

Review of Measurements with HERA-B

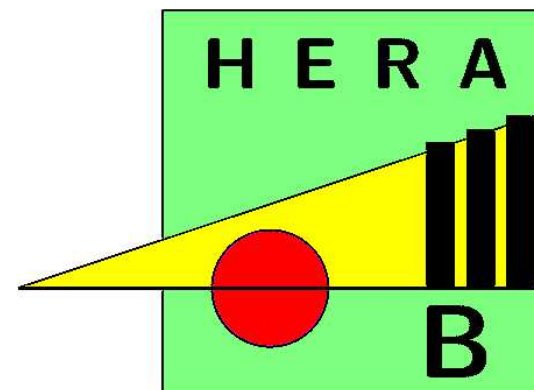
Prospects for Early Measurements with LHCb

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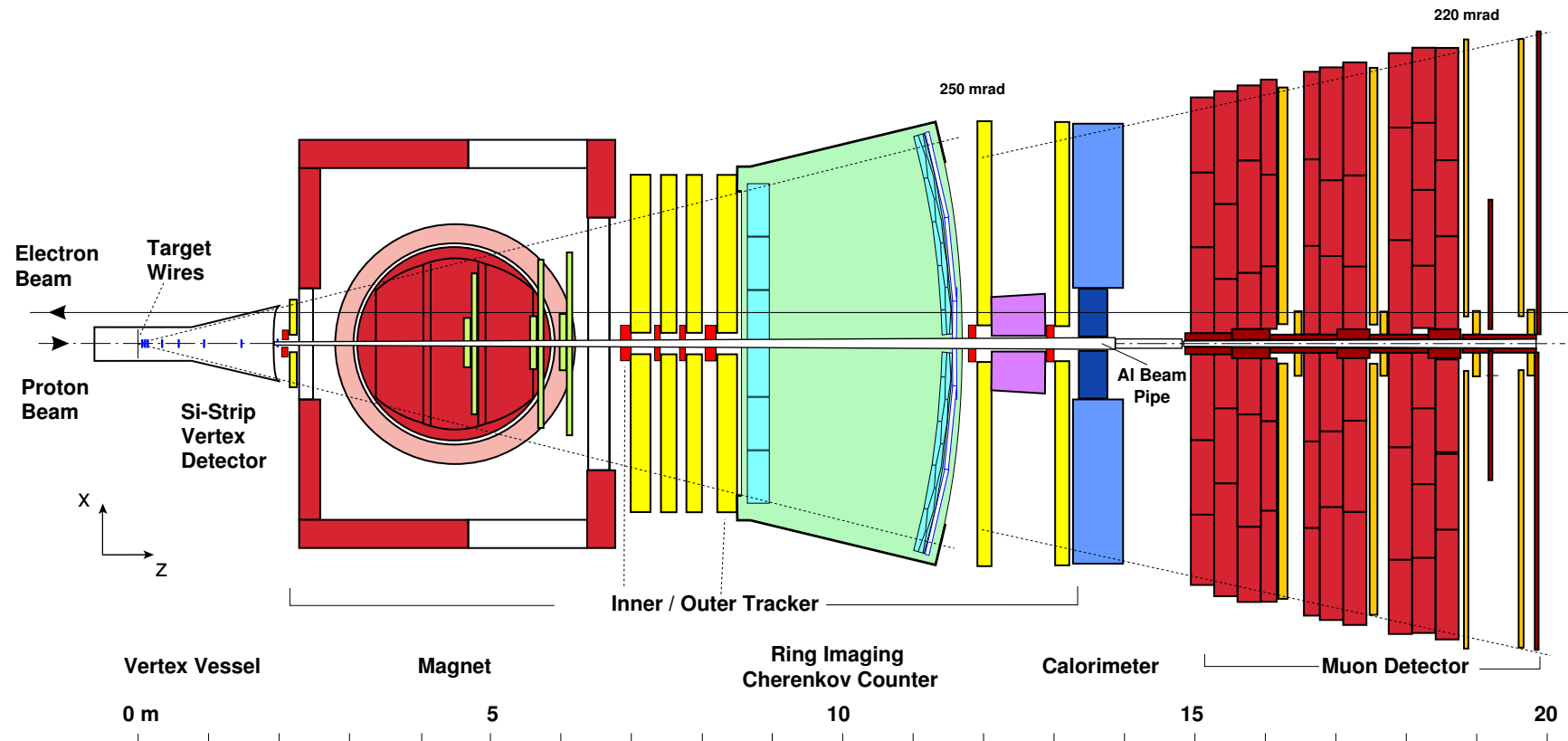
Outline

- *The HERA-B Experiment*
- *Setting the Stage for LHCb*
- *Selected Physics Topics*
- *Summary and Conclusions*



Disclaimer

Cross sections and rates given below are order-of-magnitude estimates, (usually) **NOT** the result of detailed studies.



- fixed target experiment at the HERA proton ring
- C, Al, Ti, W target wires in the beam halo
- forward spectrometer - layout similar to LHCb, except . . .
 - ➔ only one RICH detector
 - ➔ simpler ECAL system (no PS, no SPD)
 - ➔ no HCAL

- angular coverage 10 – 220 mrad
 - pseudorapidity very similar to range covered by LHCb

$$\eta = -\ln \tan \frac{\theta}{2} \sim [2.2 - 5.2] \sim 3.7 \pm 1.5$$

- energy of the proton beam $E = 920 \text{ GeV}$

- nucleon-nucleon center-of-mass energy

$$\sqrt{s_{NN}} = \sqrt{2m_N E} \approx 42 \text{ GeV}$$

- boost of center-of-mass system

$$\gamma = \frac{E}{M} \approx \frac{920}{42} \approx 22$$

- rapidity of center-of-mass system

$$y = \frac{1}{2} \ln \frac{E + p}{E - p} = \frac{1}{2} \ln \frac{(E + p)^2}{(E + p)(E - p)} \approx \ln \frac{2E}{M} \approx \ln 44 \approx 3.8$$

- HERA-B is a **central detector** !
- study of pA collisions at $\sqrt{s_{NN}} = 42 \text{ GeV}$

❖ compare particle flux in LHCb and HERA-B

rule of thumb: $\Phi \sim \nu_{int} \cdot \ln s \cdot \Delta y$

	\sqrt{s}/GeV	ν_{int}/MHz	Φ_{rel}
HERA-B nom.	42	40	1
HERA-B MinBias	42	2	0.05
LHCb 2008	14000	0.01 – 1	0.0006 – 0.06
LHCb nom.	14000	10	0.6

- similar radiation loads for both experiments
 - pile-up events in nominal HERA-B operation
 - “clean” conditions for nominal LHCb running

❖ the very first HERA-B data sets:

Target	A	Wire	Run	triggers used	interactions	MC
Ti	48	Inner 1	14551	200,000	44,247 ± 464	21,489
C	12	Inner 2	14577	450,000	127,280 ± 414	39,997
Al	27	Upper 2	14606	150,000	21,928 ± 2069	13,679
W	184	Lower 2	14639	300,000	28,520 ± 367	22,553

→ *How quickly can LHCb collect Minimum Bias events?*

Lumi	nr-bunches	pp-int/xing	non-empty rate	L0-YES
1.1×10^{29}	* 4	0.15	6 kHz	3 kHz
2.3×10^{30}	* 16	0.76	94 kHz	47 kHz
2.6×10^{31}	936 (75 ns)	0.15	1.4 MHz	0.7 MHz
2.0×10^{32}	2622 (25 ns)	0.4	10 MHz	1 MHz

❖ pessimistic/realistic scenario

- only 4 colliding bunches at $L = 1.1 \times 10^{29} \text{ cm}^{-2} \text{ s}^{-1}$
- no L0-trigger but proper timing
- 2 kHz random trigger on filled bunches
- 300 Hz non-empty minimum bias events to disk
- 10^8 events in approx. 100 hours of running
- approx. 15 hours with L0 interaction-trigger

❖ Conclusion:

Already in the first weeks after turn-on of the accelerator, LHCb should be able to log at least 10^8 minimum bias events. Even without triggering, those should provide 10 million charm and 500,000 b-events.

- o enough statistics for publishable results already at 10^{-6} fb^{-1} !
- o examples will be discussed below
- o remember: 2 fb^{-1} per nominal LHCb year

→ *physics analyses*

- no existing data at $\sqrt{s} = 14 \text{ TeV}$ – everything is new ...
 - interesting in its own right
 - stepping stones towards the LHCb b-physics program

Note:

Harvesting the initial physics already needs a working experiment, although neither ultimate precision in calibration nor HLT is required.

→ requirements

- proper time alignment of all subdetectors
- data logging capabilities at the nominal rate of 2 kHz
- computing infrastructure for quasi-online reconstruction and analysis of 10^8 Events (0.5% of the nominal annual data volume)

→ calibration tasks

- setting up and debugging of L0-trigger and HLT
 - initially run trigger offline or in transparent mode
- local and global alignment of tracking detectors
- calibration of the RICH detectors with identified particles
- ECAL calibration with π^0 s
- systematic studies, for example
 - azimuthal symmetry of particle flow and charge ratios
- luminosity determination
- Monte Carlo tuning . . . not only for LHCb

→ general considerations

- σ_{mb} : pp inelastic minimum bias cross section
- N_{mb} : number of minimum bias events recorded/scrutinized
- σ : cross section for a given signal
- ε : efficiency for seeing a signal event, which includes
 - limited phase space coverage of the experiment
 - detector efficiencies
 - BR for a specific decay channels of final state particles
 - selection cuts to suppress background
- the number of signal events S then becomes

$$S = \frac{\sigma\varepsilon}{\sigma_{mb}} N_{mb}$$

- relation between signal and required minimum bias statistics

$$\log_{10} N_{mb} = \log_{10} S - \log_{10} \left(\frac{\sigma\varepsilon}{\sigma_{mb}} \right)$$

- assume in the following $S = 100$ as “analysis threshold”, i.e.

$$\log_{10} N_{mb} = 2 - \log_{10} \left(\frac{\sigma \varepsilon}{\sigma_{mb}} \right)$$

- significance K in units of standard deviations of such a measurement depends on the number of background events B

$$K = \frac{S}{\sqrt{S+B}} = \frac{\sqrt{S}}{\sqrt{1+B/S}}$$

✗ $B/S = 0 \rightarrow K = 10$

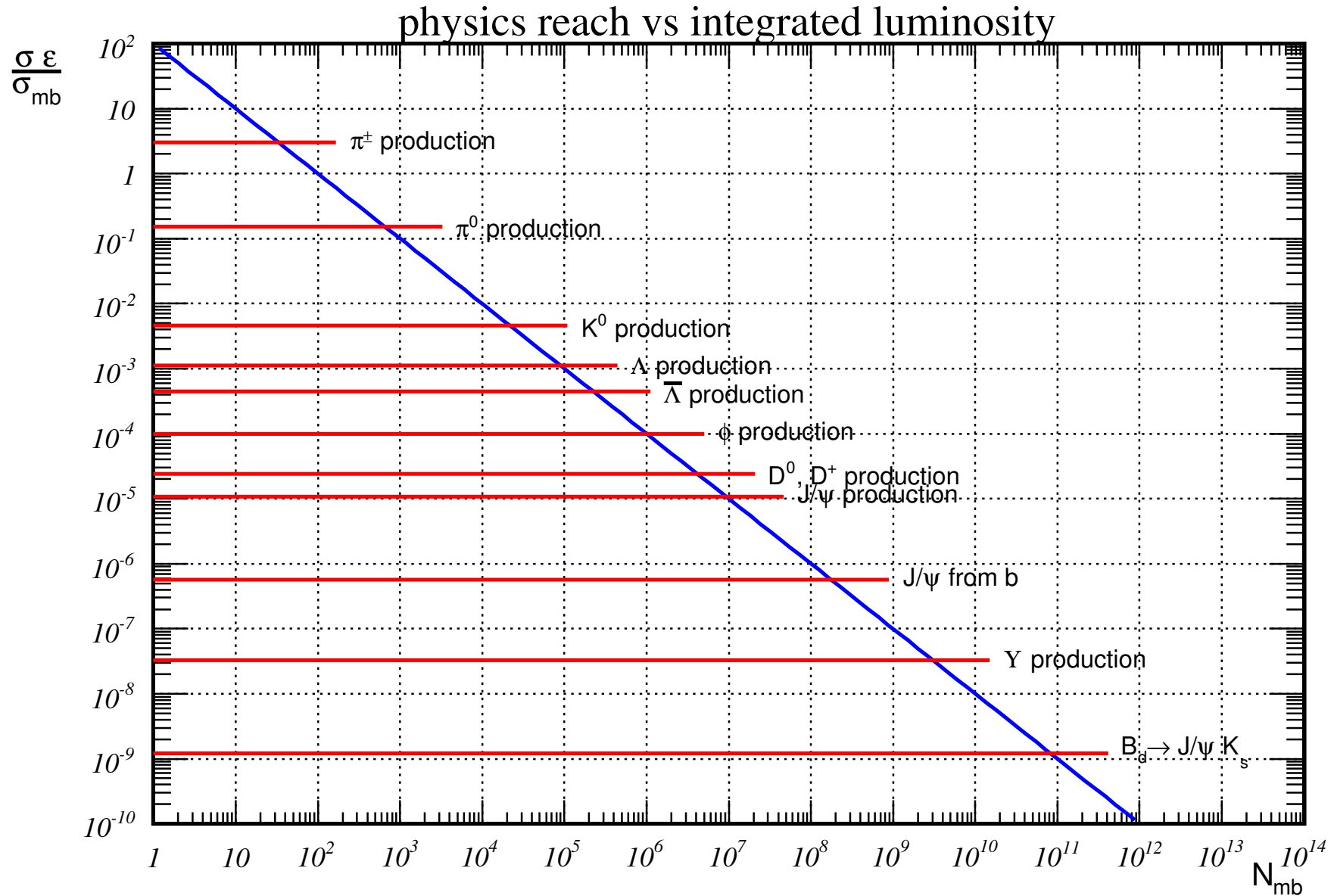
✗ $B/S = 3 \rightarrow K = 5$

- try to get some estimates for σ and ε in various channels
 - use published HERA-B data; apply scaling to cross sections
 - ✗ scale light flavours with inelastic pp -cross section
 - ✗ scale heavy flavours with σ_{cc} and σ_{bb}
 - LHCb DC04 results (mainly b-physics)

→ resulting (gu)estimates:

process	σ/mb	ε	$\log_{10}(\sigma\varepsilon/\sigma_{mb})$
$pp \rightarrow \pi^\pm X$	3000	0.1	0.48
$pp \rightarrow \pi^0 X$	1500	0.01	-0.82
$pp \rightarrow K^0 X$	23	0.02	-2.34
$pp \rightarrow \Lambda X$	11	0.01	-2.95
$pp \rightarrow \bar{\Lambda} X$	4.5	0.01	-3.35
$pp \rightarrow \Phi X$	2.5	0.004	-4.00
$pp \rightarrow D X$	6	0.0004	-4.62
$pp \rightarrow J/\psi X$	0.133	0.008	-4.97
$pp \rightarrow b\bar{b} \rightarrow J/\psi X$	0.133	0.008	-6.25
$pp \rightarrow \Upsilon X$	0.0002	0.01	-7.48
$pp \rightarrow B_d(J/\psi K_s)$	0.0002	0.0006	-8.92

with $\frac{\sigma_{mb}^{\text{LHCb}}}{\sigma_{mb}^{\text{HERA-B}}} = \frac{100 \text{ mb}}{40 \text{ mb}}$, $\frac{\sigma_{cc}^{\text{LHCb}}}{\sigma_{cc}^{\text{HERA-B}}} = \frac{10 \text{ mb}}{50 \mu\text{b}}$ and $\frac{\sigma_{bb}^{\text{LHCb}}}{\sigma_{bb}^{\text{HERA-B}}} = \frac{500 \mu\text{b}}{15 \text{ nb}}$



❖ trigger needed to go beyond 10^{11} events - i.e. to b -physics!

→ Preliminaries: Measurements without B-Field

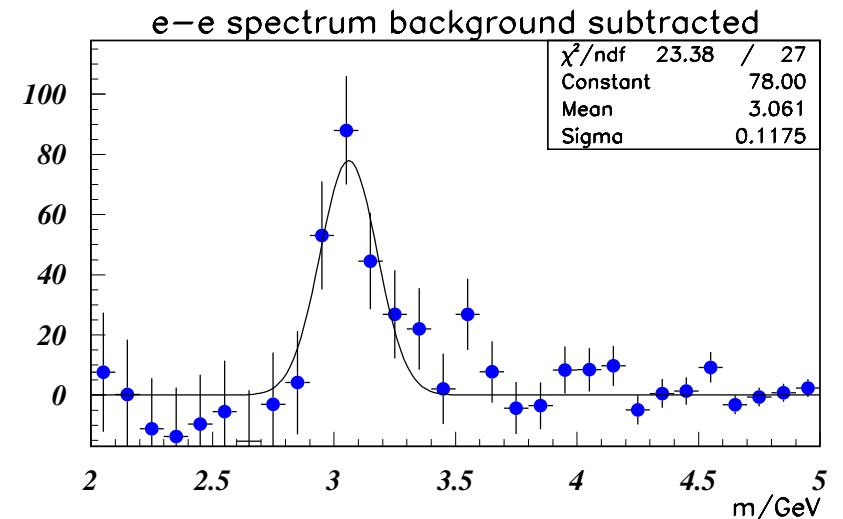
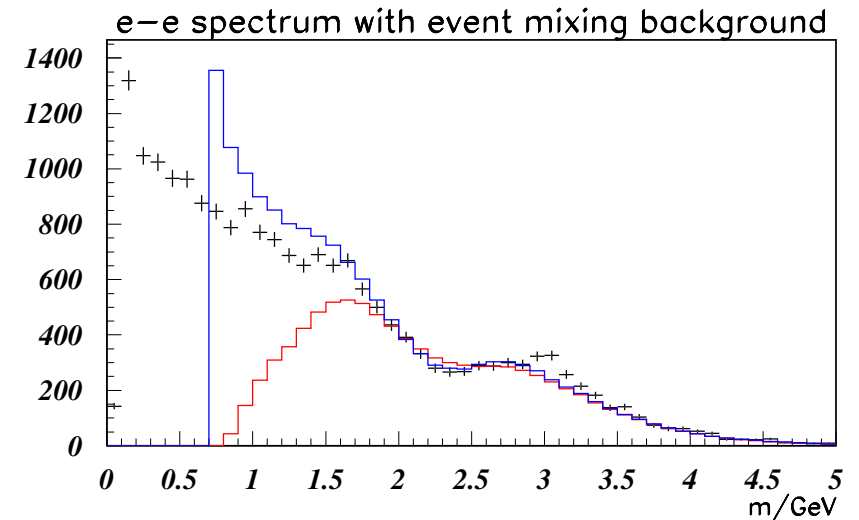
■ π^0 reconstruction

- first signal seen by HERA-B
- ECAL was the first detector able to take data
- calibration of ECAL
- mapping of radiation length
- ✗ cross check GEANT
- basis for all studies using photons or π^0

■ search for $J/\psi \rightarrow e^+e^-$ signals

- use a high- p_T ECAL trigger
- need at least partial coverage by ECAL plus overlap with some layers of the vtx-detector
- use vertex-detector to veto photons
- requires only lateral alignment in the sensitive coordinate

$E_{\text{cut}}=15 \text{ GeV}$ $p_{T\text{cut}}=0 \text{ GeV}/c$



→ Compare production of positive and negative particles

- minimum requirement: working Main Tracker
- study ratios of single (or double) differential distributions

pseudorapidity $R_\eta = \frac{dn^+ / d\eta}{dn^- / d\eta}$

transverse momentum $R_{p_T} = \frac{dn^+ / dp_T^2}{dn^- / dp_T^2}$

azimuthal angle $R_\phi = \frac{dn^+ / d\phi}{dn^- / d\phi}$

- very simple measurement
- can be done with very low integrated luminosity
- vital for understanding charge asymmetries
- first check of the quality of the simulation
- important input for tuning of (minbias) Monte Carlo generators

illustration. . .

❖ phase space coverage ϕ vs η of charged tracks

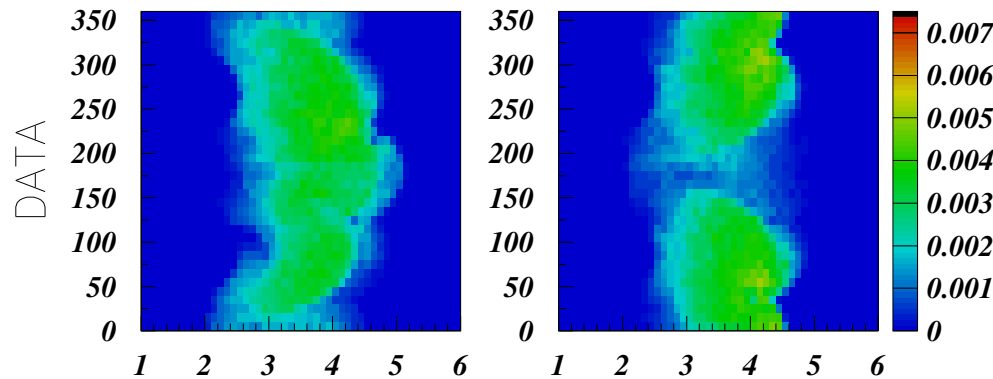
- average number of reconstructed tracks
- average p_t of reconstructed tracks
- comparison of data and Monte Carlo

tracks/event – Carbon

mean p_t – Carbon

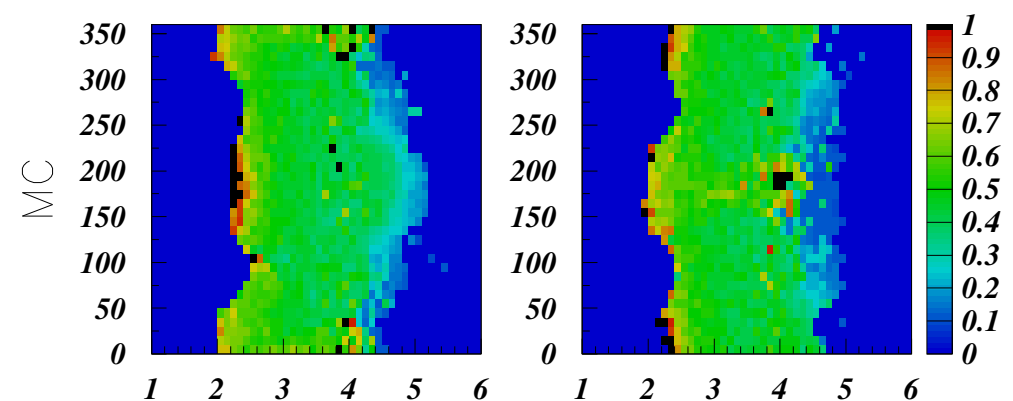
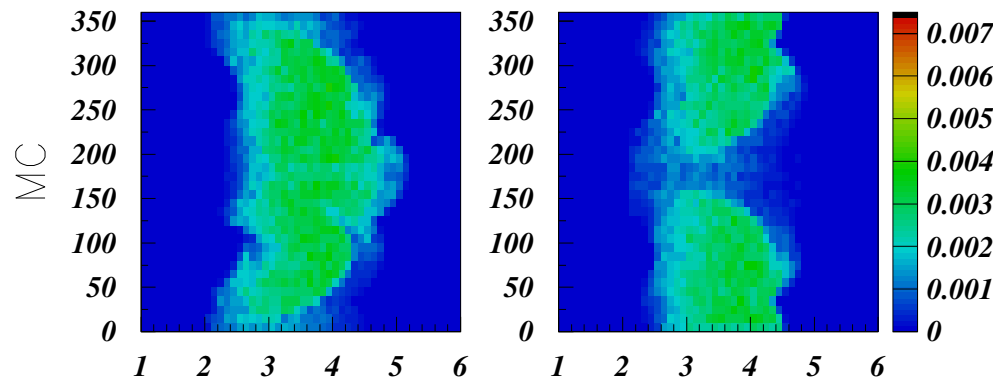
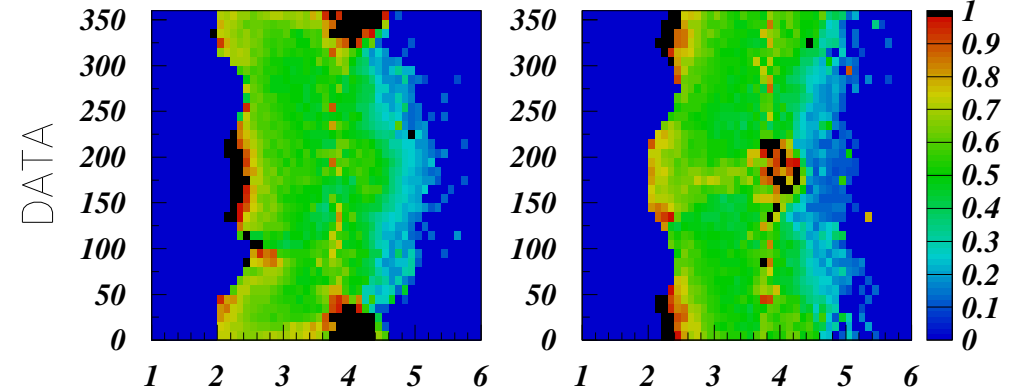
Positives

Negatives



Positives

Negatives



→ neutral particles with weak decays into two charged tracks

■ minimum requirement: working VeLo and Main Tracker

■ experimental signature:

→ secondary vertex

→ oppositely charged tracks

→ momentum pointing back to the primary vertex

■ most important V^0 -signals:

→ $K_{(s)}^0 \rightarrow \pi^+ \pi^-$

→ $\Lambda \rightarrow p \pi^-$

→ $\bar{\Lambda} \rightarrow \bar{p} \pi^+$

■ analysis:

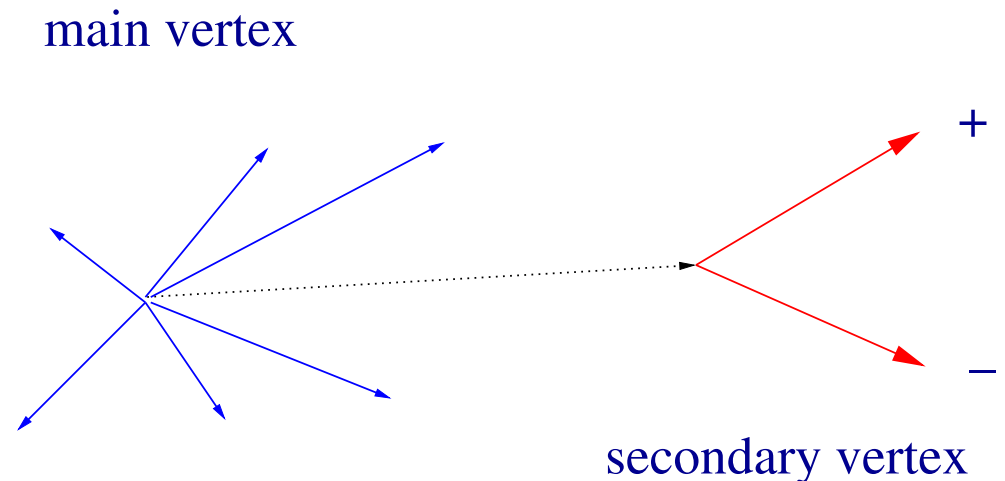
→ select oppositely charge tracks

→ require secondary vertex

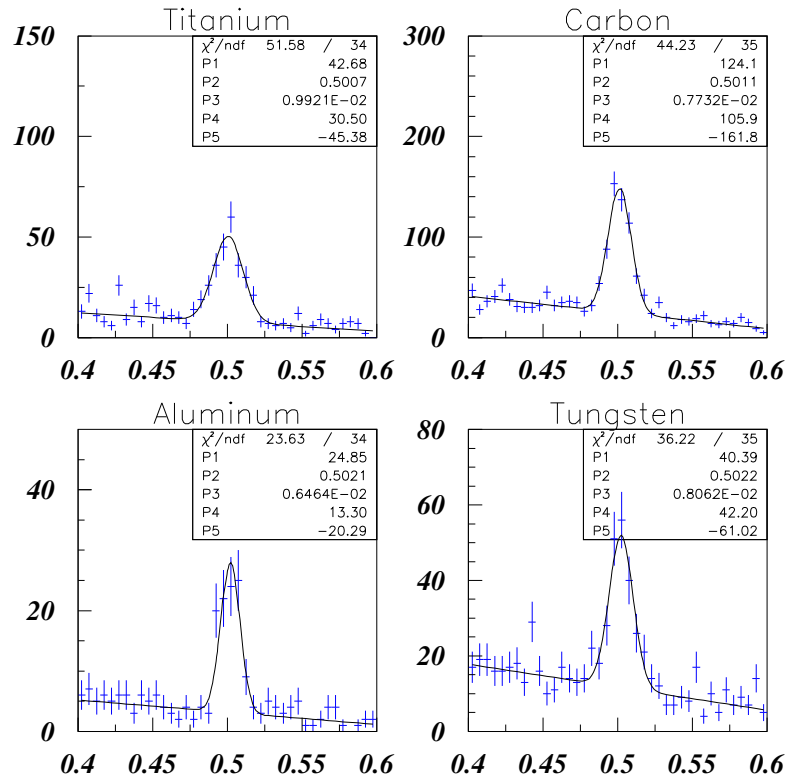
→ require momentum to point back to the primary vertex

→ assign masses according to decay channel

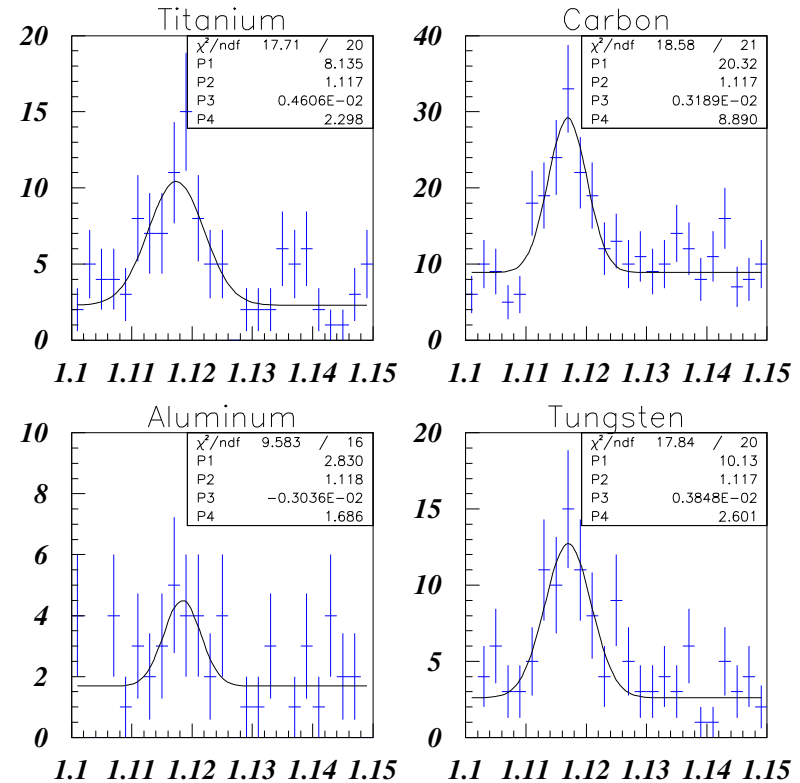
→ histogram invariant masses



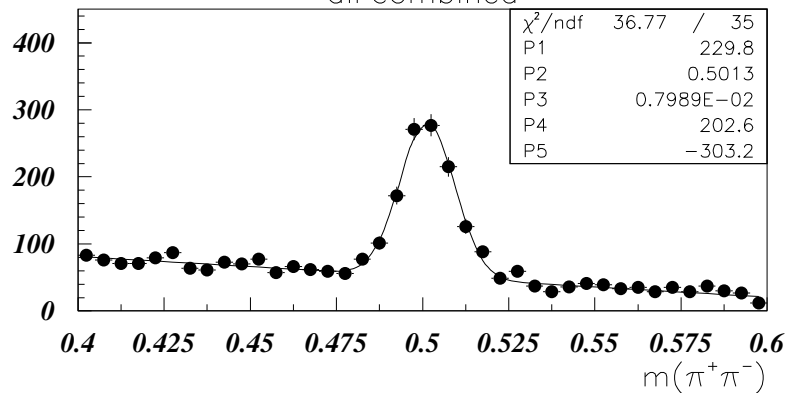
K_s^0 – minimum bias data



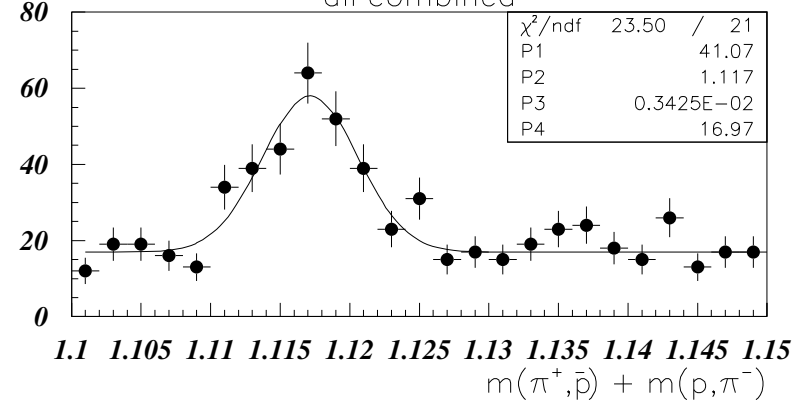
Λ – minimum bias data



all combined



all combined



→ *good topic for a first physics paper*

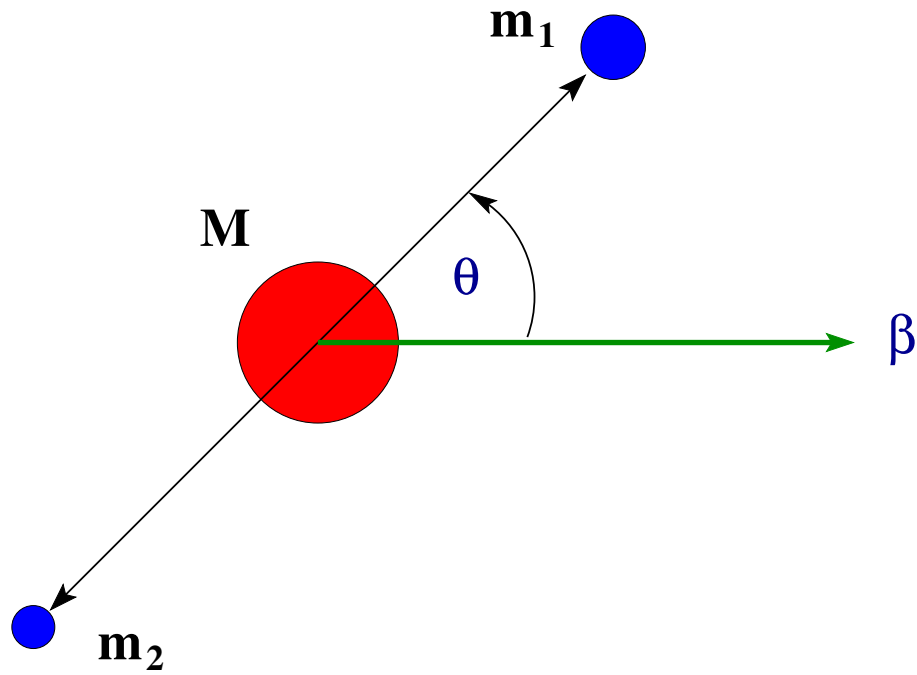
- simple early measurement, though not trivial
- can evolve quickly with improving understanding of alignment
- cross section ratios don't require luminosity

$$\frac{\sigma(\Lambda)}{\sigma(\bar{\Lambda})}(y, p_T)$$

- important input for models of strangeness production
- stepping stones towards *c-* and *b-*physics
- important for **RICH calibration** since particle-ID is done by relativistic kinematics
 - consider \pm -pairs (with detached vertex)
 - take the common direction of flight
 - plot **transverse momentum** versus
 - **asymmetry of longitudinal momenta**
 - identify regions of phase space with enhanced p or \bar{p} -content

→ “Armenteros-Podolanski plot”

→ Particle identification by relativistic kinematics



- two-body decay of a heavy particle with mass M
- energy-momentum conservation determines the absolute value of the center-of-mass momenta of the daughter particles
- Lorentz-transformation yields lab-momenta of the daughter particles as a function of the decay-angle θ

❖ basic relations:

$$M = \sqrt{p_{cm}^2 + m_1^2} + \sqrt{p_{cm}^2 + m_2^2}$$

$$p_L = \gamma p_L^{cm} + \gamma\beta E^{cm}$$

$$p_T = p_T^{cm}$$

$$E_{cm}^2 = m^2 + p_{cm}^2$$

$$p_L^{cm} = \pm p_{cm} \cdot \cos \theta$$

$$p_T^{cm} = p_{cm} \cdot \sin \theta$$

❖ initial results:

$$p_{cm}^2 = \frac{1}{4M^2} (M^4 + m_1^4 + m_2^4 - 2m_1^2 M^2 - 2m_2^2 M^2 - 2m_1^2 m_2^2)$$

$$E_1^{cm} = \frac{1}{2M} (M^2 + m_1^2 - m_2^2)$$

$$E_2^{cm} = \frac{1}{2M} (M^2 - m_1^2 + m_2^2)$$

❖ next, consider the asymmetry of the longitudinal momenta:

$$\begin{aligned} \alpha &= \frac{p_L^{(1)} - p_L^{(2)}}{p_L^{(1)} + p_L^{(2)}} = \frac{(p_{cm} \cos \theta + \beta E_1^{cm}) - (-p_{cm} \cos \theta + \beta E_2^{cm})}{(p_{cm} \cos \theta + \beta E_1^{cm}) + (-p_{cm} \cos \theta + \beta E_2^{cm})} \\ &= \frac{2 p_{cm} \cos \theta + \beta (E_1^{cm} - E_2^{cm})}{\beta (E_1^{cm} + E_2^{cm})} = \frac{2 p_{cm}}{\beta M} \cos \theta + \frac{E_1^{cm} - E_2^{cm}}{M} \\ &= \frac{2 p_{cm}}{\beta M} \cos \theta + \frac{m_1^2 - m_2^2}{M^2} \end{aligned}$$

→ result:

$$\alpha = \alpha_0 + \frac{r_\alpha}{\beta} \cos \theta \quad \text{with} \quad \alpha_0 = \frac{m_1^2 - m_2^2}{M^2} \quad \text{and} \quad r_\alpha = \frac{2 p_{cm}}{M}$$

❖ consider the relativistic limit $\beta \rightarrow 1$

The asymmetry of the longitudinal momenta of the daughters is bounded:

$$\alpha_0 - r_\alpha < \alpha < \alpha_0 + r_\alpha$$

A combined view of α and p_T suggests itself. One has

$$\frac{\alpha - \alpha_0}{r_\alpha} = \cos \theta \quad \text{and} \quad \frac{p_T}{p_{cm}} = \sin \alpha$$

and thus

$$\frac{(\alpha - \alpha_0)^2}{r_\alpha^2} + \frac{p_T^2}{p_{cm}^2} = 1$$

i.e. in the (α, p_T) -plane particles from a two-body decay define an ellipse.

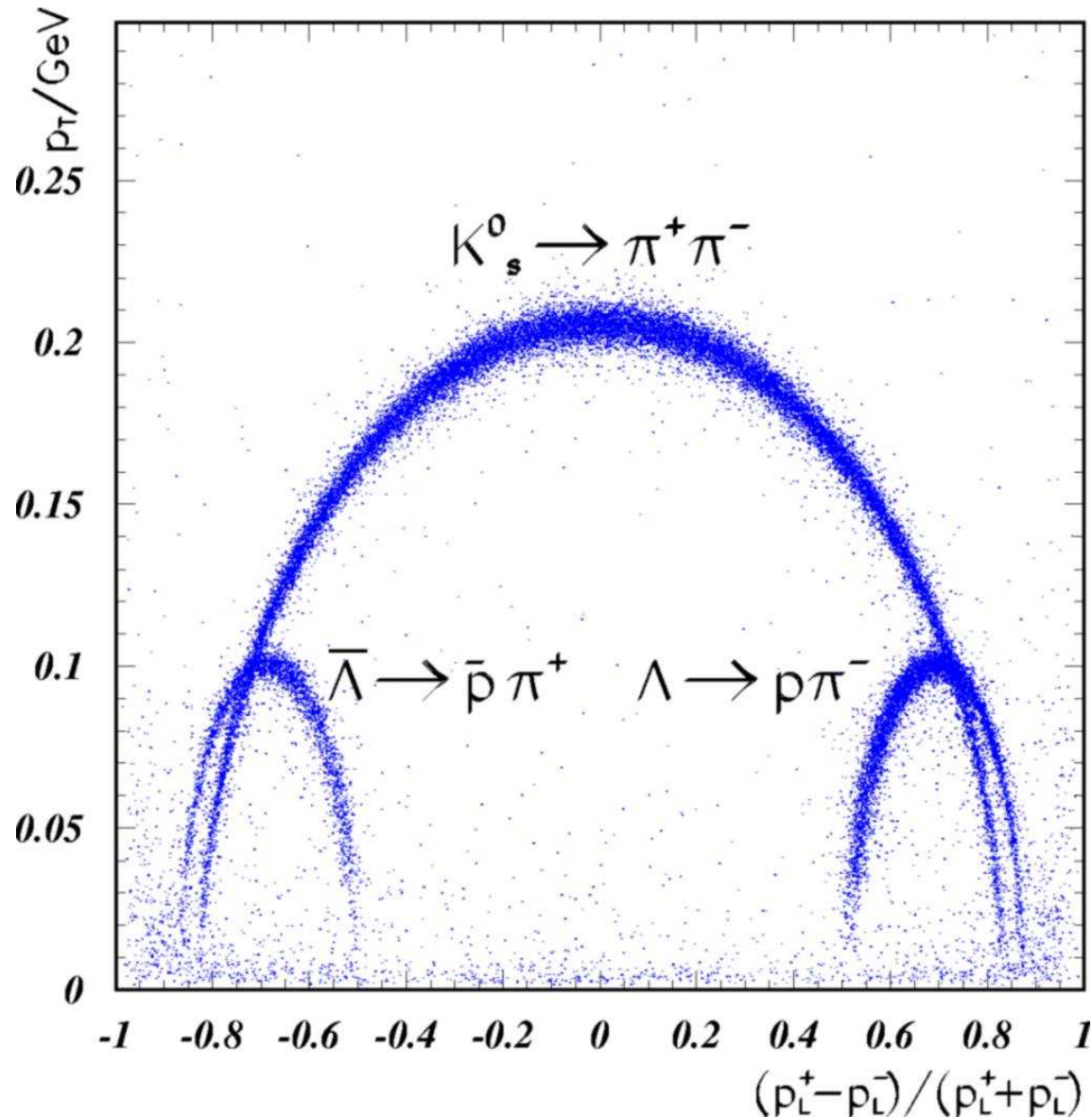
→ center of the ellipse:

$$(\alpha_0, 0) = \left(\frac{m_1^2 - m_2^2}{M^2}, 0 \right)$$

→ radii of the ellipse:

$$(r_\alpha, r_{p_T}) = \left(\frac{2p_{cm}}{M}, p_{cm} \right)$$

→ Example: V^0 -decays



❖ K^0 -decay

$$M = 0.498 \text{ GeV}$$

$$m_{1,2} = 0.140 \text{ GeV}$$

$$p_{cm} = 0.206 \text{ GeV}$$

$$\alpha_0 = 0$$

$$r_\alpha = 0.827$$

❖ Λ -decay

$$M = 1.116 \text{ GeV}$$

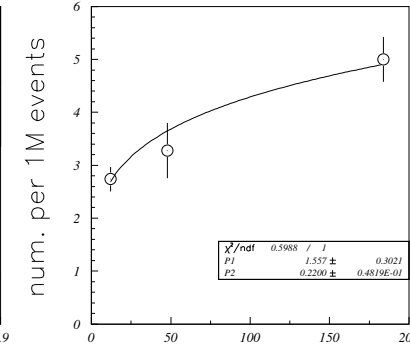
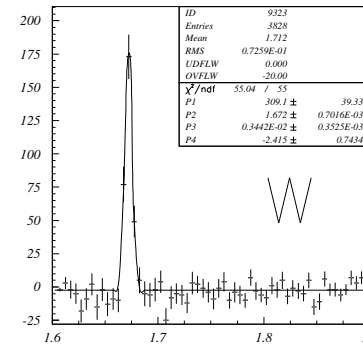
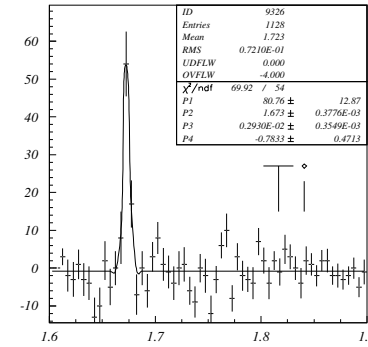
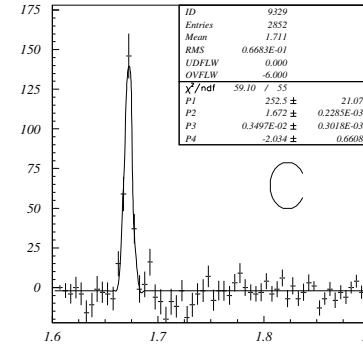
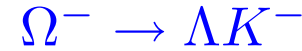
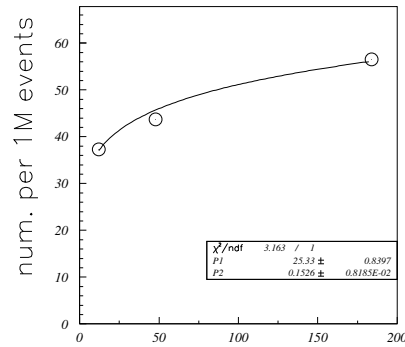
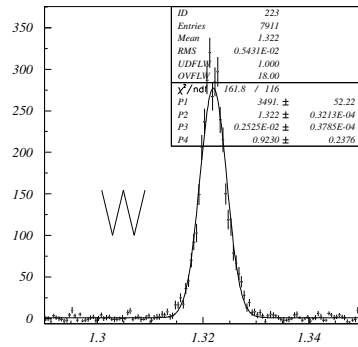
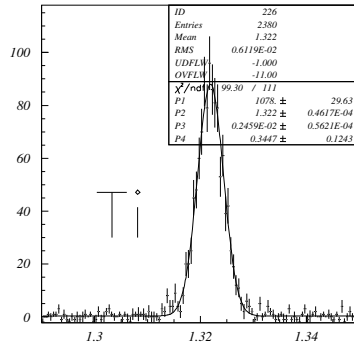
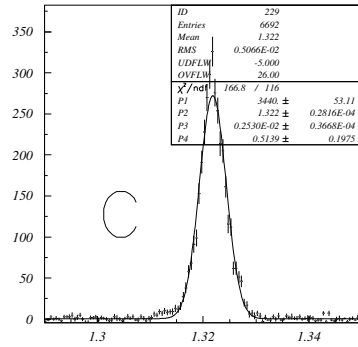
$$m_1 = 0.938 \text{ GeV}$$

$$m_2 = 0.140 \text{ GeV}$$

$$p_{cm} = 0.101 \text{ GeV}$$

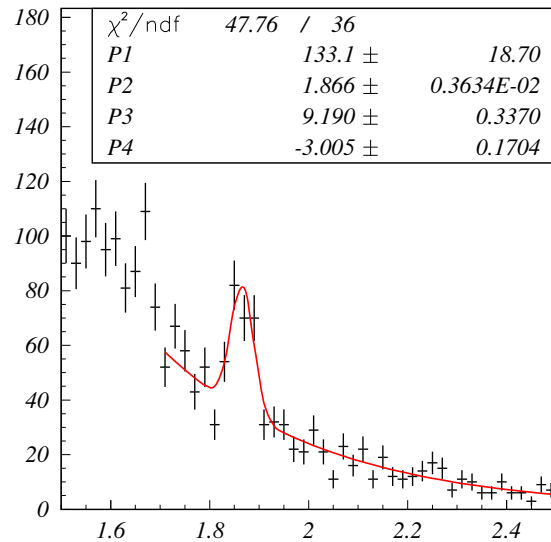
$$\alpha_0 = \pm 0.691$$

$$r_\alpha = 0.181$$

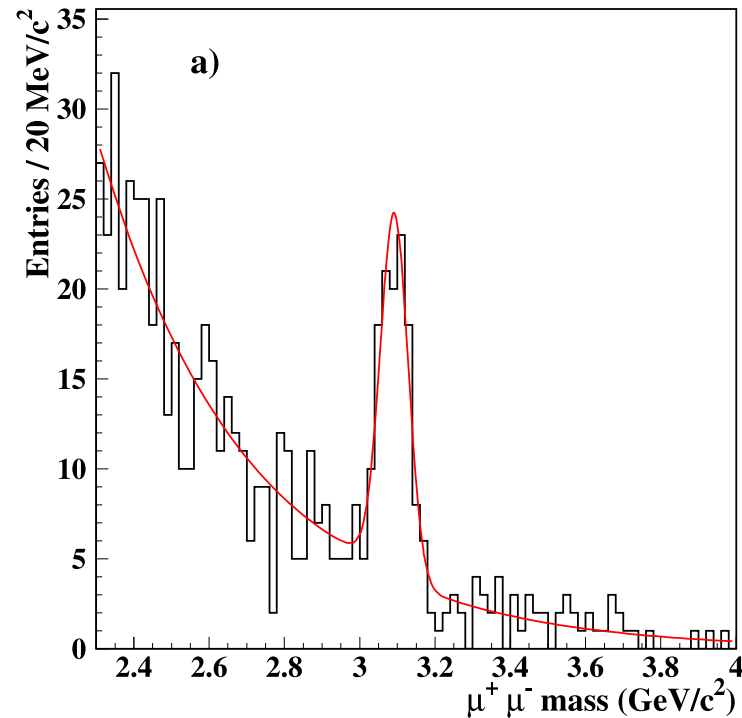


- systematic study of strangeness production
 - ➔ as a function of the number of strange quarks
 - ➔ as a function of target mass
 - ➔ as a function of the kinematics x_F, y, p_T
- further topics: polarization, correlations between strange particles, ...
- can also be done to LHCb

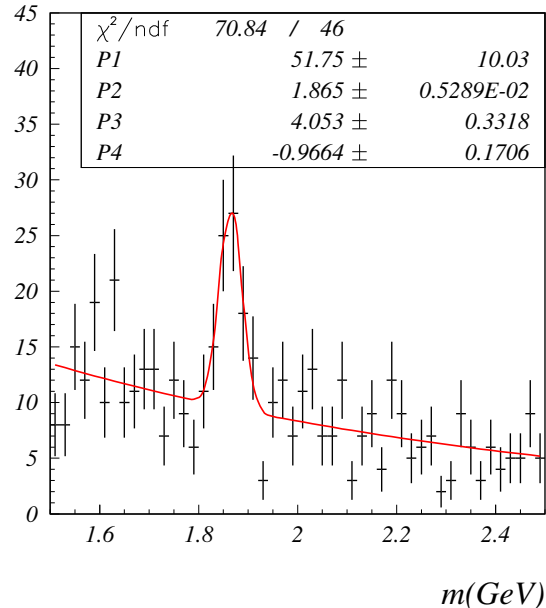
$$D^0 \rightarrow K\pi$$



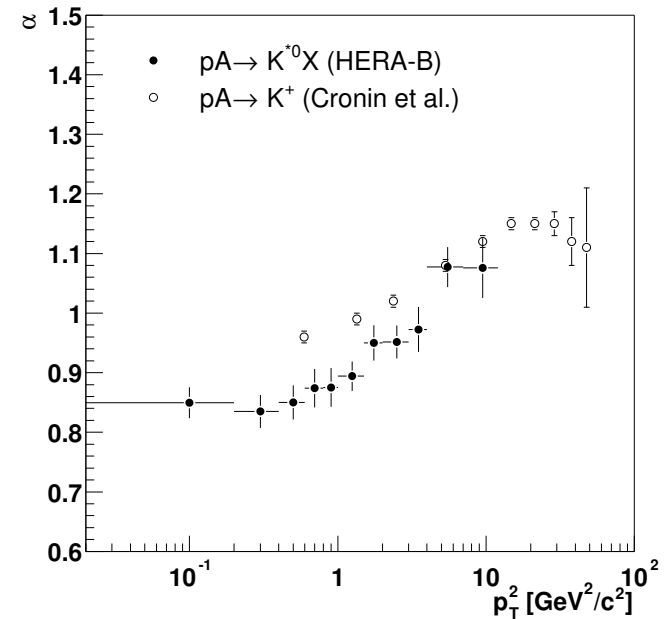
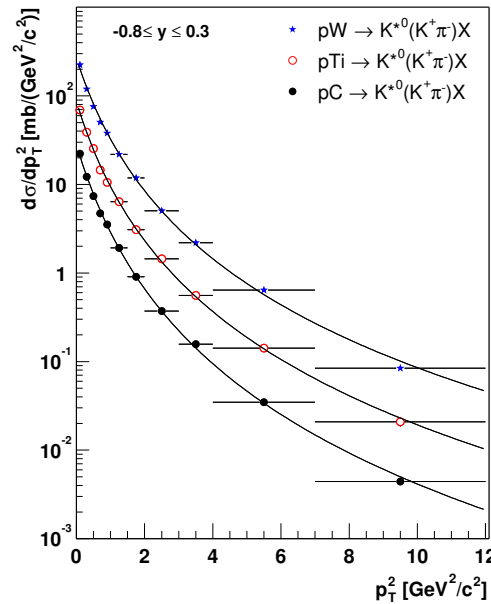
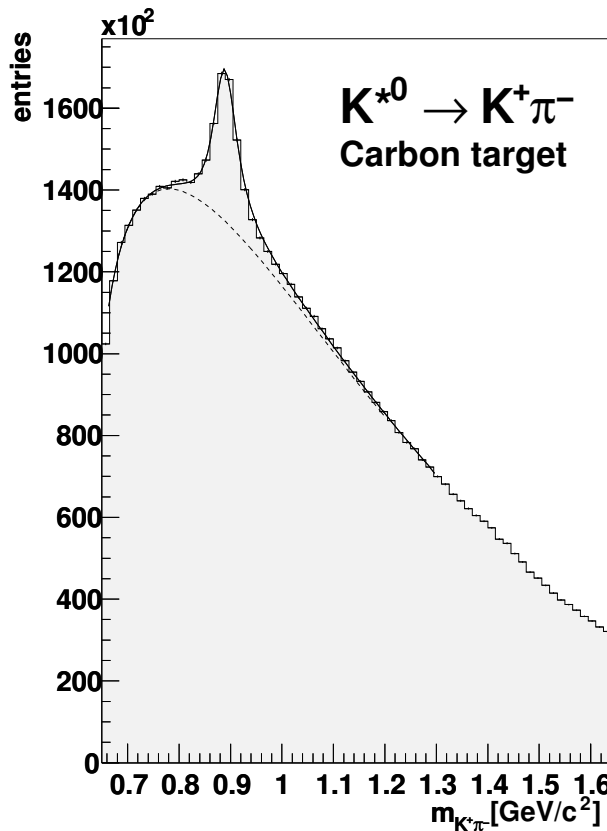
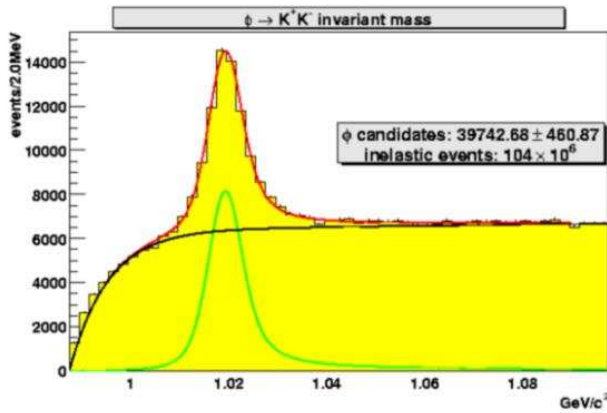
$$J/\psi \rightarrow \mu^+ \mu^-$$



$$D^\pm \rightarrow K\pi\pi$$



- 200 million minimum bias events recorded
- small, but significant signals seen
- *D*-signals require **working RICH**
- still among the best results for absolute cross sections
- needed as normalization e.g. for *J/ψ* triggered events

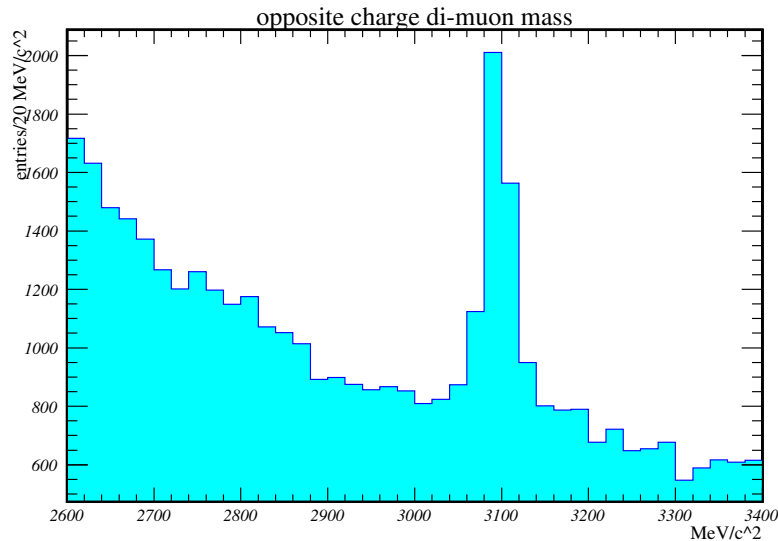


- requirement: working RICH and Main Tracker
- important building block for advanced analyses
- single Kaon tagging is sufficient to find the ϕ -signal
→ also interesting for RICH calibration
- at HERA-B first seen for K^* : Cronin-Effect
$$\sigma_{pA} = \sigma_{pp} A^\alpha \text{ with } \alpha = f(p_T)$$
- only phenomenological explanations
→ e.g. recattering in nucleus

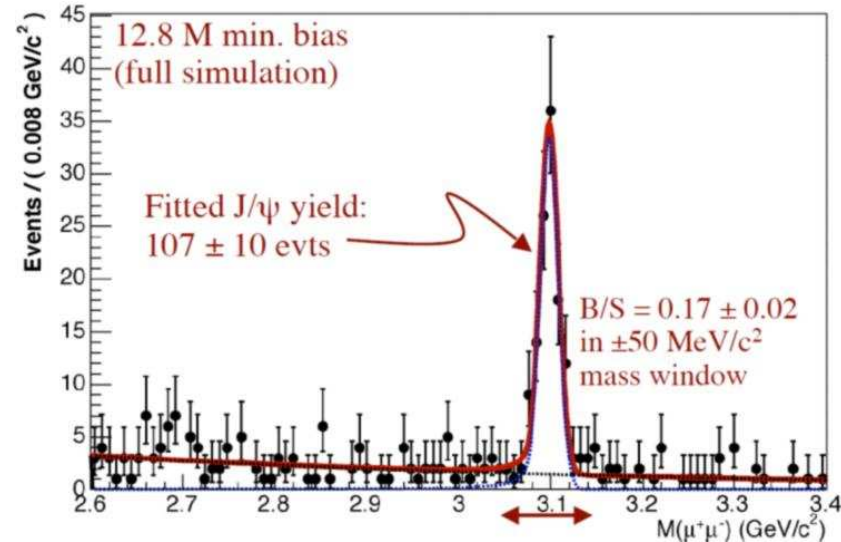
→ *Another good candidate for an early physics paper*

- measurement of $J/\psi \rightarrow \mu^+ \mu^-$ -cross section
- **minimum requirement:** working MUON-system and Main Tracker
- production ratios for open charm, based on $D^0 \rightarrow K\pi$, $D^\pm \rightarrow K\pi\pi$
- **requirement:** RICH plus perfectly calibrated VeLo

❖ important building blocks for many CP and rare decay analyses!

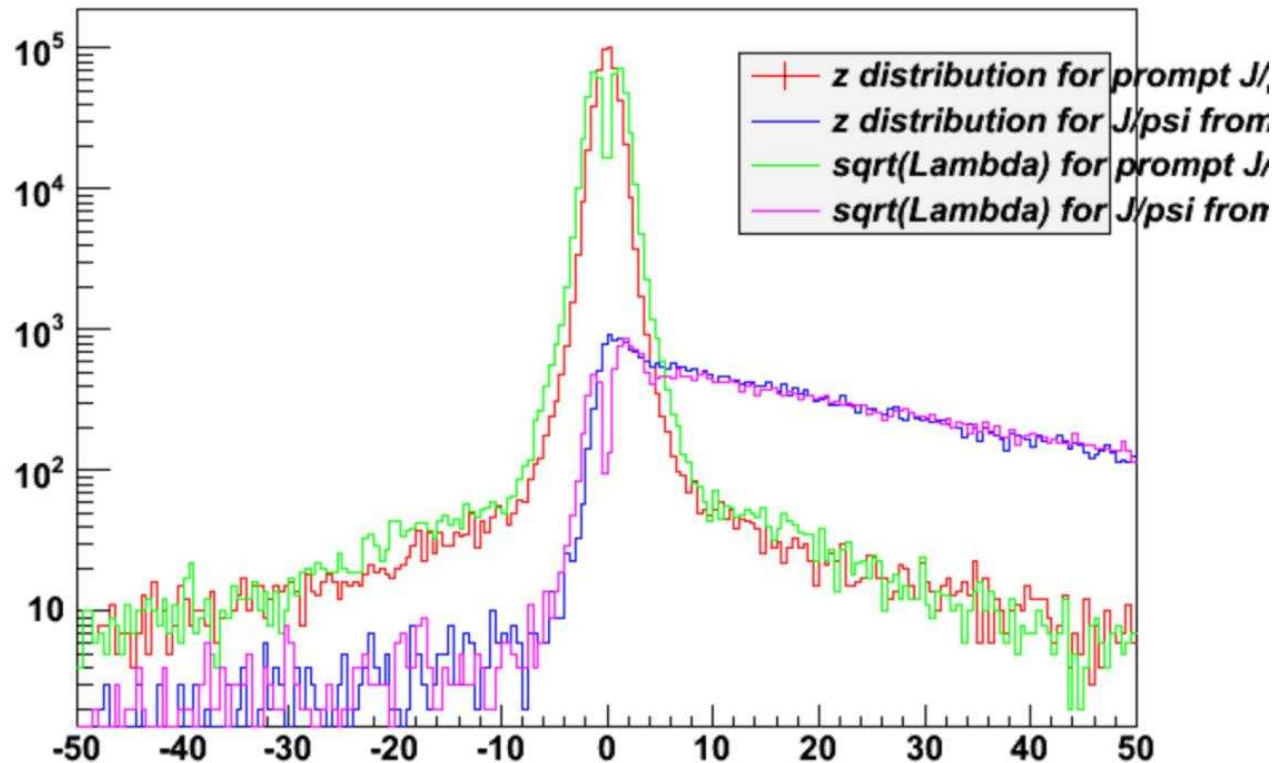


expected signal from opposite charge di-muon candidates in 10^8 min-bias events



DC04-analysis with tight cuts based on $1.28 \cdot 10^7$ min-bias events

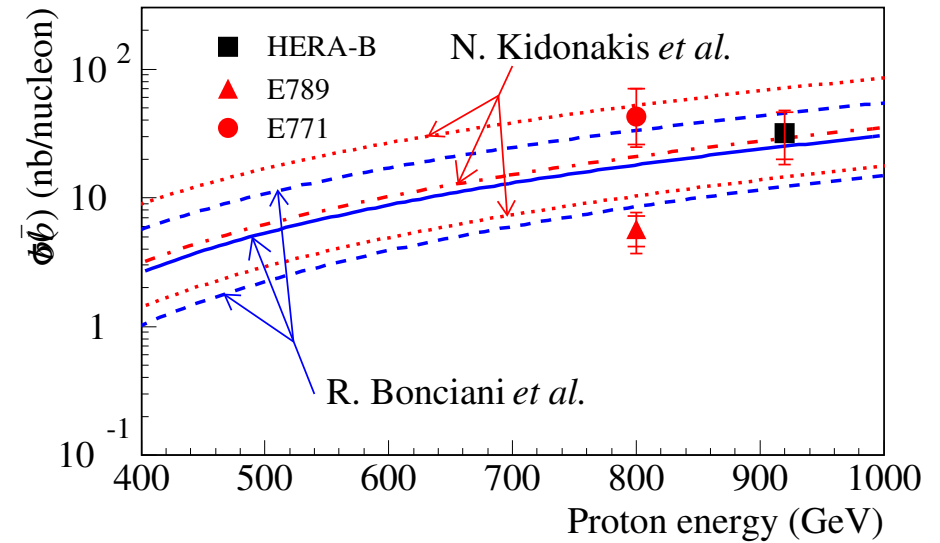
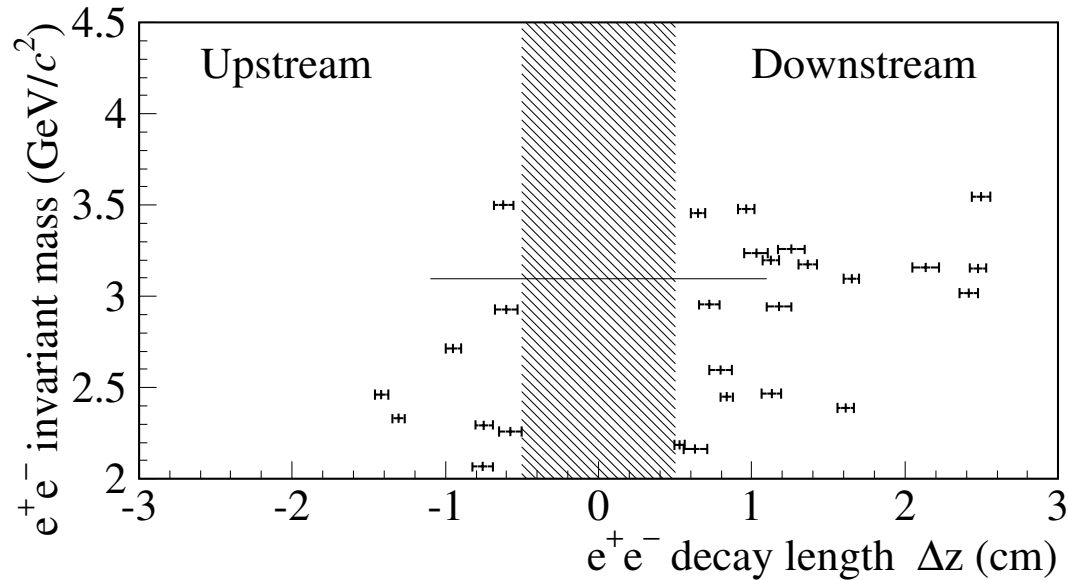
- **minimum requirement:** working MUON-system, Main Tracker and VeLo
- reconstruct $J/\psi \rightarrow \mu^+ \mu^-$
- disentangle fractions of prompt and detached J/ψ s
- relate J/ψ yield to primary $c\bar{c}$ and $b\bar{b}$ cross sections, using as input fragmentation functions measured e.g. at LEP



(plot by Wenbin Qian)

→ Measurement of $b\bar{b}$ -cross section at $\sqrt{s} = 42 \text{ GeV}$

scatter plot of invariant mass vs decay length and resulting cross section



→ Other Measurements in the $c\bar{c}$ System

- J/ψ production via $\chi_c \rightarrow J/\psi\gamma$ decays ($J^{PC}(\chi_c) = \{0, 1, 2\}^{++}$)
- J/ψ spin alignment
- $\psi' \rightarrow J/\psi\gamma$

→ proposed new states of 4-quarks and 1 antiquark

❖ for example:

$$\Theta^+(uudd\bar{s}) \rightarrow pK_s^0$$

$$\Xi^{--}(ddss\bar{u}) \rightarrow \Xi^- \pi^-$$

❖ HERA-B results:

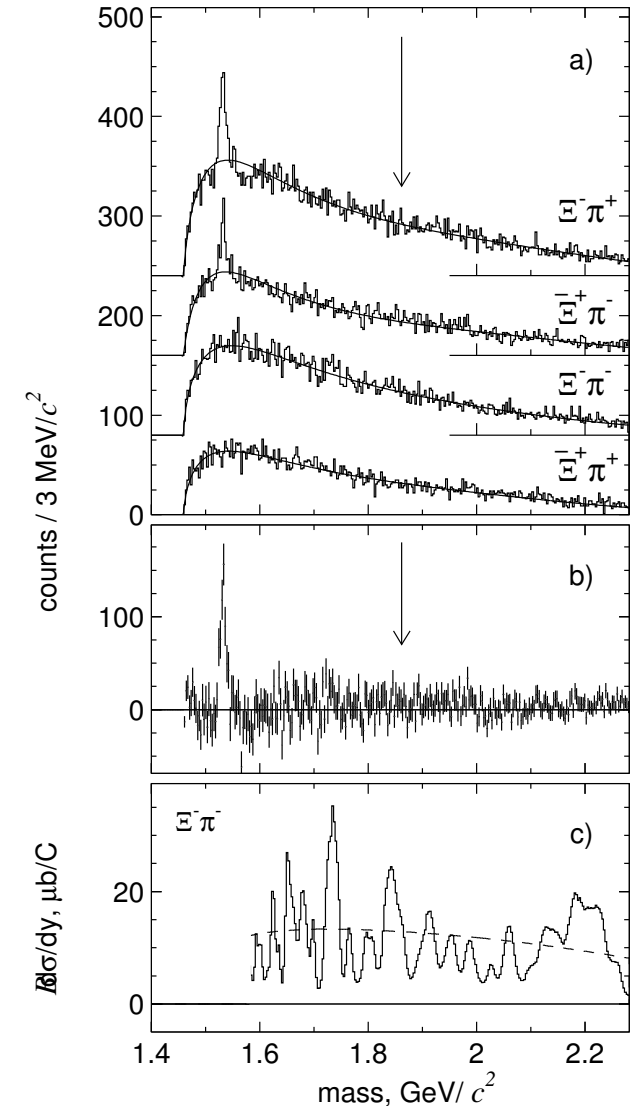
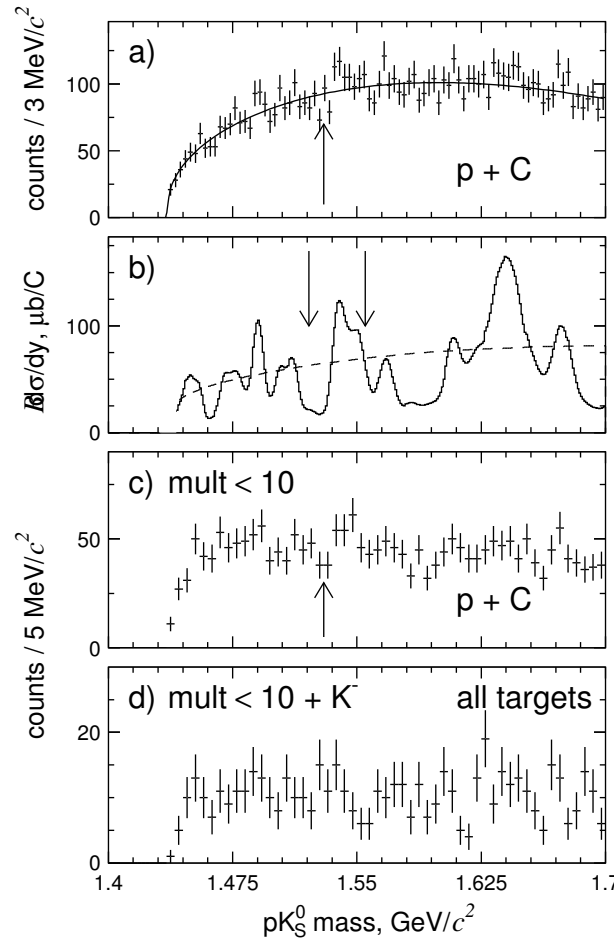
■ based upon min-bias

→ $200 \cdot 10^6$ events

→ $2.2 \cdot 10^6$ K_s^0

→ $4.7 \cdot 10^3$ Ξ^-

■ no signal found!



→ A quick look into single lepton triggered data. . .

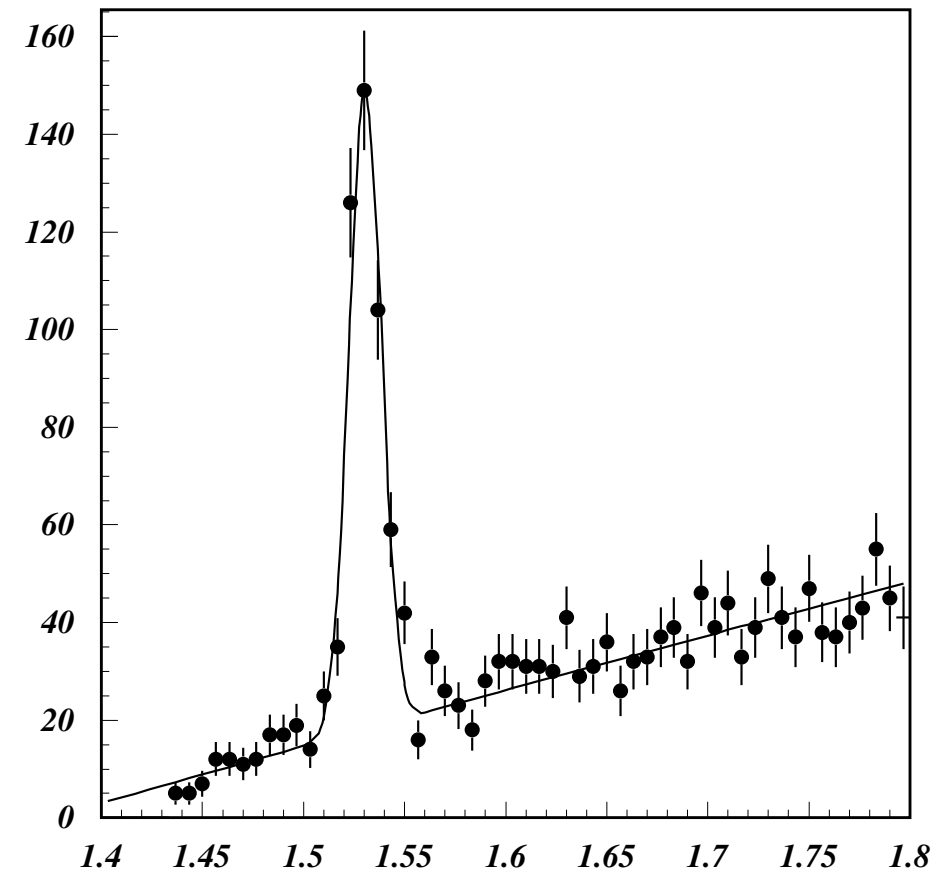
- select opposite charge pairs
 - secondary vertex downstream of the primary vertex
 - assign pion masses
 - invariant mass consistent with K_s^0
- combine with another positive track
 - assign proton mass
 - construct invariant mass with the V^0
- highly significant signal at the Θ^+ -mass

→ A quick look into single lepton triggered data...

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❖ but:

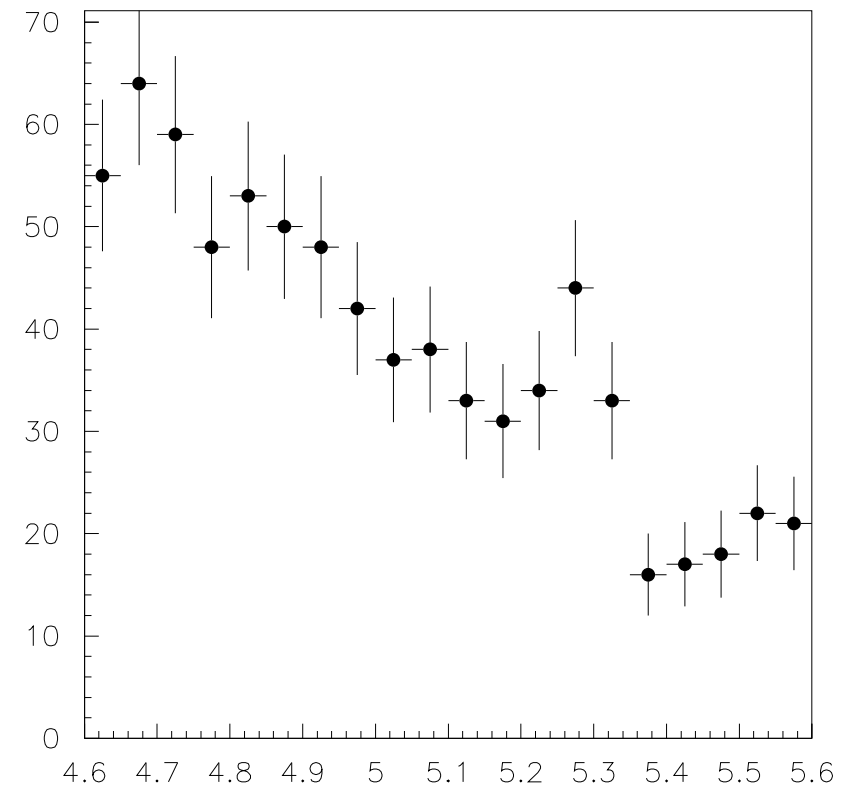
- the “signal” was fake
- the positive track was used twice
- could also be caused by a feature of the track finding program which splits a single true track into two independent ones ...



→ HERA-B data with a single high- p_T lepton trigger

2001/09/27 12.27

- study invariant mass spectrum of $\pi^+\pi^-$ -pairs
- "clear" $B_0 \rightarrow \pi^+\pi^-$ signal...
 - $m(B_0) = 5.279 \text{ GeV}$
 - $\text{BR}(B_0 \rightarrow \pi^+\pi^-) = 4.6 \times 10^{-6}$
 - approx. 3 million triggered events...



❖ fluctuations do happen!

❖ integrated luminosity for first 5σ signals

based on DC04 studies (numbers by Olivier Schneider):

www.cern.ch/lhcb-phys/DC04_physics_performance

Lumi(pb^{-1})	Channel	MinBias events
0.009	$B_d \rightarrow D^{*-} \mu^+ \nu$	$9.0 \cdot 10^8$
0.039	$B_u \rightarrow J/\psi(\mu^+ \mu^-) K^+$	$3.9 \cdot 10^9$
0.046	$B_d \rightarrow D^+ \pi^-$	$4.6 \cdot 10^9$
0.062	$B_d \rightarrow J/\psi(\mu^+ \mu^-) K^{*0}$	$6.2 \cdot 10^9$
0.418	$B_d \rightarrow K^+ \pi^-$	$4.2 \cdot 10^{10}$
0.427	$B_s \rightarrow J/\psi(\mu^+ \mu^-) \phi$	$4.3 \cdot 10^{10}$
0.500	$B_s \rightarrow D_s^- \pi^+$	$5.0 \cdot 10^{10}$
1.176	$B_d \rightarrow K^* \gamma$	$1.2 \cdot 10^{11}$
1.490	$B_s \rightarrow K^+ K^-$	$1.5 \cdot 10^{11}$
2.101	$B_d \rightarrow \pi^+ \pi^-$	$2.1 \cdot 10^{11}$

➔ B-Physics with exclusive decays requires HLT

Interesting LHC physics possible already with 10^8 minimum bias events

→ *many use cases ...*

- calibration of detector components
- (final) commissioning of trigger system
- first luminosity determination
- full test of computing model with real data
- first steps on the road to b-physics
- basis for tuning of (minbias) Monte Carlo
- first physics papers, such as
 - particle ratios and V^0 -production and heavier hyperons
 - ϕ -cross section and other vector meson resonances
 - studies of the charmonium system and open charm
 - measurement of $c\bar{c}$ and $b\bar{b}$ cross sections, ...