



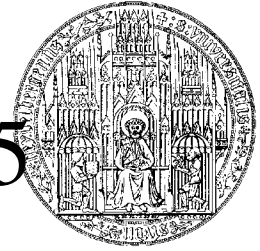
# Laser-based precision spectroscopy and the optical frequency comb technique<sup>1</sup>

<sup>1</sup> Alternatively: Why did Hänsch win the Noble prize?

Dr. Björn Hessmo  
Physikalisches Institut, Universität Heidelberg



# The Nobel prize in physics for 2005



The Royal Swedish Academy of Sciences has decided to award the Nobel Prize in Physics for 2005 with one half to

**Roy J. Glauber**

Harvard University, Cambridge, MA, USA

*"for his contribution to the quantum theory of optical coherence"*

and one half jointly to

**John L. Hall**

JILA, University of Colorado and National Institute of Standards and Technology, Boulder, CO, USA and

**Theodor W. Hänsch**

Max-Planck-Institut für Quantenoptik, Garching and Ludwig-Maximilians-Universität, Munich, Germany

*"for their contributions to the development of laser-based precision spectroscopy, including the optical frequency comb techn."*

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To understand the second half of the prize we need to learn more about two things:

- *What is "laser-based precision spectroscopy"?*
- *What is the "optical frequency comb technique"?*



# Precision Spectroscopy

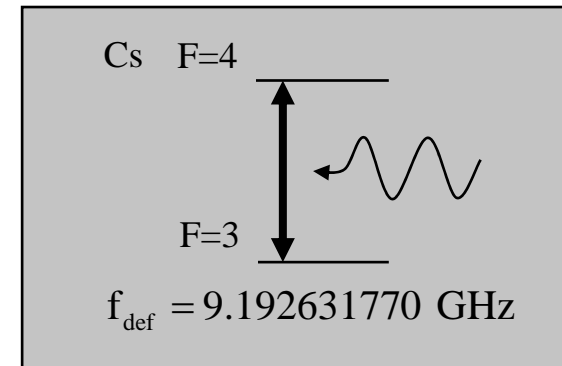
-To measure a frequency accurately.

## Definition of second:

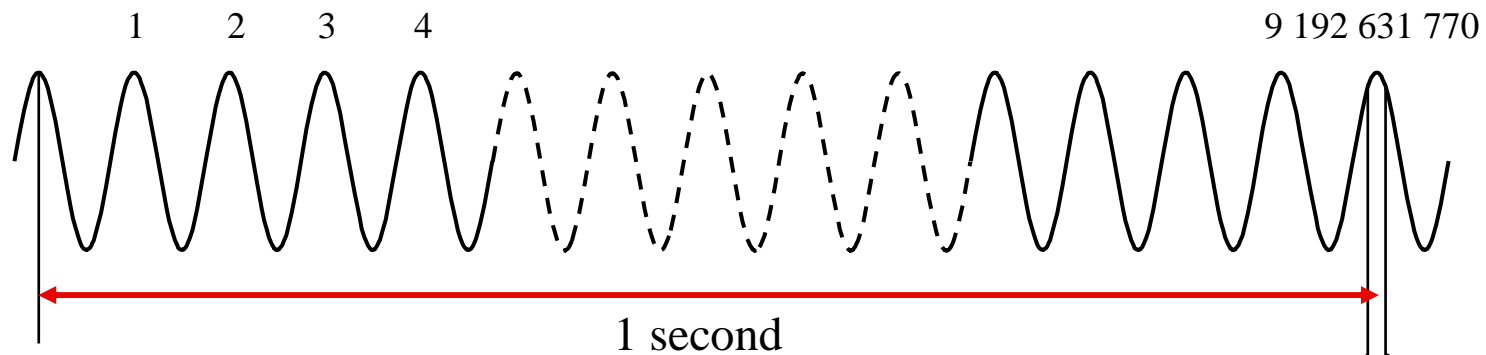
- Originally defined in 1889 as the fraction  $1/86\,400$  of the mean solar day.  
(not good because of irregularities in Earth's rotation)
- Redefined in 1956 to  $1/31\,556\,925.9747$  of the length of the tropical year for 1900.  
(difficult to measure, long measurement times)
- Redefined in 1967 to an atomic reference.

### Some advantages with atomic reference:

1. Fast oscillation (compared to the tropical year).
2. Identical atoms make it easy to "copy" the reference.
3. Precise spectroscopic methods can be used to obtain time.




*One second is defined as the duration of 9 192 631 770 cycles of microwave light absorbed or emitted by the hyperfine transition of cesium-133 atoms in their ground state undisturbed by external fields.*



- Direct counting gives an uncertainty of  $\sim 10^{-10}$
- Improved peak positioning gives  $\sim 10^{-12}$
- Interferometric techniques and signal averaging gives a final uncertainty of  $\sim 10^{-15}$

How accurately can the position of the peak be determined?

Estimate:  
 $\sim 1/100$ th of the oscillation

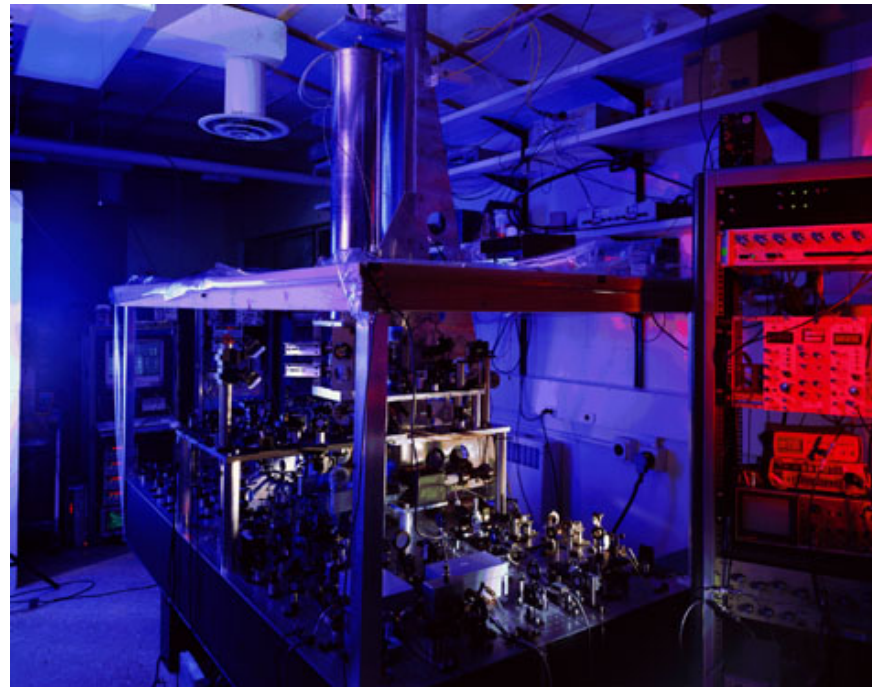
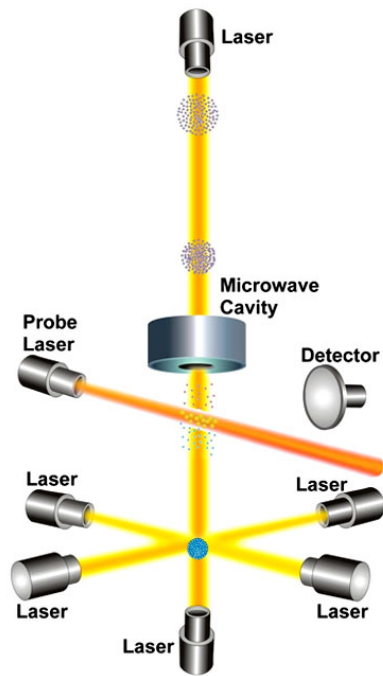
 Corresponds to a 1 second drift in 30 million years



## Fountain clocks

Observatoire de Paris, **NIST (Boulder)**, Observatoire Cantonal de Neuchâtel (Switzerland),...

The NIST-F1 clock





For increased accuracy a faster oscillator is needed!

9.2 GHz  
MICROWAVE

Microwave electronics is highly developed technology!



Optical oscillators!

Green light: 532 nm corresponds to an oscillating frequency o

**563000 GHz!**

Clock improvement with a factor  $10^5$  !



Unfortunately, no electronics can handle this speed...



## Laser-based precision spectroscopy

Atoms can once more be used as references to stabilize the frequency of laser light.



Tune the laser wavelength to an *optical transition* within an atom

Laser frequencies have been stabilized to within  $<10$  mHz. Comparing this to the frequency 500 THz one obtains a frequency uncertainty of  $< 10^{-17}$ !

This would be a nice clock... But the problem remains:

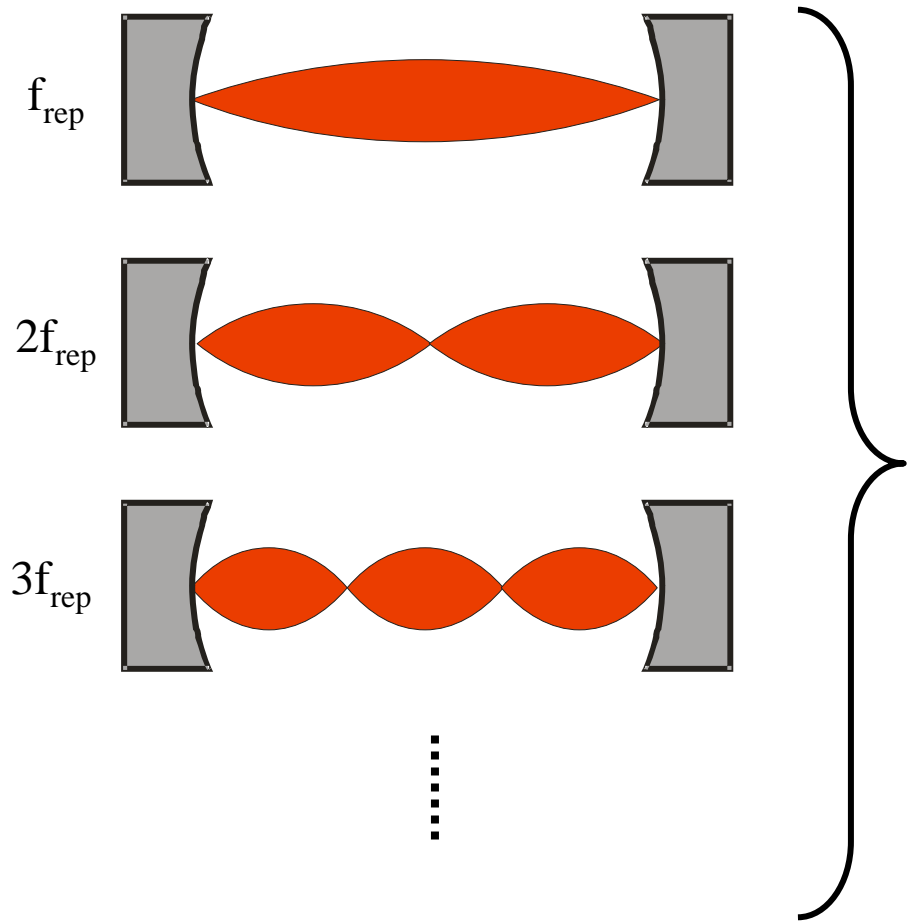
**How to count the "tick-tacks" of this clock?**

**Solution: An optical frequency comb.**

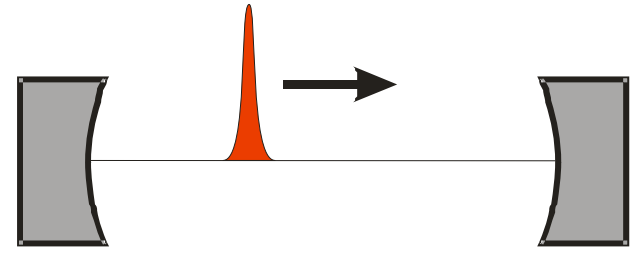


# Short laser pulses

Laser pulses can be made extremely short,  $t < 10$  femtoseconds. A short pulse has a broad spectrum.



A well-defined phase relation between the frequency components builds up the pulse

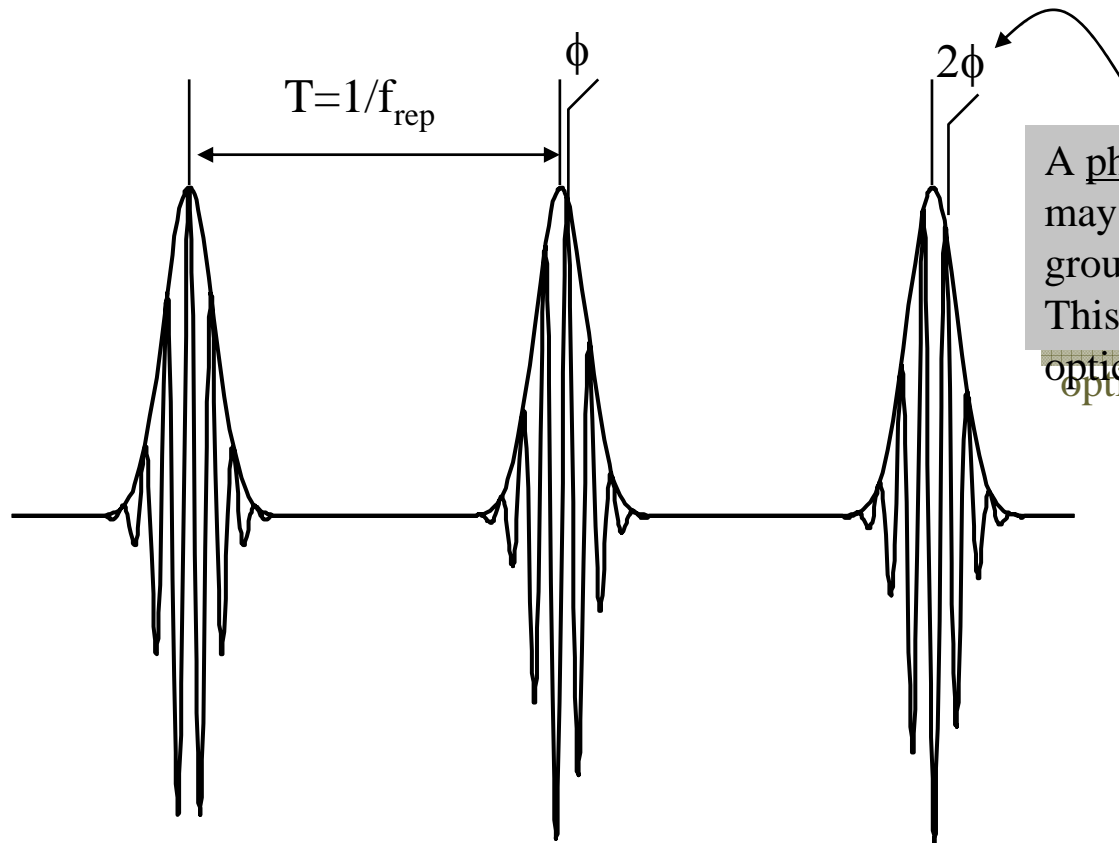


The round-trip frequency is described by  $f_{rep}$





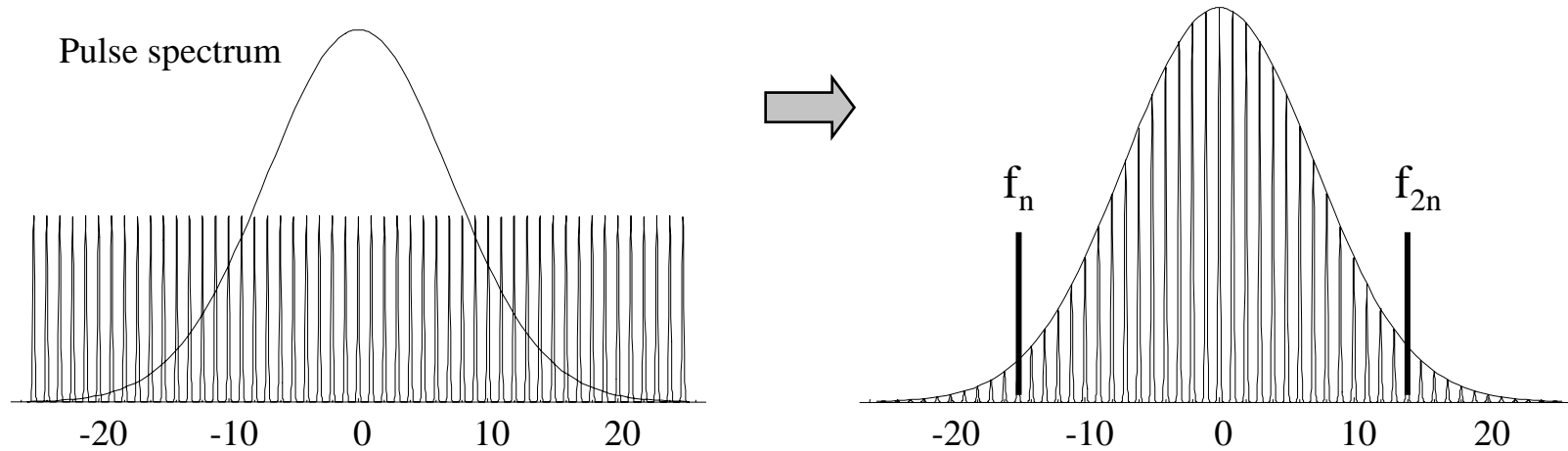
## Temporal behavior of a pulse train



A phase shift between each pulse may appear due to a difference in group velocity and phase velocity. This depends on properties of the optical media etc.



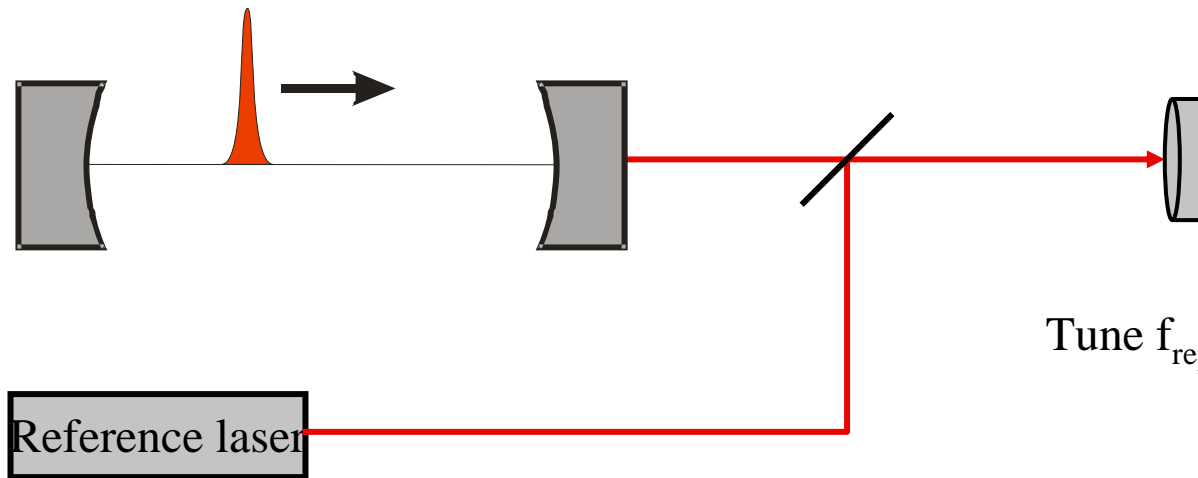
## Spectrum of a laser pulse



Frequencies supported by the cavity:  $N f_{\text{rep}}$

- $f_n = n f_{\text{rep}} + f_0$  ,  $f_0 = \phi f_{\text{rep}} / 2\pi$
- $f_{2n} = 2n f_{\text{rep}} + f_0$
- $2f_n - f_{2n} = 2(n f_{\text{rep}} + f_0) - 2n f_{\text{rep}} - f_0 = f_0$

- Tune the laser to remove  $f_0$ . **This is done by "self-reference"**.
- Removes all dependencies of the laser, and **generates a very uniform frequency comb**.
- Need a full **octave** in the frequency spectrum (non-trivial)



Beat note with frequency similar to  $f_{\text{rep}}$  can be measured

Tune  $f_{\text{rep}}$  to satisfy:  $f_{\text{laser}} = N f_{\text{rep}}$

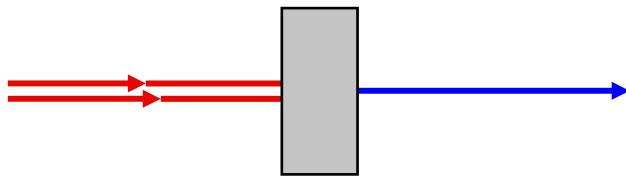
$N$  is a rather large number  $\sim 10^5$

This provides a direct link between the **optical frequency** and a **radio frequency**! Counting of a radio field is simple, and the stability is inherited from the optical clock...

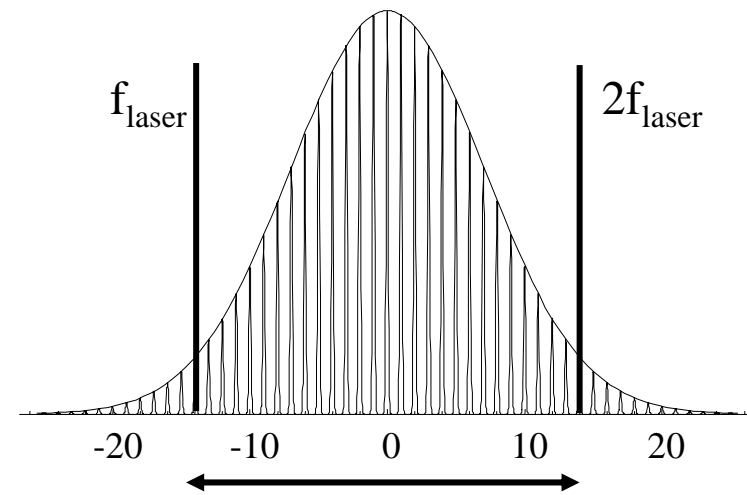


# Comparing the spectrum of a reference laser with a frequency comb.

Frequency up-conversion



Convert two red photons into one blue photon.  $2f_{\text{red}} = f_{\text{blue}}$



Count fringes!

$$f_{\text{laser}} = N f_{\text{rep}}$$



## Summary

- Precision laser spectroscopy allows us to define optical frequency standards superior to the present Cesium time standard.
- The optical frequency comb allows us to transfer the stability of an optical reference to other frequencies where we can use electronics to handle signals.
- Is it time to redefine the second once more ? Time will tell...