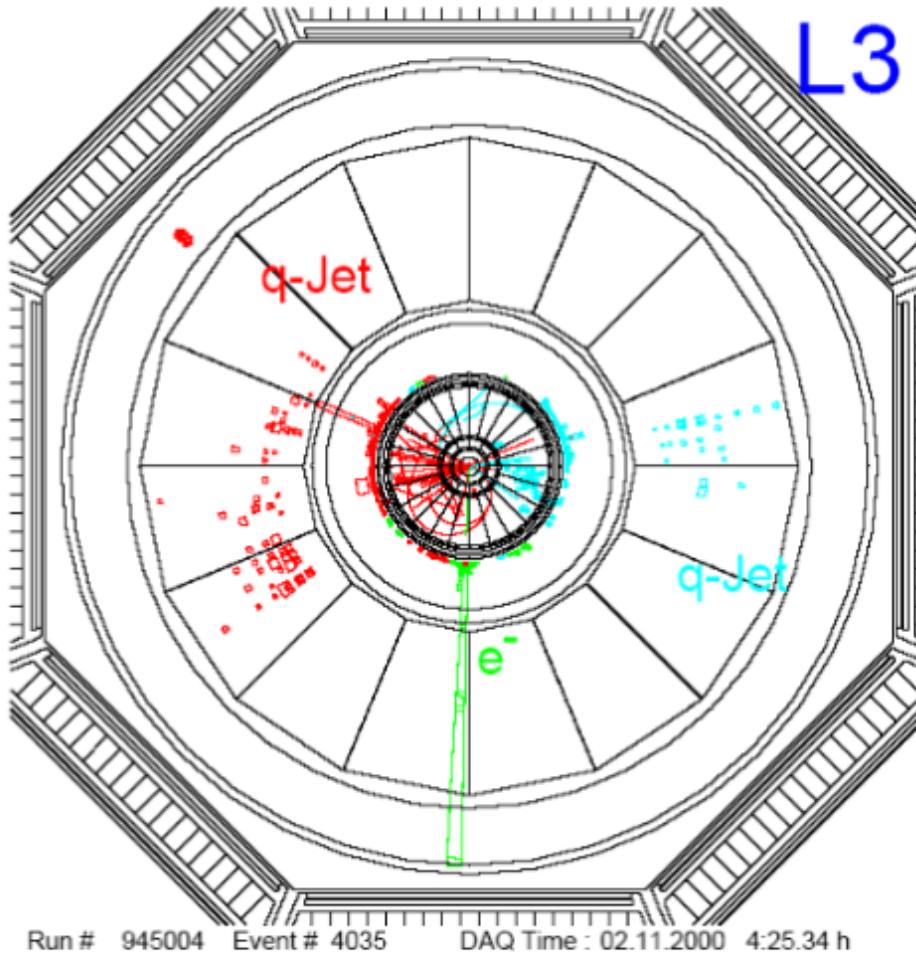


W decays



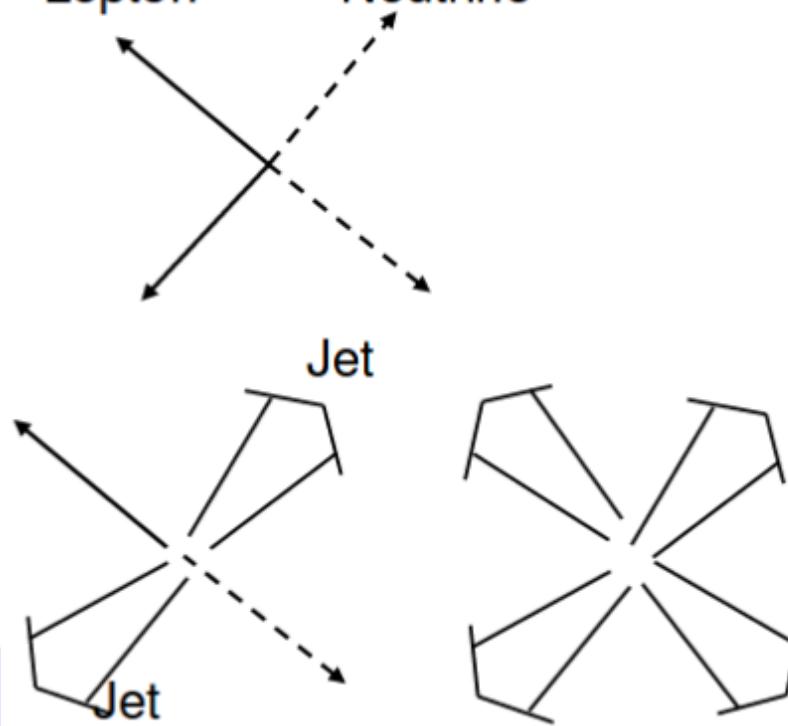
Easiest signature for a mass measurement:

$W_1 \rightarrow l\nu$ $W_2 \rightarrow \text{JetJet}$: use JetJet invariant mass

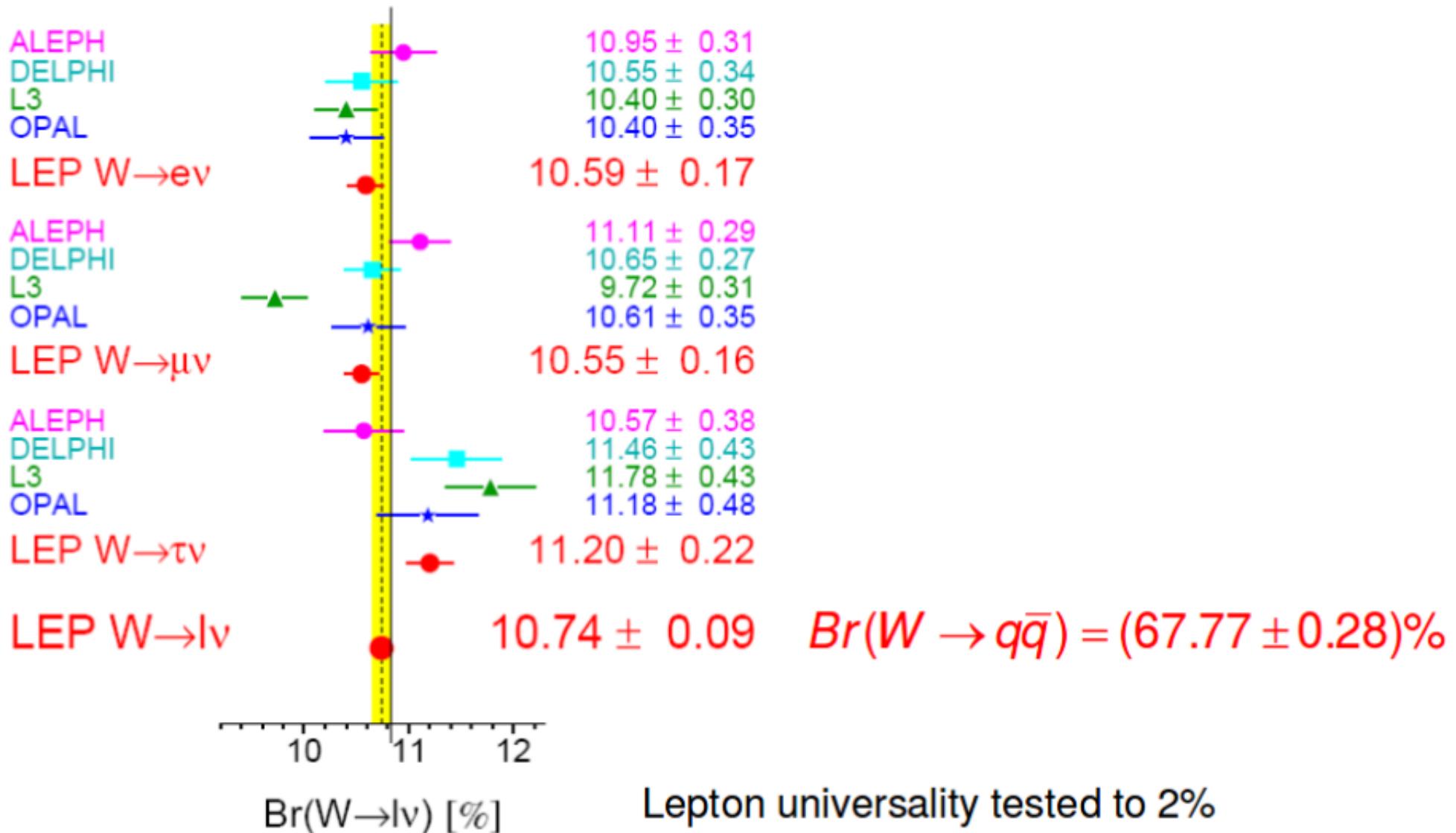


$$WW \rightarrow \begin{cases} q\bar{q}\ell\nu & 44\% \\ q\bar{q}q\bar{q} & 45\% \\ \ell\nu\ell\nu & 11\% \end{cases}$$

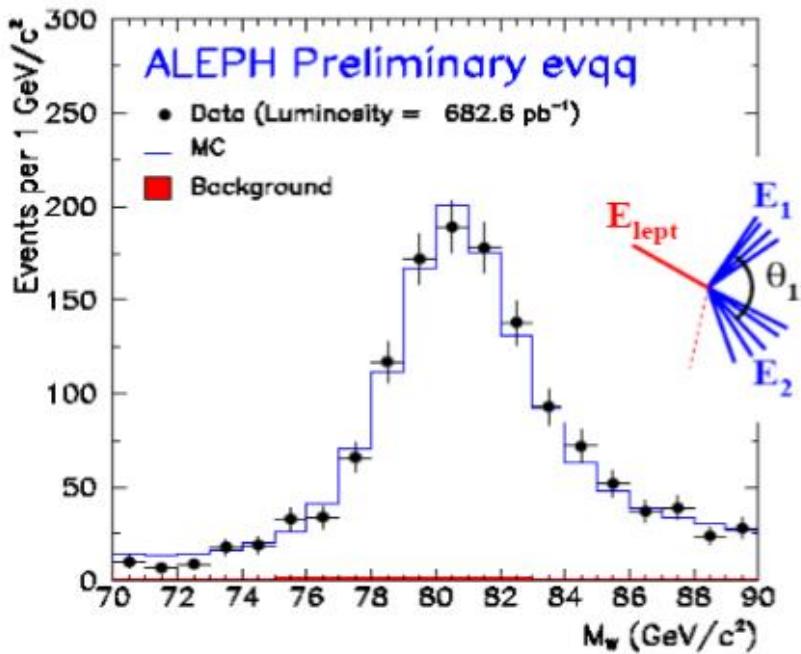
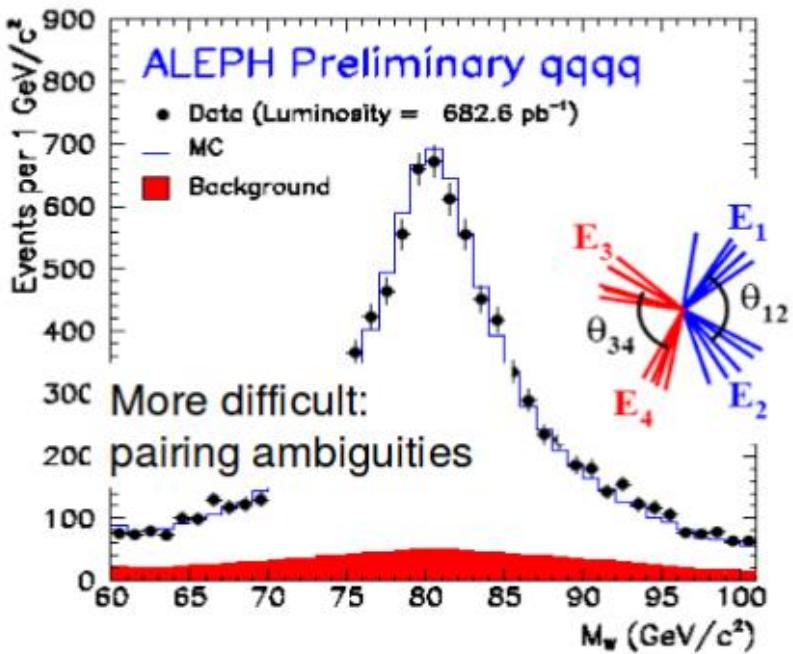
Lepton Neutrino



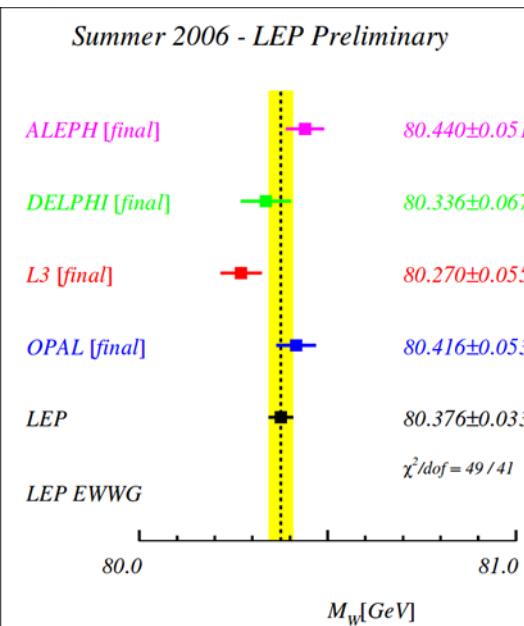
W leptonic branching fractions



Invariant W mass reconstruction



Final LEP result:



Higher order corrections and the Higgs mass

$$\sin^2 \theta_W = 1 - \frac{M_W^2}{M_Z^2} \quad \sin \theta_W = \frac{e}{g}$$

$$\rho = \frac{m_W^2}{m_Z^2 \cos^2 \theta_W} = 1$$

$$\sin^2 \theta_W = 1 - \frac{m_W^2}{m_Z^2}$$

$$m_W^2 = \frac{\pi \alpha}{\sqrt{2} \sin^2 \theta_W G_F}$$

Lowest order
SM predictions

$\alpha(0)$

$$\bar{\rho} = 1 + \Delta\rho$$

Including radiative
corrections

$$\sin^2 \theta_{\text{eff}} = (1 + \Delta\kappa) \sin^2 \theta_W$$

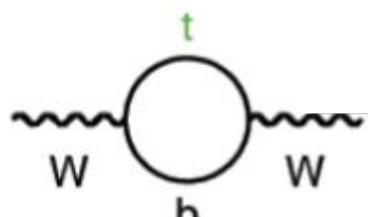
$$m_W^2 = \frac{\pi \alpha}{\sqrt{2} \sin^2 \theta_W G_F} (1 + \Delta r)$$

$$\alpha(m_Z^2) = \frac{\alpha(0)}{1 - \Delta\alpha}$$

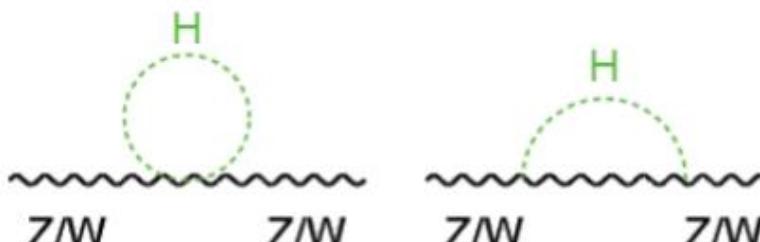
$$\text{with : } \Delta\alpha = \Delta\alpha_{\text{lept}} + \Delta\alpha_{\text{top}} + \Delta\alpha_{\text{had}}^{(5)}$$

$$\sin^2 \theta_W$$

$$g_A, g_V$$



$$\Delta\rho, \Delta\kappa, \Delta r = f(m_t^2, \log(m_H), \dots)$$



$$\sin^2 \theta_{\text{eff}}$$

$$\bar{g}_A, \bar{g}_V$$

$$\bar{g}_A = \sqrt{\bar{\rho}} T^3 \quad \bar{g}_V = \sqrt{\bar{\rho}} (T^3 - 2Q \sin^2 \theta_{\text{eff}})$$

Top mass prediction from radiative corrections

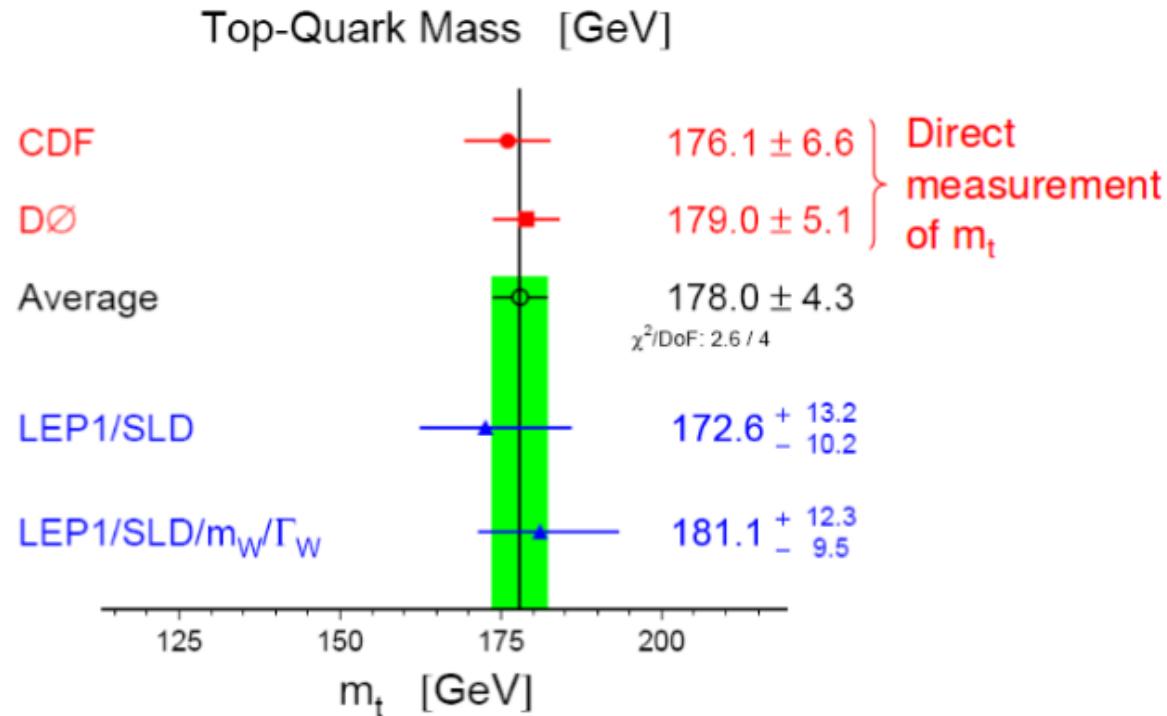
$$\text{e.g.: } \Delta r(m_t, M_H) = -\frac{3\alpha \cos^2 \theta_w}{16\pi \sin^4 \theta_w} \frac{m_t^2}{M_W^2} - \frac{11\alpha}{48\pi \sin^2 \theta_w} \ln \frac{M_H^2}{M_W^2} + \dots$$

The measurement of the radiative corrections:

$$\sin^2 \theta_{\text{eff}} \equiv \frac{1}{4} (1 - \bar{g}_V / \bar{g}_A)$$

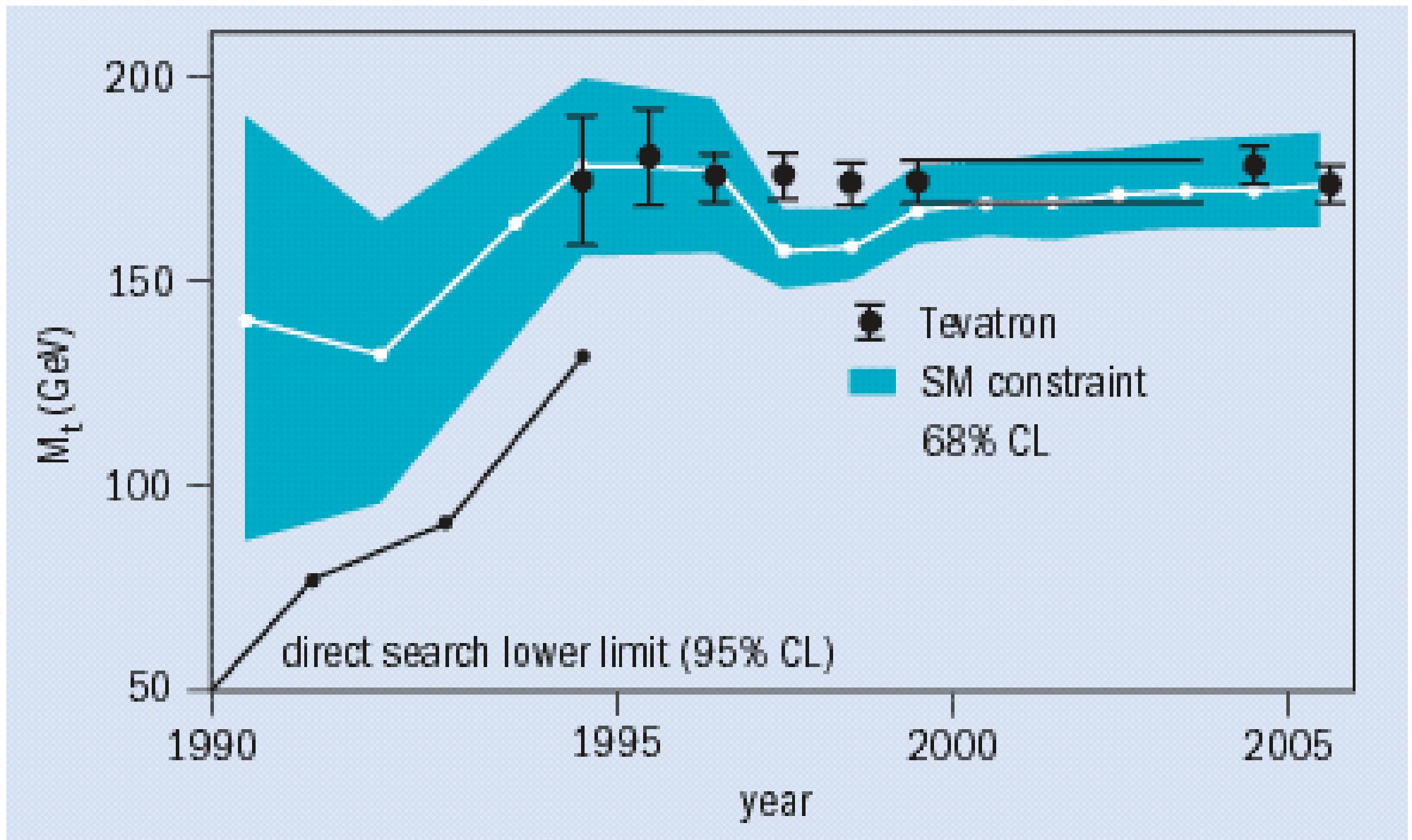
$$\sin^2 \theta_{\text{eff}} = (1 + \Delta \kappa) \sin^2 \theta_w$$

Allows the indirect determination of the unknown parameters m_t and M_H .

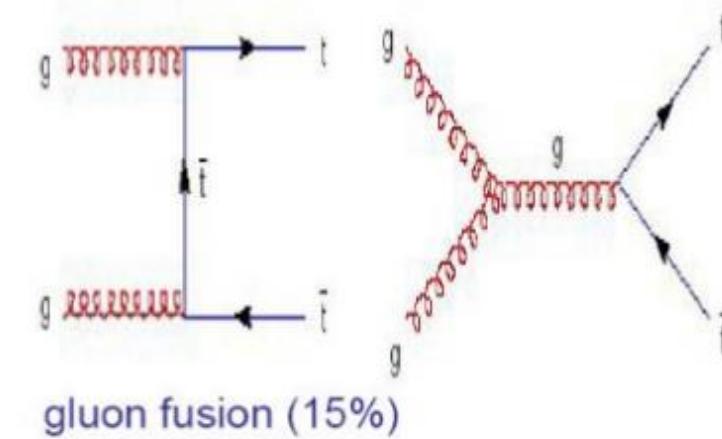
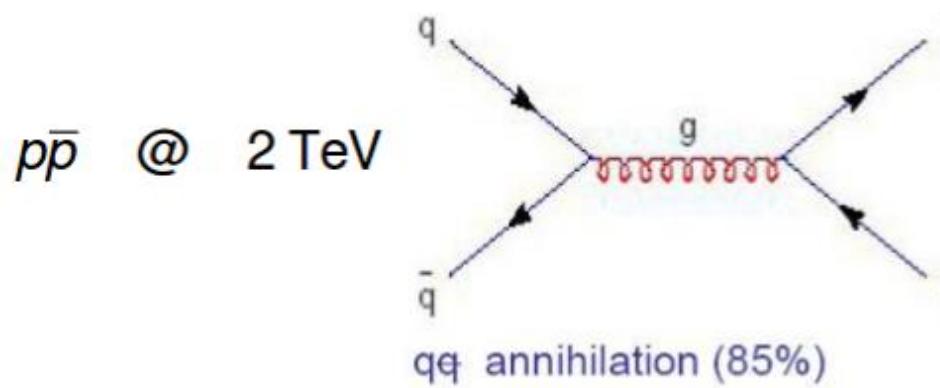


Good agreement between the indirect prediction of m_t and the value obtained in direct measurements confirm the radiative corrections of the SM

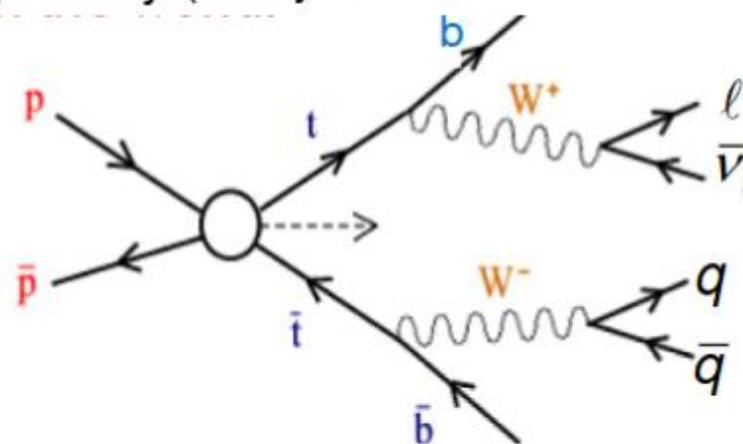
Prediction of m_t by LEP before the discovery of the top at TEVATRON.



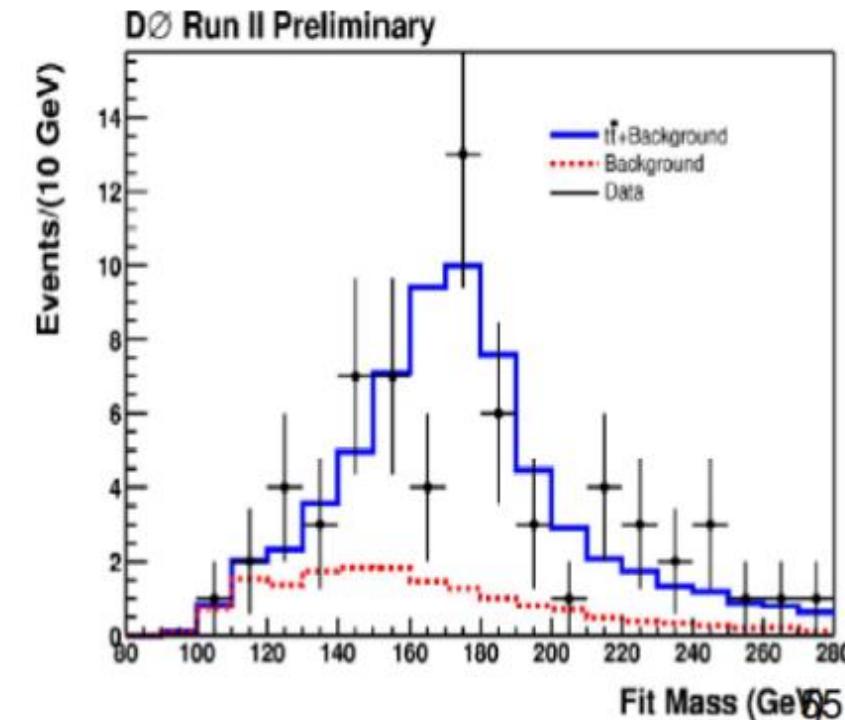
Observation of the top quark at TEVATRON (1995)



Top decay (decays before hadronization)



Channel used for mass reconstruction:
 $m_t = m_{inv}(b-jet, W \rightarrow jet + jet)$



Status before the start of the LHC:

Fits to electro-weak data:

$$m_H = 89^{+35}_{-26} \text{ GeV}$$

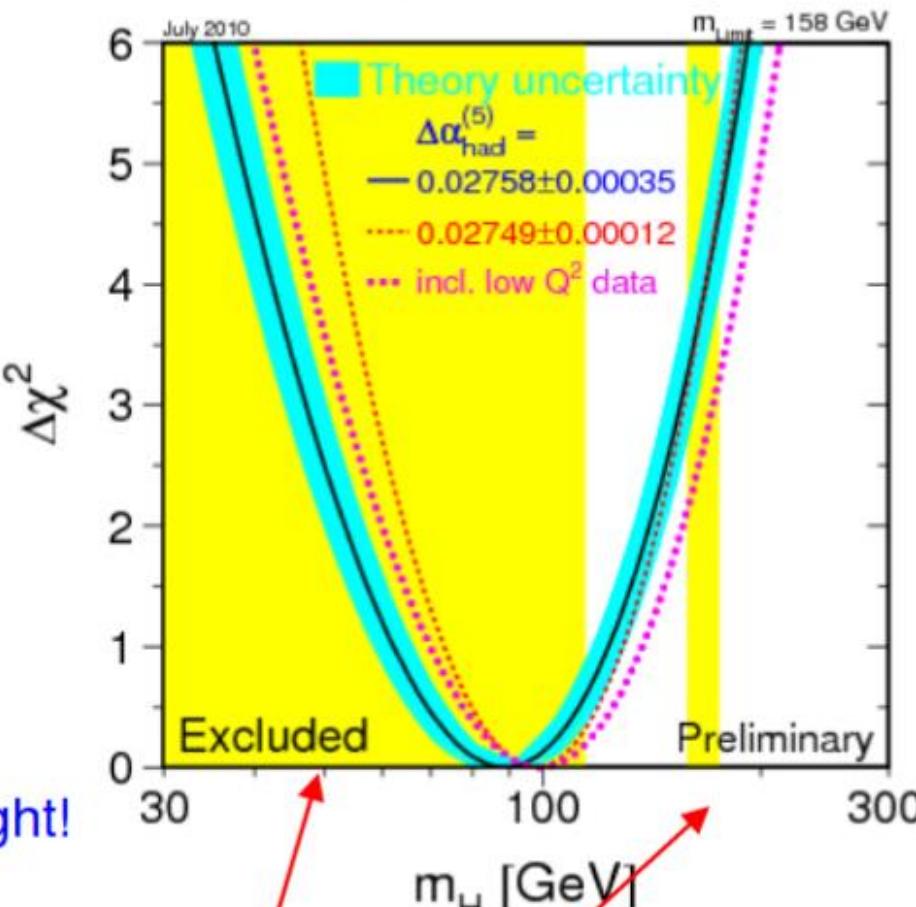
$$m_H < 158 \text{ GeV (95% CL)}$$

Assumption for fit:

- SM including Higgs

If existing, Higgs seems to be light!

<http://lepewwg.web.cern.ch/LEPEWWG/>

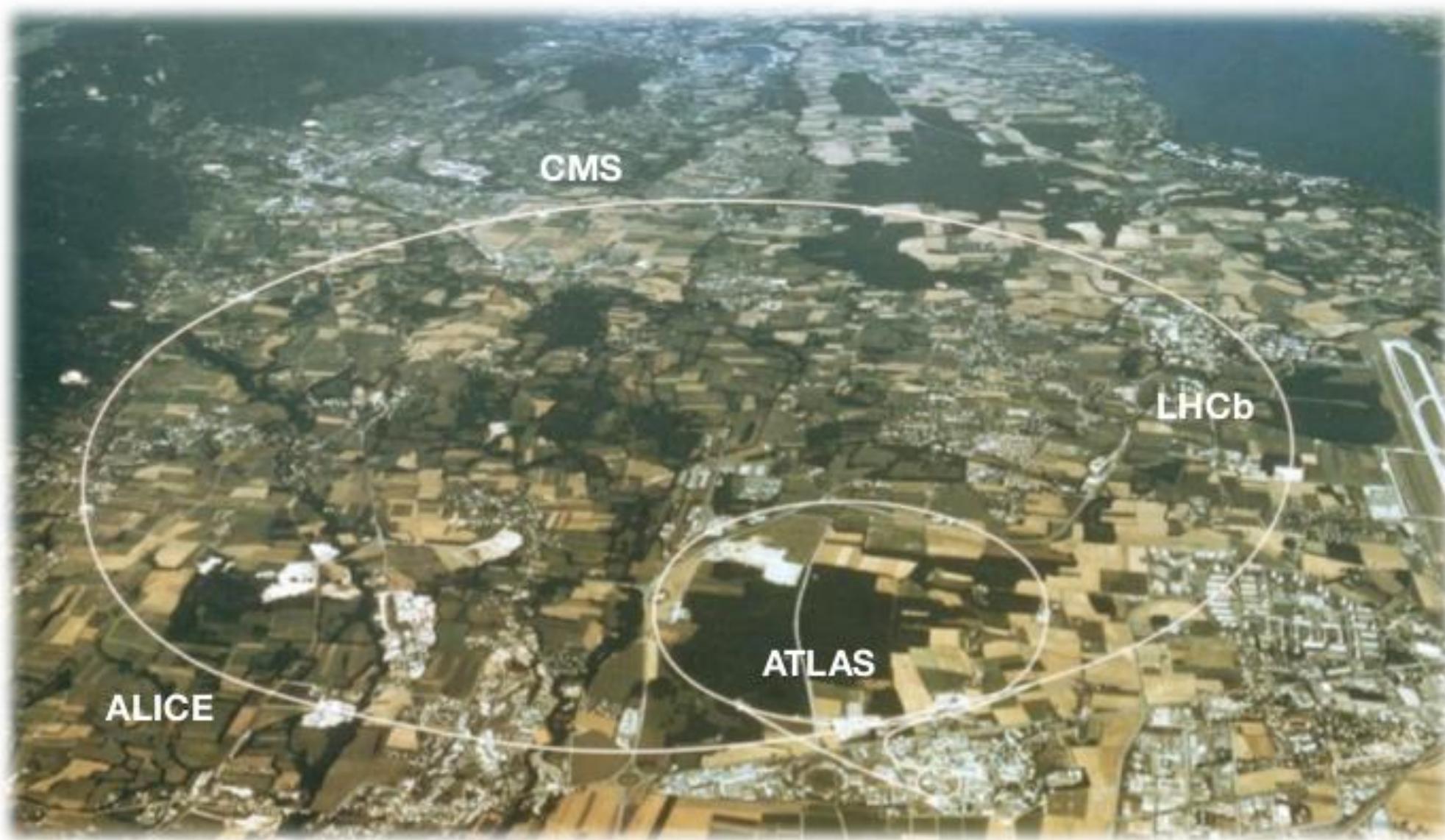


- Direct searches at LEP:
 $m_H > 114.4 \text{ GeV @ 95 % CL}$
- Direct searches at Tevatron

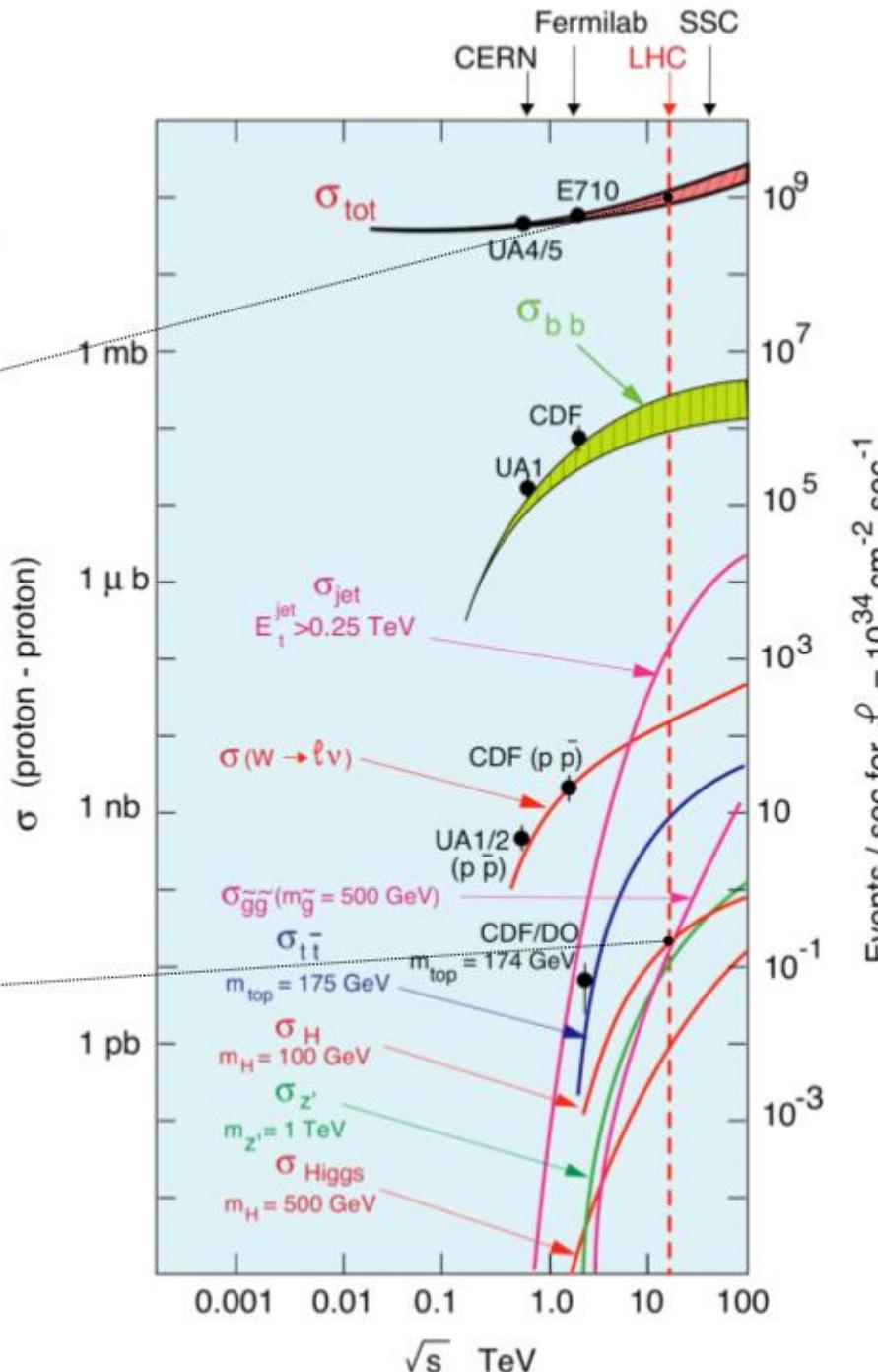
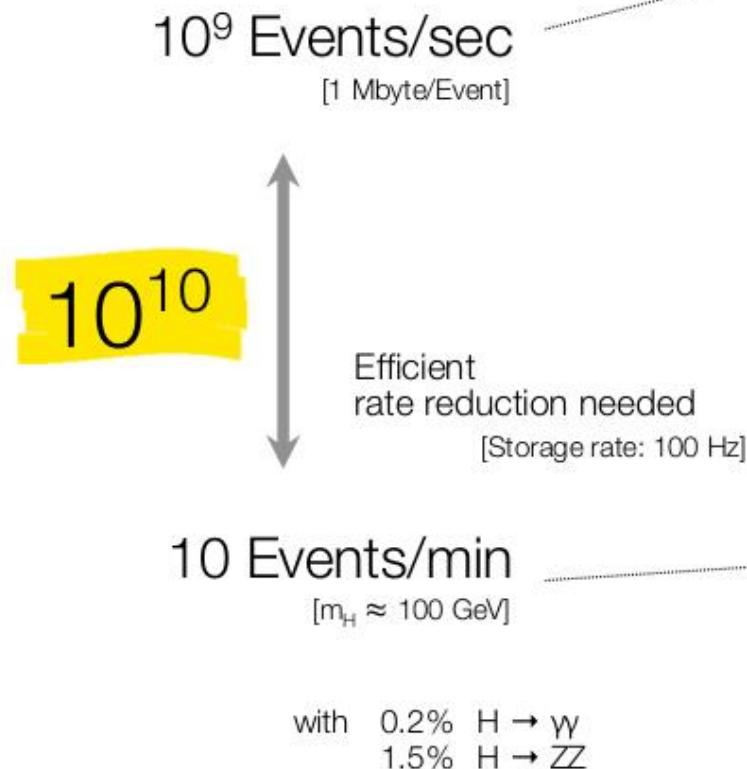
Unfortunately this mass region is the most difficult to explore!

The LHC

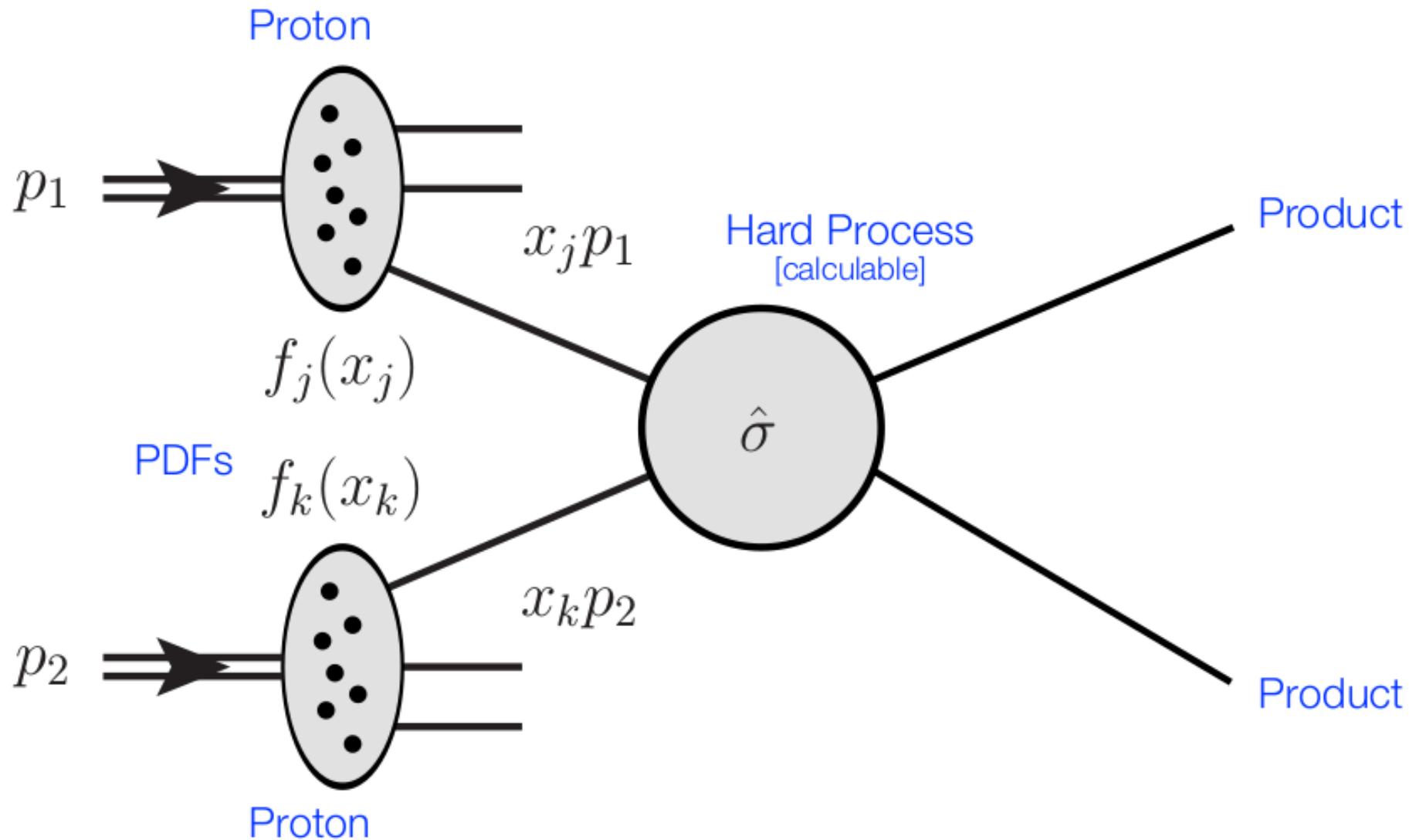
A New Dimension in Particle Physics



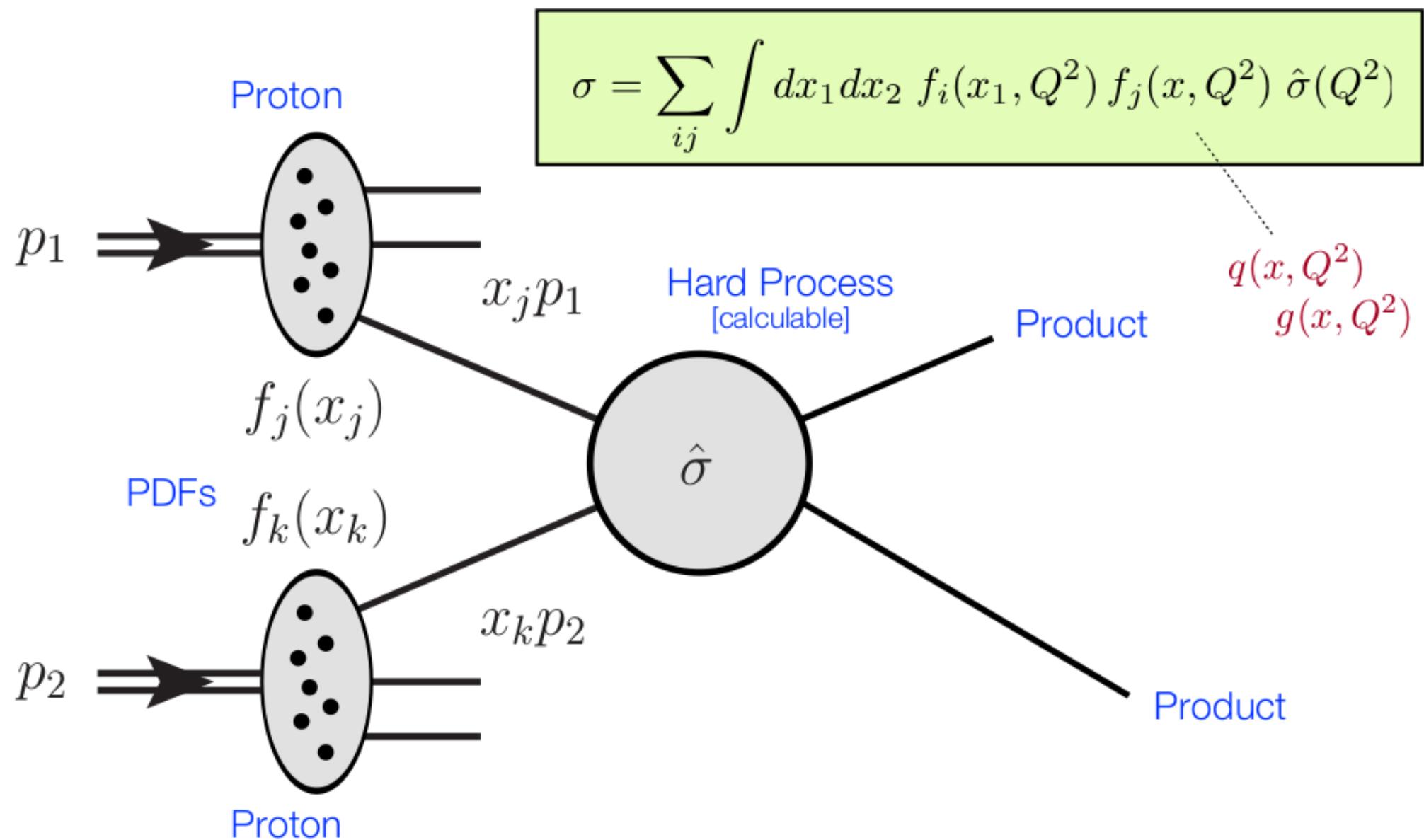
LHC Cross Sections



Proton-Proton Scattering @ LHC

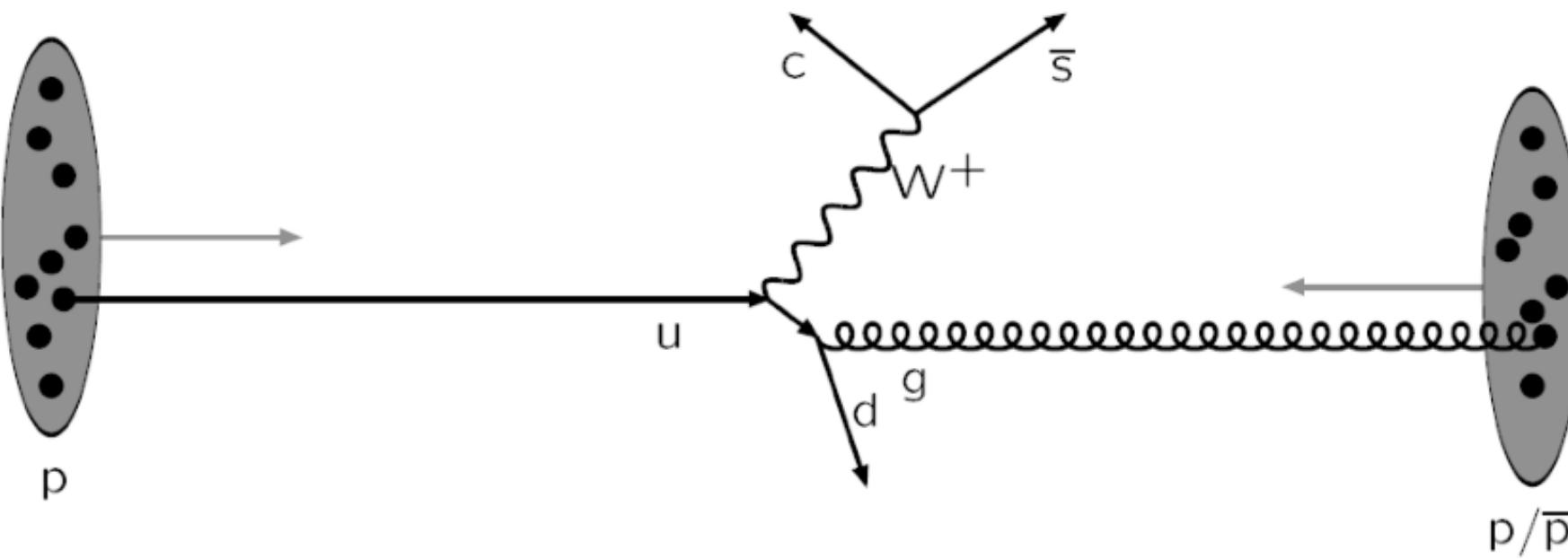


Proton-Proton Scattering @ LHC



Proton-Proton Scattering @ LHC

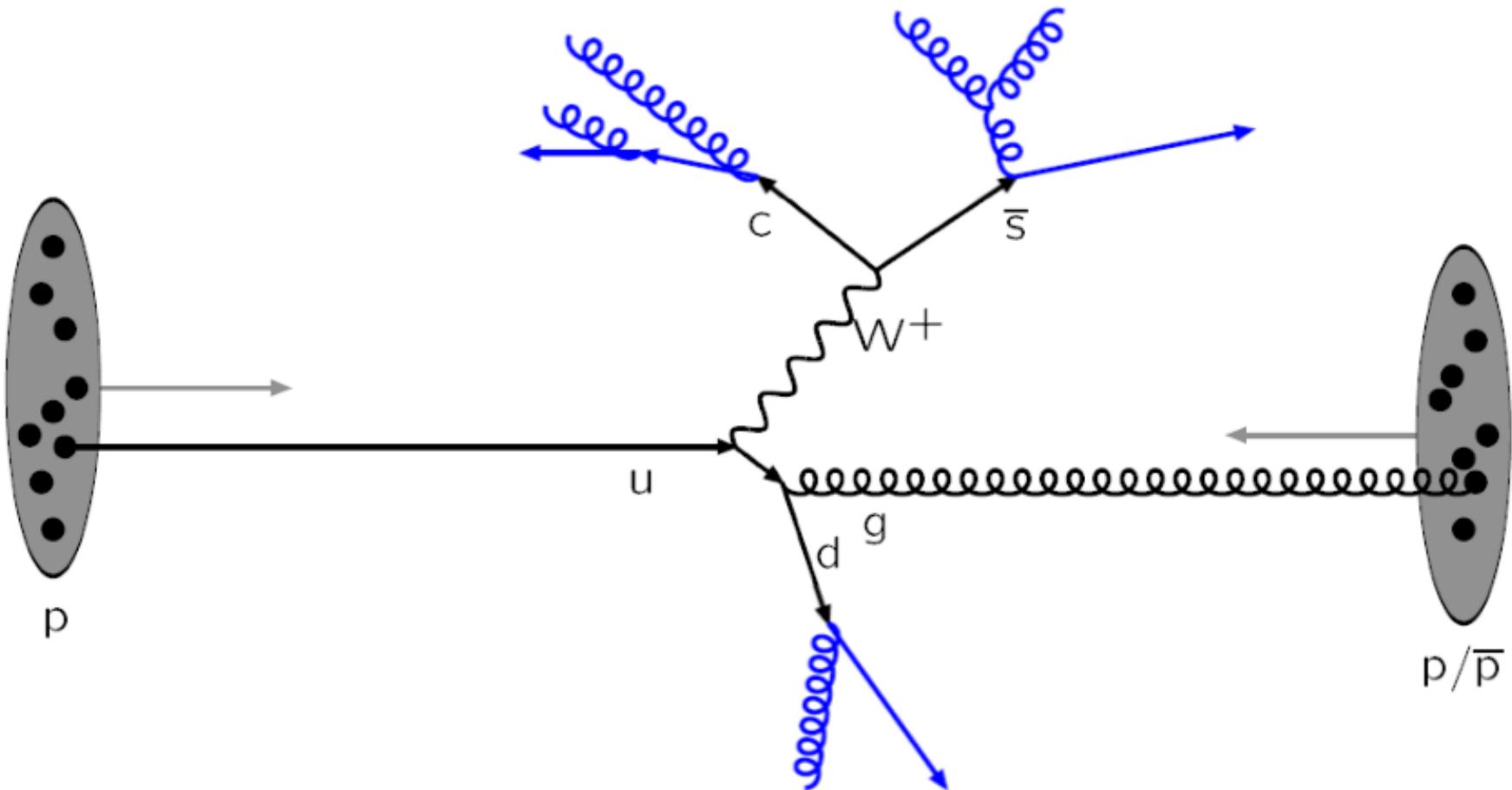
- Hard interaction: qq, gg, qg fusion



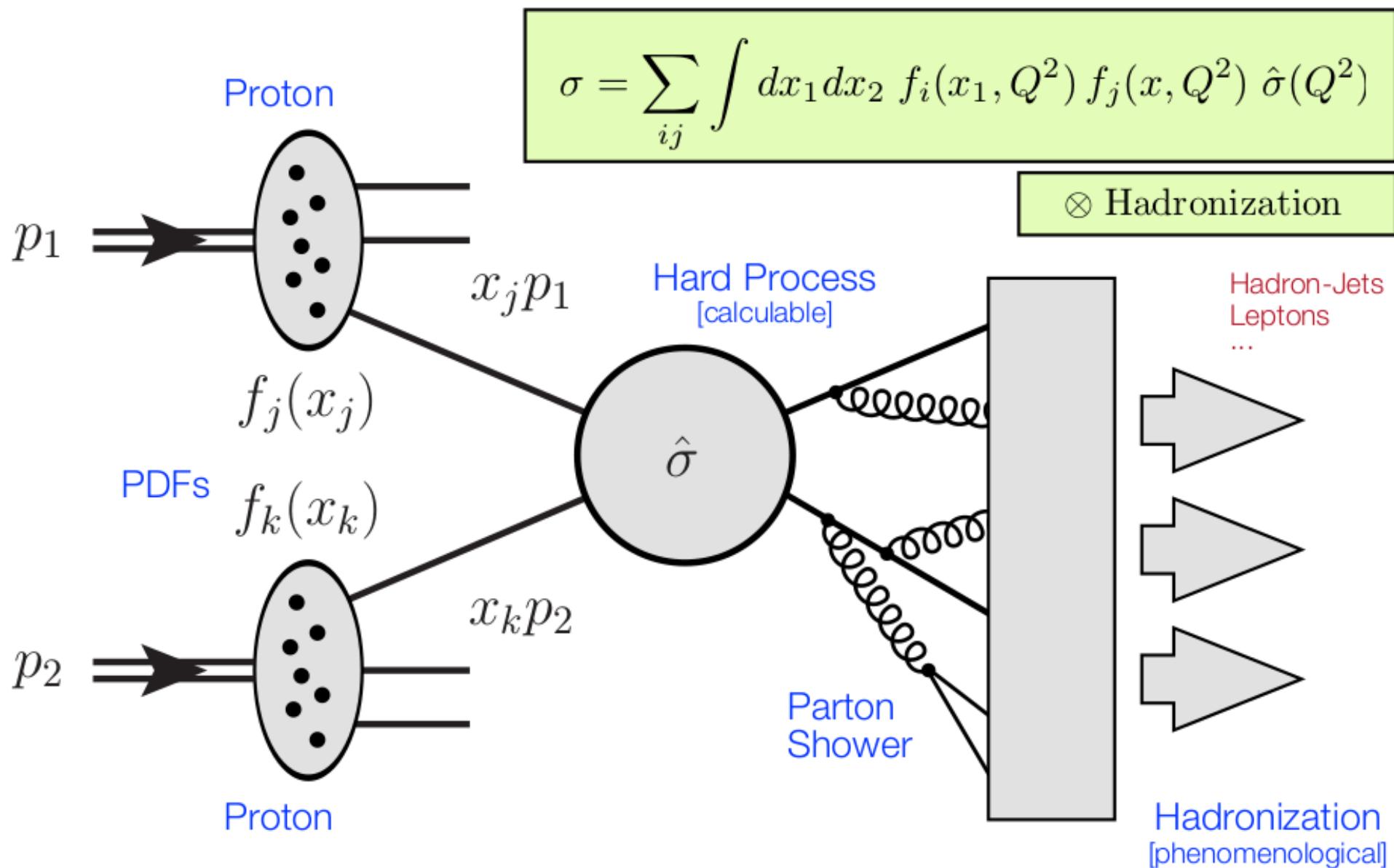
Proton-Proton Scattering @ LHC

- Hard interaction: qq, gg, qg fusion

parton shower

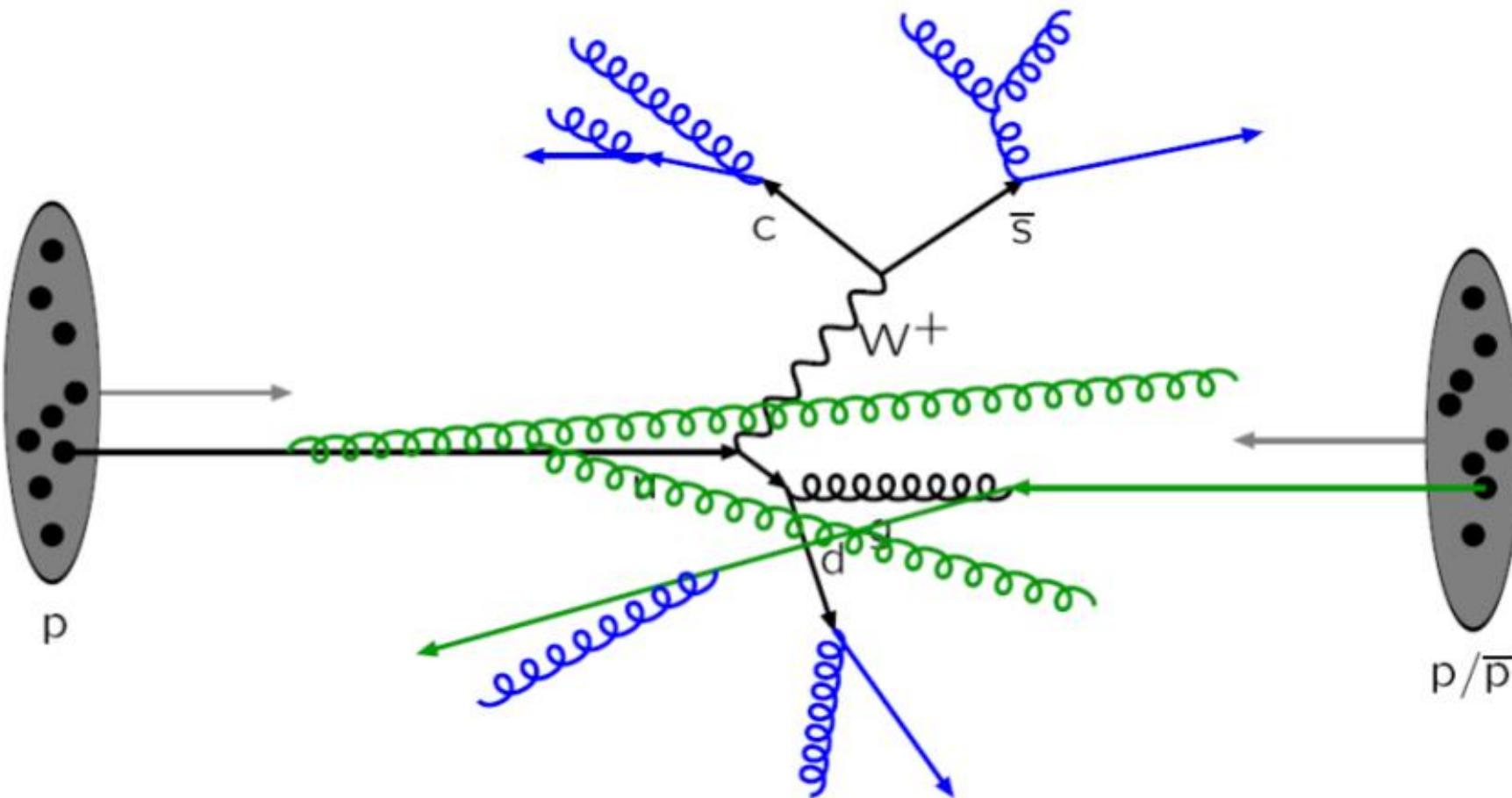


Proton-Proton Scattering @ LHC



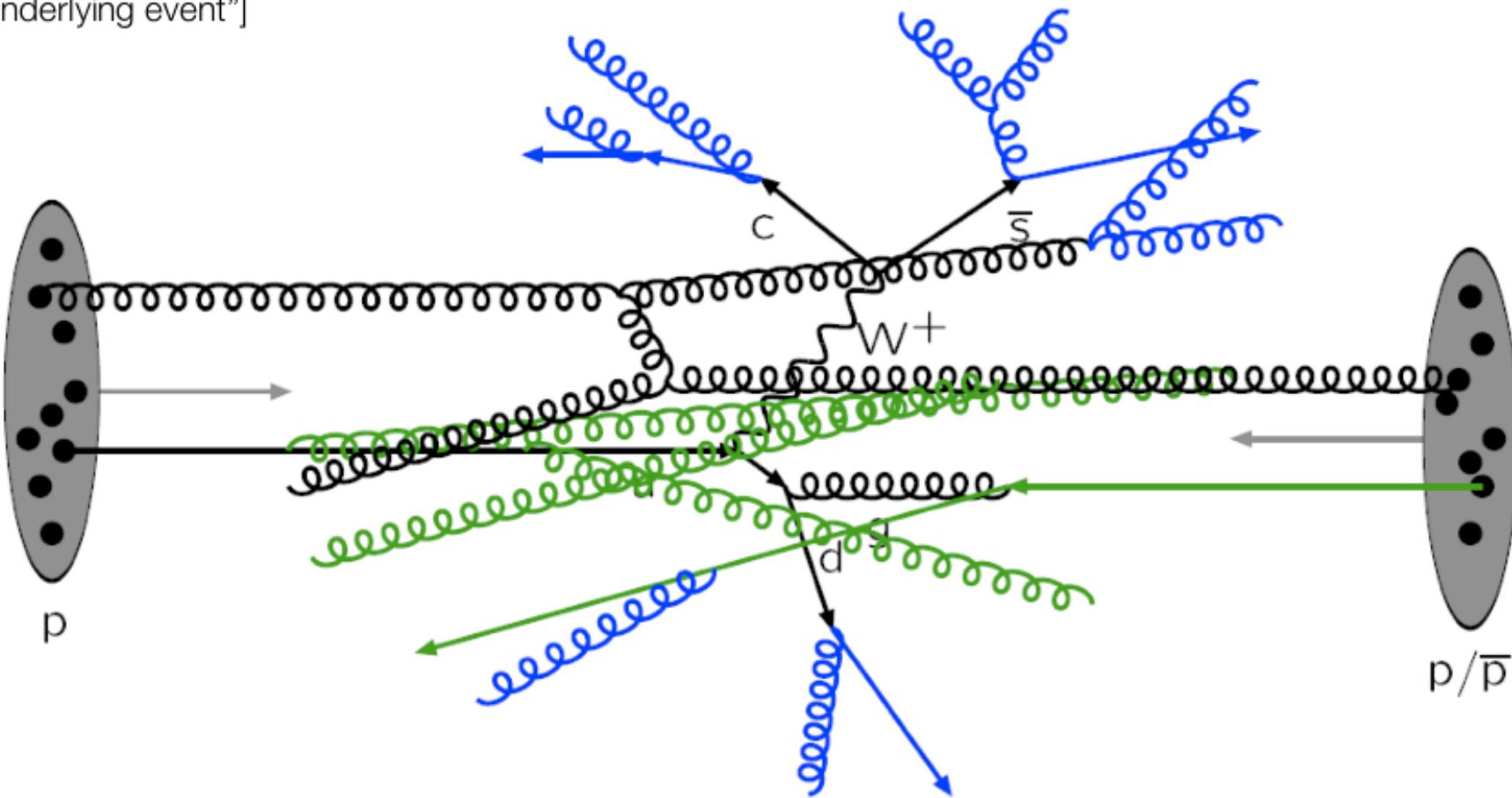
Proton-Proton Scattering @ LHC

- Hard interaction: qq, gg, qg fusion
- Initial State Radiation (ISR)



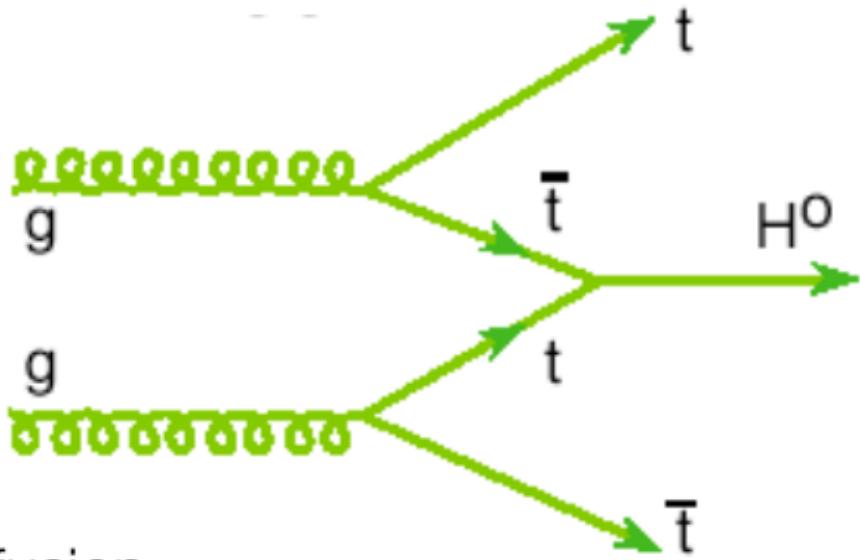
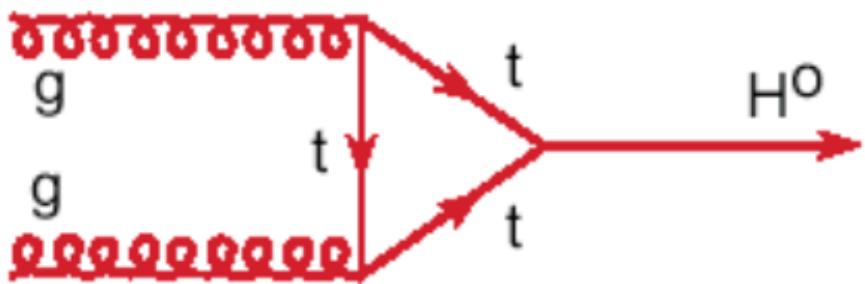
Proton-Proton Scattering @ LHC

- Hard interaction: qq, gg, qg fusion
- Initial State Radiation (ISR)
- Secondary Interaction
["underlying event"]



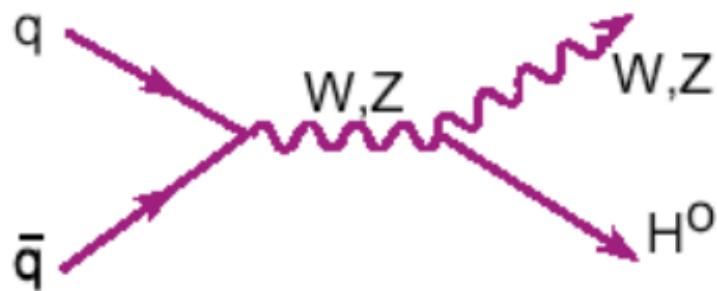
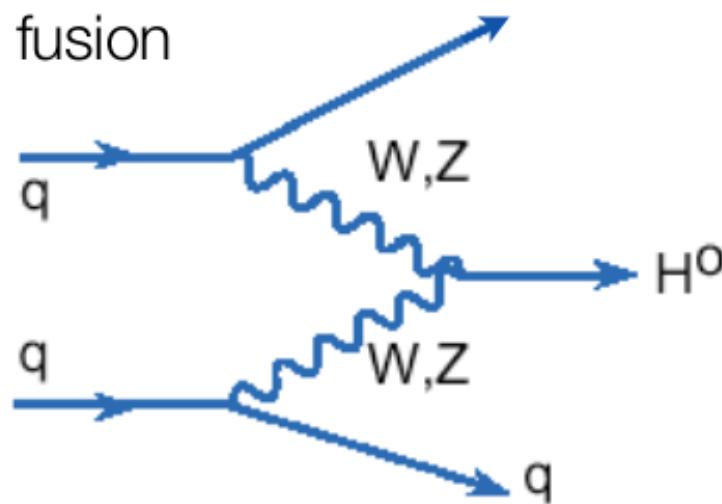
Higgs Production Mechanisms

Gluon fusion



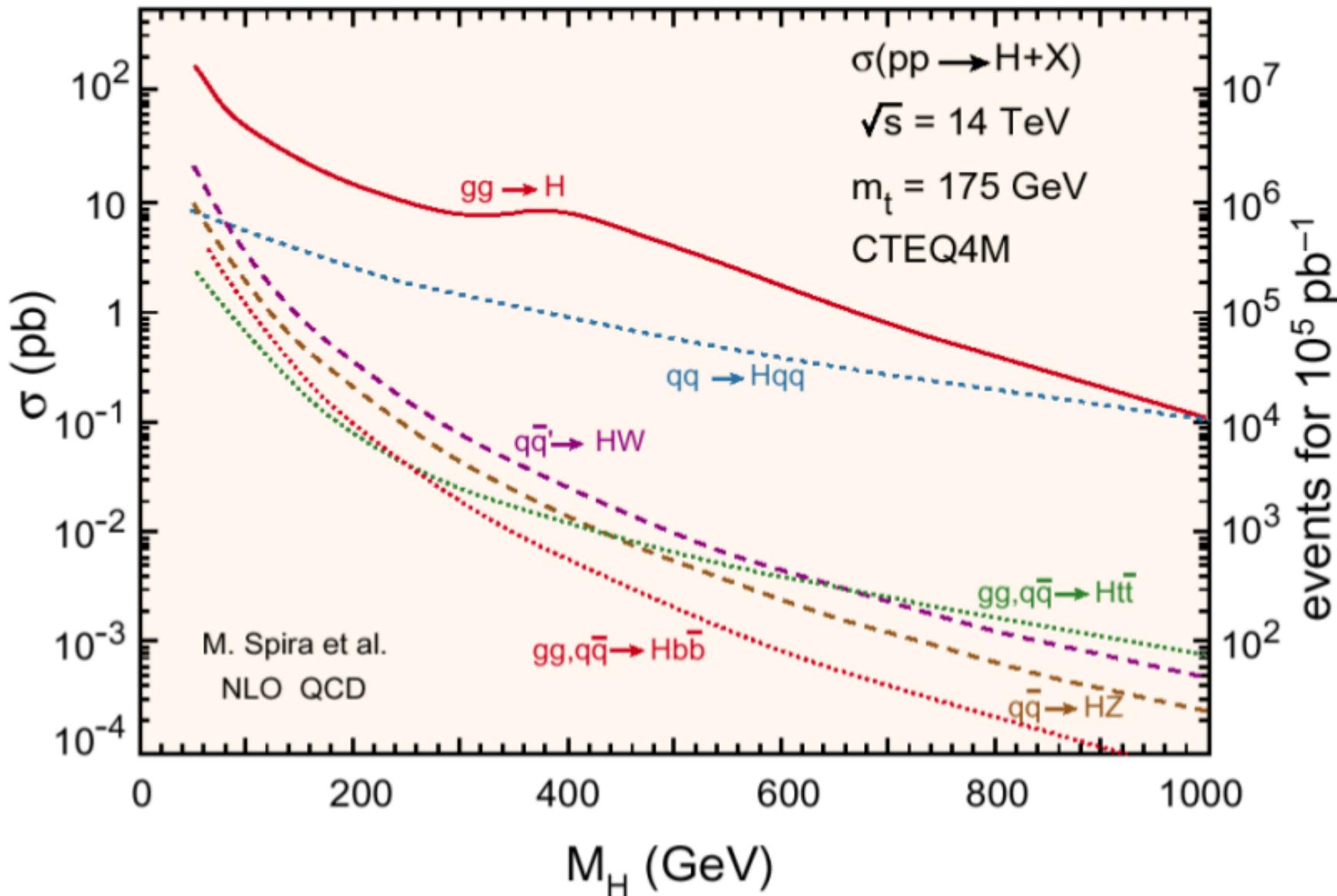
$t\bar{t}$ -fusion

Vector
boson fusion

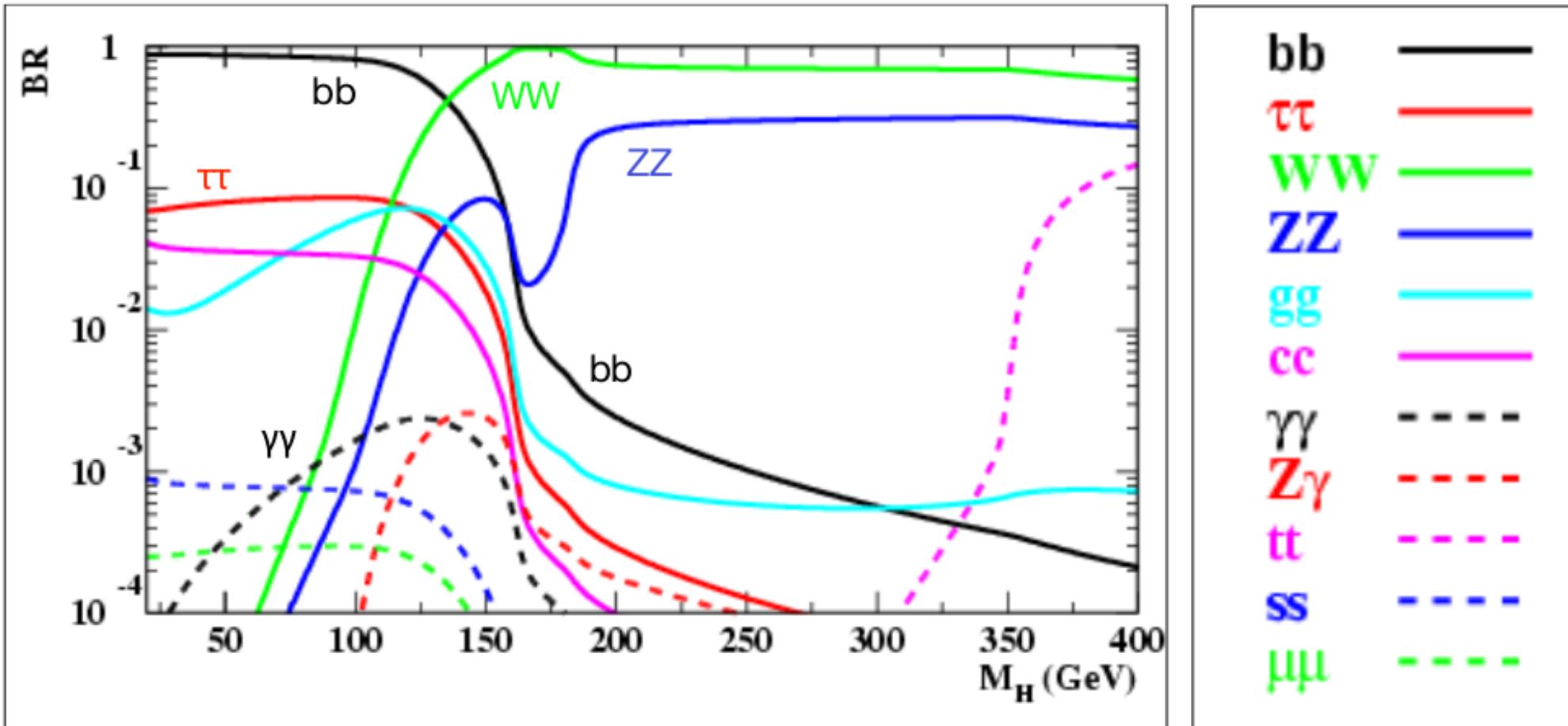


Associated
production

Higgs Production Cross Sections



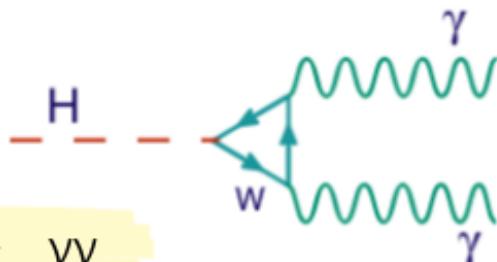
Higgs Boson Decays



For $M < 135$ GeV: $H \rightarrow bb, \tau\tau$ dominant

For $M > 135$ GeV: $H \rightarrow WW, ZZ$ dominant

Tiny but also
important: $H \rightarrow \gamma\gamma$

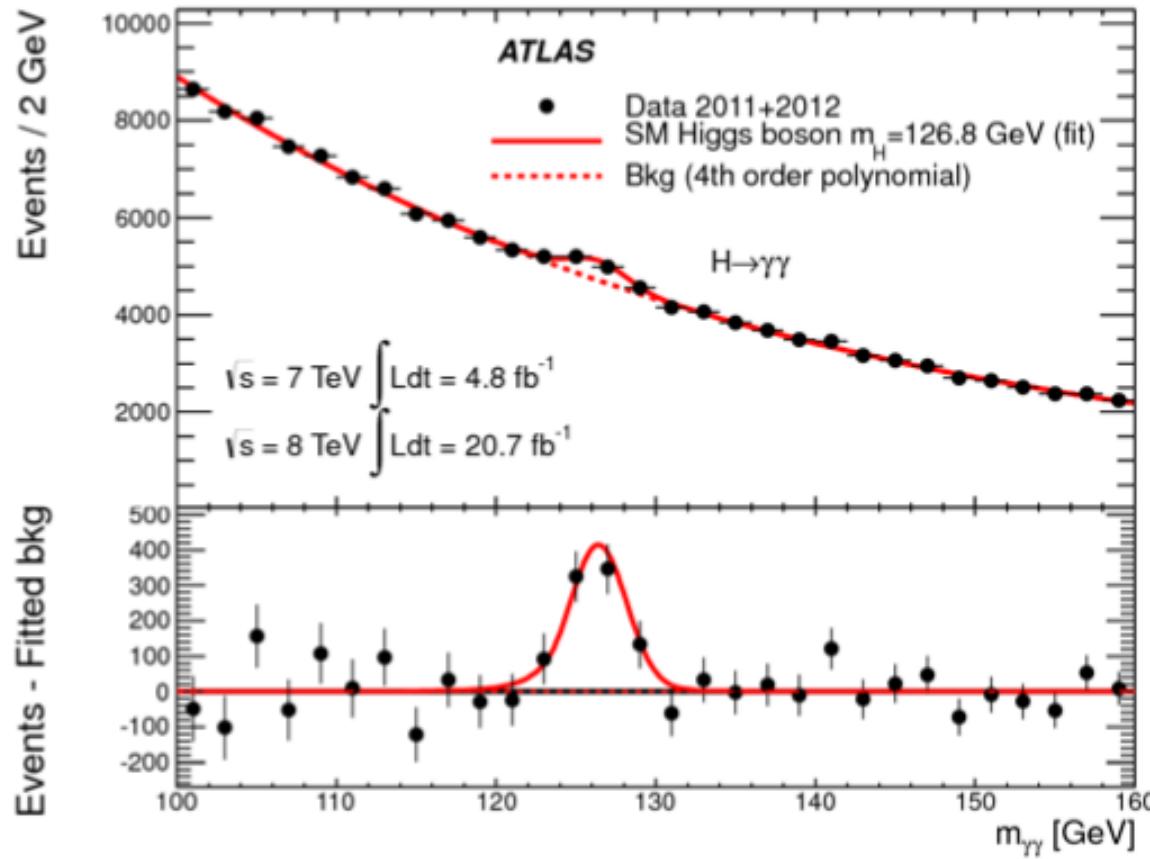


What is needed for discovery

- Signal significance:

$$S = \frac{N_S}{\sqrt{N_B + N_S}}$$

- If $S > 5$
 - N_S is 5 times larger than the statistical uncertainty
 - Gaussian probability that this is an upward fluctuation is 10^{-7}



Maximizing S

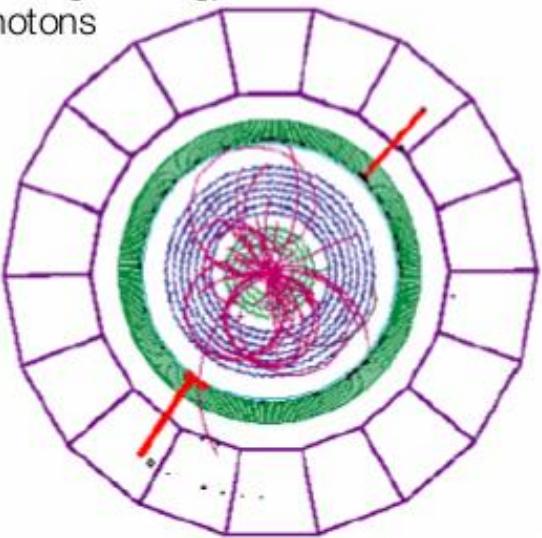
- Option 1: More signal
 - Channel with highest cross section
 - Optimize event selection to keep more events
 - $N_S \sim \text{Luminosity}$ (get more data)
- Option 2: Choose channels with low backgrounds
- Option 3: Improve detector resolution
 - If the measured mass resolution increases, the peak is wider, wider peak means more background

$$S = \frac{N_S}{\sqrt{N_B + N_S}}$$

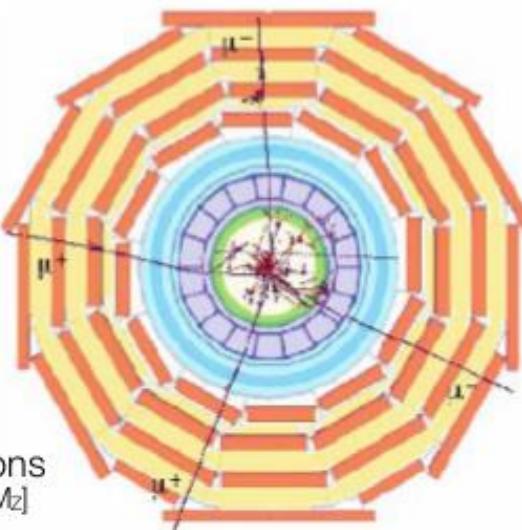
Option 1 and 2 are often in conflict

Higgs Searches @ LHC: Examples

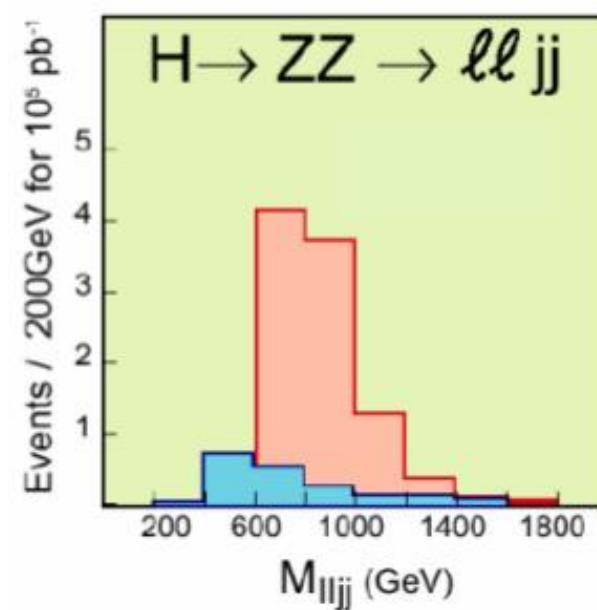
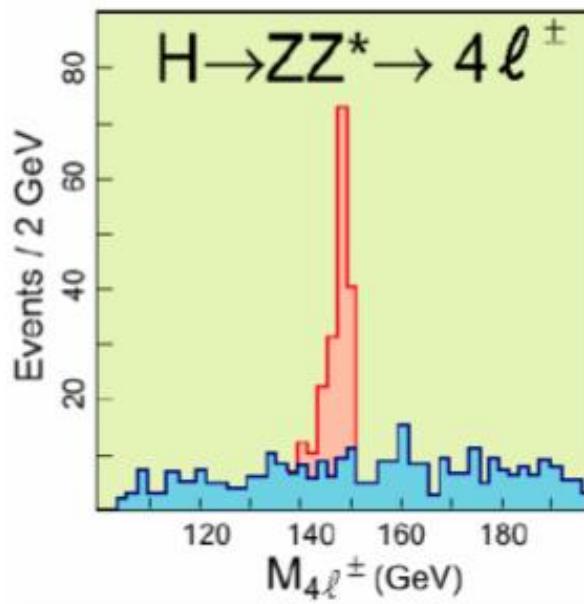
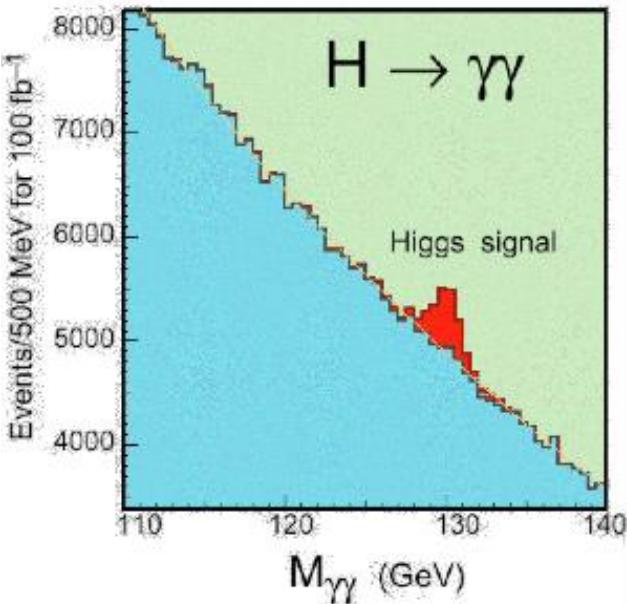
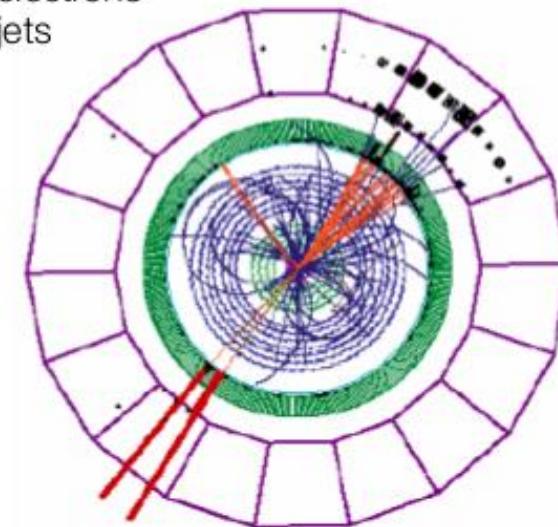
Two high-energy photons



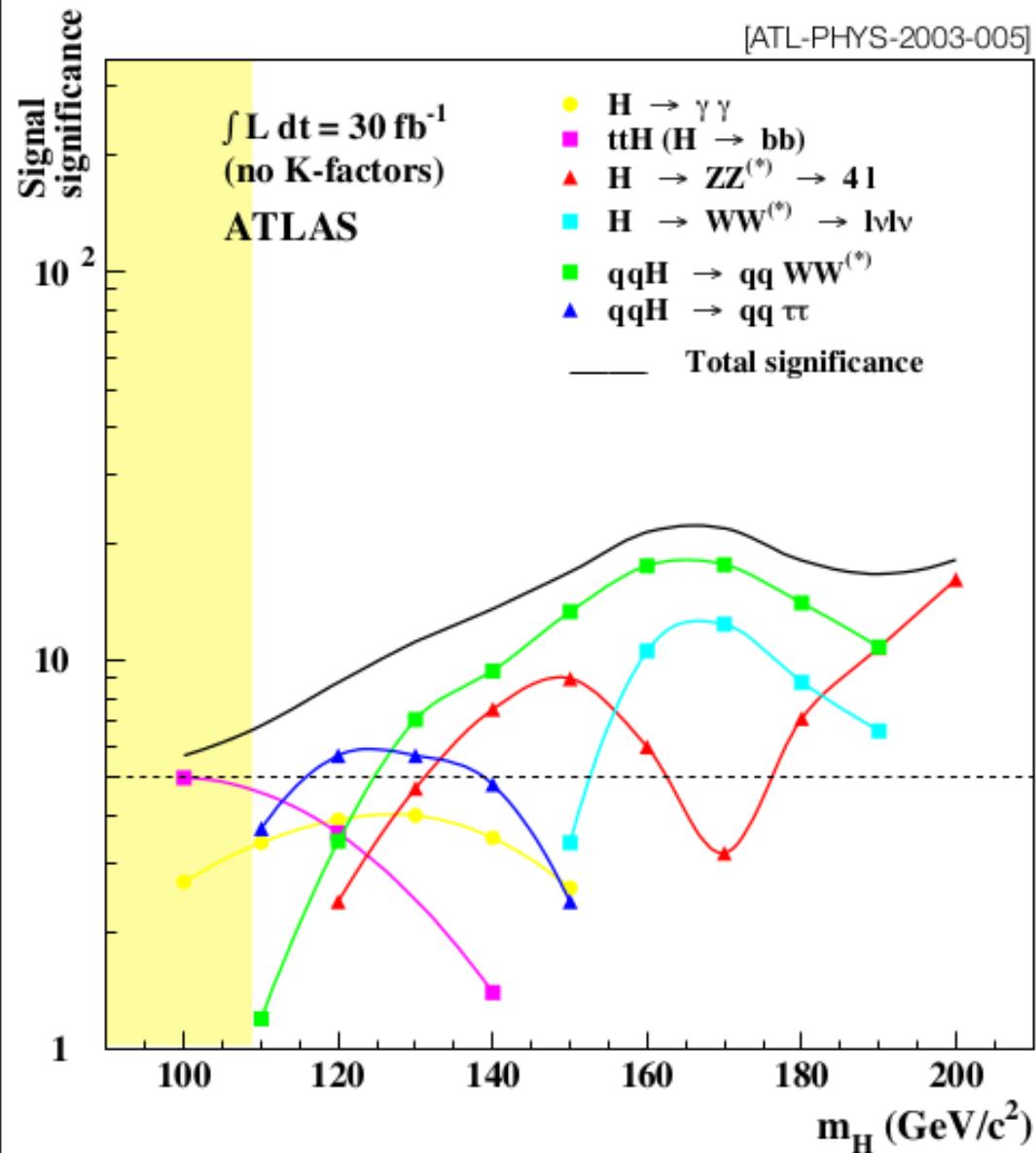
4 muons
 $[M_{\mu\mu} = M_Z]$



2 electrons
2 jets



LHC: Higgs Discovery Potential



ATLAS
estimates 2005:

Full mass range can already
be covered after a few years
at low luminosity

Several channels available
over a large range of masses

Low mass discovery requires
combination of three of the most
demanding channels

Comparable situation for
the CMS experiment

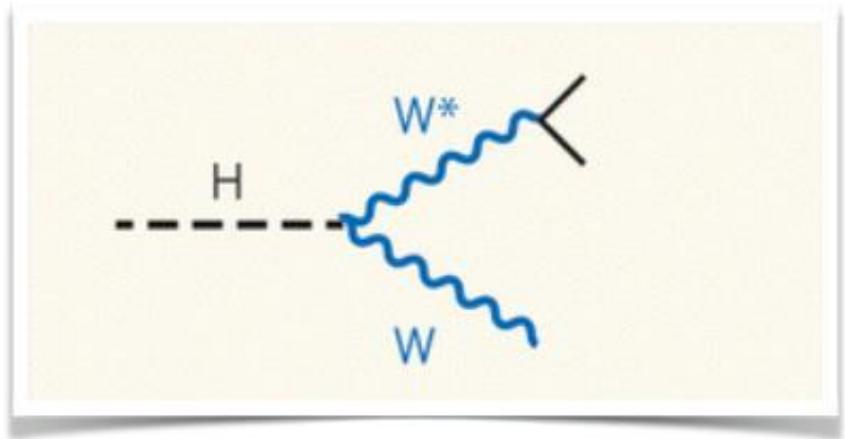
The Discovery Channels



A tale of two channels

- H to WW:
 - High cross section, high backgrounds
 - Focus on background estimates
- H to $\gamma\gamma$:
 - Low cross section, clean signal
 - Focus on photon reconstruction

$H \rightarrow WW$ Experimental Signature



Basic Selection

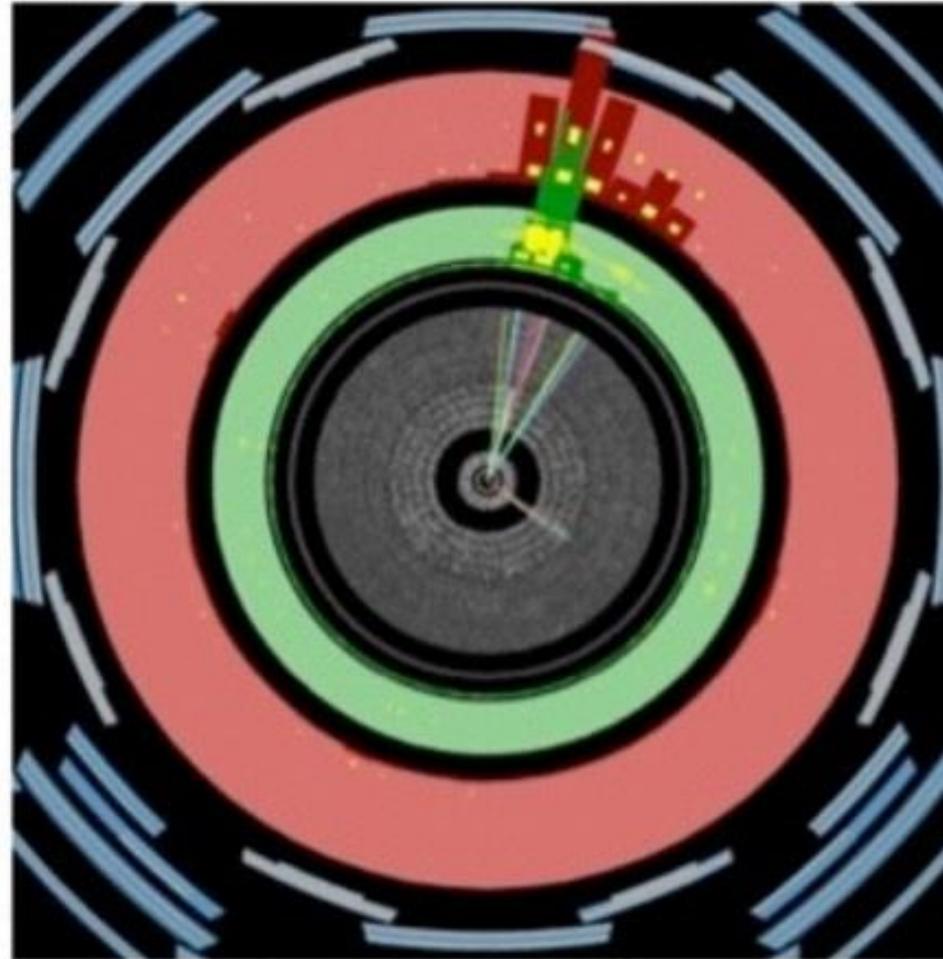
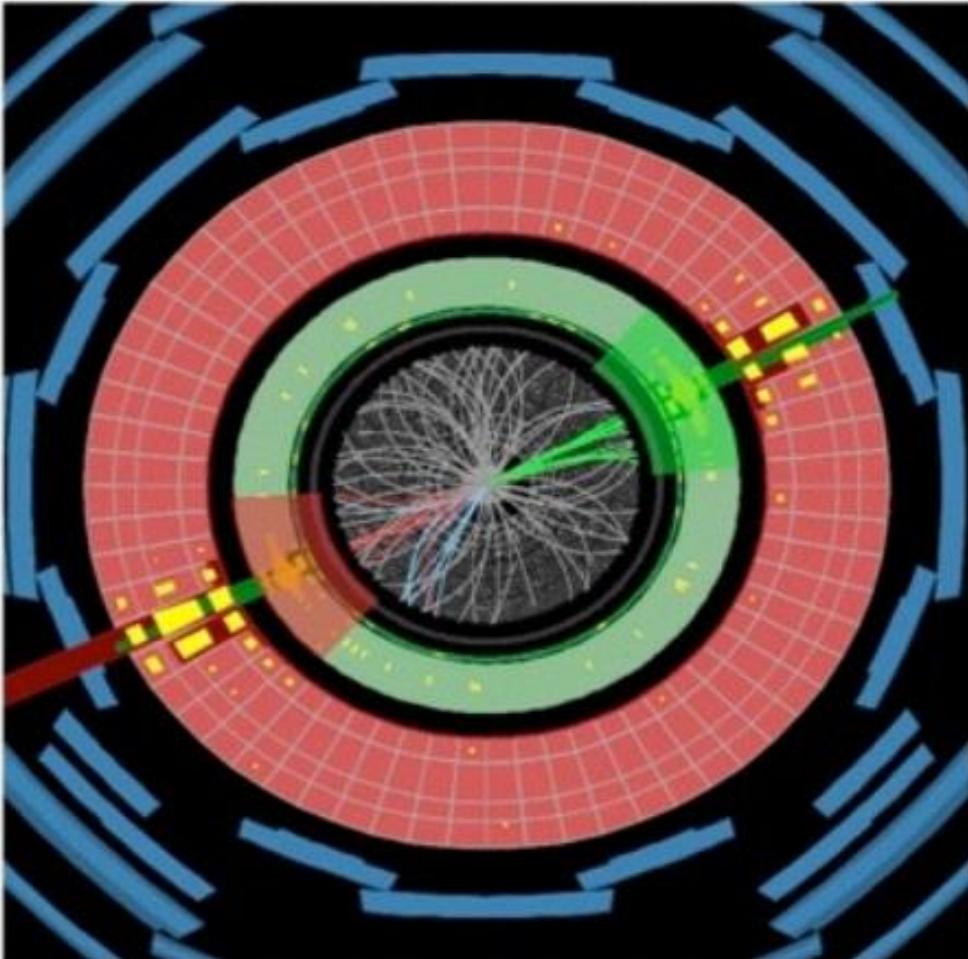
- ee events
- $\mu\mu$ events
- $e + \mu$ events
- Missing energy



- For this diagram, possibilities are
 - 0-lepton, 4-jets
 - Huge $gg \rightarrow qq$ background
 - 1-lepton, 2-jets
 - Huge $W + \text{jet}$ background
 - 2-leptons, 0-jets
 - Best option but only a fraction of the events

Reconstructing the mass

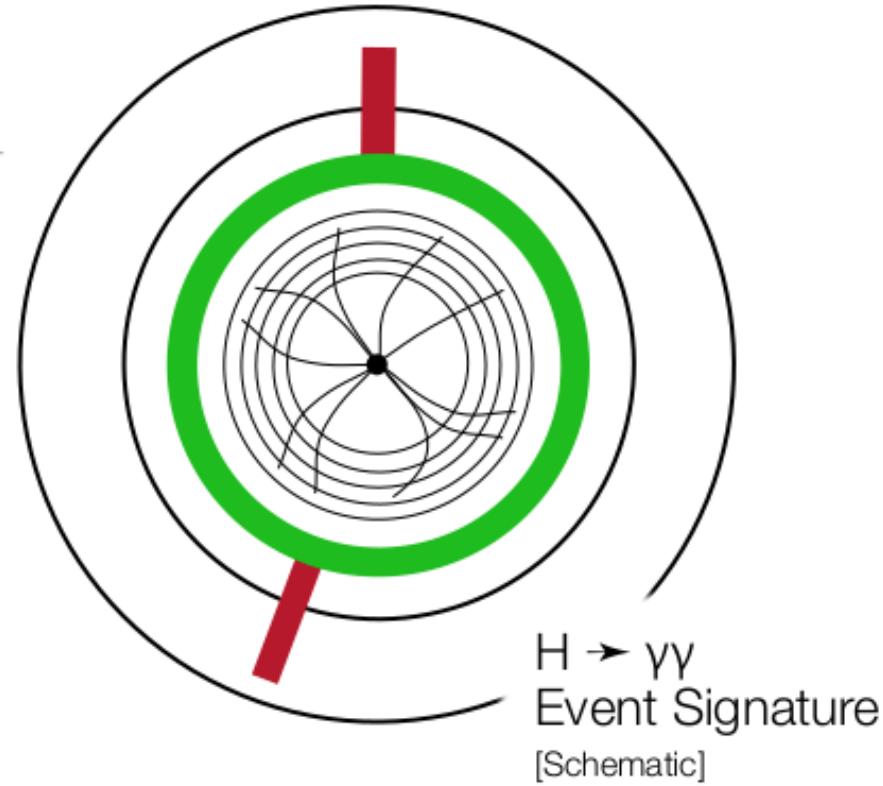
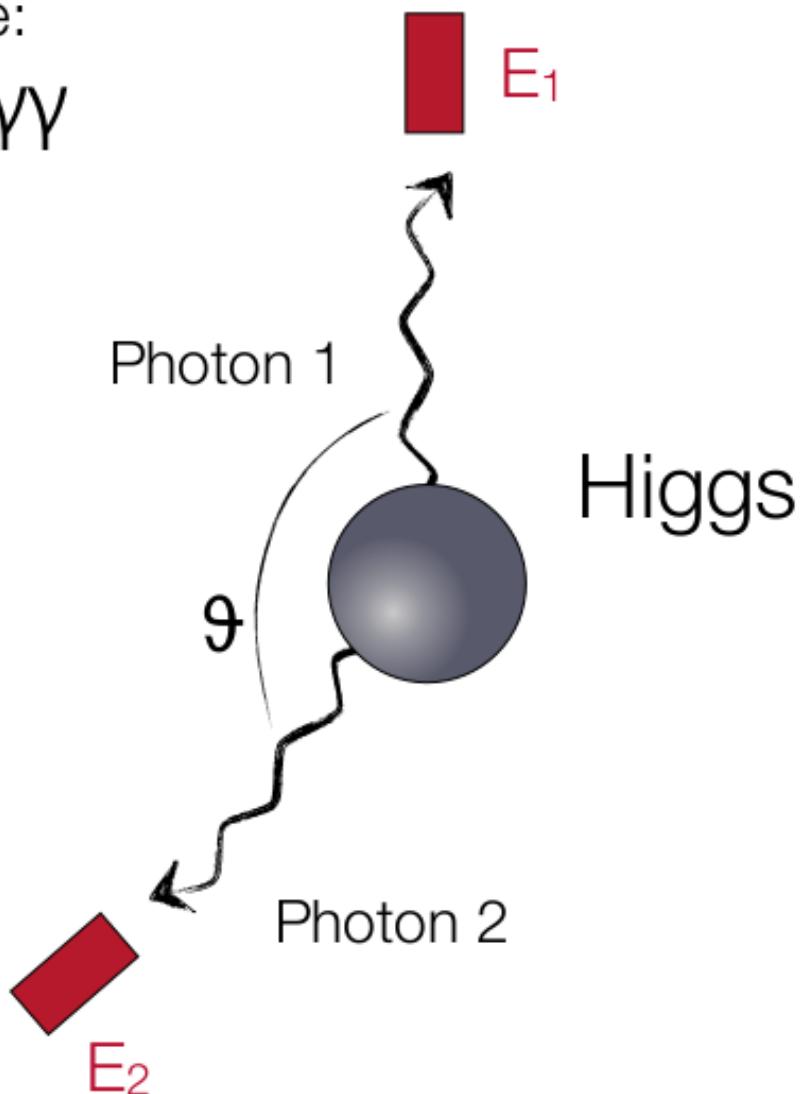
- Neutrino are not measured, only inferred by energy conservation in the transverse plane



Mass reconstruction example

Example:

$$H \rightarrow \gamma\gamma$$



Invariant Mass:

$$m_{\gamma\gamma}^2 = 2E_1E_2(1-\cos\theta)$$

Reconstructing the mass

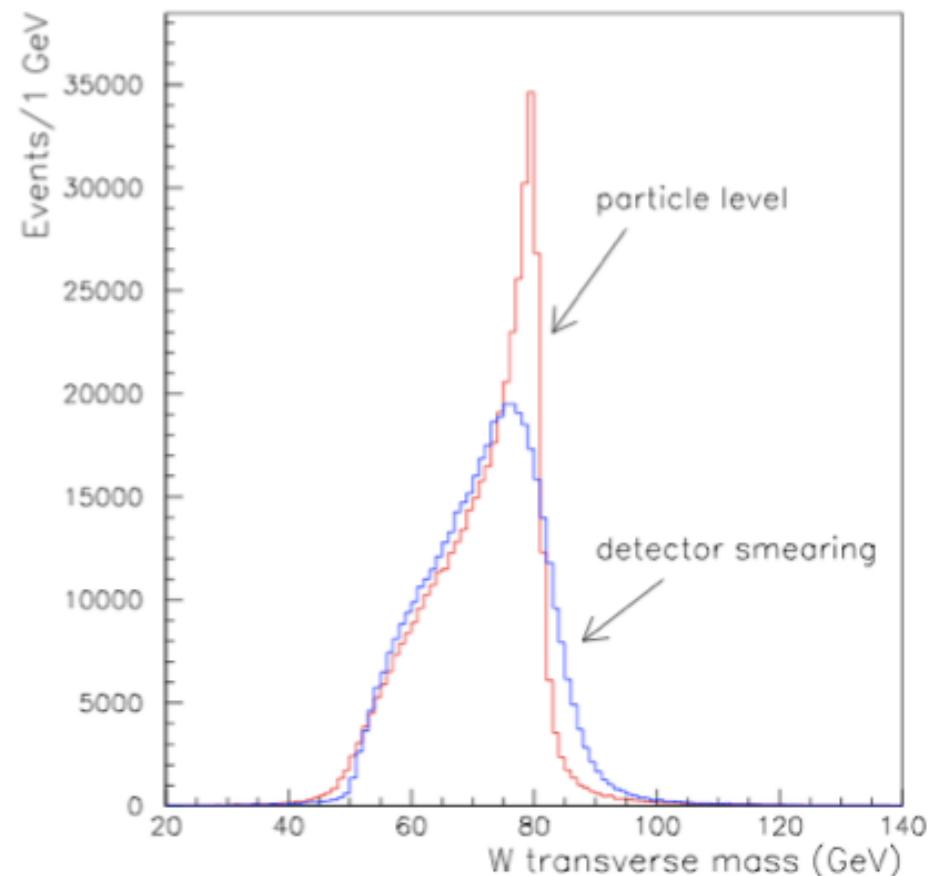
- Only know the x- and y-components of the missing energy (called MET)
- Can not reconstruct a mass peak

$$M_T^2(W) = 2 p_T(l) p_T(\nu) [1 - \cos(\Delta\phi)]$$

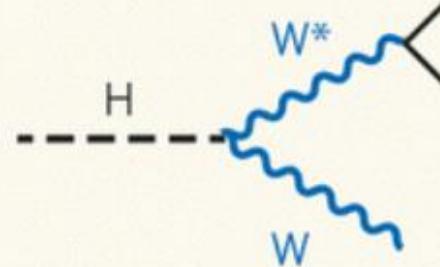
Lepton transverse momentum

Missing E_t

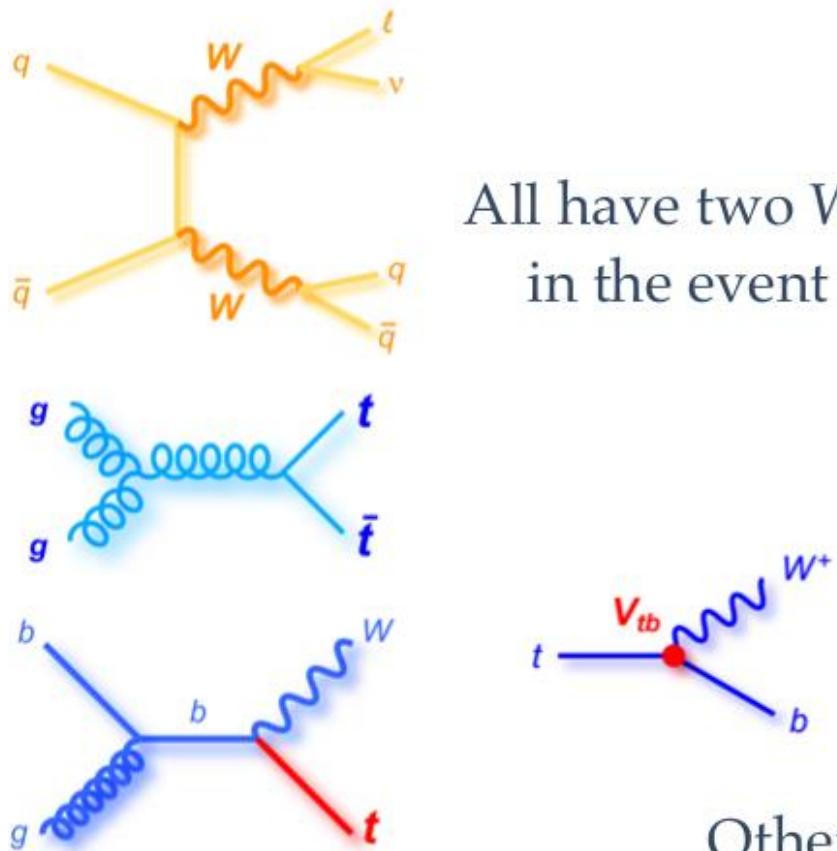
Angle between lepton and missing E_t in the transverse plane



The Backgrounds



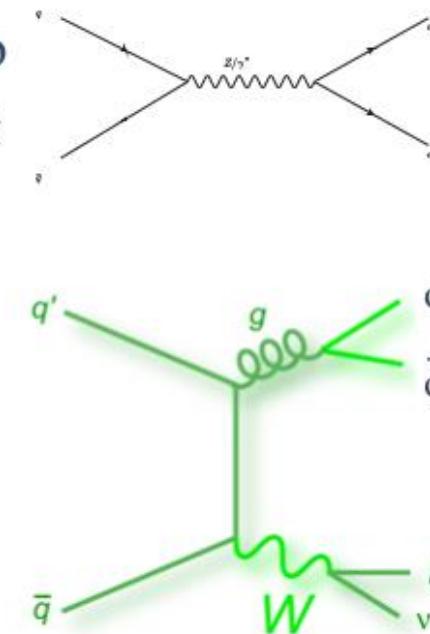
A perfect detector



All have two Ws
in the event

A real detector

2 leptons, but no
'real' missing Et



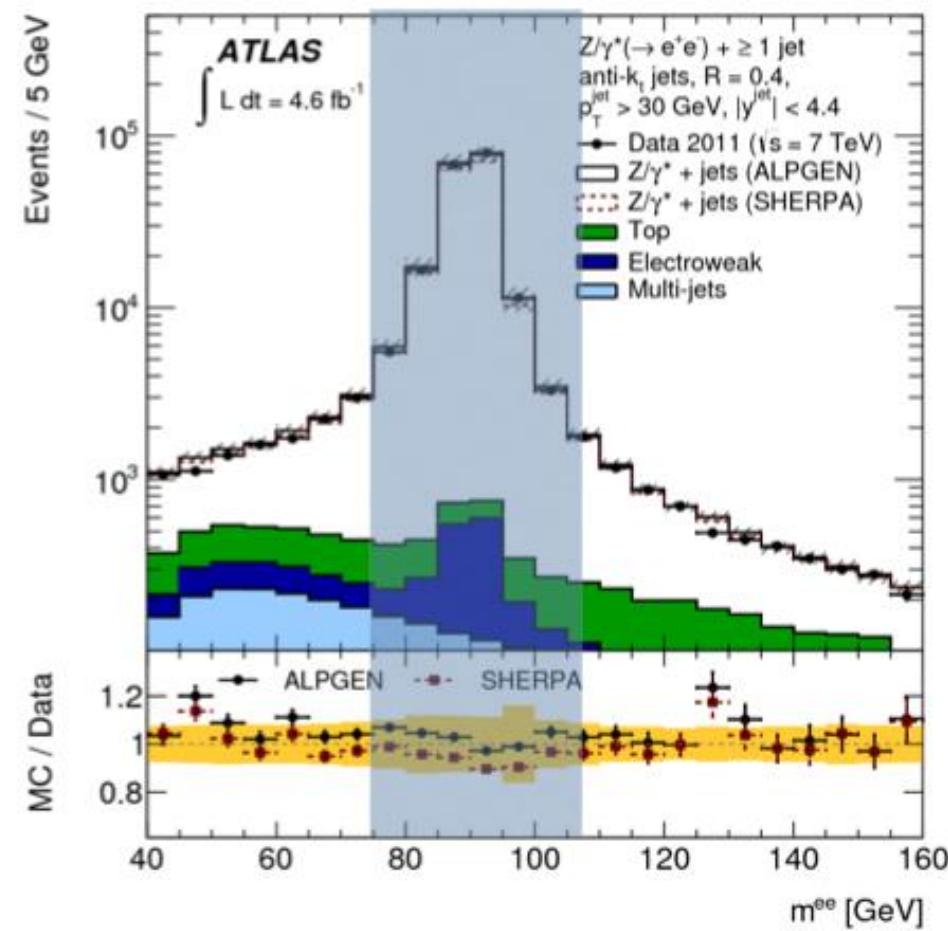
Only 1 W, but
other objects
like jets

Others: ZZ, WZ, $W\gamma$, single top

H \rightarrow WW Event Selection

Cut on...

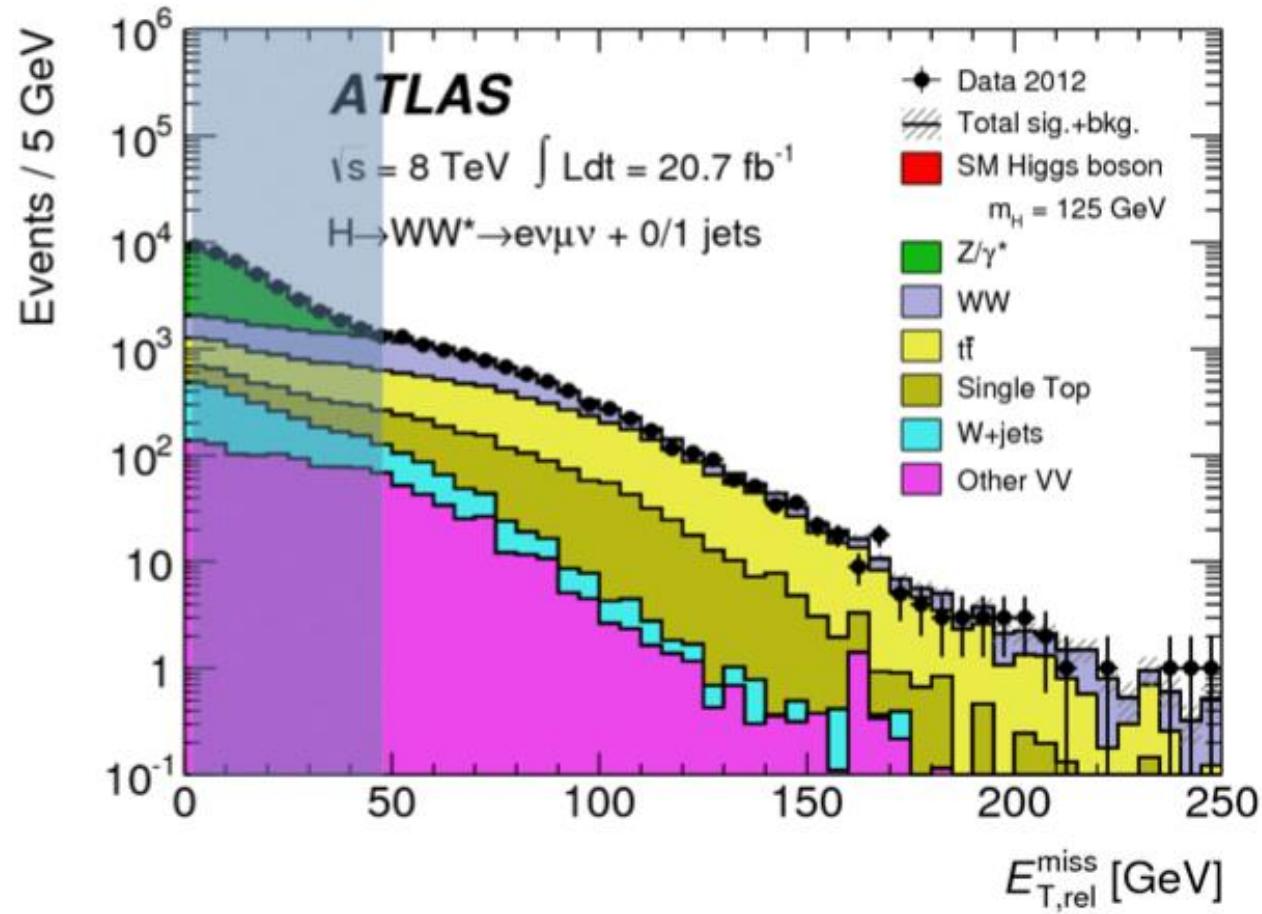
M_{ll} around Z-peak



Removes Z+jet background

H \rightarrow WW Event Selection

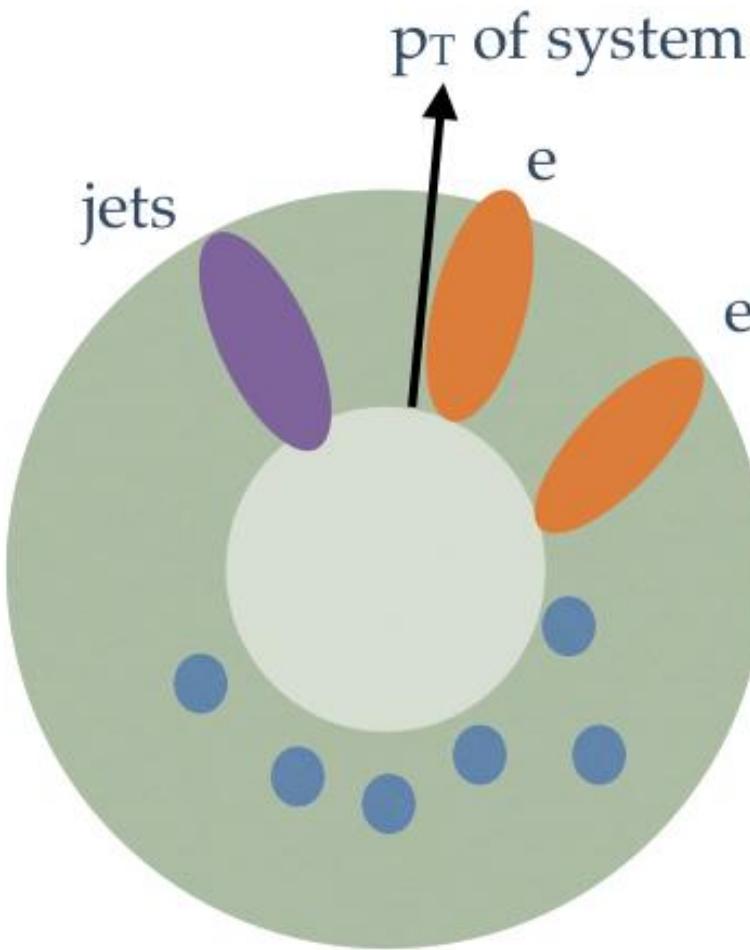
Cut on...
M _{ll} around Z-peak
MET-like variable



Removes Z+jet background

H \rightarrow WW Event Selection

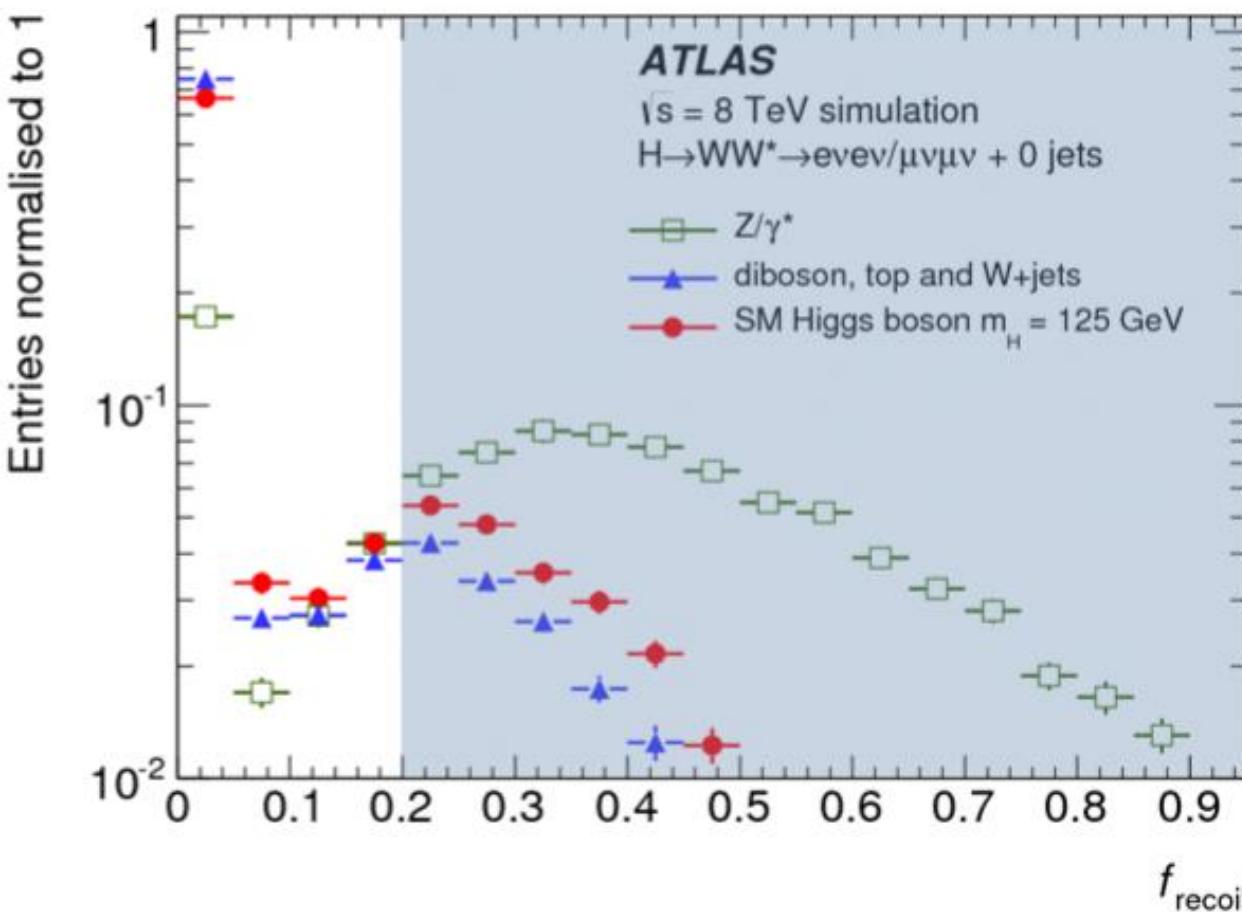
Cut on...
M _{ll} around Z-peak
MET-like variable
Recoil fraction



Look at the fraction of soft energy
opposite the system p_T

H \rightarrow WW Event Selection

Cut on...
M _{ll} around Z-peak
MET-like variable
Recoil fraction



Removes Z+jet background

H \rightarrow WW Event Selection

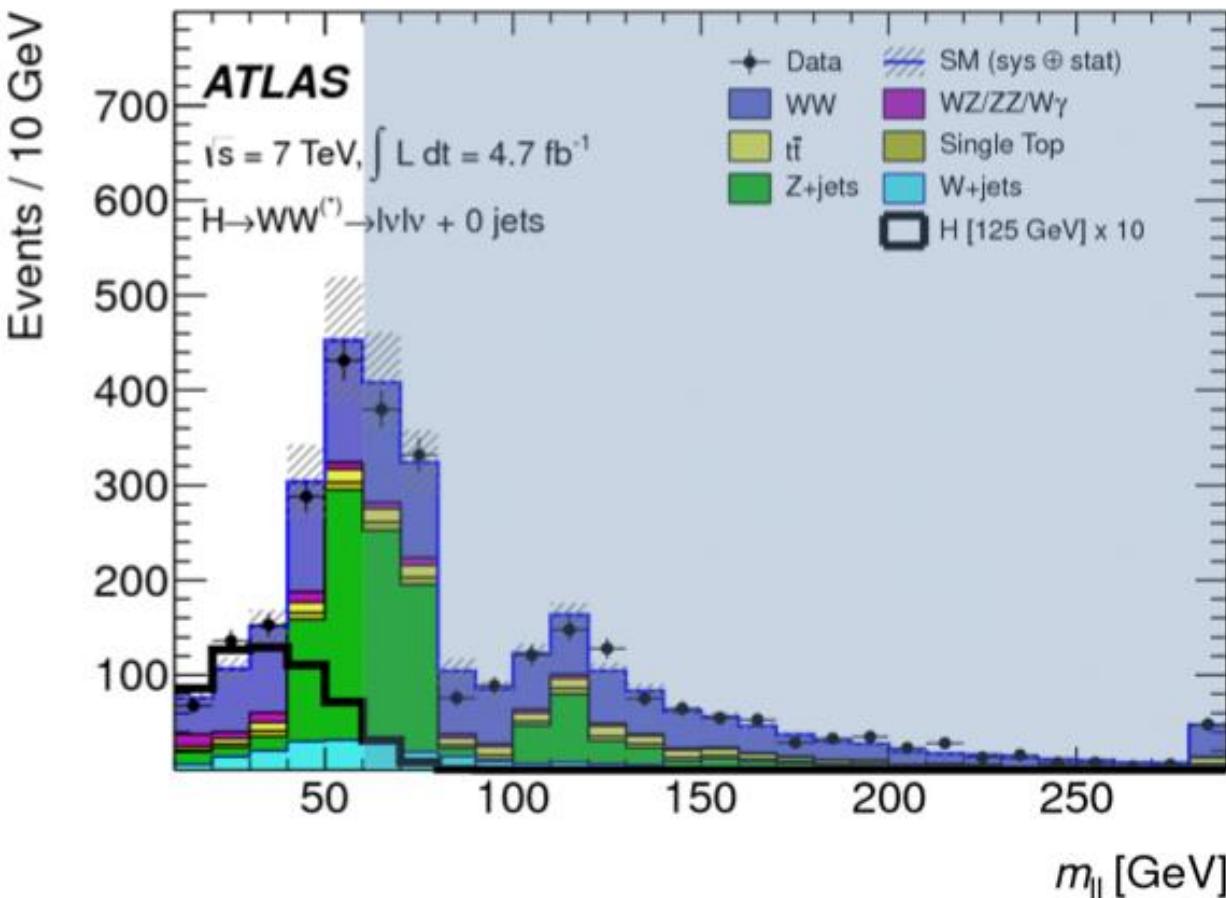
Cut on...

M_{ll} around Z-peak

MET-like variable

Recoil fraction

Tighter on M_{ll}



Removes WW background

$H \rightarrow WW$ Event Selection

Cut on...

M_{ll} around Z-peak

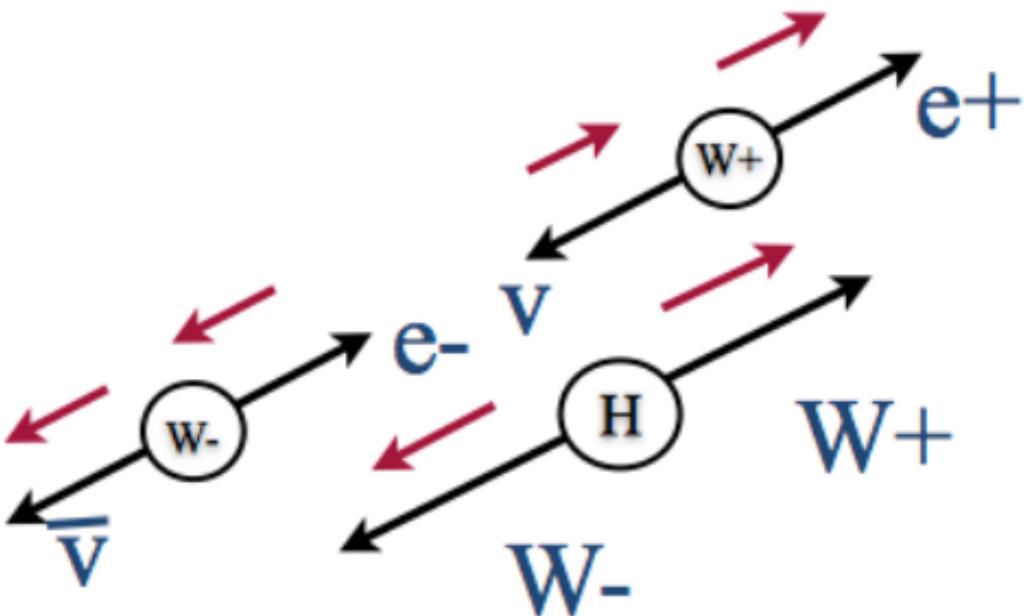
MET-like variable

Recoil fraction

Tighter on M_{ll}

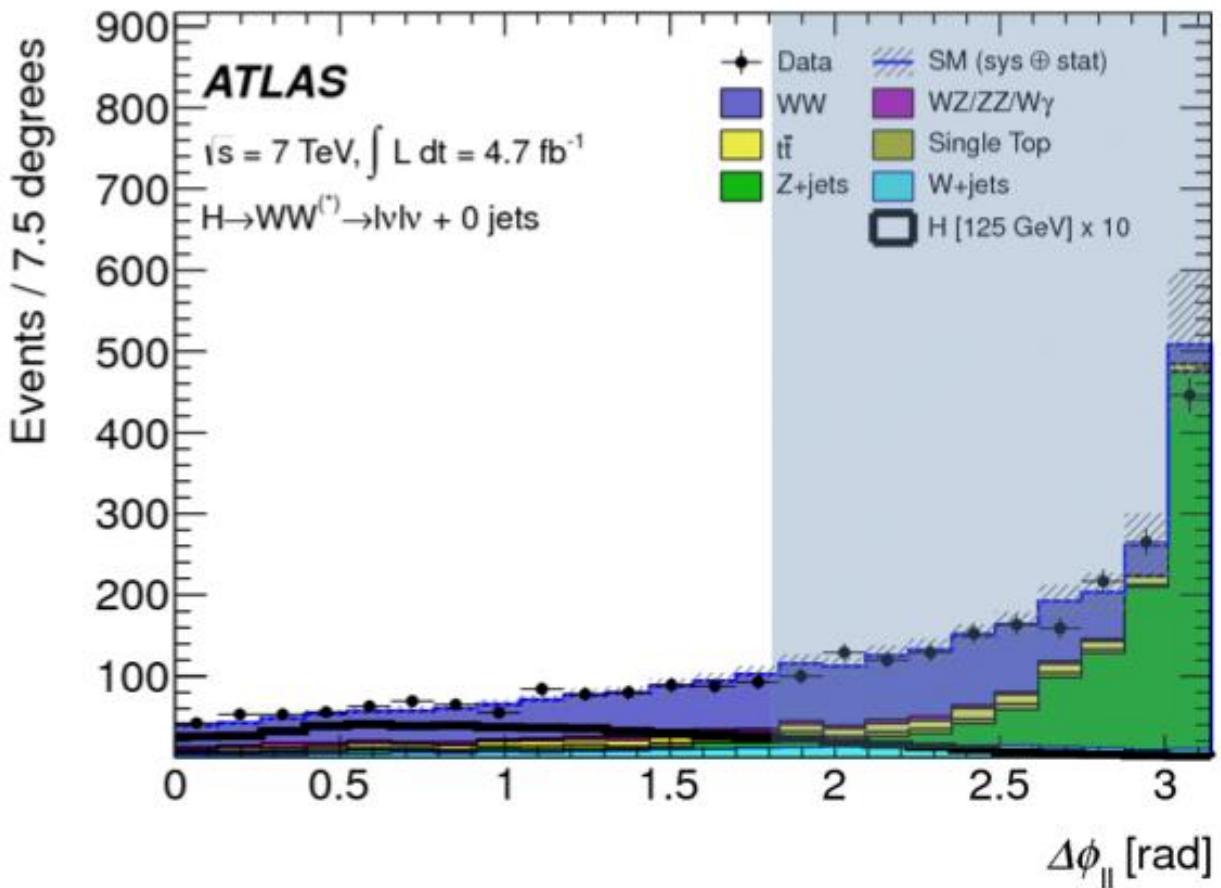
ϕ angle between lep.

Can use that Higgs is a spin-0 particle



H \rightarrow WW Event Selection

Cut on...
M _{ll} around Z-peak
MET-like variable
Recoil fraction
Tighter on M _{ll}
ϕ angle between lep.



Removes WW background

H \rightarrow WW Event Selection

Cut on...

M_{ll} around Z-peak

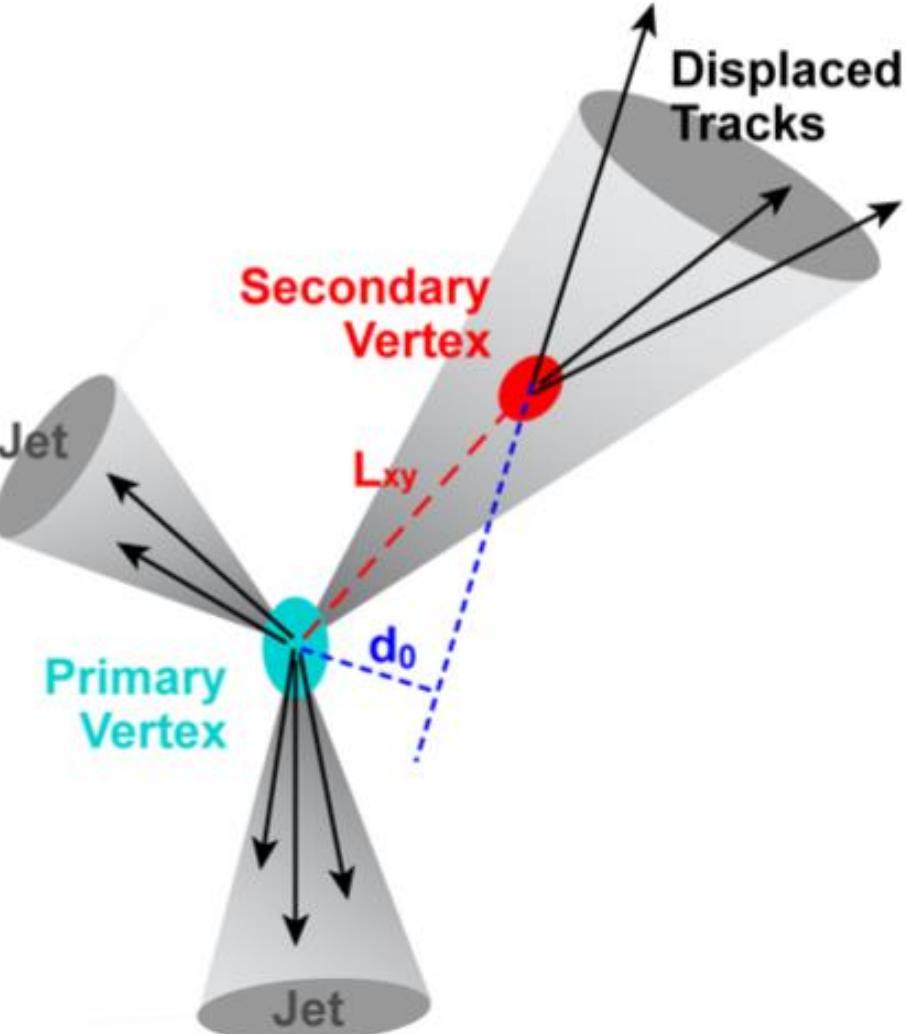
MET-like variable

Recoil fraction

Tighter on M_{ll}

ϕ angle between lep.

Veto on b-jets



H \rightarrow WW Event Selection

Cut on...

M_{ll} around Z-peak

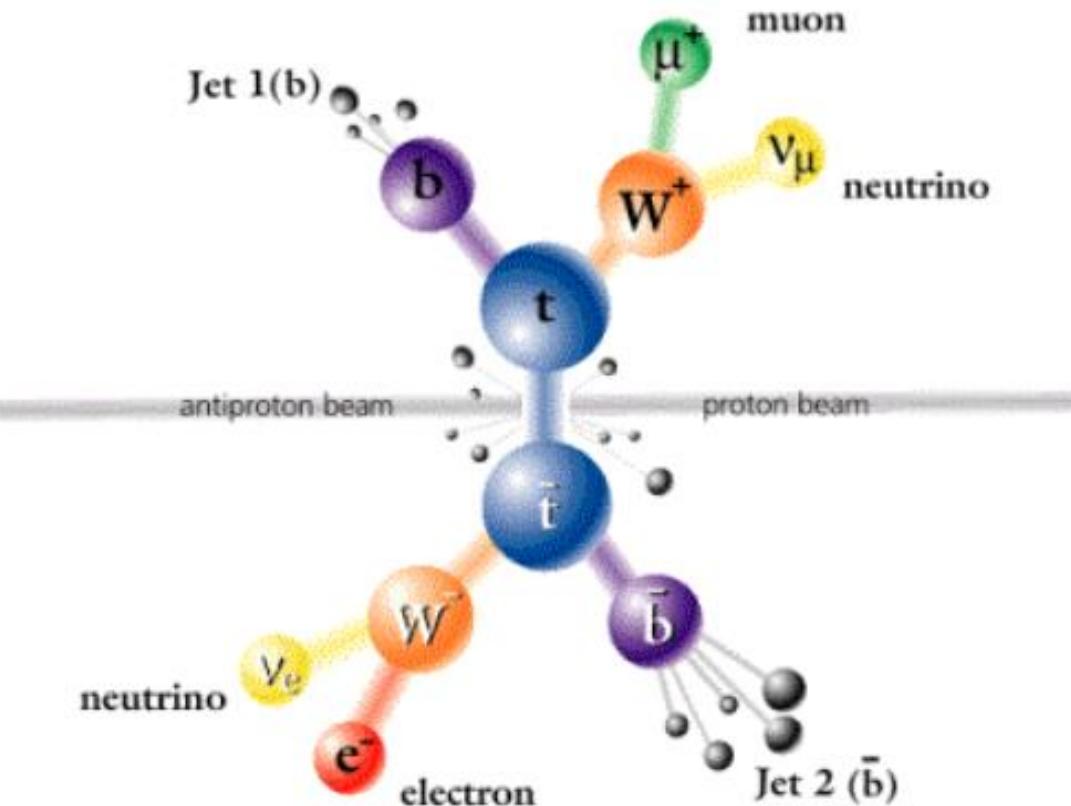
MET-like variable

Recoil fraction

Tighter on M_{ll}

ϕ angle between lep.

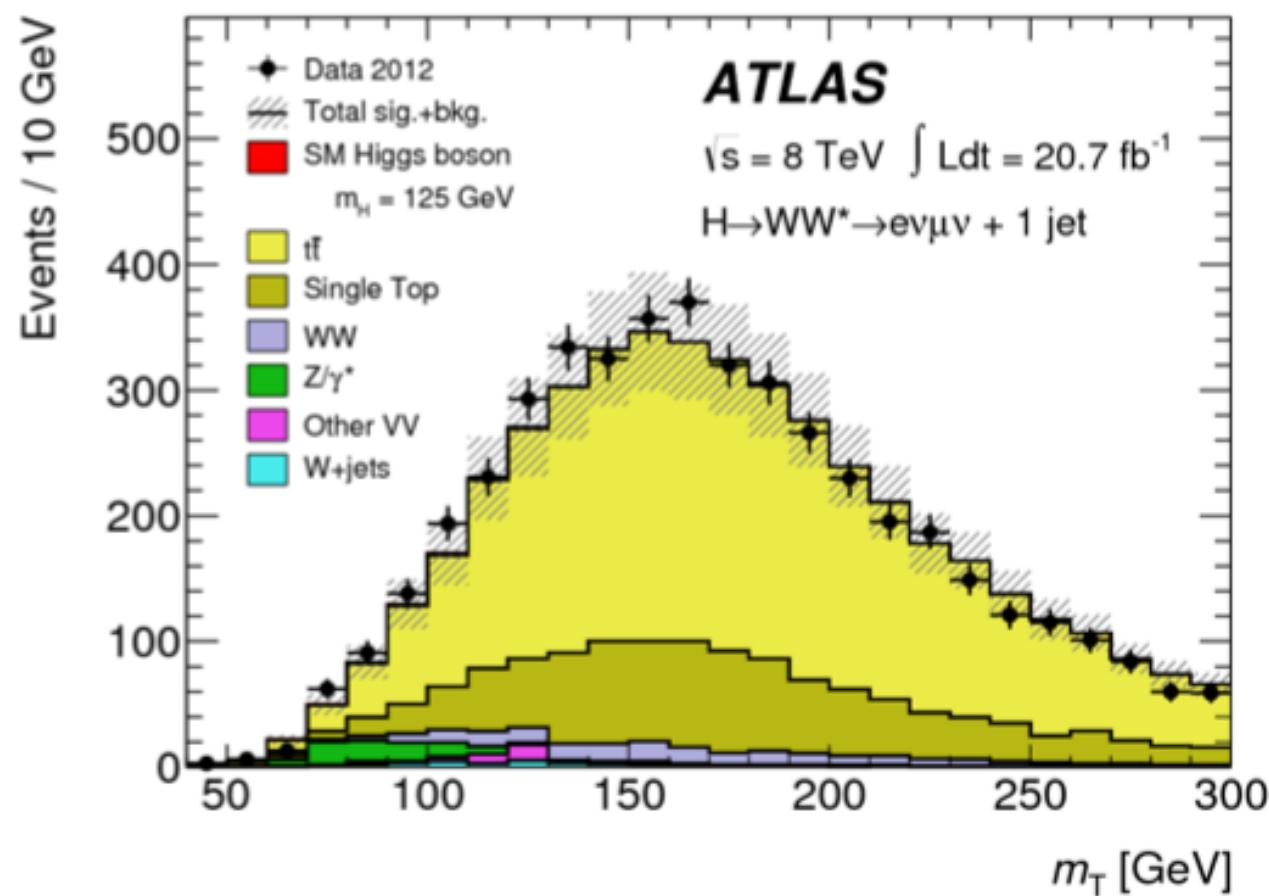
Veto on b-jets



Removes top background

Top Estimates

- Define a control region
 - Exactly 1-bjet
 - Remove the M_{\parallel} and $\Delta\phi$ cuts
- Use Monte Carlo as the model to estimate the number of events in the signal region

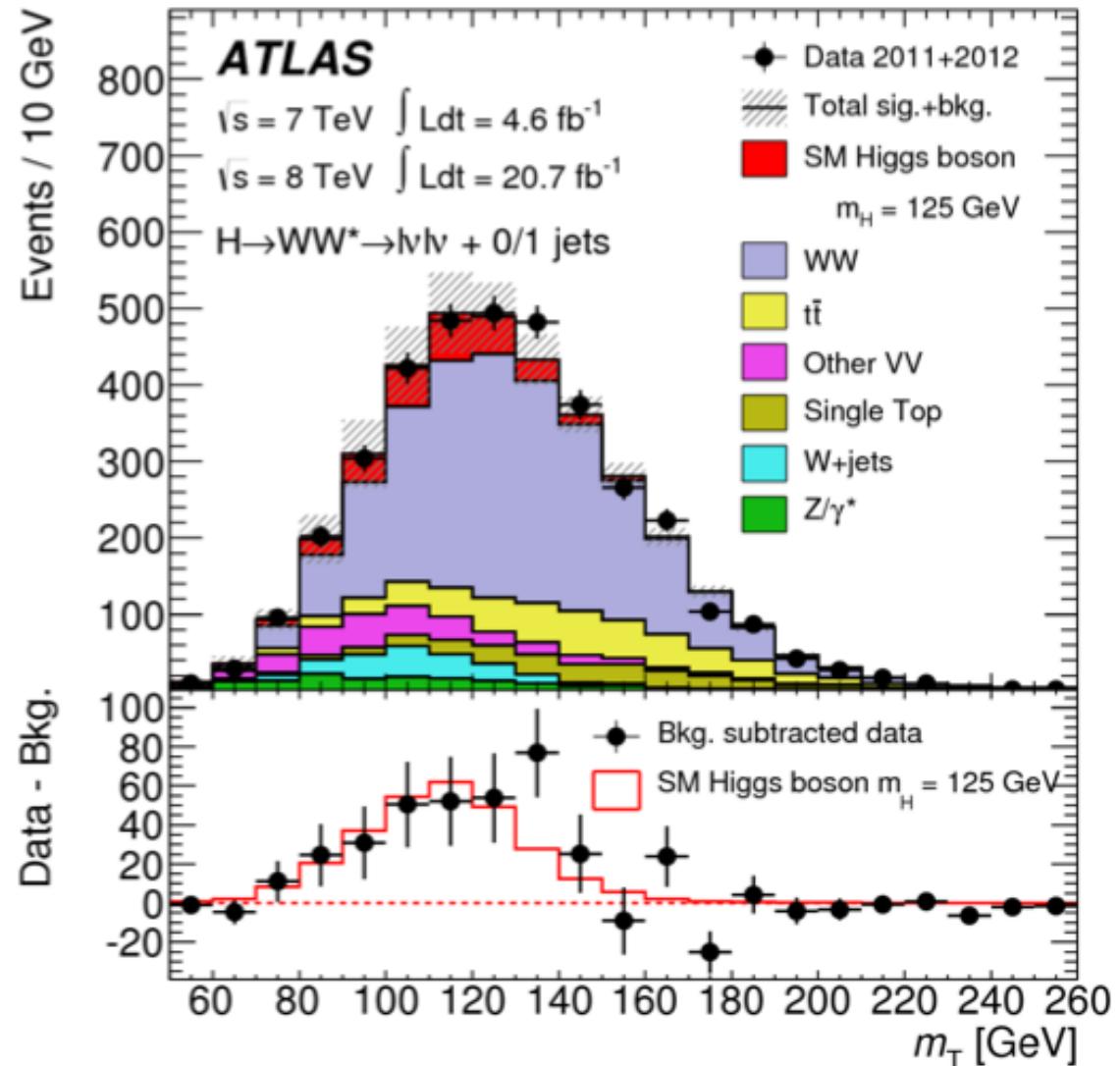


The Results

- MT is defined here as

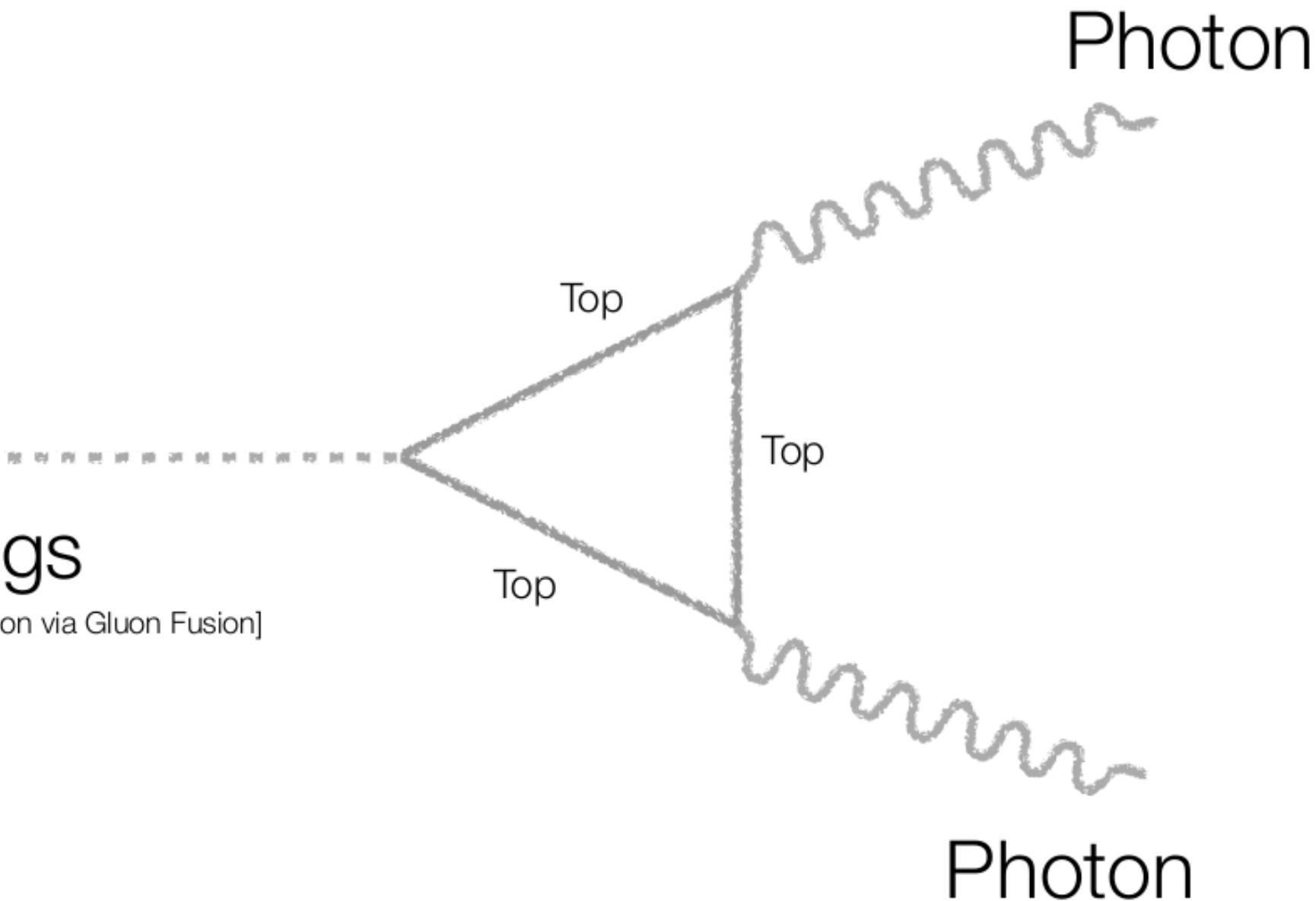
$$m_T = \sqrt{(E_T^{ll} + E_T^{miss})^2 - |\vec{p}_T^{ll} + \vec{E}_T^{miss}|^2}$$

- No clear mass peak
- Clear excess over background

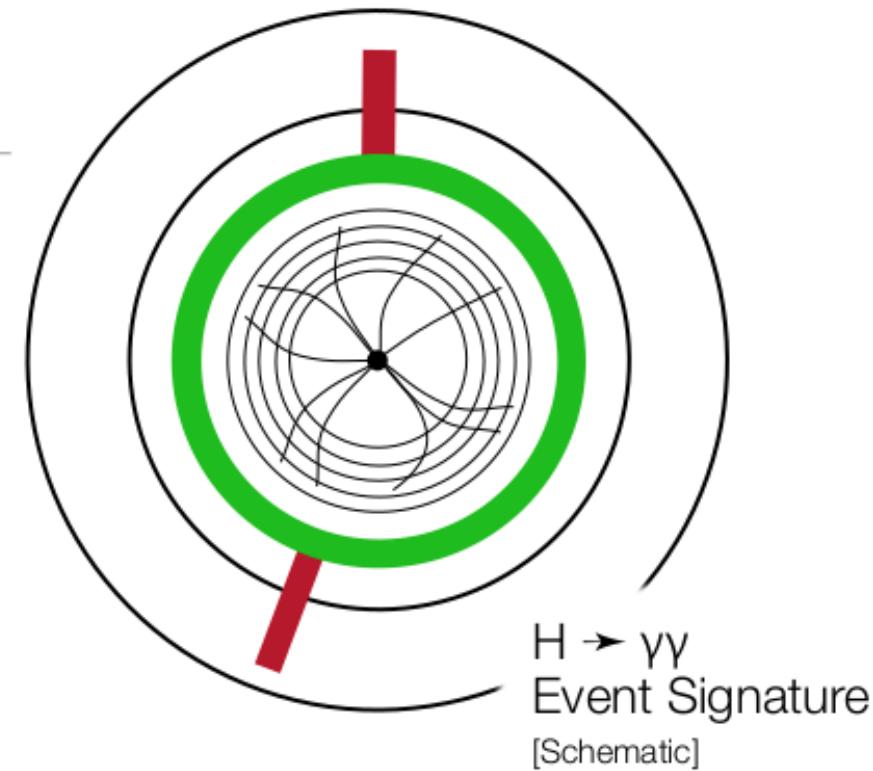
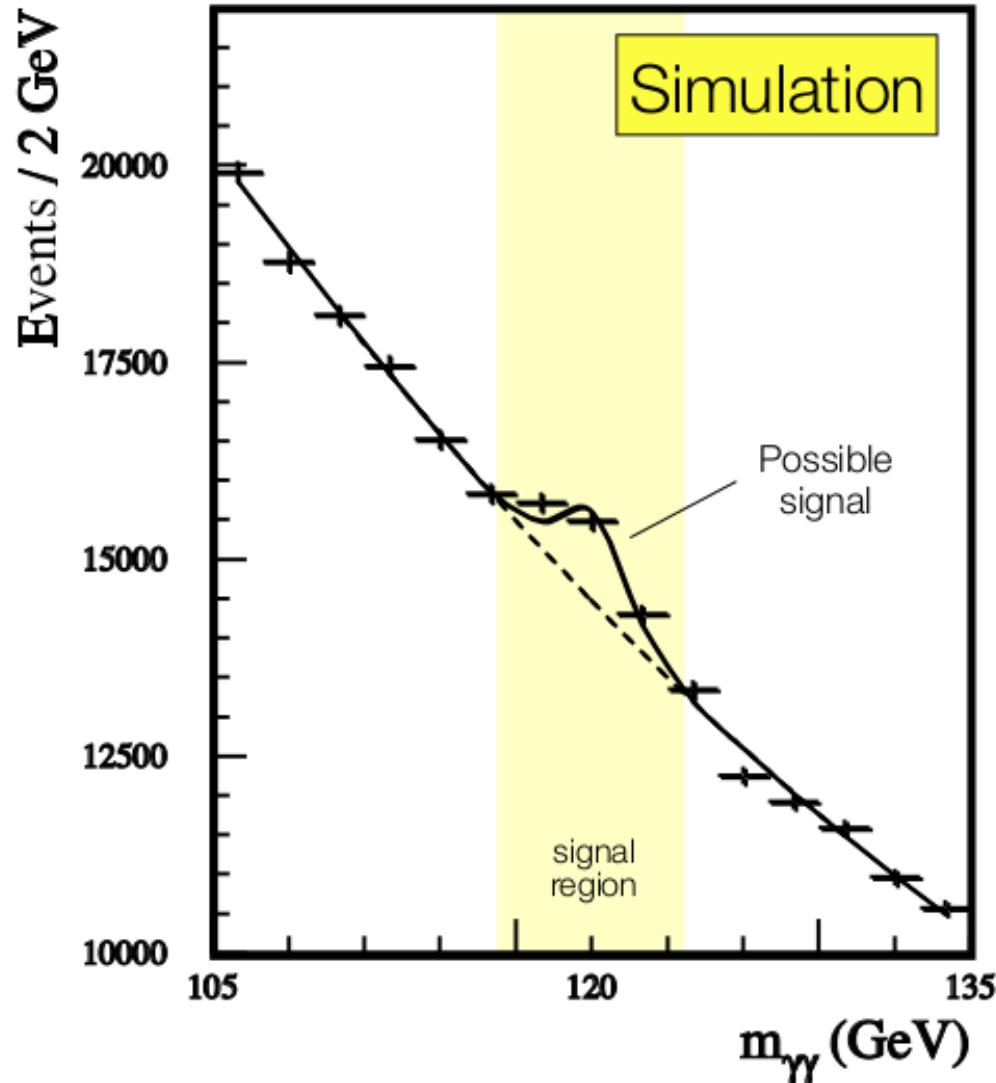


H to $\gamma\gamma$

Higgs
[Production via Gluon Fusion]



Basic Analysis Principle



Invariant Mass:

$$m_{\gamma\gamma}^2 = 2E_1E_2(1-\cos\theta)$$

Analysis Necessities & Steps ...

Photon reconstruction

Photon identification

Photon isolation

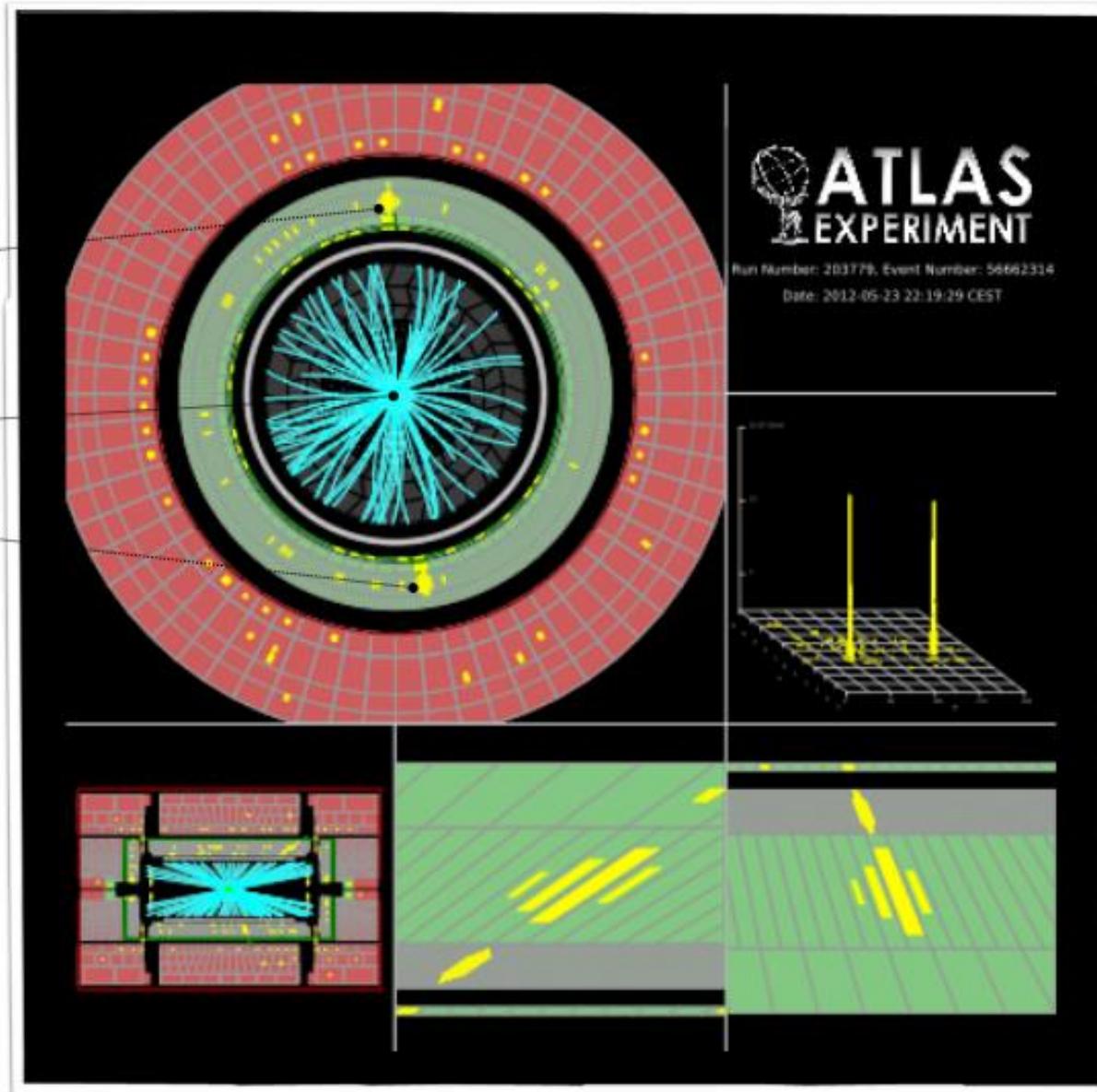
Primary vertex

Energy calibration

Background modeling

Event categories

Limits & signal strength

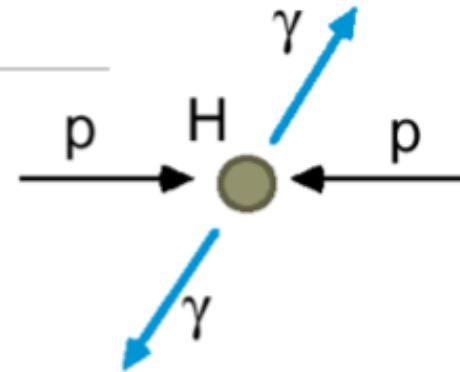


2 γ -Channel – Signal and Background

Signal: $\sigma \cdot \text{BR} = 50 \text{ fb}$ [$m_H = 100 \text{ GeV}$]

very demanding channel due to huge irreducible background ...

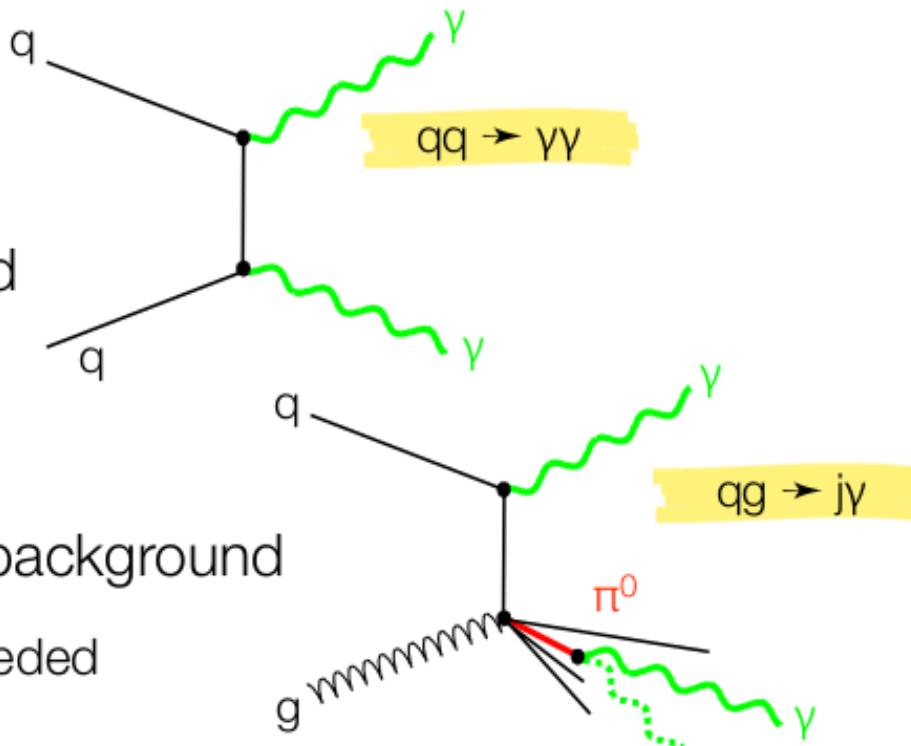
very harsh requirements on calorimeter performance
[acceptance, E and θ -resolution, separation of γ from jets and π^0]



Two main background sources:

2 γ -production: **irreducible** background

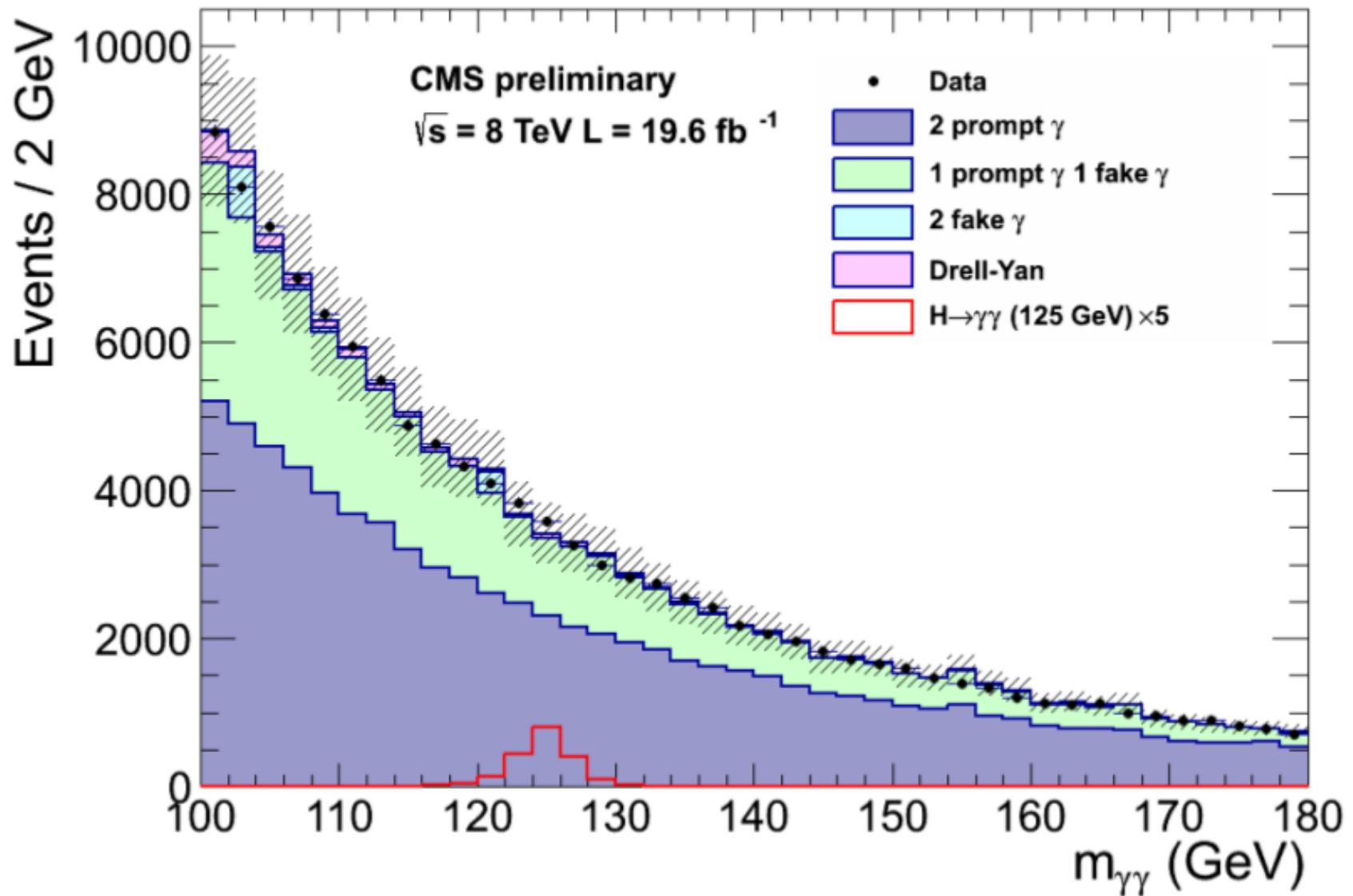
$$\sigma_{\gamma\gamma} \sim 2 \text{ pb/GeV} \text{ and } \Gamma_H \sim \text{MeV}$$



γ -jet and di-jet production: **reducible** background

$$\sigma_{\gamma j + jj} \sim 10^6 \sigma_{\gamma\gamma}; \text{ jet rejection of } > 10^3 \text{ needed}$$

Di-Photon Invariant Mass Distribution

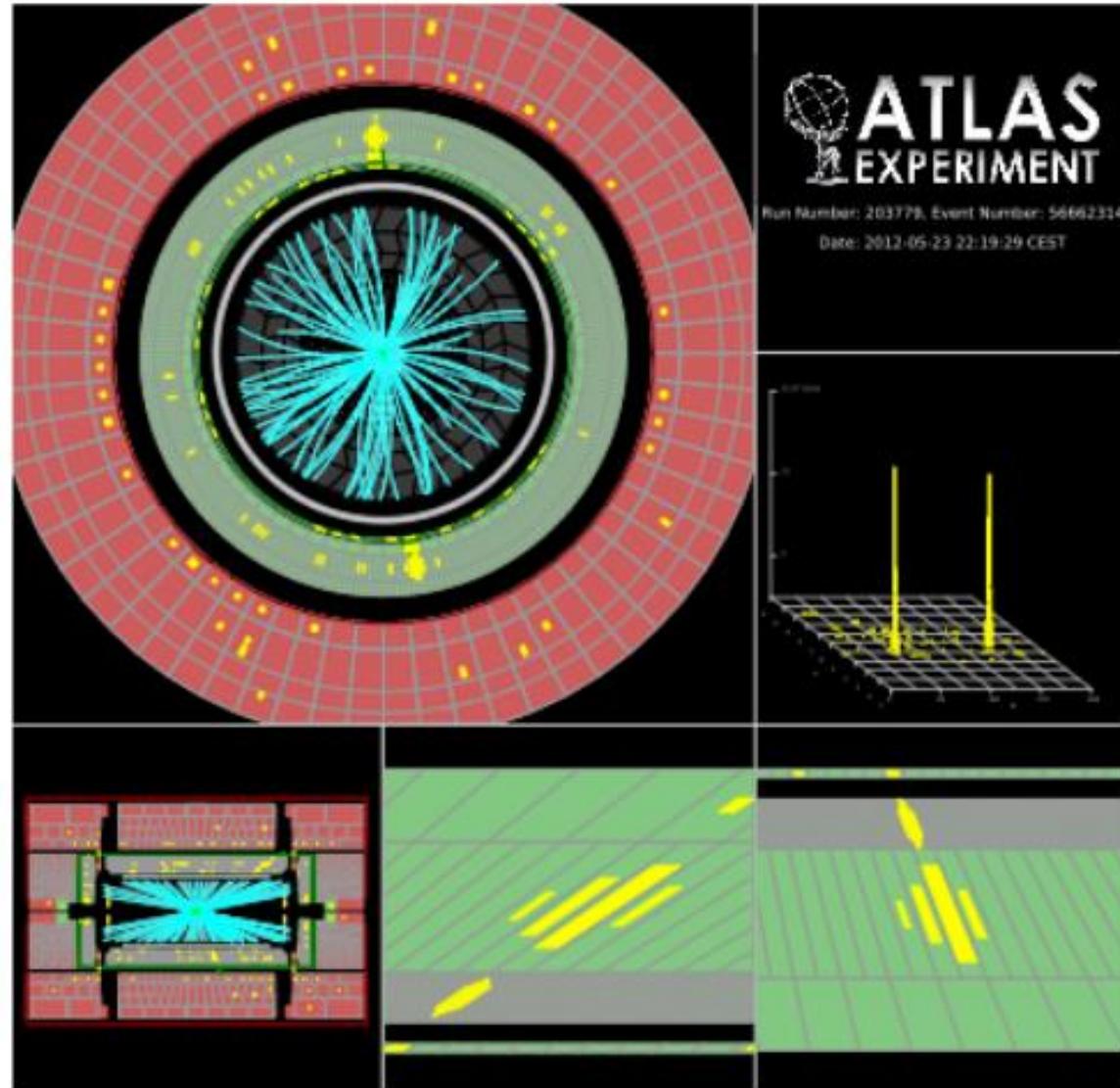


Photon & Object Reconstruction

Photons

isolated EM clusters, identified using shower shape variables
[use track or calorimeter isolation cone $\Delta R < 0.2$ or 0.4]

converted (two matched tracks, or single with no inner layer hit) and un-converted photon categories utilized



Shower Comparison ...

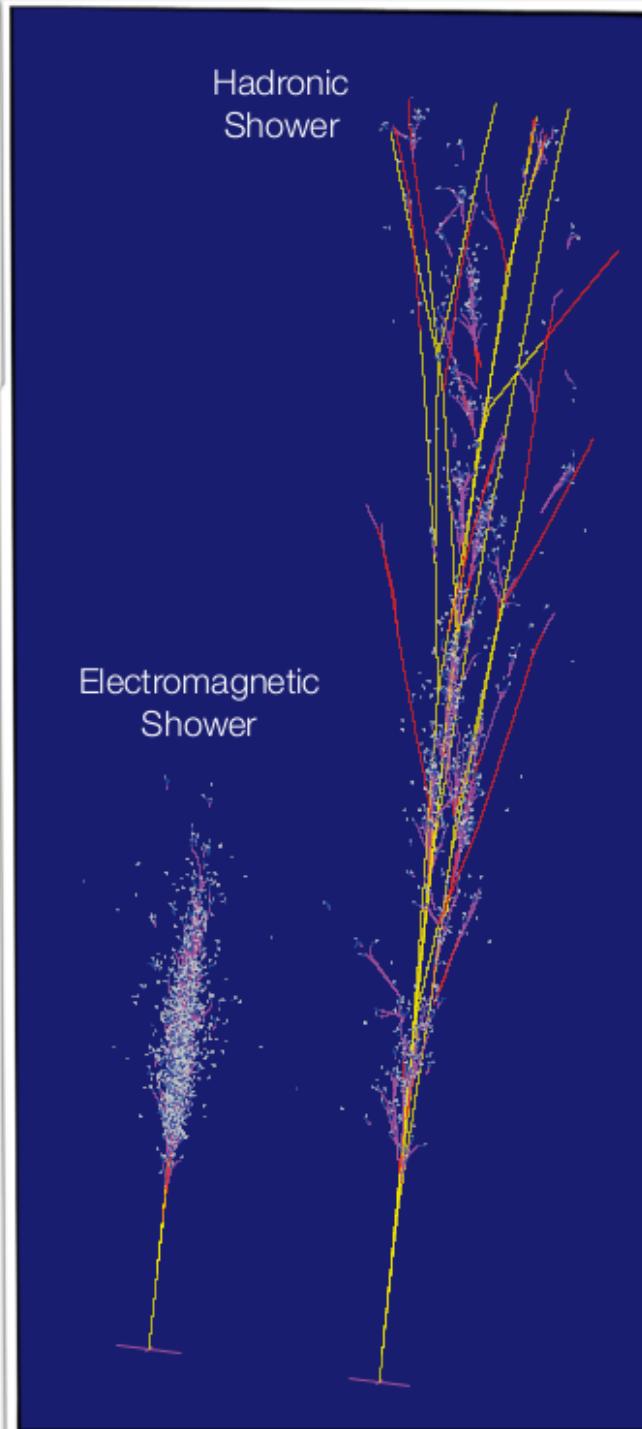
Electromagnetic shower

- consists of visible electromagnetic energy only
- is very compact ($X_0 \approx 2$ cm)
- can be simulated with high precision since mostly electromagnetic processes need to be calculated
- allows high accuracy calibration

Hadronic shower

- consists of EM and hadronic energy (some invisible)
- is very large ($\lambda_0 \approx 20$ cm)
- is difficult to simulate since it involves QCD
- limits the accuracy for calibration
(mostly due to large fluctuations)

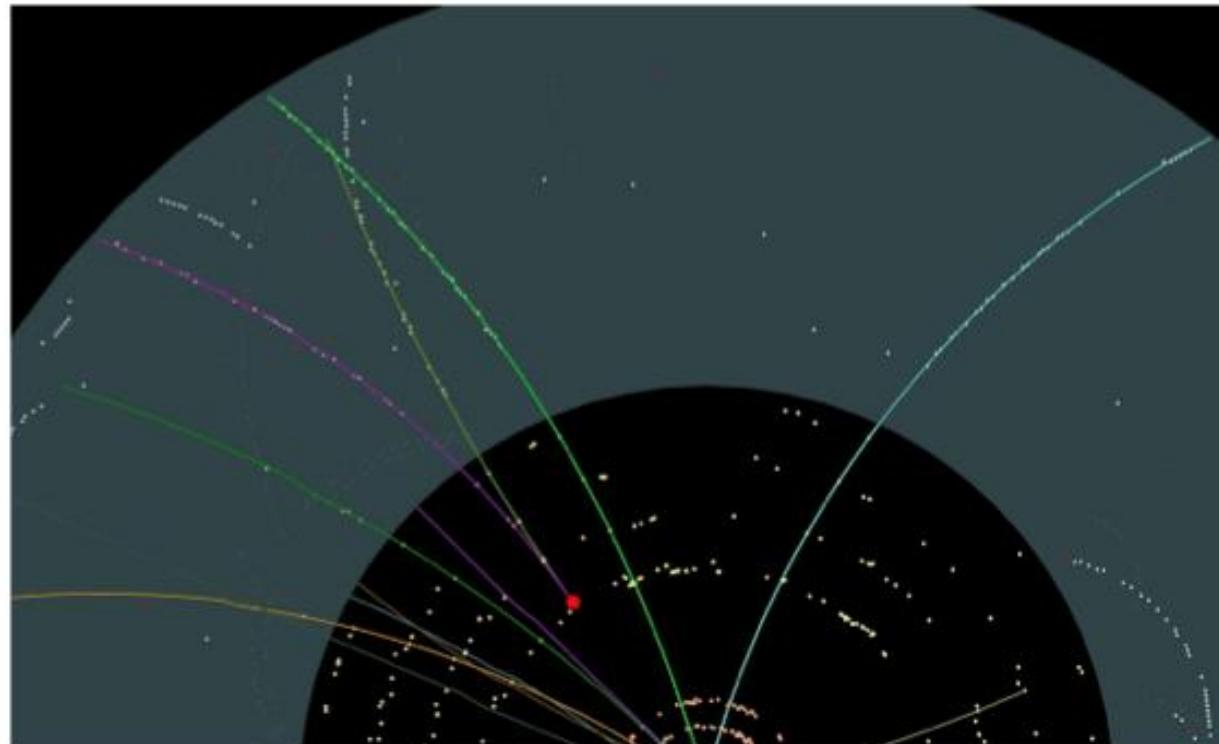
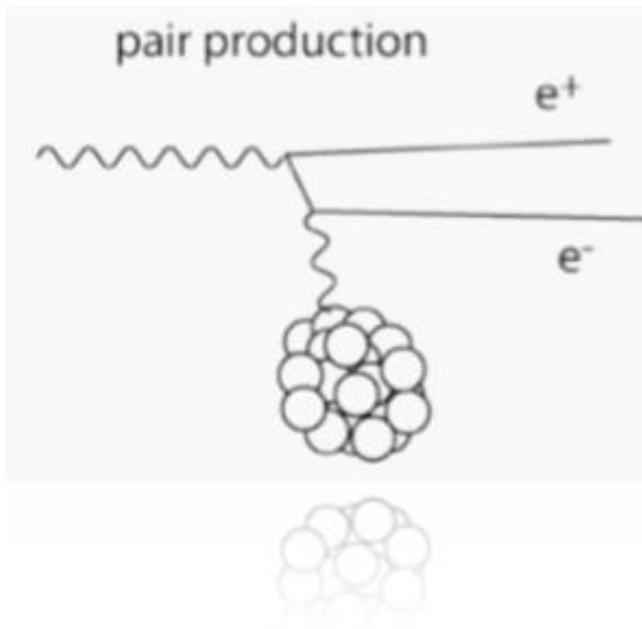
Examples show 50 GeV showers
of an electron and a pion in iron ...



Photon conversions

Have to be careful!

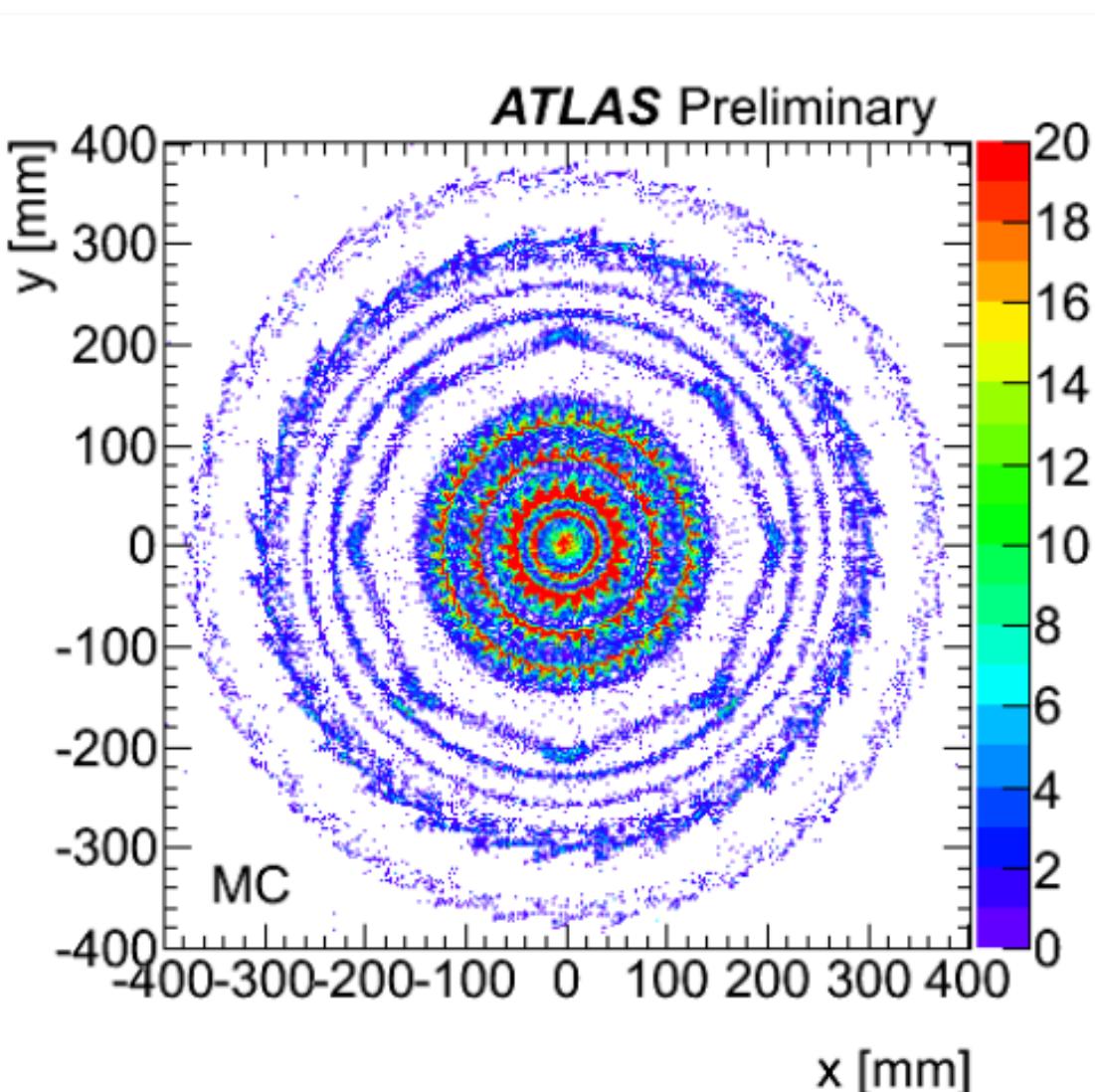
Photons can pair-produce when passing through material
Results in tracks – but also a secondary vertex

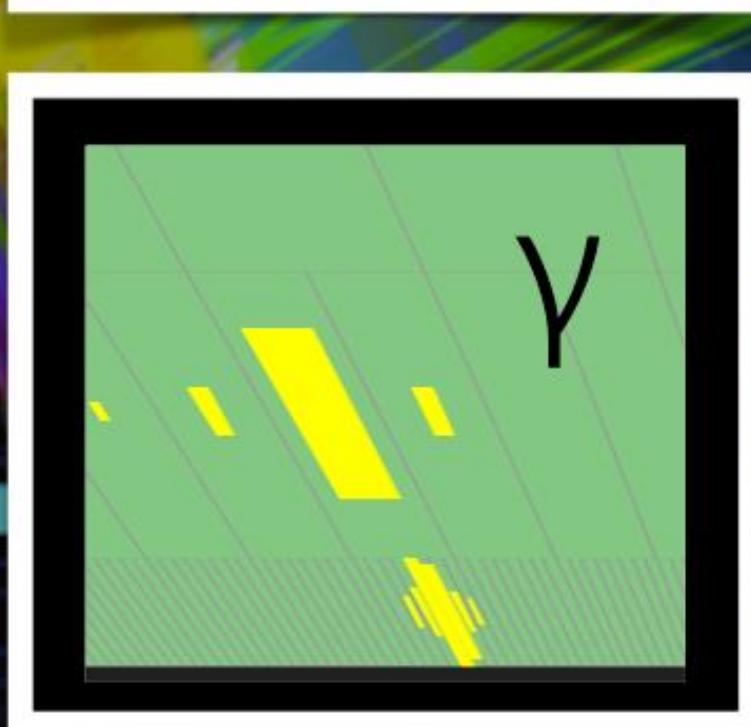
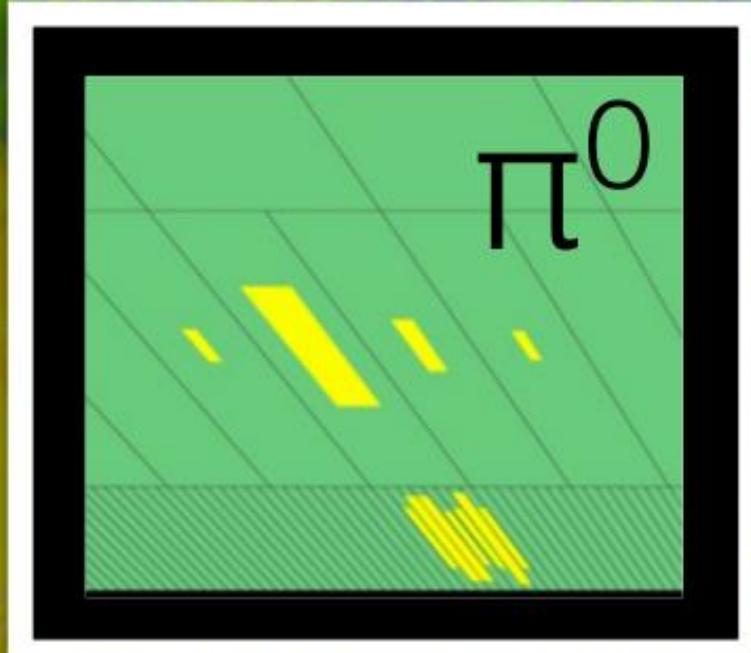
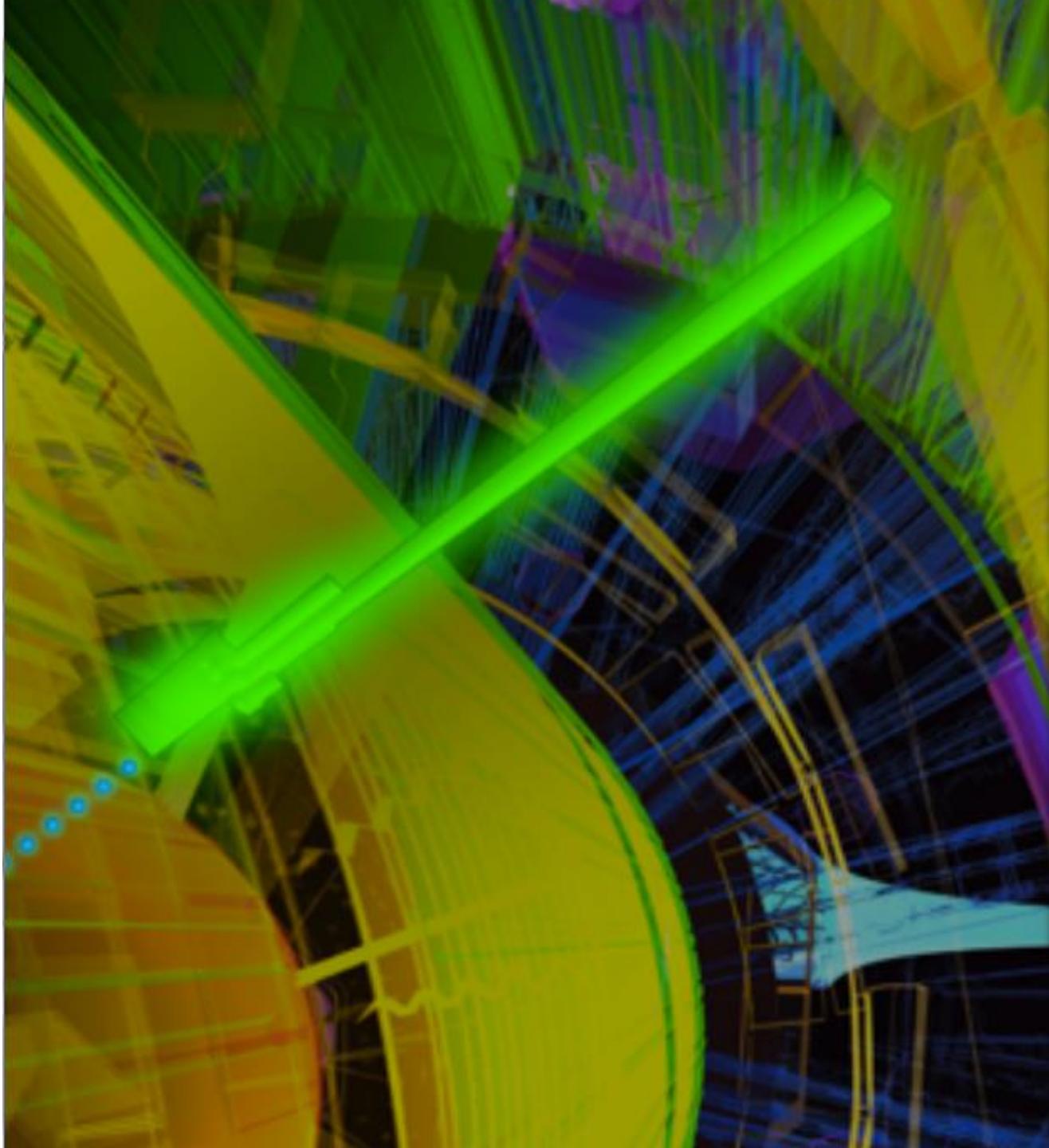


Photon conversions

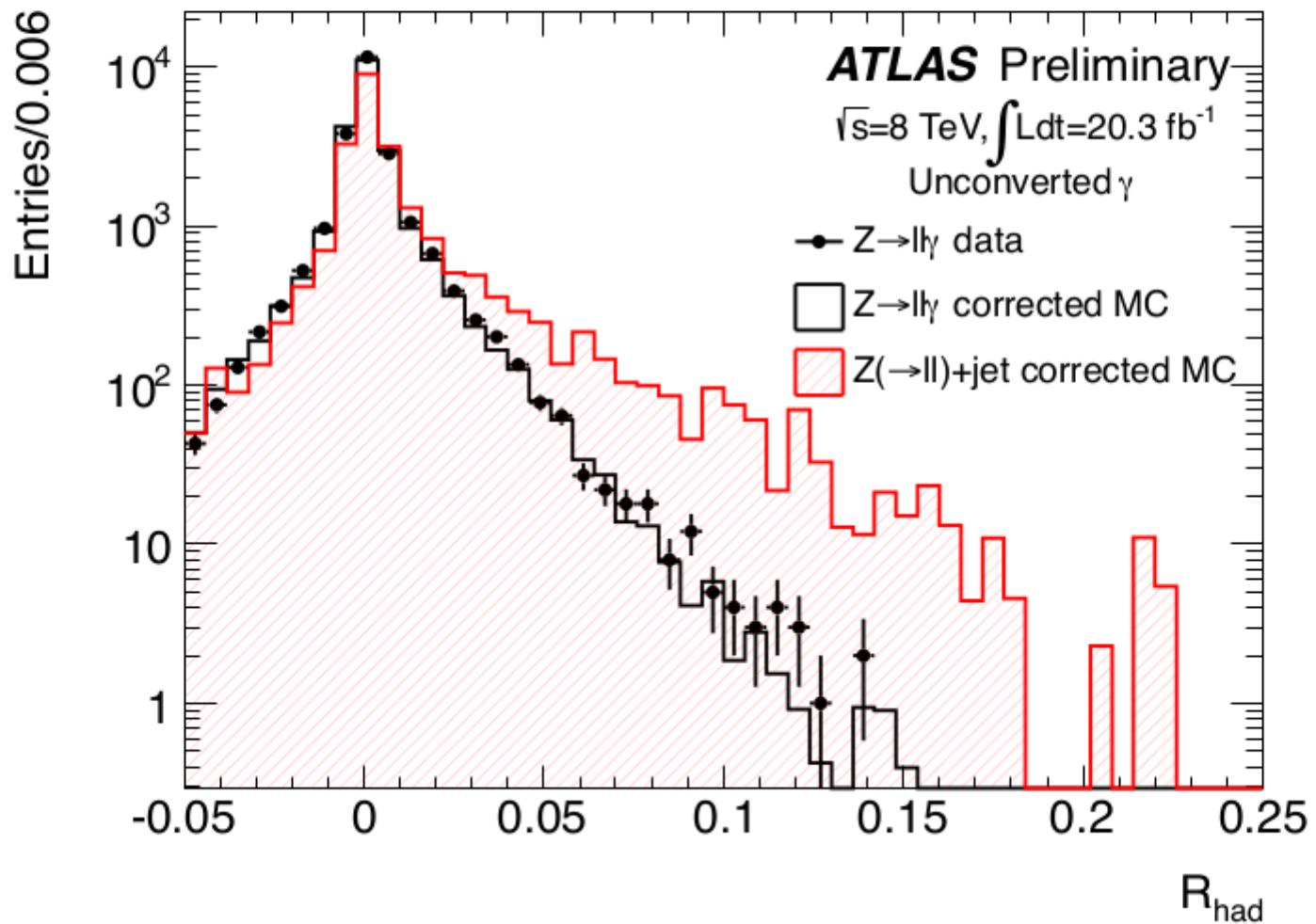
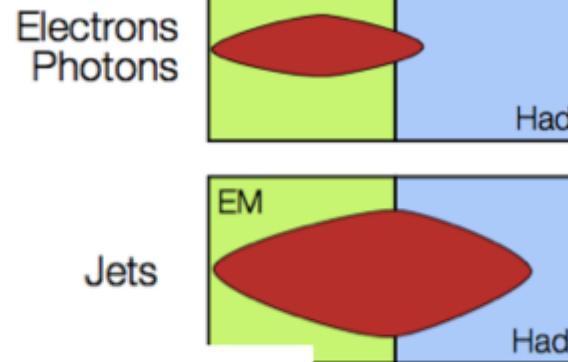
The more material, the more photon conversions

Here: Location of photon conversions
→ The structure of the material is clear

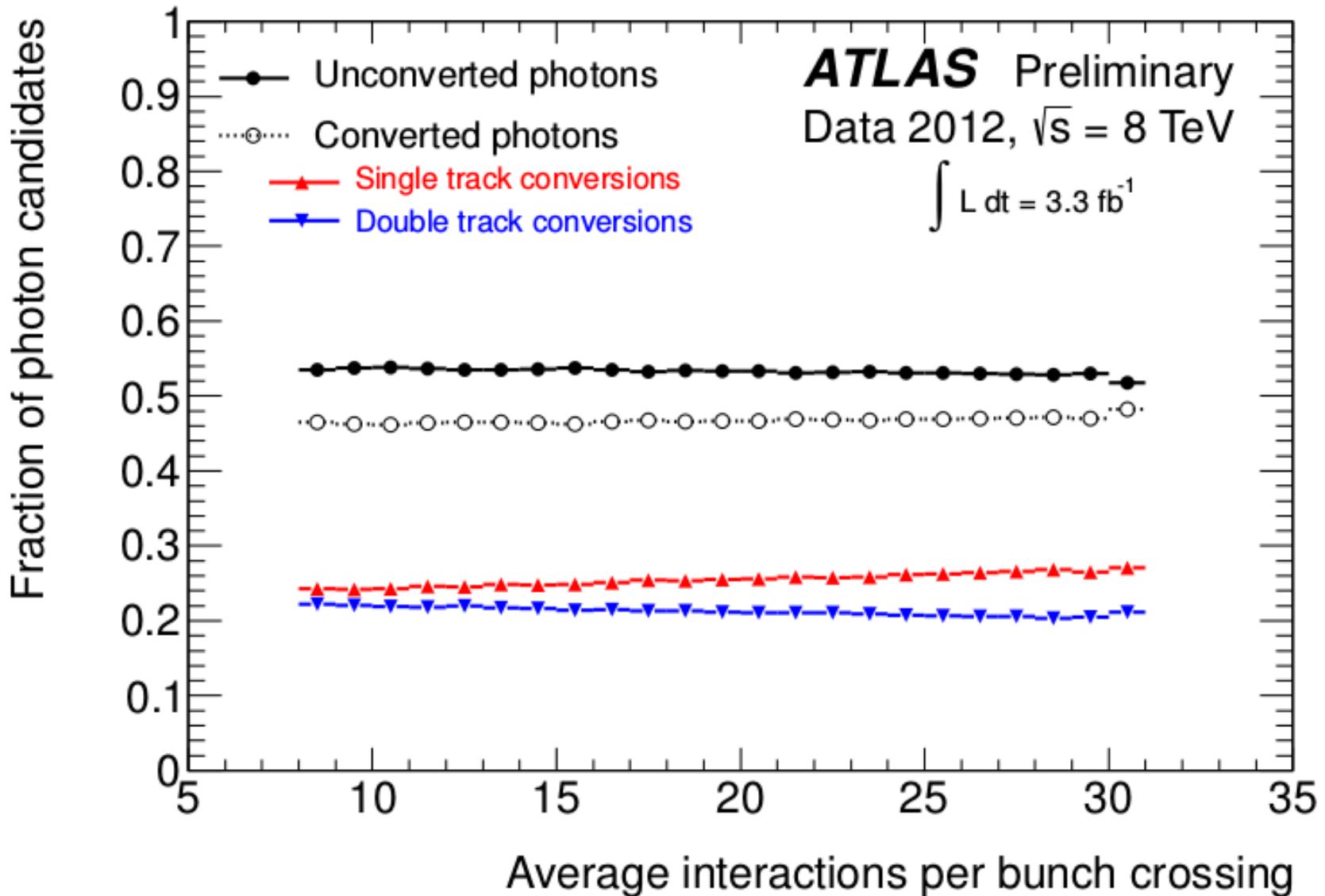




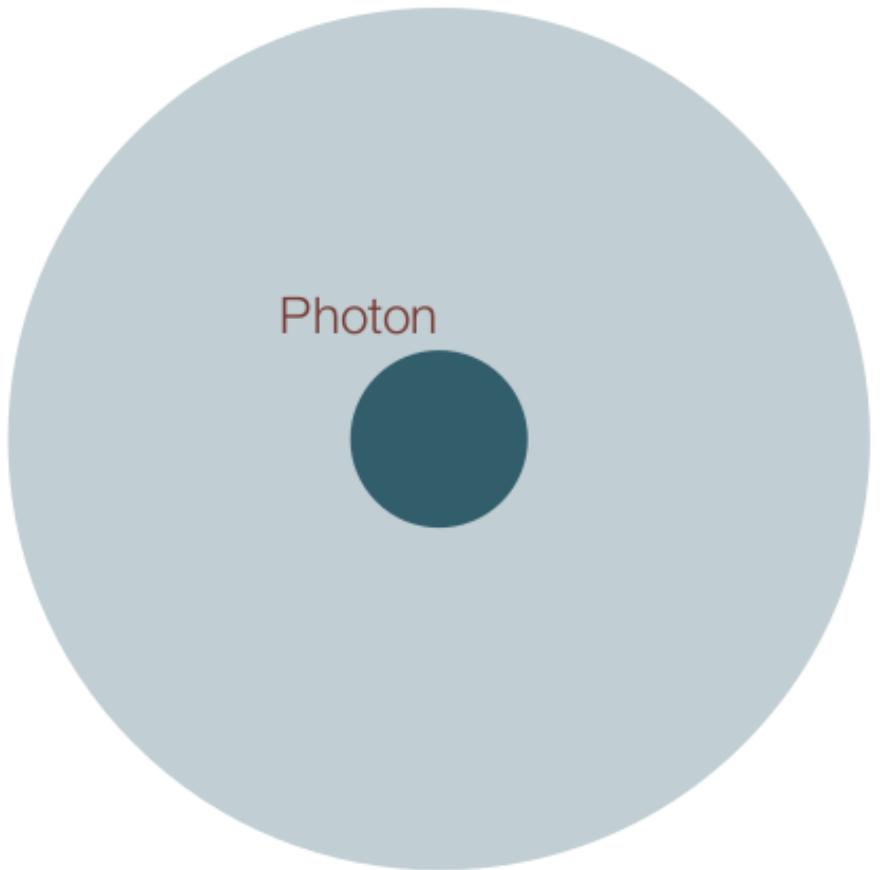
Hadronic Leakage



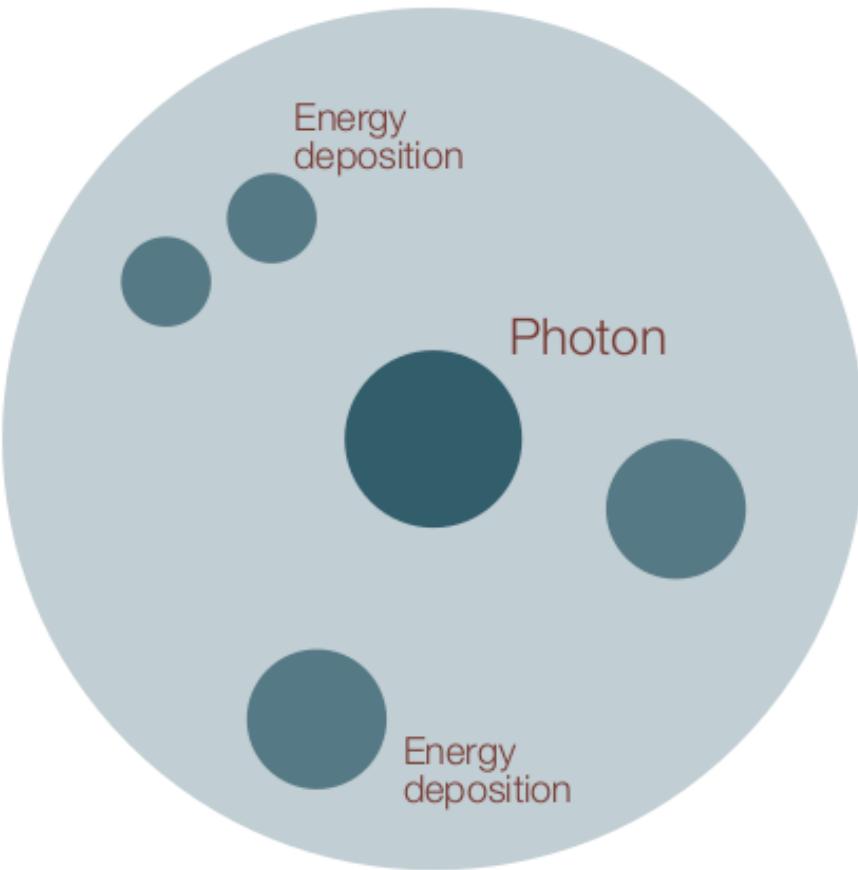
Pile-Up Robustness



Finding Isolated Photons ...



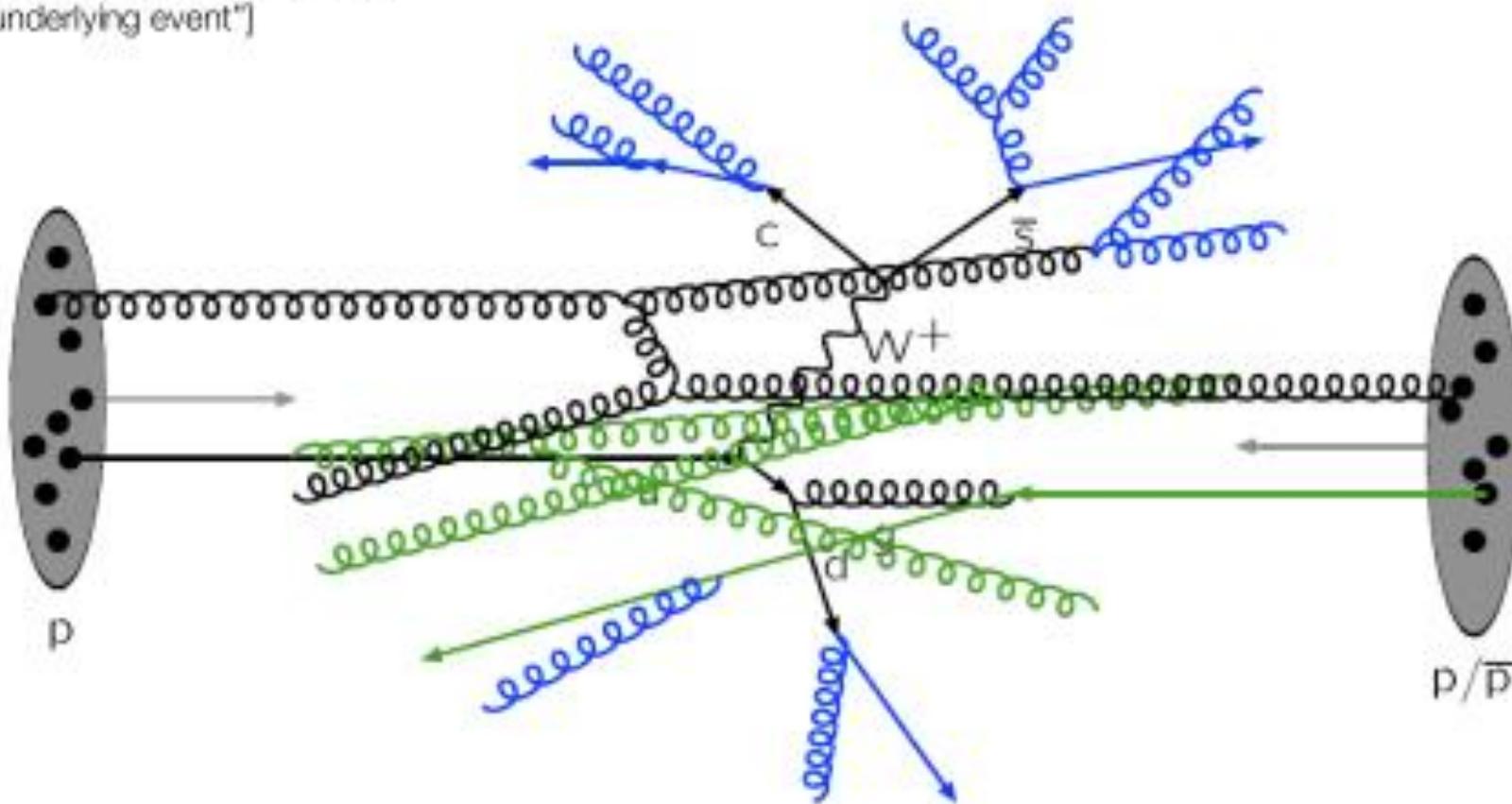
Isolated



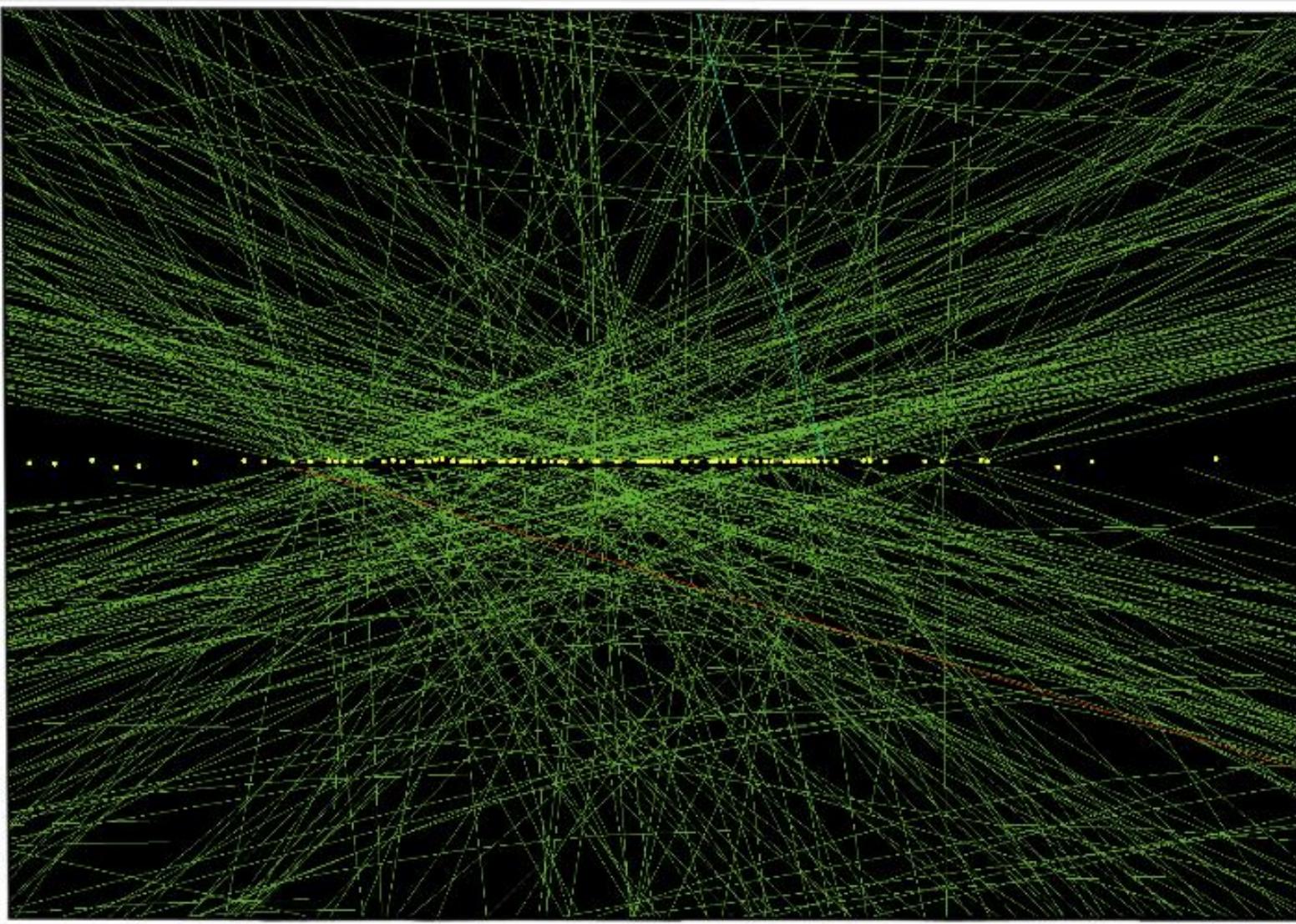
Non-isolated

Proton-Proton Scattering @ LHC

- Hard interaction: qq , gg , qg fusion
- Initial State Radiation (ISR)
- Secondary Interaction
["underlying event"]



Extreme Pile-up Event



CMS

Analysis Necessities & Steps ...

Photon reconstruction

Photon identification

Photon isolation

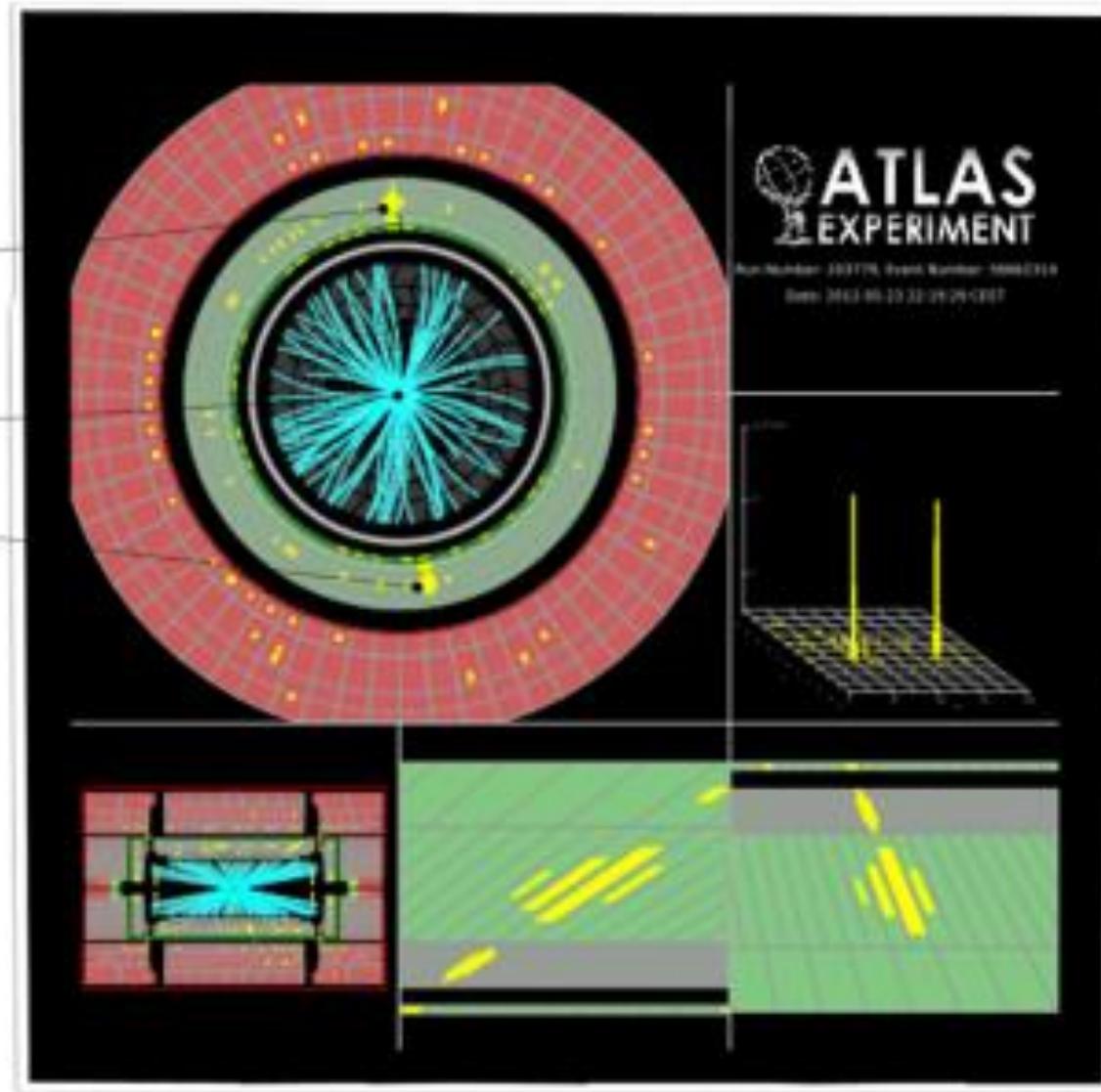
Primary vertex

Energy calibration

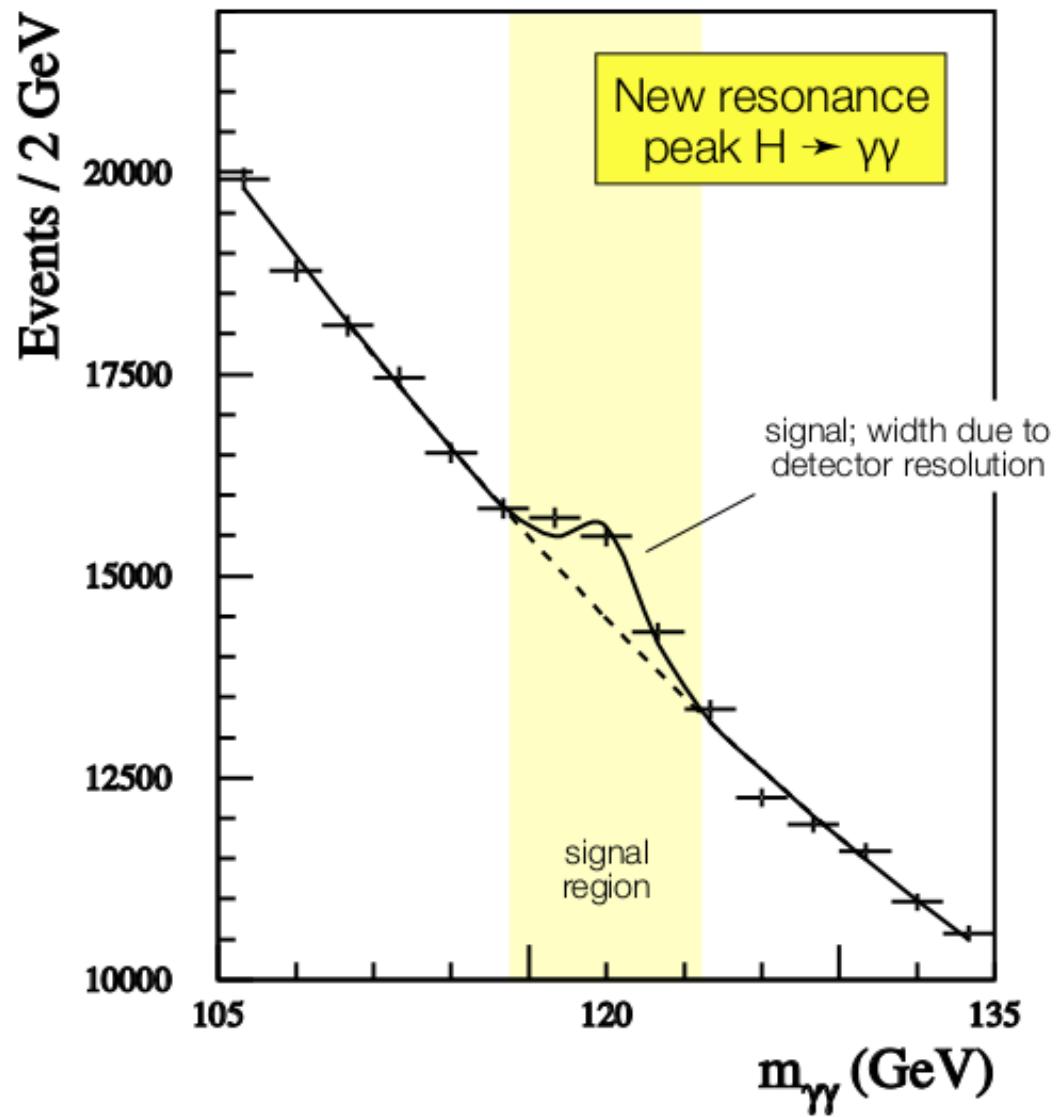
Background modeling

Event categories

Limits & signal strength



Energy Resolution



Signal
significance:

$$S = \frac{N_S}{\sqrt{N_B + N_S}}$$

N_S : # signal events

N_B : # background events

... in peak region

Estimate

[assuming 1-2% resolution; $M_H \approx 120$ GeV]

$$\sigma_{H\gamma\gamma} \sim 50 \text{ fb}$$

$$\sigma_{\gamma\gamma} \sim 2 \text{ pb/GeV} \quad [\Gamma_H \sim \text{negligible ...}]$$

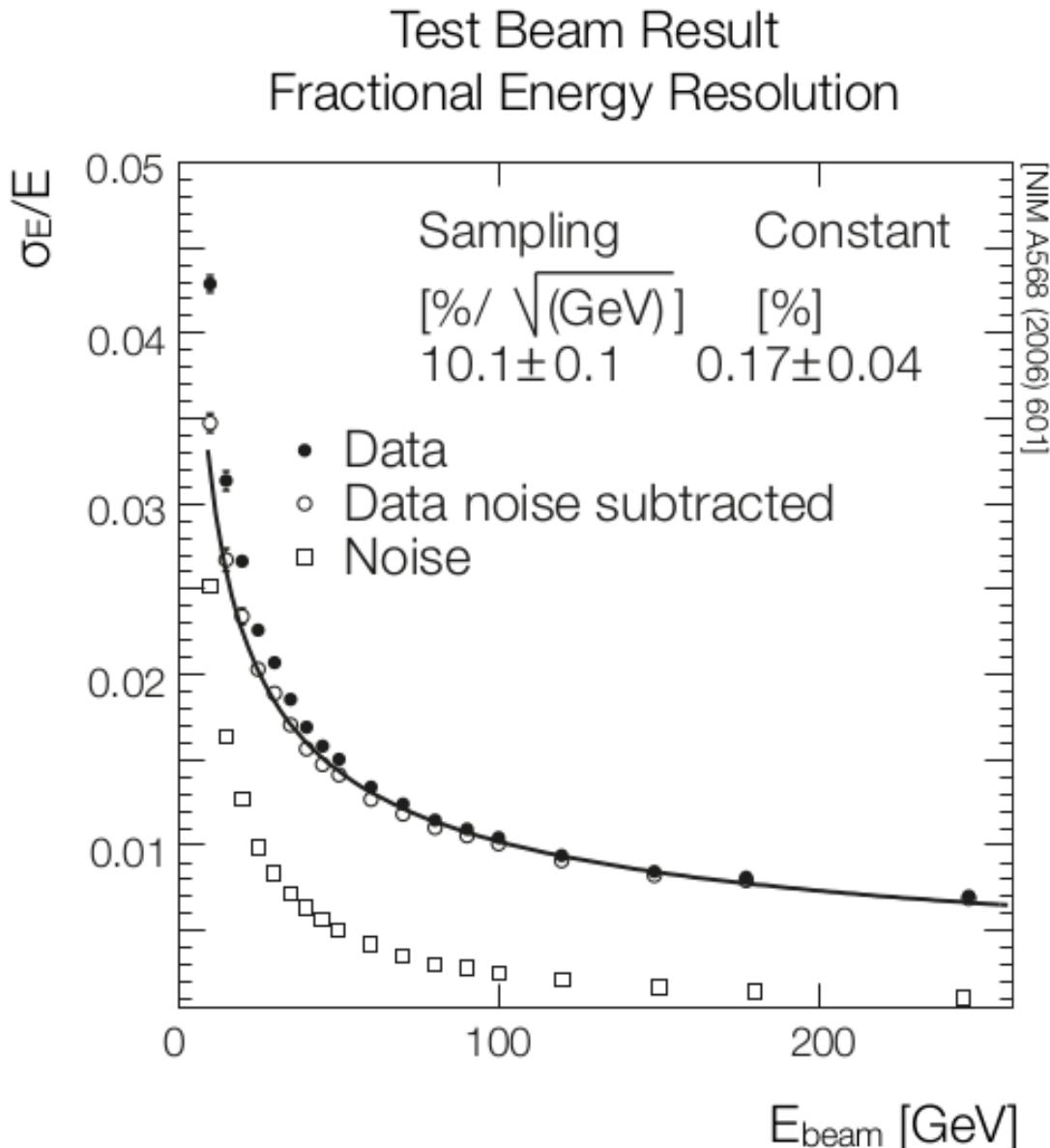
$$L = 20 \text{ fb}^{-1}$$

$$N_s = 50 \text{ fb} \times 20 \text{ fb}^{-1} = 1000$$

$$N_b = 4 \text{ pb} \times 20 \text{ fb}^{-1} = 80.000$$

$$S = 3.5$$

Energy Resolution



Resolution @ 60 GeV:
 $\sigma_E \approx 0.014$ [FWHM = 3.3 %]

Event numbers and mass resolution
for the $H \rightarrow \gamma\gamma$ ATLAS analysis ...

[Mass range: 100 - 160]

\sqrt{s}	7 TeV		8 TeV		FWHM [GeV]
	$\sigma \times B(H \rightarrow \gamma\gamma)$ [fb]	39	50	60	
Category	N_D	N_S	N_D	N_S	
Unconv. central, low p_{T}	2054	10.5	2945	14.2	3.4
Unconv. central, high p_{T}	97	1.5	173	2.5	3.2
Unconv. rest, low p_{T}	7129	21.6	12136	30.9	3.7
Unconv. rest, high p_{T}	444	2.8	785	5.2	3.6
Conv. central, low p_{T}	1493	6.7	2015	8.9	3.9
Conv. central, high p_{T}	77	1.0	113	1.6	3.5
Conv. rest, low p_{T}	8313	21.1	11099	26.9	4.5
Conv. rest, high p_{T}	501	2.7	706	4.5	3.9
Conv. transition	3591	9.5	5140	12.8	6.1
2-jet	89	2.2	139	3.0	3.7
All categories (inclusive)	23788	79.6	35251	110.5	3.9

[ATLAS, Phys. Lett. B 716 (2012) 1]

Energy Calibration

Monte Carlo based calibration

Monte Carlo simulation
tuned with test beam data.

Accurate description of materials is
confirmed by measurements in data.

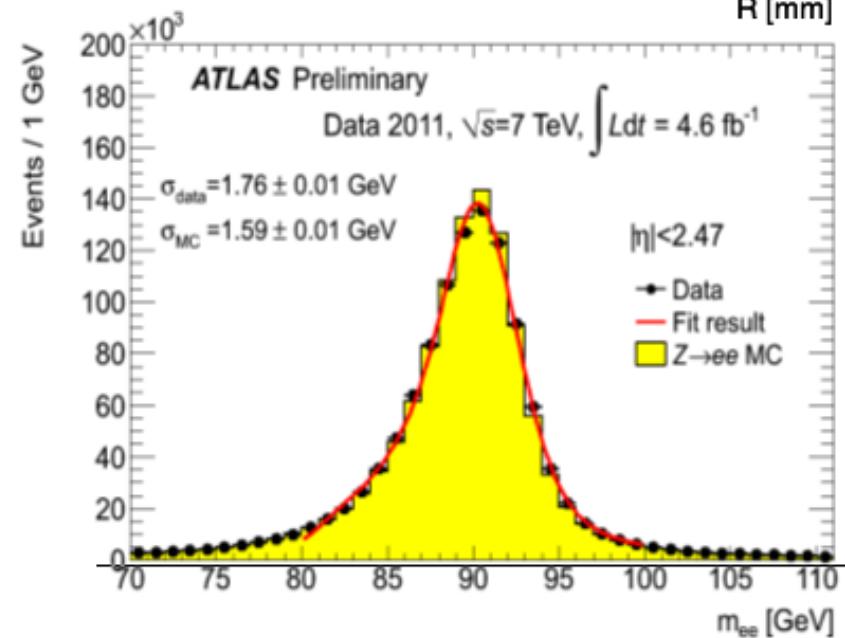
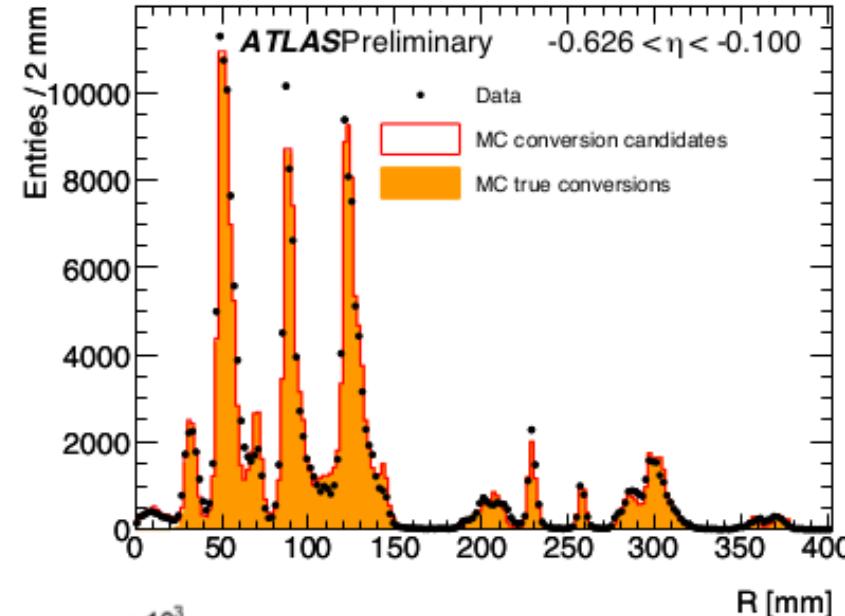
Energy scale corrections
using $Z \rightarrow ee$ decay data ...

Energy scale correction applied to data ...

Correction from a fit to the 2010 $Z \rightarrow ee$ data ...

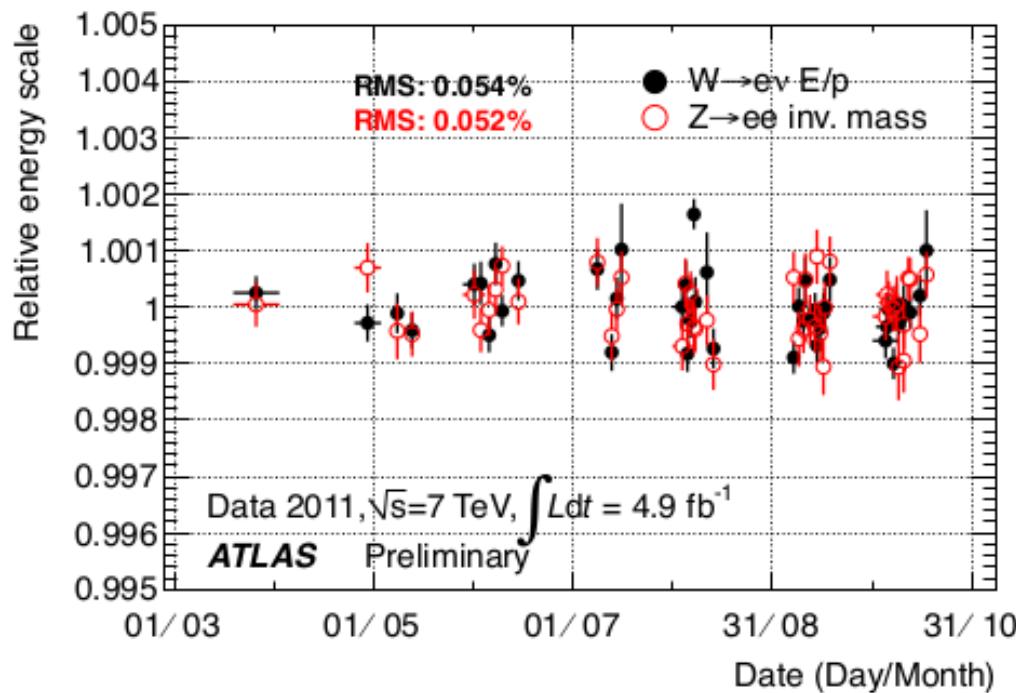
Extrapolation of energy scale correction
from electron to photon is treated as uncertainty ...

MC energy is smeared to match the
energy resolution determined from data ...

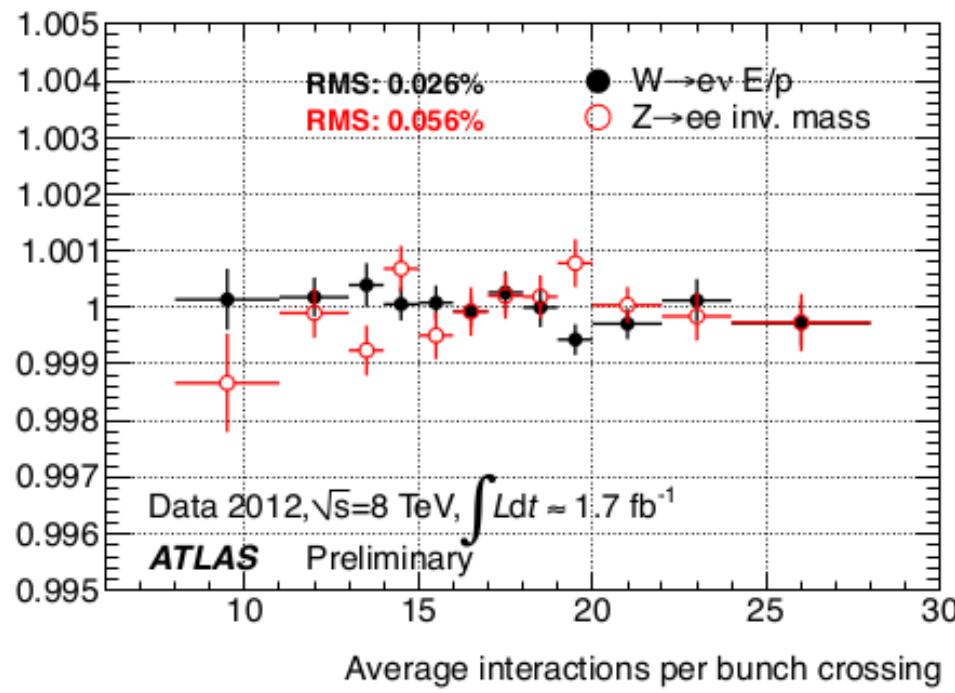


Energy Calibration

Relative Energy Scale
as function of time



Relative Energy Scale
as function of interactions

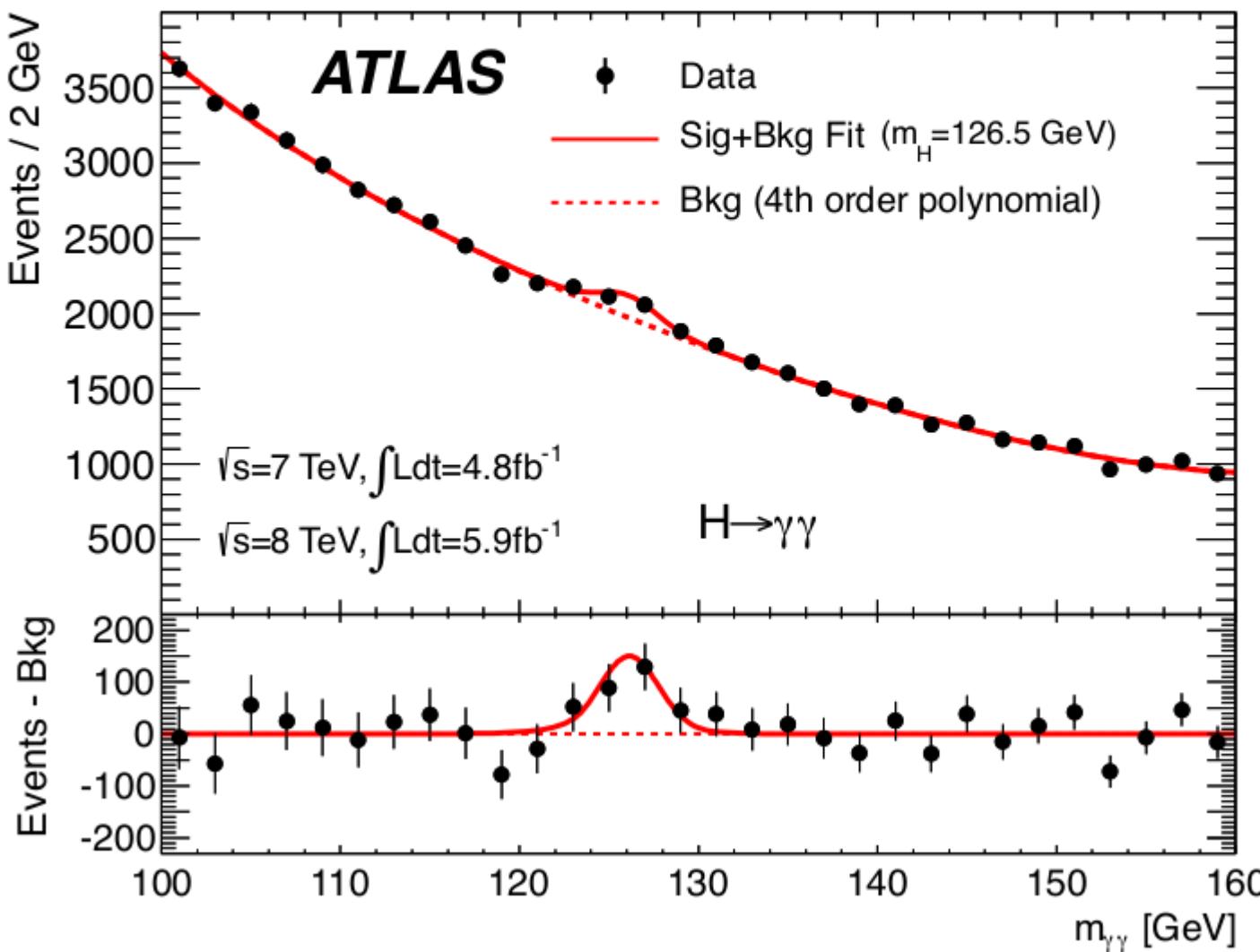


Excellent stability with time and pileup !
Photon energy resolution around 1%

ATLAS Result

Observation of a New Particle [$H \rightarrow \gamma\gamma$]

[Summer 2012]



ATLAS Result

Observation of a New Particle [$H \rightarrow \gamma\gamma$]

[Spring 2013]

