

Tief-inelastische Elektron-Proton Streuung

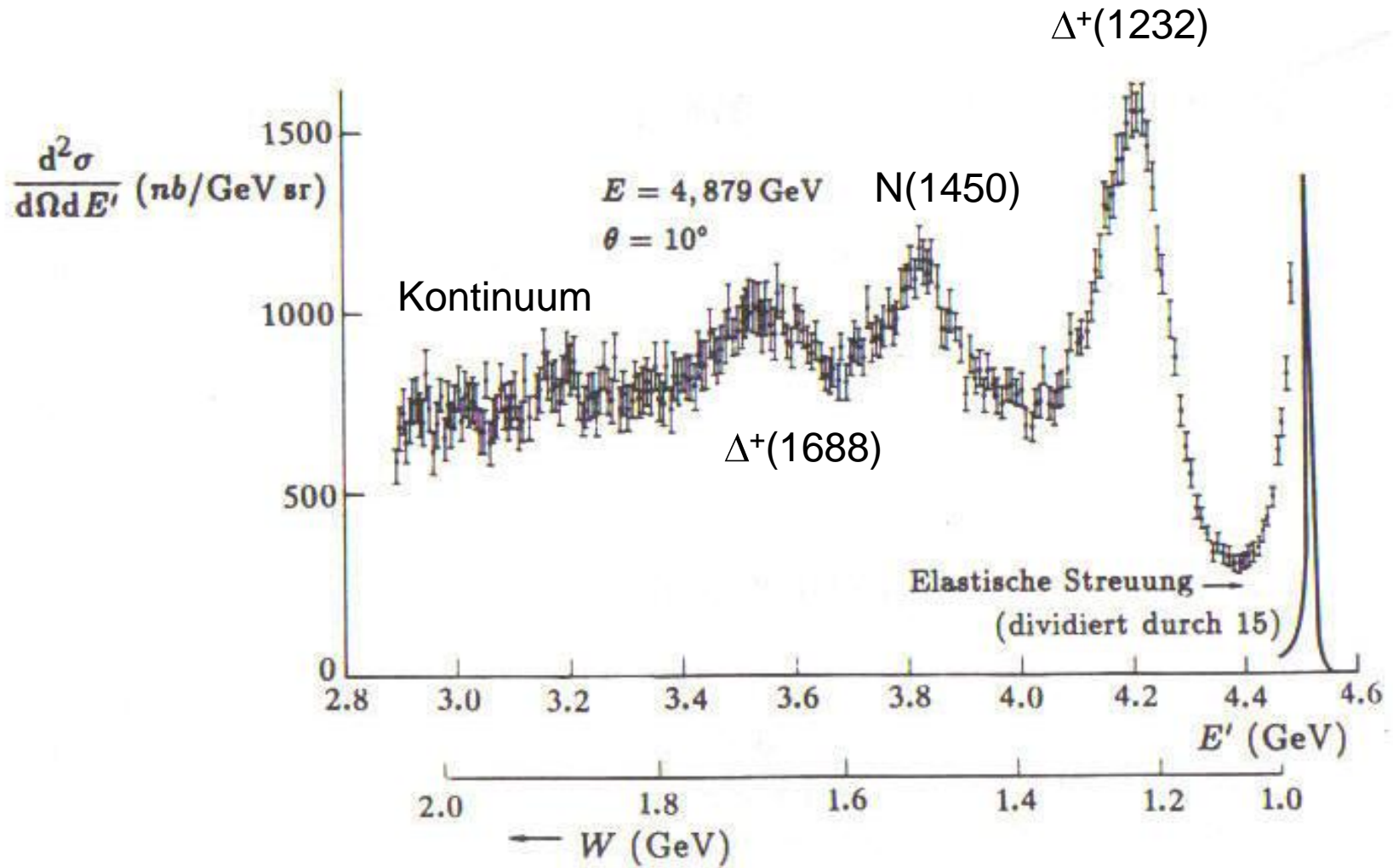


Fig-TP-4.10

Erste Messung der Strukturfunktion W_2

OBSERVED BEHAVIOR OF HIGHLY INELASTIC ELECTRON-PROTON SCATTERING

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SLAC & MIT
Experiment 1969

Spectrometer at given θ

$$\frac{\Delta p}{p} \sim 0.1\% \quad \Delta\theta \sim 0.7\text{mrad}$$

e^- beam, up to 20 GeV

$$\frac{\Delta p}{p} \in [0.1\%; 0.25\%]$$

Dipole and quadrupole magnets

Cherenkov counter for e/π separation

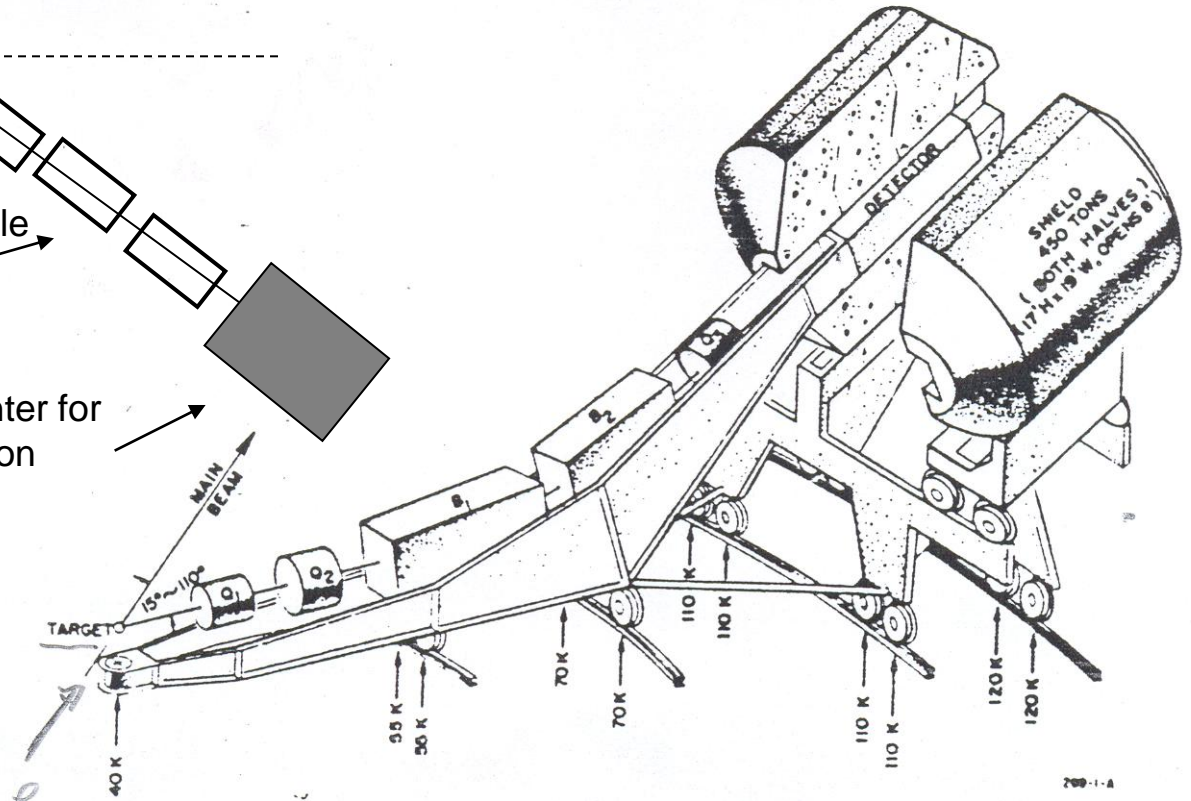
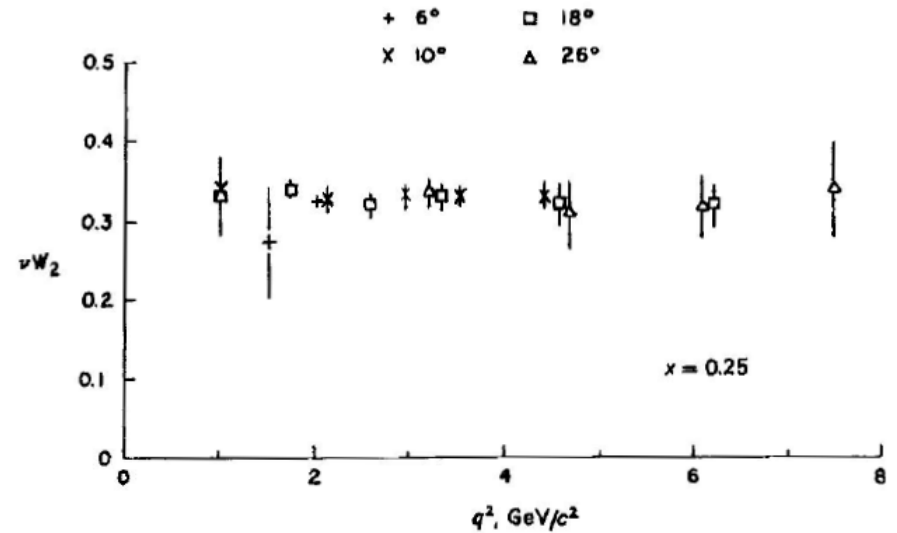
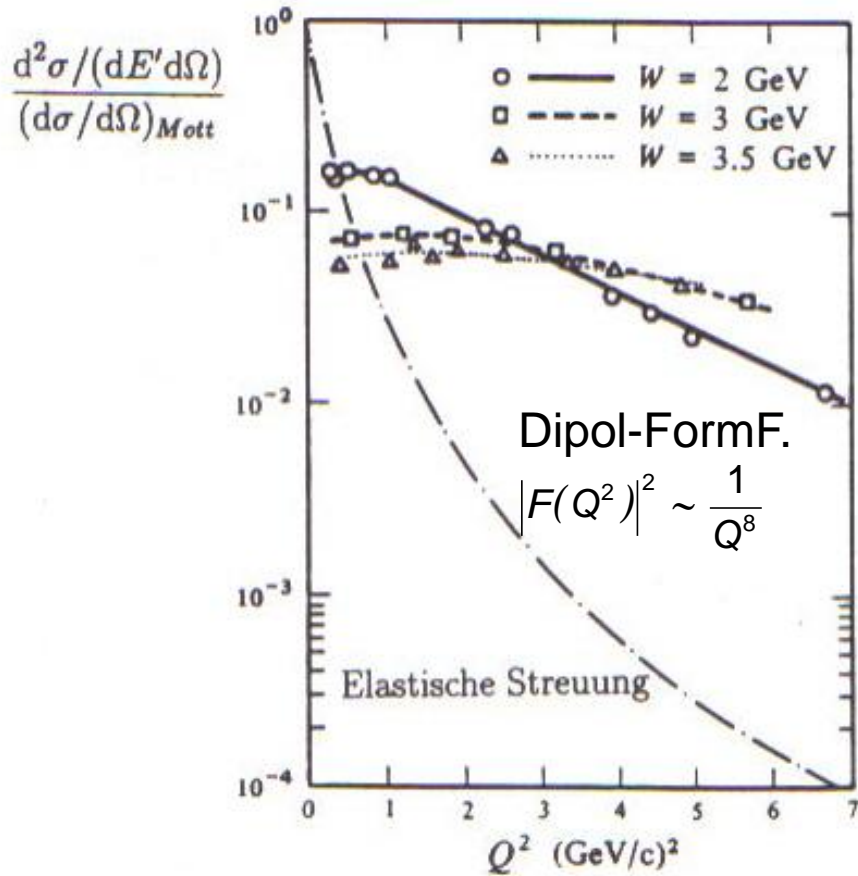


Fig-TP-4.11



Fig-TP-4.12



Structure function νW_2 does not depend explicitly on Q^2 but depends only on the dimensionless variable x_{Bj} :

Bjorkensche
 SkalenvARIABLE $x_{Bj} = \frac{Q^2}{2M\nu}$

→ **Q^2 Scale invariance: “scaling”**

Fig-TP-4.13

Callan-Gross Relation: Spin-1/2 Partonen

$$\frac{2xF_1}{F_2}$$

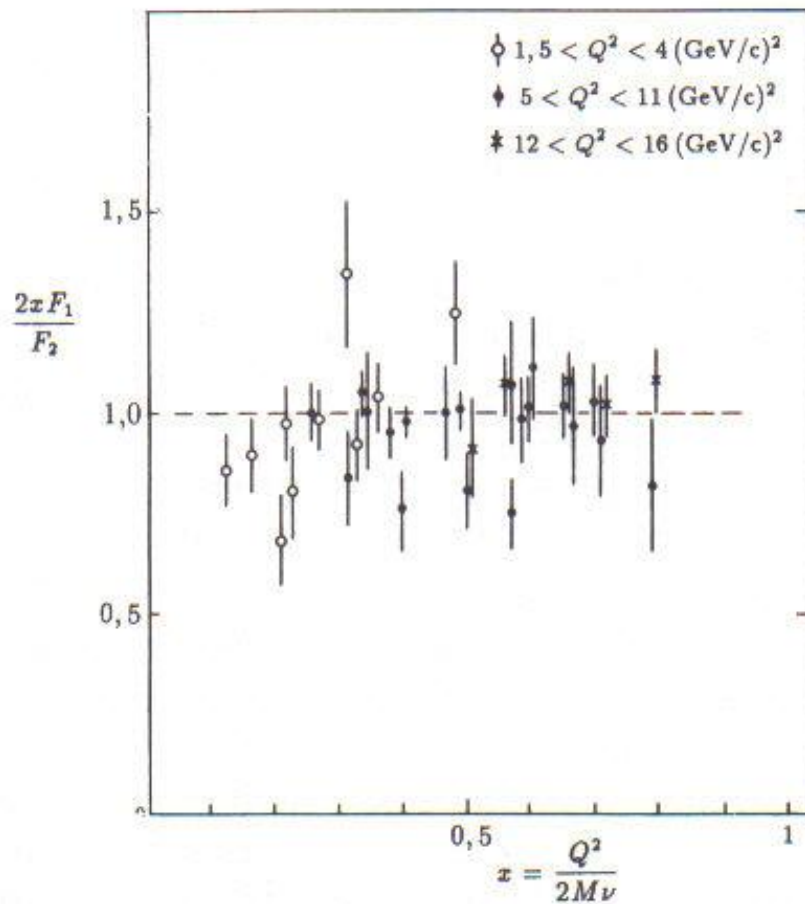
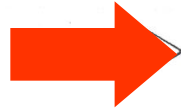


Fig-TP-4.14

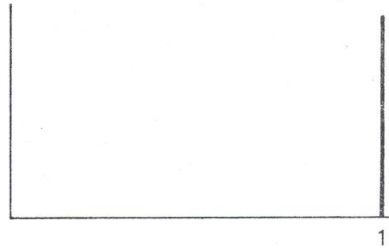
Proton Modell

If the Proton is

A quark

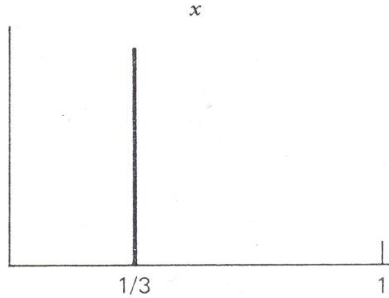
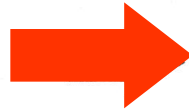
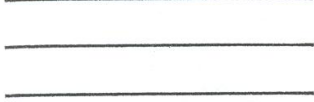


then $F_2^{ep}(x)$ is



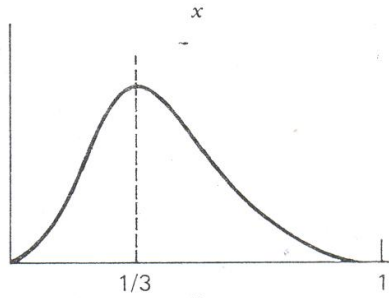
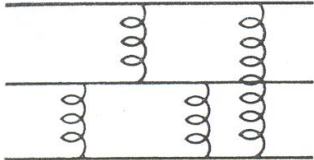
$$F_2^{ep}(x)$$

Three valence quarks



$$F_2^{ep}(x) = x \cdot \sum_i z_i^2 f_i(x)$$

Three bound valence quarks



Three bound valence quarks + some slow debris, e.g., $g \rightarrow q\bar{q}$

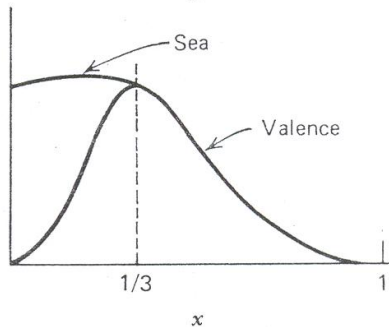
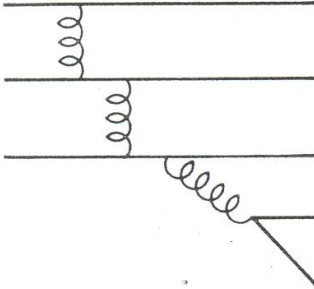


Fig-TP-4.15

Parton-Dichten im Proton

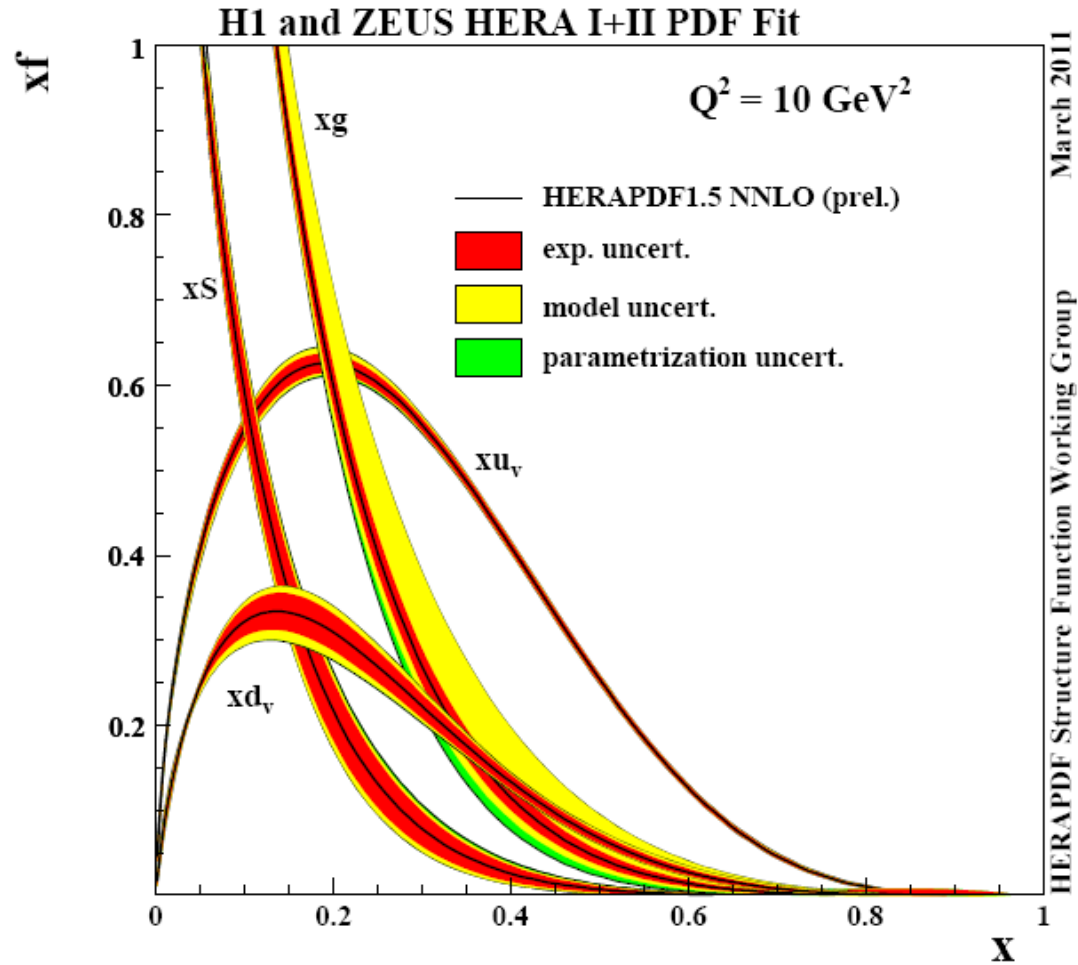


Fig-TP-4.16