} \qquad (-2.8 \pm 2.8) \times 10^{-4}$$

$$\downarrow^{\text{c}} (2.8 \pm 2.8) \times 10^{-4} \qquad (-15.7 \pm 2.9) \times 10^{-4}, \quad \Rightarrow 5.36$$

$$\bullet \Delta (c_{P} \approx \Delta A_{CP} + (\Delta (c_{P} \wedge A_{P} \wedge$$